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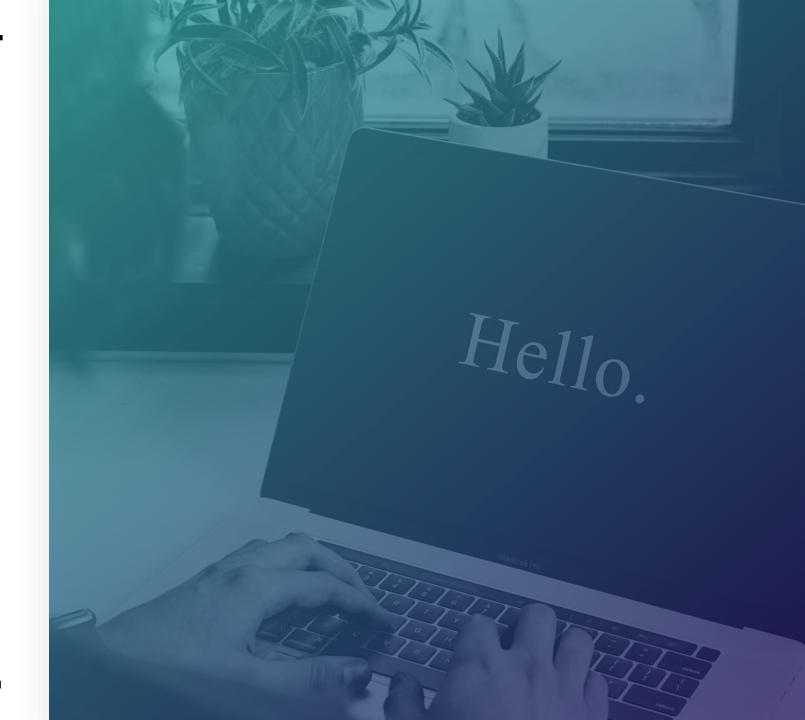
Agenda

1. Theory basics

The causal data science pipeline: 4 stages

2. Practice

Quick tour of application to retail case study in Python



Correlation does not equal causation!

Spurious correlations

Number of shark attacks positively correlated with volume of ice cream sales at sampled beaches over the year



Cannot sensibly interpret these correlations as causation!

Country-wide chocolate consumption positively correlated with Nobel prizes per capita



Correlation vs. Causation

All DS/ Stats/ ML methods: Correlations (or associations)

E.g. regression coefficients, $\widehat{\beta}_i$:

- Associations, incl. spurious. Bias.
- Not causal effect of Xi
- Effects of interventions

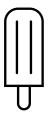


Causal questions require causal methods

Some examples

What is the **effect**, or **impact**, of ...

- This media campaign
- A customer joining a loyalty scheme
- Inflation



e.g. 'What is the effect of advertising this ice cream on its sales?'

... on ...

- Product sales
- Store footfall
- This customers' spend at this retailer

Or, broader questions:

- Why have this product's sales fallen?
- What are the drivers behind, or the factors affecting, product sales?

Other terms used in causal questions:

- Incrementality, Uplift
- Test/Control groups, A/B tests, trials;
 matching

From correlation to causation – what to adjust for?





e.g. 'What is the effect of advertising this product on its sales?'

What to adjust for, to isolate causal effect from spurious correlations?

Many possibly relevant variables, capturing traits of e.g.:

- Product (e.g. price, quality) Seasonality, weather
- Category (e.g. sales) The economy Competing products Consumer atti
- Competing retailers

- Consumer attitudes

If adjust for all / the wrong ones: bias.

→ Graphical Causal methods needed

Data science pipelines comparison

Prediction, \hat{y} **Associational** (Define the problem) DATA. Feature selection **Apply models** e.g. regression, matching Validate models e.g. train/test; k-fold CV; RMSE **Explainability** feature importance

Data science pipelines comparison

Prediction, \hat{y} Causal **Associational** $\widehat{\beta}$ as causal effects **Define the problem** (Define the problem) X, Y, other causes 1. Draw DAG DATA. Data generating process Feature selection 2. Identify effect Remove bias: spurious correl. **Apply models** e.g. regression, matching 3. Estimate on DATA: Apply models (same) Validate models 4. Validate models (same) e.g. train/test; k-fold CV; RMSE + causal: data vs {DAG, estimate} **Explainability - causal Explainability** Baked in feature importance

