

Paper Presentation

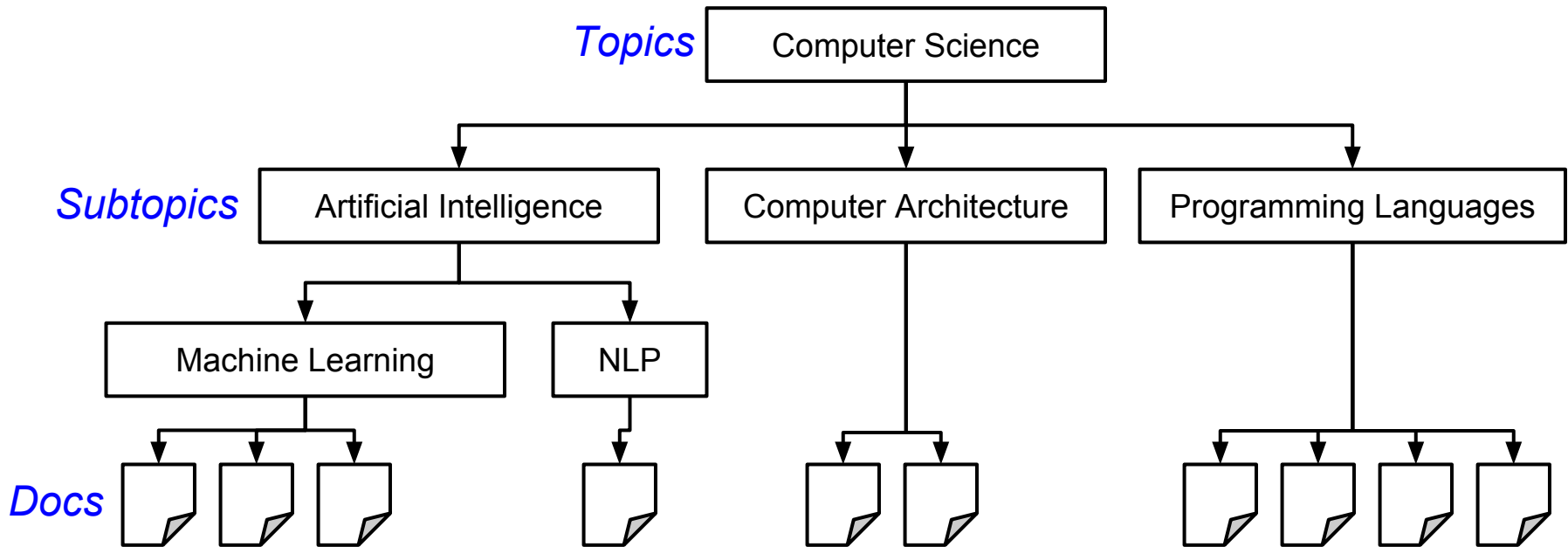
Hierarchical Document Clustering Using Frequent Itemsets

(B. Fung, K. Wang, and M. Ester. *SDM* 2003)

Presenters: Deyuan Guo, Elaheh Sadredini
CS@UVa. March 28, 2016

- Background
- The Frequent Itemset-based Hierarchical Clustering (FIHC) Approach
- Experimental Results

