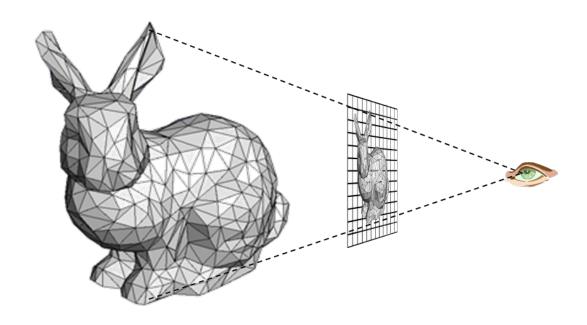


3D Graphics and Visualization

Professor Eric Shaffer



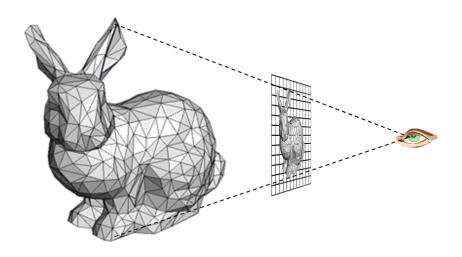
Understanding Real-time Rendering



- 3D surfaces are modeled with triangle meshes
- Each triangle is projected to 2D
- Each triangle is rasterized into pixels
- Each pixel is shaded according to some model



What Questions to Ask?



- What determines how performant an application is?
- What visual artifacts of the rendering process impact visualization?
 - Projection
 - Shading
 - Hidden surface removal



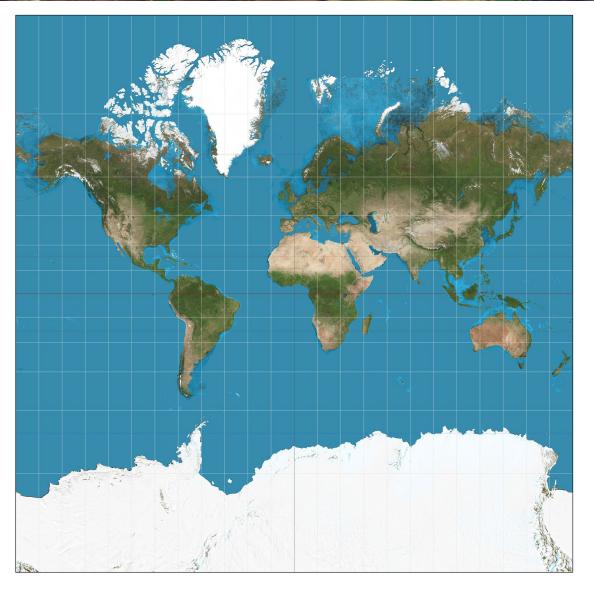
Performance

- Complicated issue
- Number of triangles in surface model often the key factor
 - Fewer triangles = faster rendering





Projections and Distortion



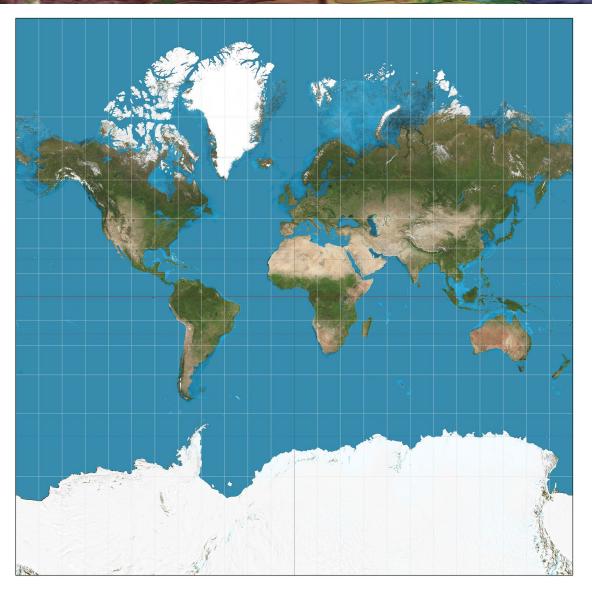
Mercator Projection

- Developed by Gerardus Mercator in 1569
- Lines of constant bearing are straight lines on map.
- Revolutionary for naval navigation
 - Easily plot a course of constant bearing between 2 locations
 - Just maintain a heading using a compass
 - Avoids repeated course corrections to new heading