Causal explanation,

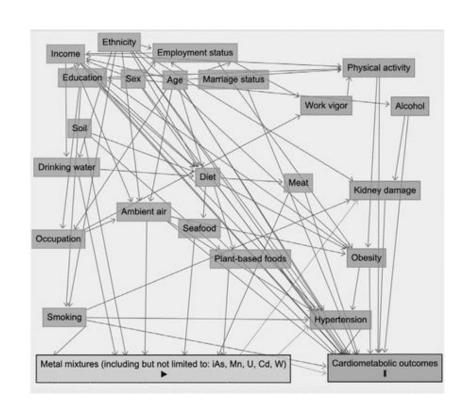
Theory basics:

The causal pipeline, step by step

1. Graphical causal models

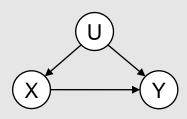
Causal diagrams, Causal Directed Acyclic Graphs (DAGs)

- 'No causes in, no causes out': data alone isn't enough.
- Knowledge / assumptions about data generating process (DGP).
 E.g. domain knowledge, previous studies/ experiments.
- A → B: 'A is a possible cause of B'.
- Absence of arrow from A to B: 'A is definitely not a cause of B'.
 Stronger assumption. E.g. temporal precedence
 - → Create DAG with team & stakeholders. Transparent.
 - → All possible: causal variables (even if not in data); arrows
 - → Complexity okay, reality is complex



1. Graphical causal models - terminology

Causal diagrams, Causal Directed Acyclic Graphs (DAGs)



Join probability distribution

P(y, x, u) = P(u)P(x|u)P(y|x, u)

In the DAG: A → B → C:

A is a *parent* of B, B is a *child* of A.

C is a *descendant* of A, A is an *ancestor* of C.

- Endogenous variable: has parent(s). Otherwise exogenous.
- A path: a sequence of arrows through variables, regardless of arrows' directions.
- Causal DAG: Mathematical object. Joint probability distribution.
 Causal Markov condition ≜ endogenous variables only depend on their parents. Can check vs. data

Some important path & variable types:

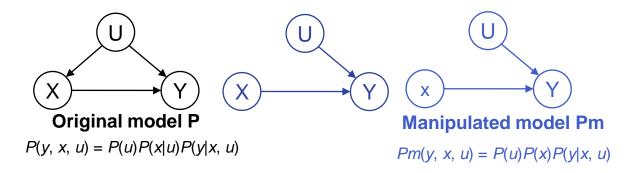
- A \leftarrow B \rightarrow C. B: a **fork** on this path (**common cause**)
- Path A \rightarrow B \leftarrow C. B: a collider

2. Identification: Isolating causal effects

- DAG structure → which variables to adjust for. Pure causal effect of X (the treatment) on Y (the outcome), free from spurious associations (bias)
- Adjusting for, controlling for Z = grouping by/ segregating by/ stratifying on Z
 - Regression: ... on Z (input features: X and Z)
 - Matching: ... on Z
- Adjusting for ALL variables can introduce bias (Berkson's paradox). Rather, use just the right variables.

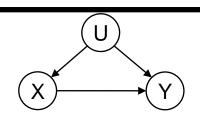
Interventions

- Causal effects: interventions, or surgeries, or manipulations, on the DAG's arrows
- $P(Y=y \mid do(X=x))$. 'The probability (or frequency) that event Y=y would occur, if, hypothetically, X were set to the particular value x through **experimental manipulation** or **intervention**.'
- Performing a surgery on the DAG:
 - Delete all arrows into X,
 - Set X's value to x, and leave the rest of the DAG unchanged.



- ➤ This has resulted in the post-intervention DAG & distribution (Pm).
- Causal effect P(Y=y|do(X=x)) = Pm(Y=y|X=x)
- But in P: backdoor path via U. P(Y=y | do(X=x)) ≠ P(Y=y | X=x). → Need identification step.

2. Identification: Blocking or d-separation



A set of nodes **Z** block or d-separate a path **p** if & only if

i. p contains a <u>chain</u> $i \to m \to j$ or a <u>fork</u> $i \leftarrow m \to j$ such that the middle node m <u>is</u> in set **Z** (i.e. m is conditioned on), or

ii. p contains a collider $i \rightarrow m \leftarrow j$ such that <u>neither</u> the collision node m, nor any

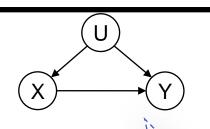
of its descendants, are in set **Z**.