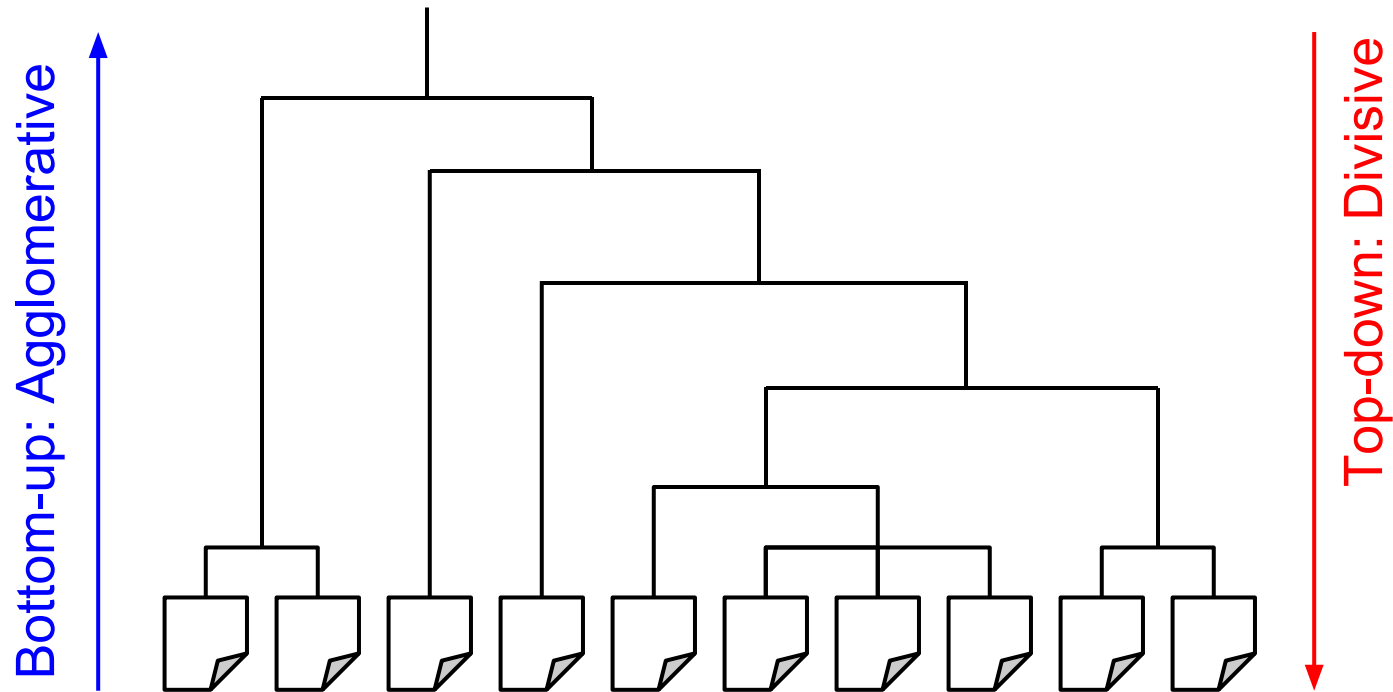
➤ Hierarchical Document Clustering



➤ Challenges in hierarchical document clustering

- High dimensionality
- High volume of data
- Consistently high clustering quality
- Meaningful cluster description

➤ Two types of hierarchical document clustering



UPGMA (Unweighted Pair Group
Method with Arithmetic Mean)
(Kaufman and Rousseeuw, 1990)

Bisecting K-means
(Steinbach, Karypis,
and Kumar, 2000)

- Frequent itemset-based approaches
 - Previous work: Document clustering using **frequent itemsets**, by Wang et al., 1999. (No hierarchy)
 - Previous work: Hierarchical Frequent Term-based Clustering (**HFTC**), by Beil, Ester, and Xu, 2002. (Greedy heuristic, not scalable)

- Today's topic: Frequent Itemset-based Hierarchical Clustering (**FIHC**)
 - **Cluster-centered**: Measure the similarity of clusters directly using frequent itemsets
 - **Overcome many challenges**: High dimensionality; Scalability; Meaningful cluster description; Accuracy; etc.

- Stopword removal
- Stemming
- Vector model (TF × IDF)

