

# Producer-Consumer Problem

Note Title

19/10/2005

Producer Process

item nextProduced;

while (1) {

while ((in+1) % BufferSize == out)

; // Do nothing

buffer[in] = nextProduced;

$in = (in+1) \% \text{Buffer\_size};$

}

Start with  $in = 0$  and  $out = 0$

in = position produce an item in to

out = position to consume an item out of

Let's examine only the execution of the Producer first

$in = 0$ ,  $out = 0$  at the start

Buffer-size = 10

while  $((in+1) \% \text{Buffer\_size} == out)$  // While statement

$$(in+1) \% \text{Buffer\_size} = (0+1) \% 10 = 1 \% 10 = 1$$

$$out = 0$$

Clearly  $(in+1) \% \text{Buffer\_size} \neq out$

Since  $1 \neq 0$  !!!

=> Skip NULL "Do Nothing" Statement  
Execute next statement

$\text{buffer}[0] = \text{nextProduced};$

↳ insert/produce item into position 0  
since  $\text{in} = 0$ .

Next statement

$\text{in} = (\text{in} + 1) \% \text{Buffer\_size}$

=>  $\text{in} = (0 + 1) \% 10 = 1$ .

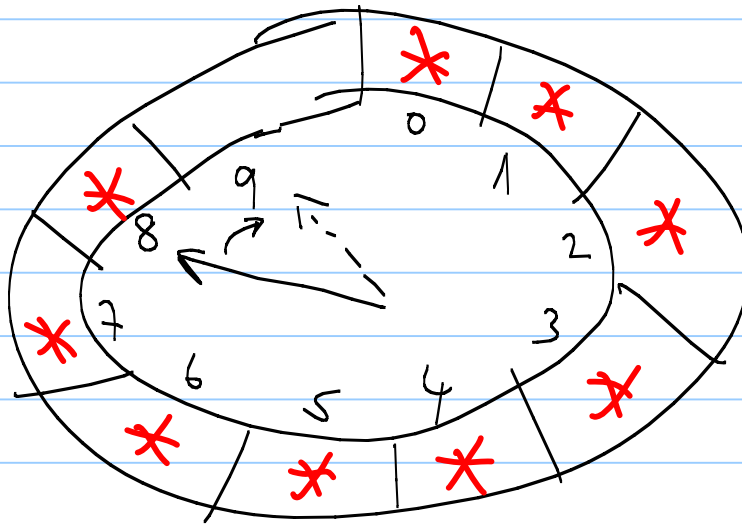
Note on modulo ( $\%$ ) :

$x \bmod y = x \% y$  = Value of Remainder after dividing  $x$  by  $y$

Eg (i)  $2 \% 10 \Rightarrow \frac{2}{10} = 0$  ( $R = 2$ )

(ii)  $13 \% 10 \Rightarrow \frac{13}{10} = 1$  ( $R = 3$ )

Let's assume Producer produces items, and fills the buffer up to and including position number 8;



Once the Producer has finished producing item in position number 8, what are the values of in and out:

$$\begin{aligned} \text{in} &= 9 & \left( \text{in} = (\text{in} + 1) \% \text{Buffer\_size} \right) \\ \text{out} &= 0 & \left( \text{zero} \right) \end{aligned}$$

$= (8+1) \% 10 = 9$

Let's examine the "while" statement for another Run of Producer

$$\text{while } ((\text{in} + 1) \% \text{Buffer\_size} == \text{out})$$

; // Do nothing

$$(in+1) \% Buffer\_size = (9+1) \% 10 = 10/10 = 0$$

But,  $out = 0$

$\Rightarrow (in+1) \% Buffer\_size == out$  is TRUE

$\Rightarrow$  "Execute" the null statement " ; "

and repeat the check of

$$(in+1) \% Buffer\_size == out \\ (= 0)$$



So, the Producer continually executes the  
"while + null statement", and does not produce  
an item in position 9, until ...

Busy Waiting

... the consumer consumes item at position 0  
(out  $\rightarrow$  1).

