Practicing T-test in R

Part 2: 2-sample and paired t-tests

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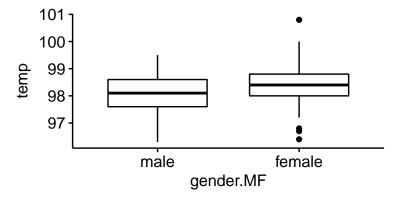
Outline

- Part 2: 2-sample t-test & paired t-test
- Question 2: Is the mean human body statistically different from 98.6?
- Question 3: How do Male & Female Body Temps compare?
- Question 4: How is a paired t-test similar to a 1-sample t-test?
- OPTIONAL: Question 5: What is the relationship between resting heart rate & body temperature

Question 3: How do Male and Female Body Temps compare?

Graph 3: How do males and female compare?

An excellent way to compare data that is in two groups (eg male and female) is with a boxplot



We can code by the color of the lines like this using color =

And we can change the fill using fill (note, only do color or fill, not both)

We can improve the labels using xlab and ylab

Boxplots tell us a lot about the data, but they can be further improved by overlaying the raw data. We can do this in ggpubr using add = "jitter"

OPTIONAL: OLD SCHOOL - boxplot

```
boxplot(temp ~ gender.MF, data = bodytemp)
```

Evaluting the graphs

Males appear to have a lower median temp than female. Is this biologically based or could this difference just be due to chance (eg, just b/c we have a small sample)?

2-sample t-test

- We can assess this using a 2-sample t-test.
- Before, we had all the data pooled together, hence we did a "1-sample" test.
- Now we are splitting the data into two groups and therefore its a two sample test
- Two sample tests probably the most common type of t-test
- Therefore, if someones says that they did a t-test, the probably mean a 2-sample test
- For a 2-sample test we don't specify "mu"
- We specify the test using the equation notation just like the boxplot, using the tilde symbol (~)

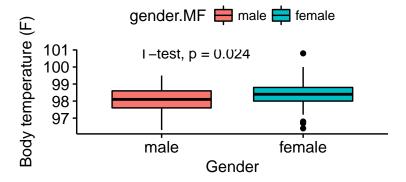
```
##
## Welch Two Sample t-test
##
## data: temp by gender.MF
## t = 2.2854, df = 127.51, p-value = 0.02394
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## 0.03881298 0.53964856
## sample estimates:
## mean in group female mean in group male
## 98.39385 98.10462
```

- What does this test indicate about male and female body temp?
- Female body temp is higher is it closer to 98.6?

Plotting the 2-sample t-test

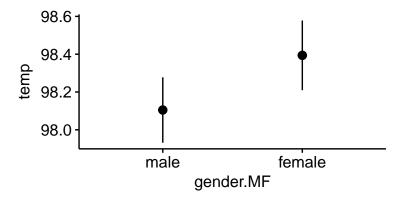
Plot boxplots w/ p value

ggpubr has a cool feature for adding p-values to plots called stat_compare_means(). Remember the "+" between ggboxplot() and stat_compare_means()!



Plot means and error bars

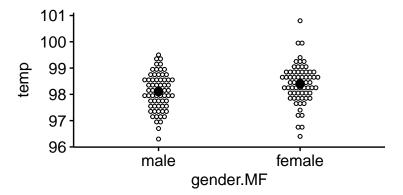
We can quickly plot means and error bars using ggerrorplot(). The default is to plot means with error bars based on the standard error; we'll change this to 95% CIs by setting desc_stat = mean_ci



Note that the error bars overlap a fair bit, even those the t-test gives us a value of p < 0.05.

Plot means, error bars and raw data

A create type of plot is a "beeswarm plot", which ggpubr just calls a "dotplot". We can use add = "mean_ci" to add the means and CIs. Note how tiny the CIs are relative to the full range of the data.



For comparison, change it to add = mean_sd. What do you notice?

The SD is a measure of the variation in the data, while the SE/95% CI is a measure of how precisely we have measured the mean. Here, the SD bars are wide b/c there is a lot of variation in the data, but the 95% CI are narrow b/c the sample size is pretty big.

Question 5: How is a paired t-test similar to a 1-sample t-test?

- A paired t-test is a very common type of t-test
- A common type of pairing is before and after a treatment occurred
- A paired treatment can be set up a couple different ways in R
- Mathematically, a paired t-test is similar to a 1-sample t-test.
- With a paired t-test we are not interested in whether the overall means of each group or time point (ie before, after) are different
- We are interested in whether the difference between each pair of measurements is consistently different from zero
- A paired t-test is therefore equivalent to a 1-sample t-test where the population parameter $\mathbf{m}\mathbf{u} = \mathbf{0}$

Simulate data

• We will look at paired t-tests with some fake data.