Doc 1: apple = 5, boy = 2, cat = 7

Doc 2: apple = 4, window = 3

Doc 3: boy = 3, cat = 1, window = 5

	apple	boy	cat	window
Doc 1	5	2	7	0
Doc 2	4	0	0	3
Doc 3	0	3	1	5

Global frequent itemset

Global support

Global frequent item

Cluster frequent item

Cluster support

	apple	boy	cat	window
Doc 1	5	2	7	0
Doc 2	4	0	0	3
Doc 3	0	3	1	5

Global frequent itemset

Global support = 60%

Global frequent item

Cluster frequent item

Cluster support

	apple	boy	cat	window
Doc 1	5	2	7	0
Doc 2	4	0	0	3
Doc 3	0	3	1	5

Global frequent itemset

Global support = 60%

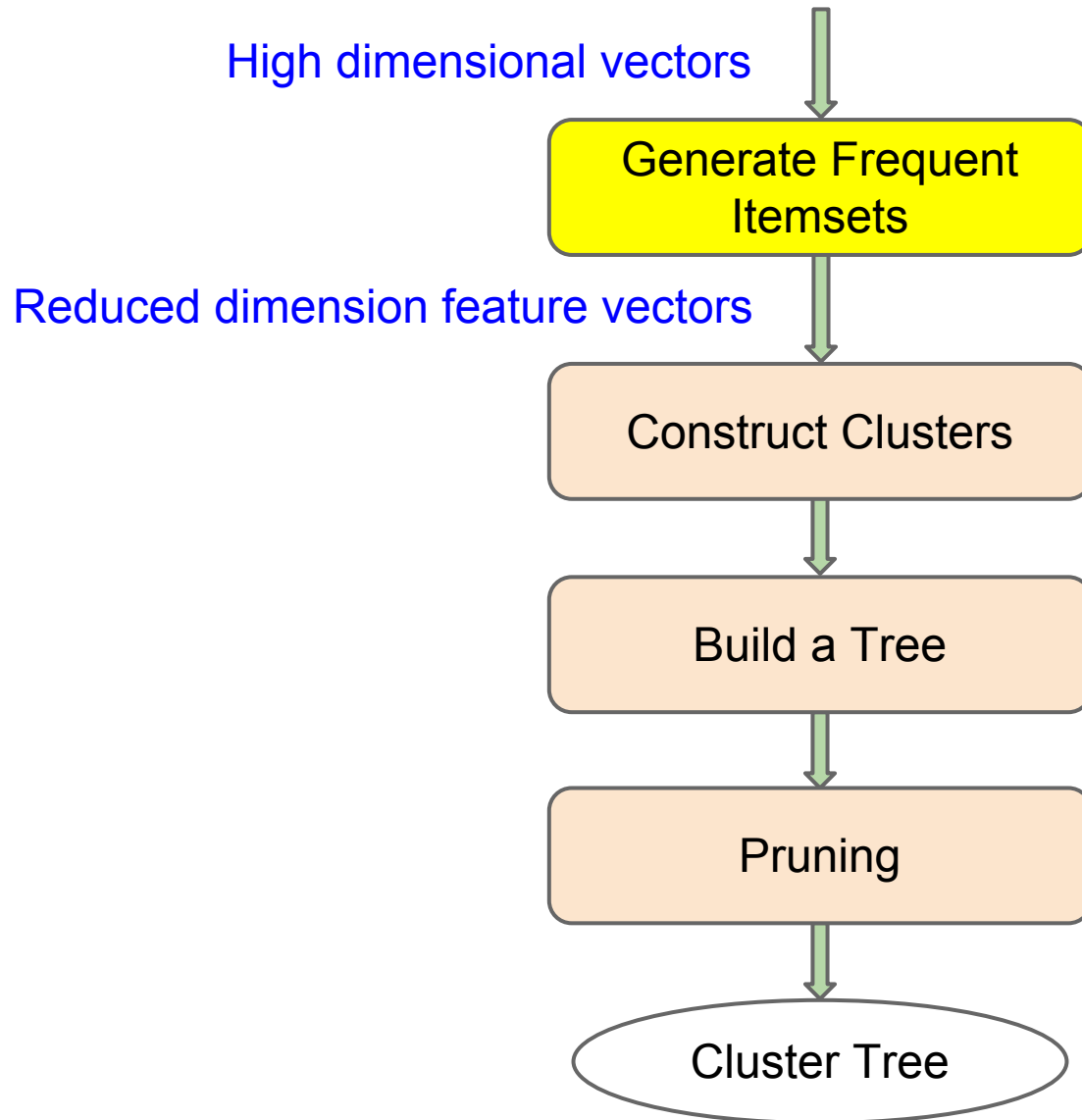
Global frequent item = boy or cat

Cluster frequent item

Cluster support

	apple	boy	cat	window
Doc 1	5	2	7	0
Doc 2	4	0	0	3
Doc 3	0	3	1	5

FIHC Algorithm Overview



FIHC - Generate Frequent Itemsets

	apple	boy	cat	window
Doc 1	5	2	7	0
Doc 2	4	0	0	3
Doc 3	1	3	1	5
Doc 4	8	0	2	0
Doc 5	5	0	0	3

