
Scheme EdDSA

The EdDSA signature scheme [Sch91] for $ed25519(\mathbb{G}, q, G, I)$ and hash function H (often Sha512). Signer run holds private key $x \in \mathbb{Z}_2^{[q]}$ and public key $Q \in \mathbb{G}$.

Inputs: m , a message to sign

KeyGen $(\cdot) \dashrightarrow (x, Q)$

- 1: Sample $a \leftarrow \{0, 1\}^{2|q|}$
 - 2: $Q \leftarrow a \cdot G$
 - 3: $x \leftarrow \{a_{(i+|q|)}\}_{i \in [|q|]}$
- return** (x, Q) as the key pair

Sign $(m, x \in \mathbb{Z}_q^*, Q \in \mathbb{G}) \dashrightarrow \sigma$

- 4: $k \leftarrow H(x \parallel m)$ *(Nonce generation)*
 - 5: $R \leftarrow k \cdot G$ *(Commitment)*
 - 6: $e \leftarrow H(R \parallel Q \parallel H(m))$ *(Challenge)*
 - 7: $s \leftarrow (x \cdot e) + k$ *(Signature composition)*
- return** $\sigma = \{R, s\}$ as the signature

Verify $(m, Q \in \mathbb{G}, \sigma = \{R \in \mathbb{G}, s \in \mathbb{Z}_{q^*}\}) \dashrightarrow valid$

- 1: $e' \leftarrow H(G \parallel R \parallel Q \parallel H(m))$
 - 2: $R' \leftarrow s \cdot G + (-e) \cdot Q$
 - 3: Check if $R' \stackrel{?}{=} R$, otherwise **ABORT**.
- return** $valid$
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References

- [Sch91] C. P. Schnorr. Efficient signature generation by smart cards. In *Journal of Cryptology*, 1991.