HIGH T_c CUPRATE SUPERCONDUCTIVITY AND THE PSEUDOGAP PHASE

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Outline

Fermi Surface Via Quantum Oscillations

- -Resonant Ultra Sound (RUS) measurements
- -Phase Diagram and Pseudogap Phase
- -Competing Phenomenon
 - -Charge Density
 - -Spin Density
 - -Mott Insulator
 - -Pseudo Gap
 - -Superconductivity
- -(Cluster) Dynamical Mean Field Theory

In a crystal subject to an applied magnetic field, physical properties oscillate

- -magnetic moments (De Haasvan Alphen effect)
- -resistivity (ShubnikovDe Haas effect)
- -specific heat
- -sound attenuation

These oscillations are due to (electron) Landau Levels

$$\Rightarrow$$
 Quantized cyclotron orbits

$$\Psi(x, y, z) = e^{ik_y y + ik_z z} \phi_n(x - x0)$$

$$x_0 = \frac{\hbar k_y}{m_x}$$

$$x_0 = \frac{my}{m\omega_c}$$

 $\omega_c=qB/m^*\equiv$ electron cyclotron freq.

 $\phi_n \equiv \text{quantum oscillator}$

$$D=Z(2S+1)rac{\Phi}{\Phi_0}\equiv$$
Number in Landau Level

Effective Mass

$$m^* = \hbar/2\pi \frac{\delta A_k}{\delta E}$$

 $A_k \equiv$ momentum (k) space area of cyclotron orbit \Rightarrow k space area is quantized

$$dA_k = 2\pi qB/\hbar$$

Extremal orbits "pop" out

$$\Delta(1/B) = 2\pi q/\hbar A_{\rm ext}$$

FREQ \propto extremal cross sectional area of fs perp to field amptlitude(temp) tells effective mass amplitude(field angle) tells c axis warping decrease warping as overdope -; critical nanoscale phase separation -; no more quantum oscillations no phase separation on cyclotron radius scattering may be what kills on overdoped region photo

Neck/Belly geometry (quasi-2d fermi surface)?

Yamaji angle \equiv max angle at which you still get closed constant energy surface

⇒ unique signal for different FS shapes

FOR BC TETRAGONAL CRYSTAL

Γ line
$$k_f = k_{00} + k_{01}cos(k_z)$$

$$R_w = J_0 \left[(2\pi\Delta F_n/Bcos(\theta)) J_{2n}(k_f ctan(\theta)) \right]$$
X line $k_f = k_{00} + k_{21}sin(2\phi)cos(k_z)$

RUS

Resonant Ultra Sound measurements

$$\sigma_i = C_{i,j}\epsilon_j$$

stress = (elastic tensor) strain, i,j = 1,6
sound velocity $\propto \sqrt{C_{i,j}}$

$$C_{i,j} = \frac{\delta^2 F}{\delta \epsilon_i \delta \epsilon_j}$$

Thermodynamics

$$\Delta F(\epsilon) = F^{sc} - F^{N} = -N(T - T_{c}(\epsilon))^{2}$$

$$\Delta C_{i,j} = -2N \frac{\delta T_{c}}{\delta \epsilon_{i}} \frac{\delta T_{c}}{\delta \epsilon_{j}}$$

$$- \left[2N \frac{\delta^{2} T_{c}}{\delta \epsilon_{i} \delta \epsilon_{j}} + 2 \frac{\delta N}{\delta \epsilon_{i}} \frac{\delta T_{c}}{\delta \epsilon_{j}} + 2 \frac{\delta N}{\delta \epsilon_{j}} \frac{\delta T_{c}}{\delta \epsilon_{i}} \right] (T_{c} - T)$$

$$- \frac{\delta^{2} N}{\delta \epsilon^{2}} (T_{c} - T)^{2}$$

(C)DMFT

- -Quasipartiles \Rightarrow Low energy excitations
- -gapped in SC and PG states -Atomic Transitions \Rightarrow High energy excitations
- -On-site Coulomb repulsion vs electron hopping -Hunds rules -Mott physics

(C)DMFT