Minimum support = 60%

Frequent itemsets: {apple}, {cat}, {window}, {apple, window}

FIHC - Generate Frequent Itemsets

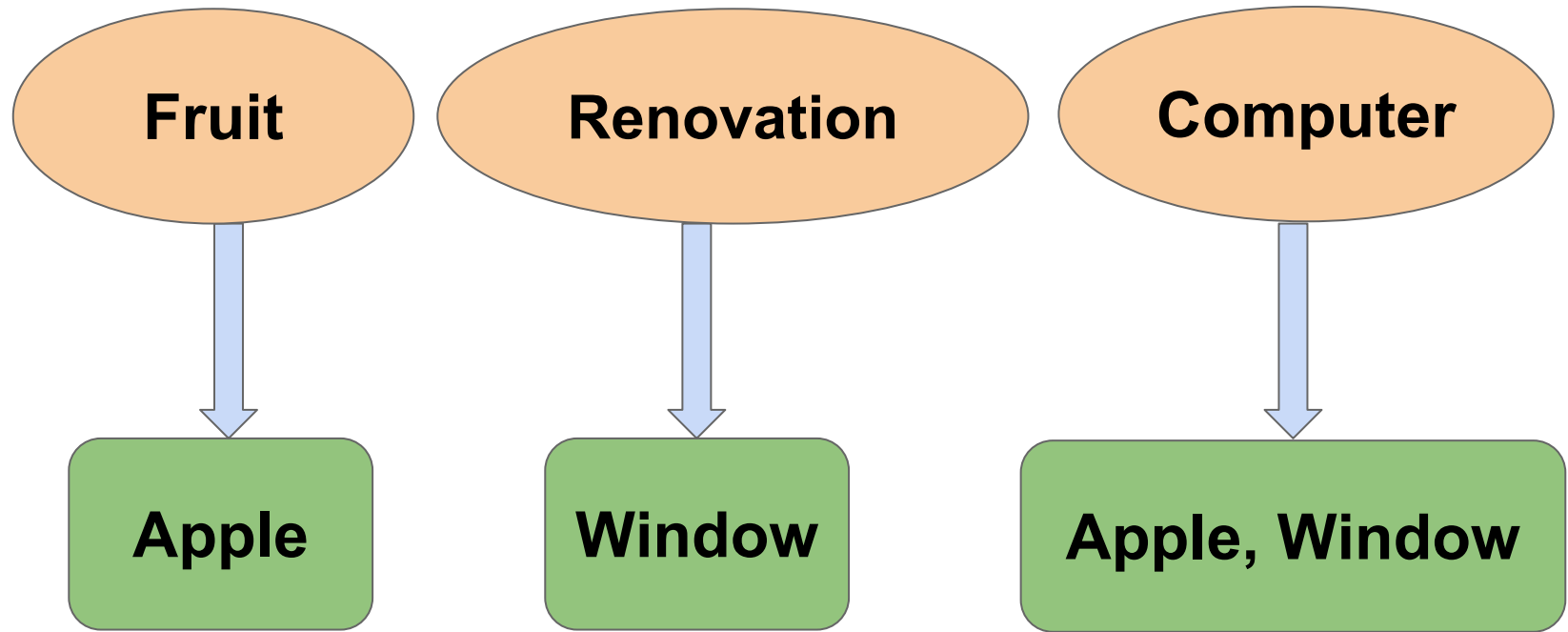
Reduce dimension → Improves efficiency and scalability

	apple	boy	cat	window
Doc 1	5	2	7	0
Doc 2	4	0	0	3
Doc 3	0	3	1	5
Doc 4	8	0	2	0
Doc 5	5	0	0	3