Let's examine the Consumer Process code now:

```
item nextConsumed;
```

```
while (1)
```

```
{
```

```
    while (in == out)
```

```
        ; // Do nothing (Busy Wait)
```

```
    nextConsumed = buffer[out];
```

```
    out = (out + 1) % Buffer_size;
```

```
}
```

Reminder:

Values of our variables **Before** Consumer starts:  
(after the Producer has run as described above)

in = 9

out = 0

Let's examine Consumer's while statement

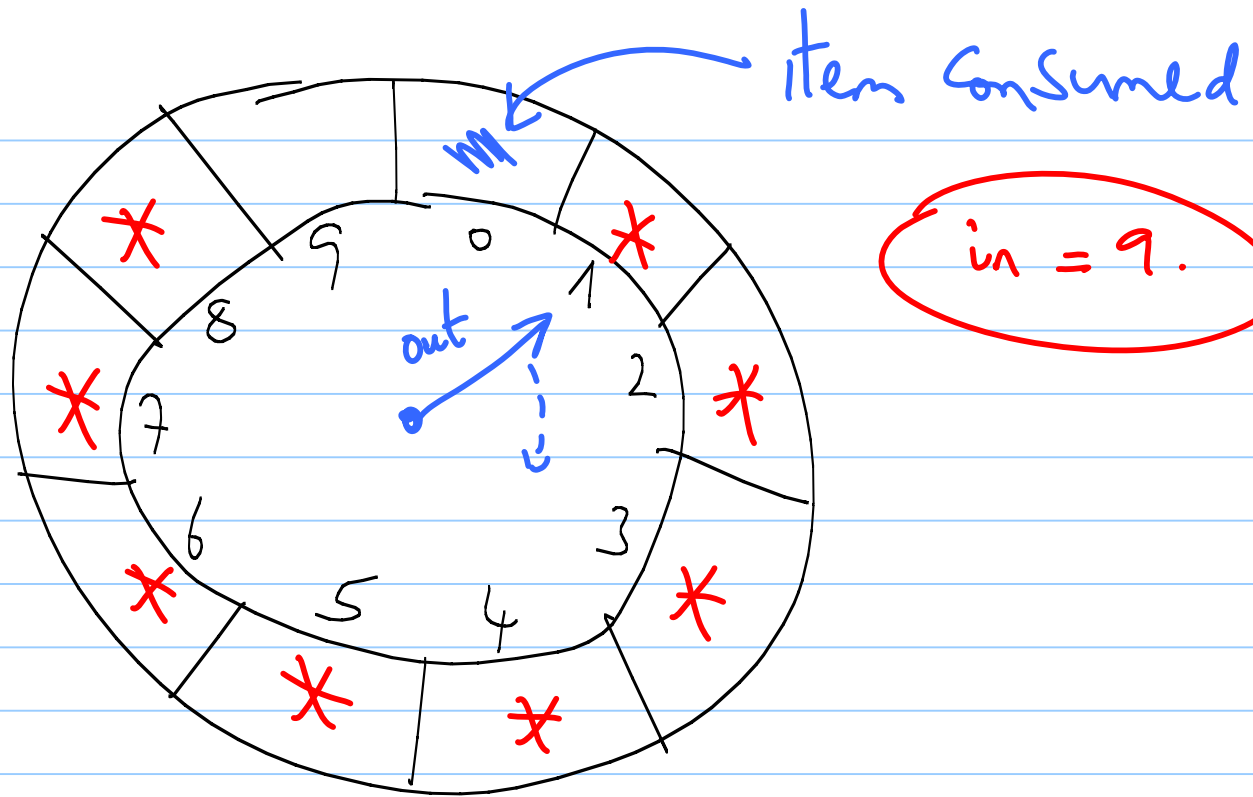
```
while (in == out)  
    ; // Do Nothing
```