A constant bearing means maintaining a constant angle between the direction of navigation and true north. A **rhumb line** is a course of constant bearing...it will cross lines of longitude at the same angle and spiral into the pole



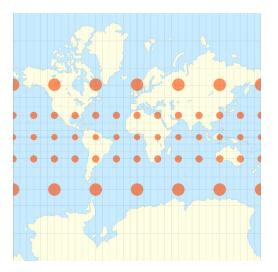
Mercator Projection



Excellent for the task of navigation

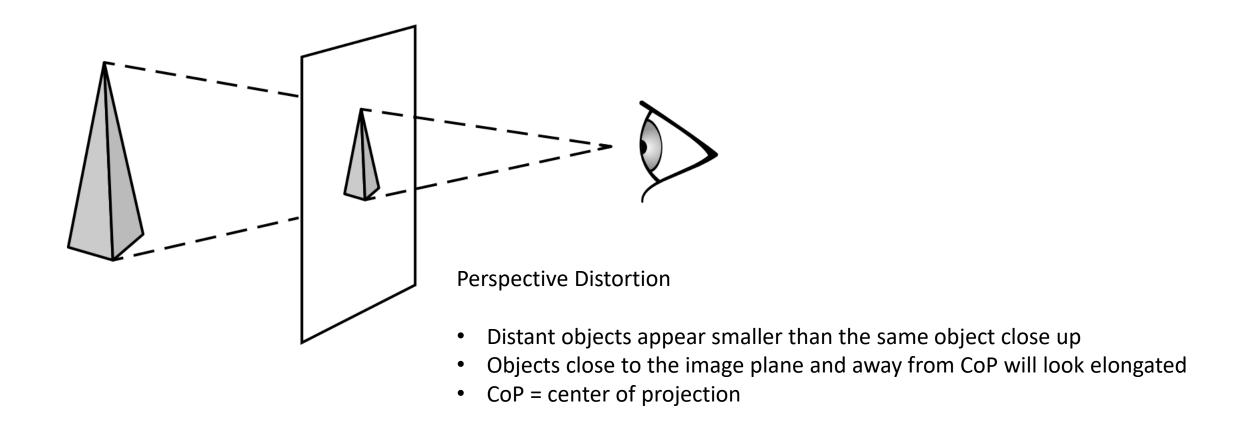
Poor for the task of comparing relative areas

- Africa is actually 14 times larger than Greenland
- Areas farther from the equator appear larger
- Circles on the indicatrix show relative distortion



