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\documentclass[10pt]{article}
\usepackage{setspace}
\usepackage{amsmath,amsfonts,amsthm,amssymb}
\usepackage{color}
\usepackage{fancyhdr}
\usepackage{chngpage}
\usepackage{enumerate}
\usepackage{graphicx}
\usepackage {boxedminipage}
\title{The Euler-Lagrangian of the Ein Concept \LaTeX}
\author{Robert Brothers Mechanical Engineering Student @ UTSA}
\begin{document}
\doublespacing
\footnotesize
\maketitle
\date
\abstract{Using the Denavit-Hartenberg Parameters the Lagrangian of Ein was Calculat
ed to be L}
\section{Question: The Lagrangian}
\subsection{question about the lagrangian}
when i take the derivative of the lagrangian w/ respect to q
do i take the derivative of each q?
and are the dependent on one another?
if i differentiate q_{1}q_{2} with respect to q_{1} what do i get?
\begin{equation}
M_{i} = M_{i}
\begin{bmatrix}
m_{i} & 0 & 0 \\
0 & m_{i} & 0 \\
0 & 0 & m_{i} \\
\end{bmatrix}
\end{equation}
\begin{equation}
I_{b,i} =
\begin{bmatrix}
I_{x} & 0 & 0 \\
0 & I_{y} & 0 \\
0 & 0 & I_{z} \\
\end{bmatrix}
\end{equation}
\begin{equation}
L \& = \& K \& - \& P
\end{equation}
\begin{equation}
\end{equation}
\begin{equation}
J_{i} =
\begin{bmatrix}
J_{v,i} \\
J_{\omega,i}\\
\end{bmatrix}
\begin{bmatrix}
\end{bmatrix}
\end{equation}
\begin{equation}
P \& = \& M_{i}gh \
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= \sum_{i=1}^{n} \sqrt{g}^{T} M_{i} \sqrt{r}_{c,i}
\end{equation}
\section{Results}
\subsection{Denavit-Hartenberg Parameters}
\begin{center}
\begin{tabular}{| 1 | p{1cm} | p{1cm} | p{1cm} | p{1cm} | }
\hline
\label{link_i} $$  Link_{i} & a_{i} & $\alpha_{i}$ & d_{i} & \\ theta_{i}$ \ \ \ \\ hline
1 & 0 & $\frac{\pi}{2}$ & L_{t} & $\theta_{t}$ \\ \hline 2 & 0 & 0 & L_{s} & 0 \\ \hline
\end{tabular}
\end{center}
\subsection{Jacobian}
\subsubsection{Jacobian of Link One's Center of Mass}
\begin{equation}
J_{1} = 
\left[\begin{matrix}
0.5 l_{1} \sin{\left (q_{1} \right )} & 0\\ - 0.5 l_{1} \cos{\left (q_{1} \right )} & 0\\
0 & 0\\
0 & 0\\
0 & 0//
1 & 0
\end{matrix}\right]
\end{equation}
\subsubsection{Jacobian of Link Two's Center of Mass}
\begin{equation}
J_{2} = 
\left[\begin{matrix}
0 & 1.0 \sin{\left (q_{1} \right )}\\
0 & - 1.0 \cos{\left (q_{1} \right )}\\
1 & 6.12323399573677 \cdot 10^{-17}\\
0 & 0\\
0 & 0//
0 & 0
\end{matrix}\right]
\end{equation}
\subsection{Lagrangian Results}
\begin{equation}
\begin{align}
\tilde{k} = 0.5 \text{ g } 1_{1} \text{ m}_{1} \sin{\left(\frac{q}{1}\right)} + \text{g m}_{2} \left(0.5 \frac{1}{2}\right) 
&\qquad + 1.0 q_{2}\right) \cos{\left (q_{1} \right )} + 0.5 m_{2} \dot{q}_{2} \left (6.12323399573677 \cdot 10^{-17} \dot{q}_{1} \nonumber\\ &\qquad + 1.0 \dot{q}_{2}\right) + 0.5 \dot{q}_{1} \left(6.12323399573677 \cdot 10^{-17} m_{2} \dot{q}_{2}\nonumber\\ &\qquad + \dot{q}_{1} \left(0.25 1_{1}^{2} m_{1} + 1.04719755119713 m_{1} r_{1}^{2} \arguments
nonumber\\
\alpha + 1.0 m_{2}\right) \
\end{align}
\end{equation}
\subsection{Torque: Derived from the Lagrangian}
\begin{equation}
\begin{align}
\lambda_{k} = -0.5 \text{ g l}_{1} \text{ m}_{1} \cos{\left(q_{1} \right)} + \text{g m}_{2} \left(0.5 l_{2} \right)
}\nonumber\\
\alpha + 1.0 q_{2}\right) \sin(\left(q_{1} \right) - 1.0 g_{2}\right) \cos(\left(q_{1} \right) - 1.0 g_{2} \cos(\left(q_{1} \right))
1 \right ) \nonumber
\& qquad + 1.0 m_{2} \dot{q}_{2} + \dot{q}_{1} \left(0.25 l_{1}^{2} m_{1}\nonumber)
\alpha = 1.04719755119713 m_{1} r_{1}^{2} + 1.0 m_{2} right
\end{align}
\end{equation}
\end{document}
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