- I've simulated some data representing a person's body temp before the experimental treatment occurred (before)
- I've also simulated body temps after a stress treatment occurs (stressed)
- The hypothesis (Ha) is that being stressed changes your body temp.
- The null hypothesis (Ho) is that there is no consistent impact of stress on body temp.
- That is, while some peoples body temp goes up after the treatment, other people's go down, and on average the change in temp is about 0.
- (NOTE: I intentionally made the means to be different, so the difference is not surprising!)

Simulate fake paired data

This code makes the fake data; ignore it

```
# ignore this
# lm.out <- lm(temp ~ heartrate, data = bodytemp)
# temp.orig <- simulate(lm.out, seed = 100)
# temp.stress <- simulate(lm.out, seed = 101) + 0.5+ rnorm(length(bodytemp), mean = 0, sd = sd(bo # new.bodytemp <- data.frame(before = temp.orig$sim_1,stressed = temp.stress$sim_1)
# write.csv(new.bodytemp, "fake_paired_temp_data.csv",row.names = F)</pre>
```

Load the fake paired temp data

Follow the steps use previously to load the data. I'm going to use the command read.csv(), but you can do it however you want.

```
new.bodytemp <- read.csv(file = "fake_paired_temp_data.csv")</pre>
```

Calculate the difference between "before"

- We can do some simple math to calculate the difference between before and after
- we use the dollar sign (\$) to select the columns we want

```
difference1 <- new.bodytemp$before - new.bodytemp$stressed
```

We can add this to our dataframe like this

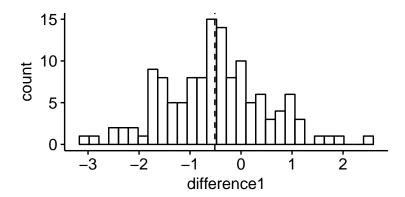
```
new.bodytemp$difference1 <- difference1</pre>
```

Note that we could do this all in 1 step if we wanted. Lets flip the order of the values.

```
new.bodytemp$difference2<- new.bodytemp$stressed - new.bodytemp$before
```

Visualize difference

Look at distribution of differences



What is the mean represent?

OPTIONAL - OLDSCHOOL

```
hist(new.bodytemp$difference1)
```

1-sample t-test on difference

- We'll complete the paired t-test process by conducting a 1-sample test, setting mu = 0.
- We are therefore testing the hypothesis that the average **difference** between before and stressed is greater than zero

```
##
## One Sample t-test
##
## data: new.bodytemp$difference1
## t = -5.8386, df = 129, p-value = 4.032e-08
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
## -0.6877954 -0.3396314
## sample estimates:
## mean of x
## -0.5137134
```

What's the difference between these two results?

- Our 1st difference column difference 1 was calculated as "new.bodytempbefore-new.bodytempstressed"
- This is, "before" "stressed"
- Our 2nd difference column difference 2 was calculated as " new.bodytempstressed-new.bodytempbefore"
- That is, "stressed before"

Both of these columns contain equivalent data, just the signs (pos or neg) are different depending on what gets subtracted from what

```
#raw data
mean(new.bodytemp$difference1)
```

```
## [1] -0.5137134
```

The results are the same in terms of the p-value but different in other ways. Can you spot the differences? There are 2 (2 types of differences, 3 numbers that are different)

Paired t-test the normal way

- Its actually not necessary to calculate the difference the t.test function can do it on the fly.
- To do things directly, give t.test() two things: the before column and the stressed column
- then, tell t.test() "paired = TRUE"
- This tells t.test() that the two columns of data are directly paired; that is, each row of data contains two numbers that are paired.

OPTIONAL Question 5: Introducing scatter plots by considering the relationship between resting heart rate & temp

Making a scatterplot

There might be some relationship here. We could explore this further if we wanted with linear regression.

OPTIONAL-OLDSCHOOL: Making a scatterplot using plot()

```
plot(temp ~ heartrate,data = bodytemp)
```

Males vs. Female

Do male and females have different relationships between resting hear rate and body temp?

The patterns appear to be similar. We could explore this further with multiple linear regression.

OPTIONAL-OLDSCHOOL

Subset the data by males and females

```
males <- subset(bodytemp, gender.MF == "male")
females <- subset(bodytemp, gender.MF == "female")</pre>
```

Plot males and females separately

```
par(mfrow = c(1,1))
#set xlims
xlims <- c(min(bodytemp$heartrate), max(bodytemp$heartrate))
plot(temp ~ heartrate, data = males, xlim = xlims)
points(temp ~ heartrate, data = females, col = "green")</pre>
```

Appendices

Appendix 1: Code to rebuild the data from scratch

This code allows you to re-build the data without loading any data.