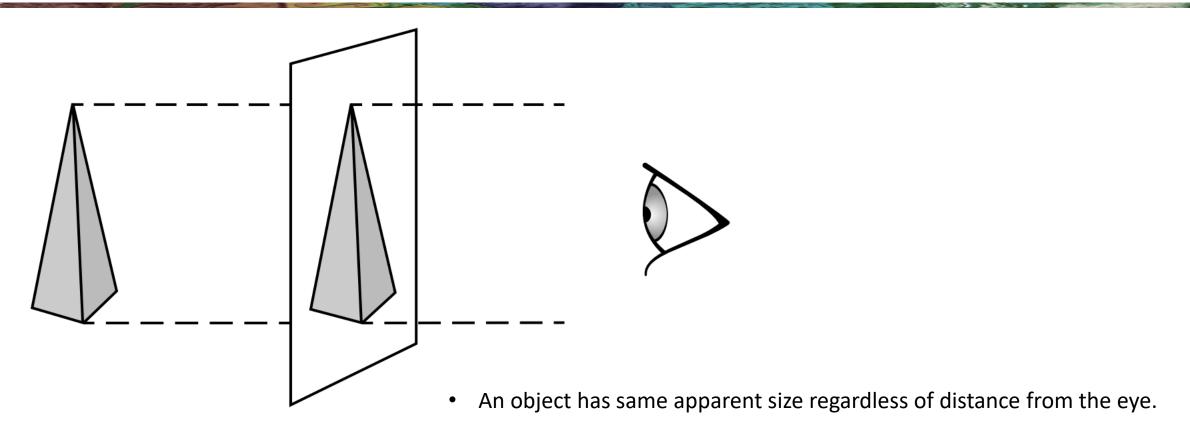


Perspective Projection





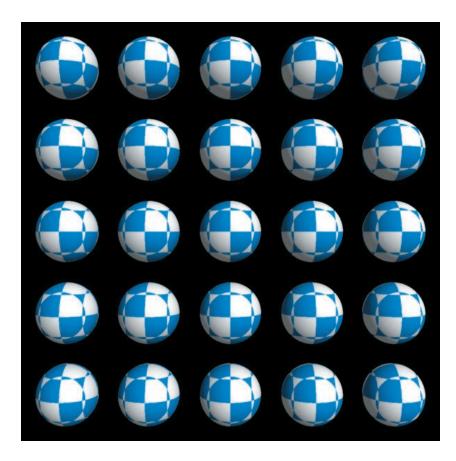
Orthographic Projection



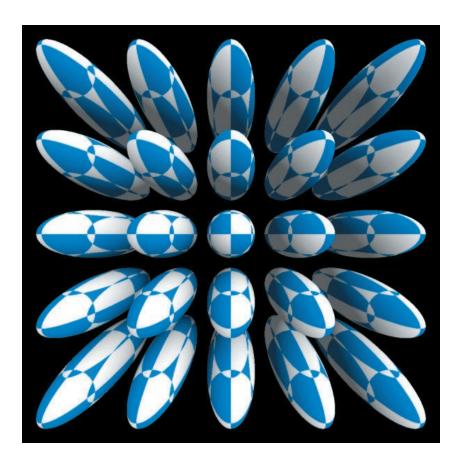
Foreshortening can still occur if object is angled away from eye



Projections and Distortion



Orthographic Projection



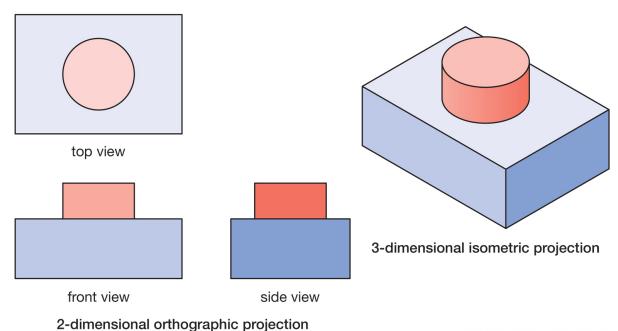
Perspective Projection



Orthographic Projection for Engineering

If comparing lengths is important for application, consider orthographic

Orthographic and isometric projections of an object



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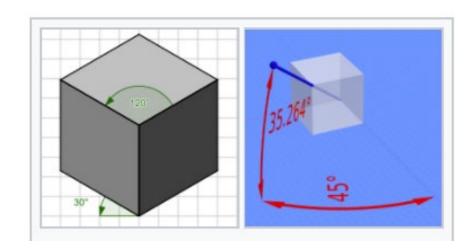
Isometric Projection

Isometric projections are commonly used in technical drawings and some computer game graphics.

In an isometric projection the three axes appear 120° from each other and are equally foreshortened.

It can be achieved by:

- 1. rotating an object 45° around the vertical axis (Y)
- 2. rotating ~35.3° () through the horizontal axis (X)
- 3. projecting orthographically onto XY plane



There are actually 8 different orientations that could be used to achieve an isometric projection.

Gives the impression of 3D but relative lengths are preserved.