If set **Z** blocks <u>every</u> path between two nodes *X* and *Y*, then X and Y are <u>d-separated</u>, <u>conditional on **Z**</u>, and thus are <u>independent conditional on **Z**</u>.

Treat colliders differently!
Colliders should NOT be
in set Z!

2. Identification: Backdoor criterion

Blocking all backdoor (aka spurious) paths.



 $Z = \{U\}$

A set of variables **Z** satisfies the backdoor criterion relative to **X** and **Y** if:

- i. no node in \boldsymbol{Z} is a descendant of X, and
- ii. \mathbf{Z} blocks every path between X and Y that contains an arrow into X.

Then **Z**: a **sufficient**, **admissible or deconfounding set**.

The **minimal** deconfounding set: the smallest such **Z** that satisfies the backdoor criterion.

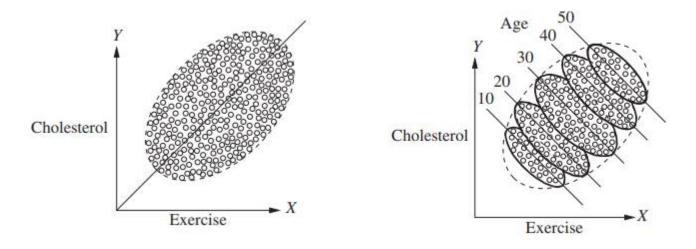
Adjust for deconfounding set **Z**: confounding bias (spurious associations) removed, causal effect *X* on *Y* identifiable from observational data.

Simpson's paradox

Different (even reversed) effect in whole population vs. in subpopulations

Example Question: What is the effect of weekly exercise on cholesterol level?

Opposite trends, depending on whether adjust for (group by) age or not!



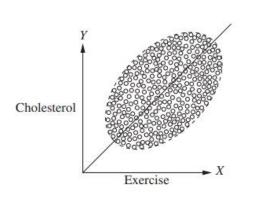
→ Which one gives the right answer?

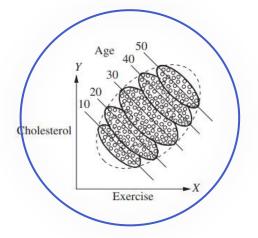
Simpson's paradox

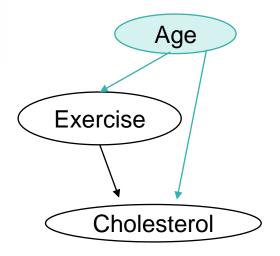
Different (even reversed) effect in whole population vs. in subpopulations

Example Question: What is the effect of weekly exercise on cholesterol level?

CAUSAL SOLUTION







- If know that age is a cause of exercise uptake, & of cholesterol levels, DAG:
- Must adjust for confounders (forks)
 - common causes of X & Y. Minimal set.

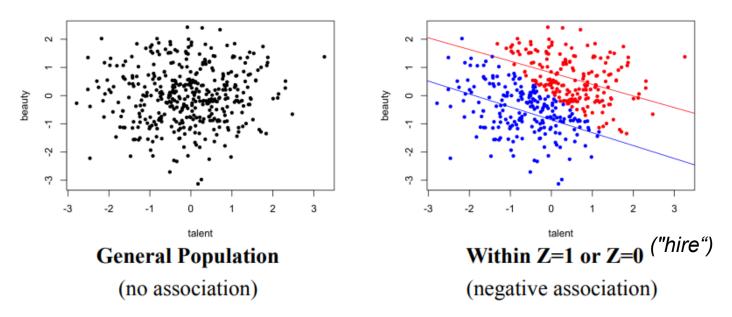
Berkson's paradox

E.g. False
observation of
negative correlation
between two
desirable traits

Example Question:

Are an actor's beauty & talent correlated?

No vs. negative relationship, depending on whether adjust for Hire status!



→ Which one gives the right answer?

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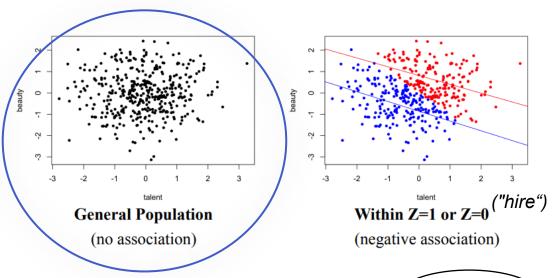
Berkson's paradox

E.g. False observation of negative correlation between two desirable traits

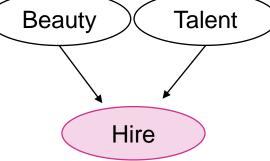
Example Question:

Are an actor's beauty & talent correlated?

