

# Reporting statistical result from a 2-sample t-test

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## Introduction

This vignette shows an example of reporting the results from a 2-sample t-test using data on the impact of invasive trout on salmon survival. The data are originally from Levin et al (2002) are used in an example in chapter 12 of Whitlock & Schuller 2nd. See `?brook_trout_ABD` for more details.

## References

Levin et al. 2002. Non-indigenous brook trout and the demise of Pacific salmon: a forgotten threat? PRSB 269. DOI: 10.1098/rspb.2002.2063

## Outline of tasks

- Load the data into R
- Create a boxplot of the raw data
- State the relevant statistical null ( $H_0$ ) and alternative ( $H_a$ ) hypotheses
- Carry out an appropriate t-test
- Report the appropriate results in a full sentence as it would appear in a report or scientific paper

## Dataset up

The data are available in the `wildlifeR` package and can be loaded using `data(wildlifeR)`. Note that if you use the dataframe in `wildlifeR` you have to calculate the survival rate by hand. I will remake the data by hand as an example of making a simple dataframe.

The following code contains the essential parts of the dataframe: a column for the survival rate and for whether brook trout are present or absent.

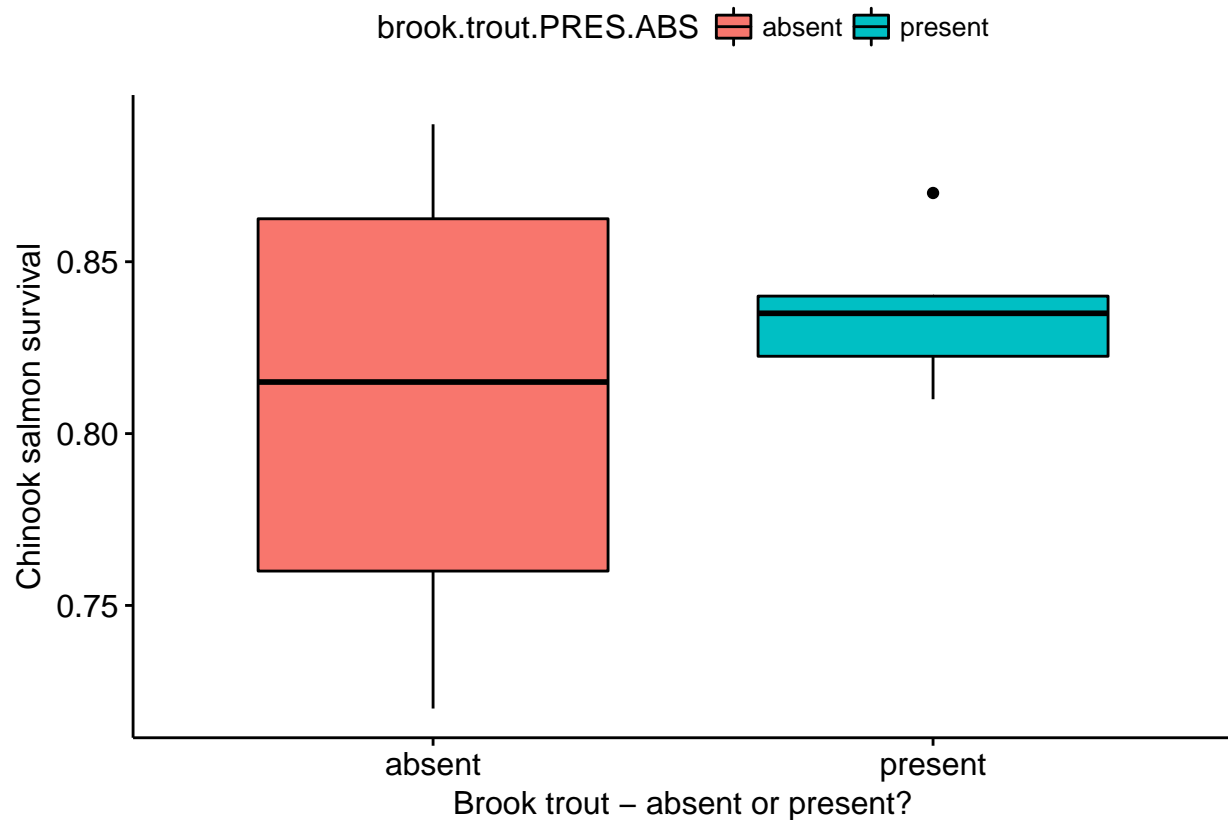
```
salmon <- data.frame(survival = c(0.83,0.87,0.82,
                                0.84,0.81,0.84,
                                0.72, 0.84,0.75,
                                0.79,0.89,0.87),
                    brook.trout.PRES.ABS =
                      c("present", "present", "present",
                        "present", "present", "present",
                        "absent", "absent", "absent",
                        "absent", "absent", "absent"))
```

## Plot raw data

I'll make a boxplot of the raw data using the `ggboxplot()` function from the package `ggpubr`, which contains wrappers that extend `ggplot2`. Be sure to download and install these packages if needed.

```
#library(ggplot2)
library(ggpubr)

ggboxplot(data = salmon,
  y = "survival",
  x = "brook.trout.PRES.ABS",
  fill = "brook.trout.PRES.ABS",
  xlab = "Brook trout - absent or present?",
  ylab = "Chinook salmon survival")
```



## The hypotheses

The null ( $H_0$ ) and alternative hypotheses ( $H_a$ ) are as follows:

- $H_0$ : The survival rates of Chinook salmon are the same whether brook trout are present or absent
- $H_a$ : The presence of brook trout changes survival rates of salmon.

## Do t-test

```
t.test(survival ~ brook.trout.PRES.ABS,
  data = salmon)
```

```
##
## Welch Two Sample t-test
```

```
##
## data: survival by brook.trout.PRES.ABS
## t = -0.86344, df = 5.9267, p-value = 0.4215
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -0.09606084 0.04606084
## sample estimates:
## mean in group absent mean in group present
## 0.810 0.835
```

## Report the results

For the real data, the results could be reported like this: “There was no evidence that the mean survival of salmon when brook trout are present (mean = 0.81) is different than when brook trout are absent (mean = 0.84; 2-sample t-test:  $p = 0.44$ ,  $t = 0.82$ ,  $n = 12$  streams,  $df = 6$ ).”

Normally I would also report the standard errors (SE) around the means, but for this exercise we will ignore it.

## Alternative results

What if the results really looked like this?

```
##
## Welch Two Sample t-test
##
## data: fake.surv by salmon$brook.trout.PRES.ABS
## t = 3.5938, df = 5.725, p-value = 0.01241
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## 0.03173718 0.17227394
## sample estimates:
## mean in group absent mean in group present
## 0.8142305 0.7122249
```

The results could be reported like this: “Survival of chinook salmon in streams where brook were present (mean = 0.71) was significantly lower than when brook trout were absent (mean = 0.81) with a mean difference of 0.10 (95% CI: 0.03-0.17; 2-sample t-test  $p = 0.012$ ,  $t = 3.6$ ,  $n = 12$  stream,  $df = 5.73$ )”