Isometric Projection in Art

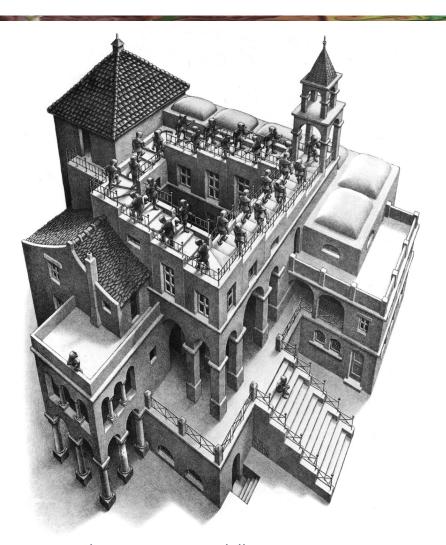
Used to generate 3D perspective in Chinese and Japanese art

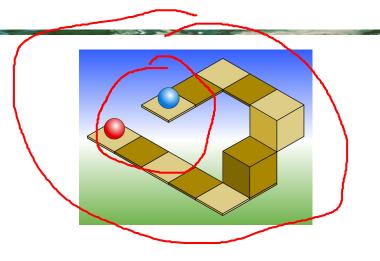


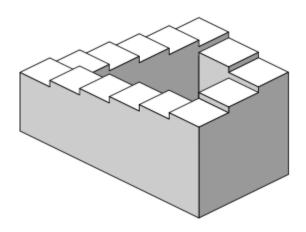
The "Qing Court Version" of *Along the River During the Qingming Festival* (清院本清明上河圖) an 18th-century remake by Chen Mei, Sun Hu, Jin Kun, Dai Hong, and Cheng Zhidao



Isometric Projection in Art





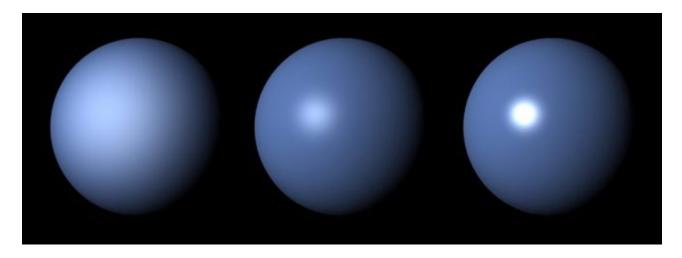




It can easily generate optical illusions

Since objects different depths project to the same size you cannot judge distance effectively

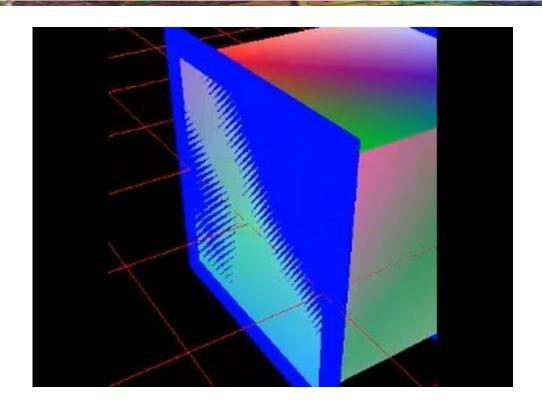
Shading and Visualization



Be aware of the impact of shading on visualization

- Important 3D visual cue
 - Especially diffuse shading in Blinn-Phong
- Was non-white light used?
 - Can change the rendered color of the surface
- Too much ambient light can wash away details
 - Too little can leave structures too dark





Can occur when 2 surfaces are co-planar or close to co-planar

The "Z" refers to depth...distance from the camera

The rendering engine inconsistently determines which surface is closest

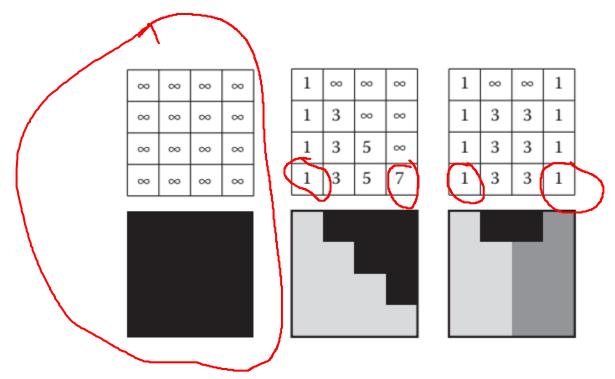
Why?