CAUSAL SOLUTION



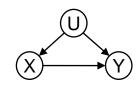
If know that hire depends on beauty and talent, DAG:



Must **NOT** adjust for **colliders** - common outcomes of X & Y or of their causes (M-bias)

Similarly for more paradoxes: Antebellum puzzle, Birth-weight paradox,...

2. Identification - Other estimands: IV, front-door

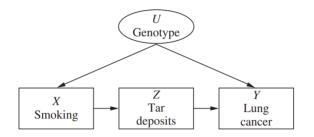


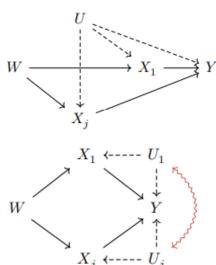
- Value: if any confounder(s) U between X & Y are unmeasured, still identify effect
- Still assume: no further unblocked unmeasured confounding

Instrumental variables (IV), aka surrogate experiments



Front-door criterion



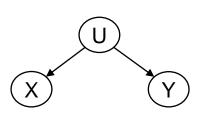


3. Estimation: Key points

- Backdoor estimand:
 - Standard DS estimation models/methods e.g. regression (linear or nonlinear); matching.
 - Regression:
 - Linear: coefficient now causal effect. (if many/ all Xs: run identification on all these).
 - Nonlinear: partial dependence plots, sklearn: Decision Trees, Random Forests, Gradient Boosting. Not 'variable importance' (associational, contrib. to goodness of fit).
 - Other newer estimation methods: e.g. Meta-Learners; Double ML; Doubly Robust Learning; synthetic controls; propensity score matching. Assume unconfoundedness/ must still 1.
 Draw DAG and 2. Identify deconfound
- If found valid IV or front-door estimand. E.g. if linear system: Wald estimator, 2SLS; 2SLS.

4. Validation: Key points

- Causal DAGs have testable implications in the data sets they generate
- Know that the model is wrong, & where it is wrong. Standard stat. tests.
- D-separation in DAG conditional independence in data
 If Z d-separates X from Y, then (X ⊥ Y | Z) (≡ P(Y|X, Z) = P(Y|Z),



DAG: X II Y | U

- → in data: should find no significant dependence between X & Y cond. on U.
- → Else: DAG inconsistent with DGP of dataset. E.g. maybe other path from X to Y, or from Y to X, or other common causes between X and Y.
- + further methods for refuting the final estimate (DoWhy).

Data science pipelines comparison

Causal explanation, **Associational** Prediction, \hat{y} Causal $\hat{\beta}$ as causal effects **Define the problem** (Define the problem) X, Y, other causes New 1. Draw DAG DATA. Data generating process Feature selection 2. Identify effect New but What should/ not adjust for automated **Apply models** e.g. regression, matching 3. Estimate on DATA: Same Apply models (same) Validate models Same + new but 4. Validate models (same) e.g. train/test; k-fold CV; RMSE mostly automated + causal: data vs {DAG, estimate} **Explainability - causal Explainability** Baked in stronger Coeffs / PDP feature importance interp., causal

Transparent,

Explainable,

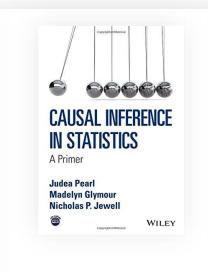
Reliable Al

If you'd like to learn more...

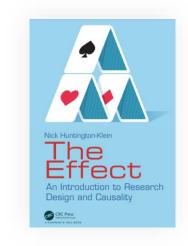
Carlos Cinelli Andrew
Forney, and Judea Pearl
(2022+). "A Crash
Course in Good and Bad
Controls." Sociological
Methods and Research.
[abstract] [preprint]

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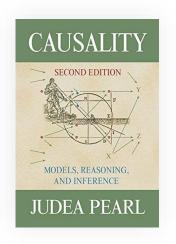
Paper, free online, DAGs, Python code



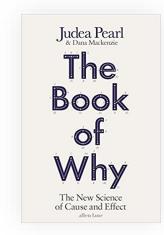
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All free online.
Python & R code
examples



More in-depth textbook



More general audience. Many parts free online

Practice: Applying the causal pipeline to a retail problem

Free open-source causal inference tools



Thank you

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