Since  $in = 9$  and  $out = 0$

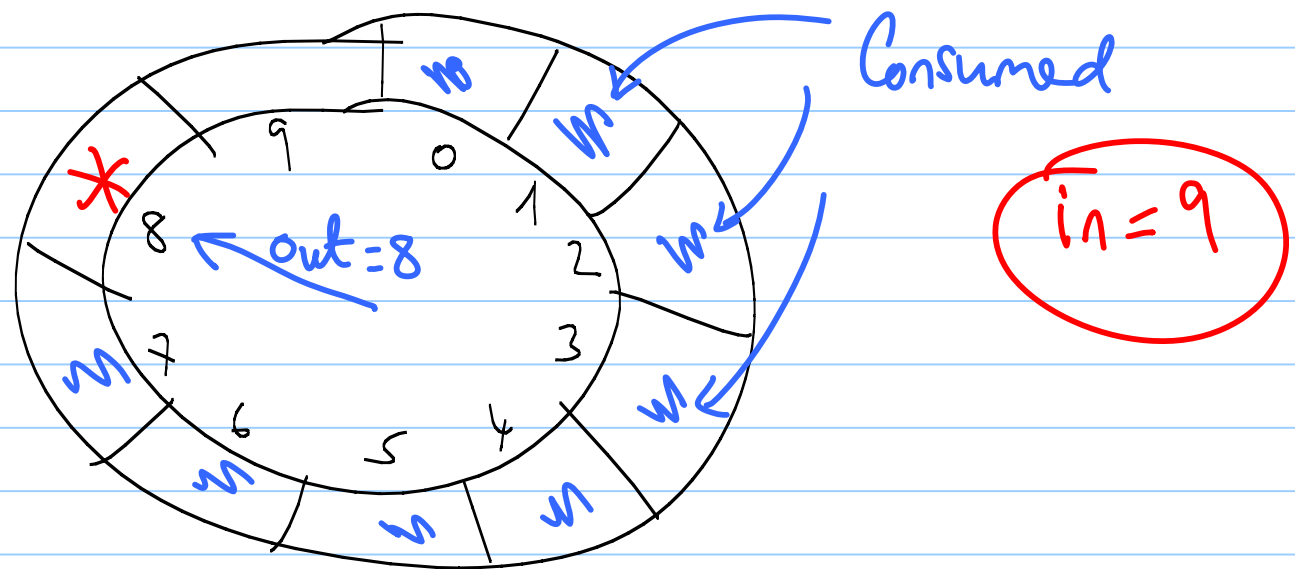
Clearly  $in \neq out \Rightarrow$  skip NULL statement  
 $\Rightarrow$  Go to next statements:

item Consumed =  $buffer[out]$  ; // Consume item<sup>at</sup> 0  
 $out = (out + 1) \% Buffer\_size$

Picture now is as follows:



So, let's consider the case where the Consumer consumes items, 0, 1, 2, 3, ..., 7, and is about to examine item at position 8



At this point our in and out variables are:

in = 9

out = 8

Examine Consumer's While Statement:

while ( in == out )

; // Do nothing (Busy Wait)

Since in = 9 and out = 8  
clearly in  $\neq$  out  $\Rightarrow$  skipped NULL statement

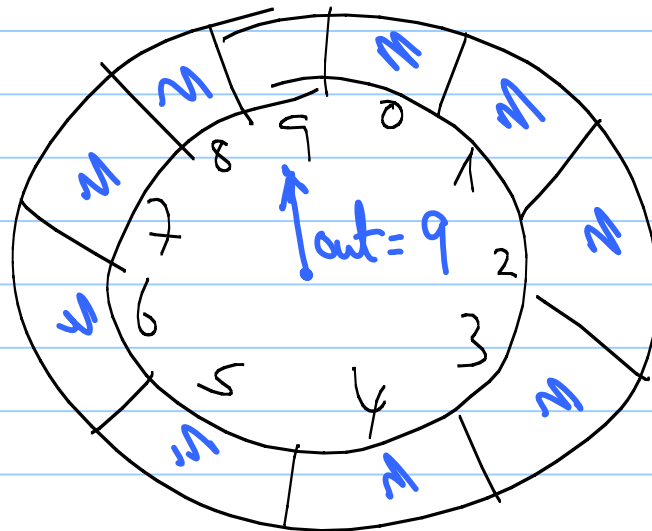
$\Rightarrow$  Go on to next statements:

item Consumed = buffer[8] ;

out = (out + 1) % Buffer-size = (8+1)%10

$\Rightarrow$  out = 9

Picture :



Buffer is empty  
(no items available  
for consuming).



Consumer executes again ...

```
while (in == out)  
    ; // Do nothing
```

$\left. \begin{array}{l} in = 9 \\ out = 9 \end{array} \right\} \Rightarrow in \text{ does indeed} = out$   
 $\Rightarrow \text{Do nothing! " ; " statement}$   
 $(\text{Busy Wait})$ .

## WHAT WE HAVE SHOWN :

- ① The code for Producer & Consumer Processes allows us to fill only  $(\text{Buffer-size} - 1)$  spaces --- (uneconomical / inefficient)
- ② Code prevents Producer and Consumer from accessing the same buffer space at the same time.

③ Producer busy-waits when  $(\text{Buffer\_size} - 1)$  spaces have been filled

④ Consumer busy-waits when the buffer is empty

We say that the Solution is correct because  
the code prevents data inconsistencies.

(code)