Each fragment has a z-value (positive depth from camera)

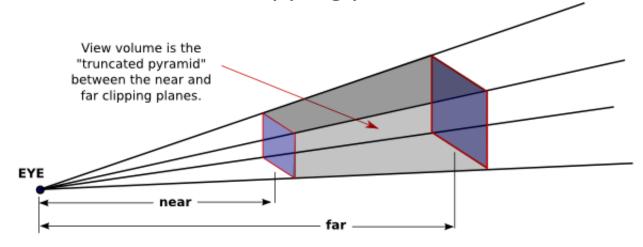
Hidden surface removal compares the z-values of fragments at same screen location

Fragment with least z-value is retained





Depths from the camera lie in the range [n, f]
n is the positive distances to the near clipping plane
f is the positive distance to the far clipping plane



To simplify things, assume depths are positive integers {0,1,...B-1}

Map n to 0 and f to B-1 \rightarrow each integer in our range corresponds to a bucket of depth $\Delta z = \frac{f-n}{R}$



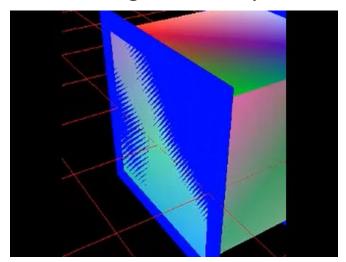
To simplify things, assume stored depths are positive integers {0,1,...B-1}

Map n to 0 and f to B-1 \rightarrow each integer in our range corresponds to a bucket of depth $\Delta z = \frac{f-n}{B}$

If you render a scene in which surfaces have a separation of 1 m, if $\Delta z < 1$ then there should be no z-fighting

If the separation is less than the bucket depth...you can have z-fighting

- Cannot determine which surface is closest
- Rounding errors may switch which surface is chosen as closest in different parts of the scene

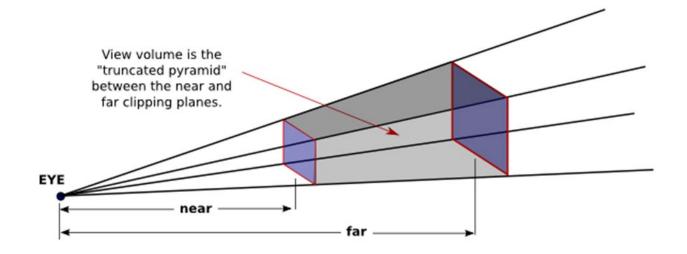




Some fixes for z-fighting

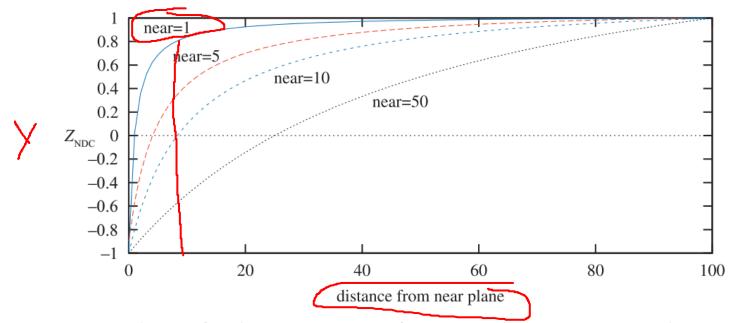
- Move the near and far planes closer together
- Move surfaces apart

$$\Delta z = \frac{f - n}{B}$$





In actuality, bucket sizes will vary by depth due to perspective projection



Here, f-n = 100 and each distance in the range is mapped into [-1,1]

- Cannot choose **n**=0 as that results in an infinitely large bucket
- Larger bins at greater depths
 - Ability to do hidden surface removal degrades with distance

