

Asynchronous Class Activity

1. Basic 2D Line Plot

Problem:

A car accelerates from rest with an acceleration of $a = 2m/s^2$. Plot the velocity of the car over time for $t = 0$ to $10s$

2. Multiple Plots

Problem:

Compare the growth of two plants. Plant A grows $y = 3x + 2$ cm/day, and Plant B grows $y = 2x^2 + 1$ cm/day. Plot both functions for $x = 0$ to 10 days.

3. Subplots

Problem:

Analyze a pendulum's motion. Plot:

1. Displacement $x(t) = A\sin(\omega t)$
2. Velocity $v(t) = A\omega \cos(\omega t)$

Use $A = 5$ m and $\omega = 2$ rad/s for $t = 0$ to $10s$

4. Stem Plot

Problem:

Plot the temperatures ($^{\circ}C$) recorded hourly from 6 AM to 6 PM:

[15,17,19,21,23,25,27,28,27,26,24,22,20]

5. Logarithmic Plot

Problem:

Plot the growth of a bacterial colony that doubles every hour: $N(T) = N_0 \cdot 2^t$, starting with $N_0 = 10$ bacteria for $t = 0$ to 10 hours.

6. Histogram

Problem:

Simulate the test scores of 1000 students with a mean of 70 and standard deviation of 10. Plot a histogram.

7. Box Plot

Problem:

Analyze the height (in cm) of two basketball teams.

Team A: mean=180, std = 6

Team B: mean=190, std=6.ds

Each team has 50 players.

8. Scatter Box Plot

Problem:

Plot the weight (in kg) of 30 fruits with individual data points and a box plot. Use mean=1.2, std=0.2.

9. Bode Plot

Problem:

Plot the magnitude and phase responses of an RC circuit $R = 10k\Omega$, $C = 1\mu F$ over frequencies $f = 1Hz$ to 10^4Hz .

Comprehensive Problem: "Earthquake Monitoring and Analysis"

Scenario:

You are part of a research team studying seismic activities. Over a 24-hour period, you collected the following data from a seismic station:

1. **Seismic signal amplitude (A)** recorded every second for 60 seconds during a minor earthquake.
2. **Energy released (E)** during 10 major tremors over the day.
3. **Sound intensity (L)** recorded hourly from ambient noise.
4. **Frequency response (f)** of the station's sensors to different frequencies.
5. **Magnitude distribution (M)** of 100 earthquakes in a simulated model.
6. **Sensor measurements (X)** from two regions (North and South).

You need to analyze and visualize this data using **all the plotting techniques** listed.

Data:

1. **Seismic signal amplitude (Stem Plot):** $A(t) = \sin(0.1\pi t)$ $A(t) = \sin(0.1\pi t)$, $t = 1, 2, \dots, 60$
2. **Energy released (Logarithmic Plot):** $E \text{ in } J = [10^1, 10^2, 10^3, \dots, 10^{10}]$.
3. **Sound intensity (Logarithmic Plot):** $L \text{ in dB} = [30, 35, 50, 40, 45, 55, 50, 60, 65, 70, 75, 80, 85, 90, 95, 100, 95, 85, 80, 75, 70, 65, 60, 55]$.
4. **Frequency response (Bode Plot):** Sensor transfer function $H(f) = 1 / (1 + j2\pi f RC)$ $H(f) = 1 / (1 + j2\pi f RC)$ with $R = 10k\Omega$ and $C = 1\mu F$, $f = 1\text{Hz to } 10\text{kHz (log-scale)}$.
5. **Magnitude distribution (Histogram):** Generated using Normal Distribution with $\mu = 4, \sigma = 0.5$.
6. **Sensor measurements (Box Plot):** North: Normal Distribution $\mu = 10, \sigma = 2$; South: $\mu = 12, \sigma = 3$.

Instructions:

- **Step 1:** Use a **2D line plot** to visualize seismic amplitude over time.
 - **Step 2:** Use a **stem plot** for discrete seismic amplitude values.
 - **Step 3:** Compare **energy released** (normal plot vs log-log plot).
 - **Step 4:** Analyze **hourly sound intensity** using log-log plot.
 - **Step 5:** Create a **Bode plot** for frequency response.
 - **Step 6:** Use a **histogram** to visualize the magnitude distribution.
 - **Step 7:** Compare **North and South sensor measurements** with a box plot.
 - Use subplots to organize your results effectively.
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