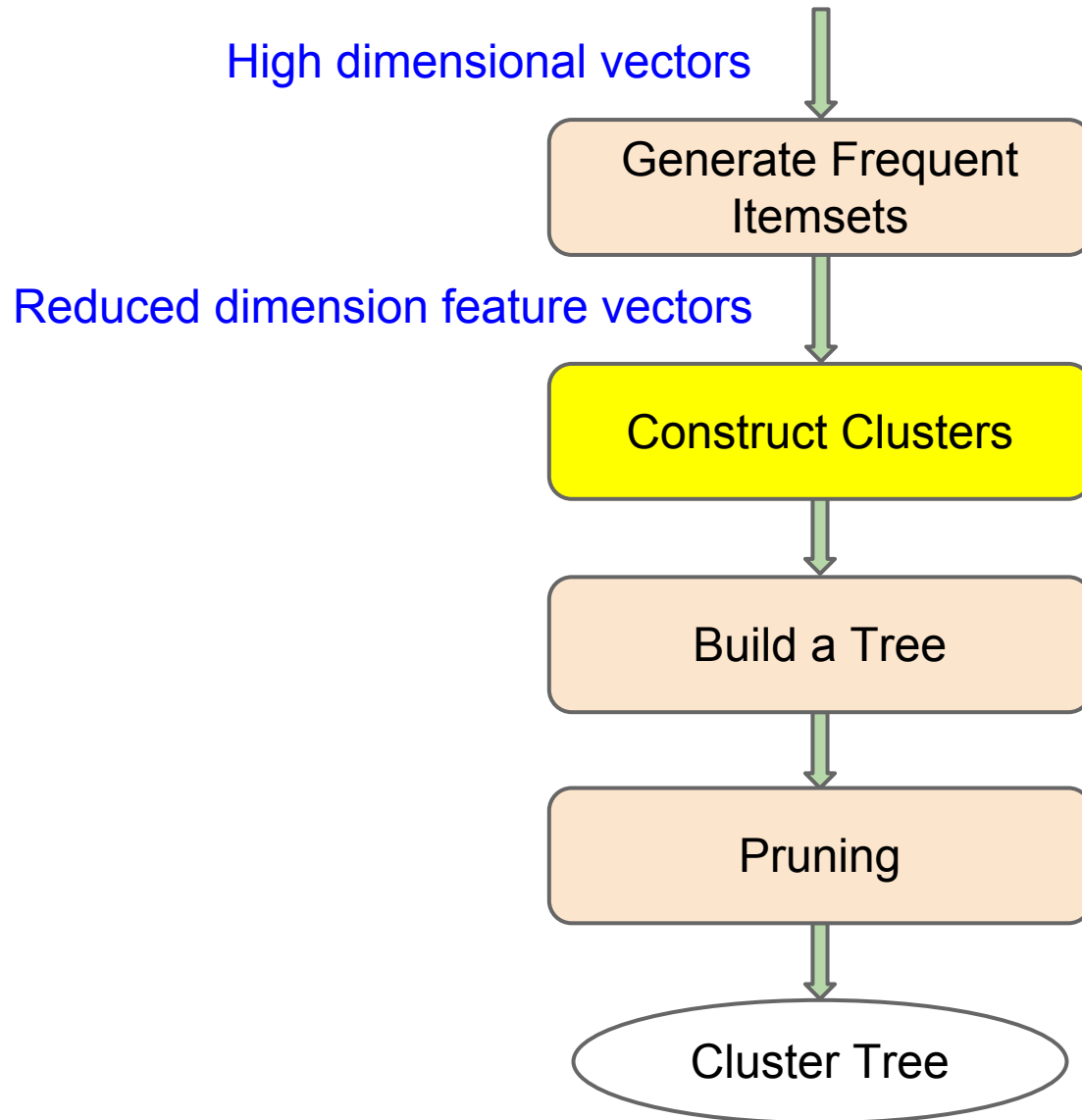
Minimum support = 60%

Frequent itemsets: {apple}, {cat}, {window}, {apple, window}

FIHC - Why Frequent Itemset Mining?

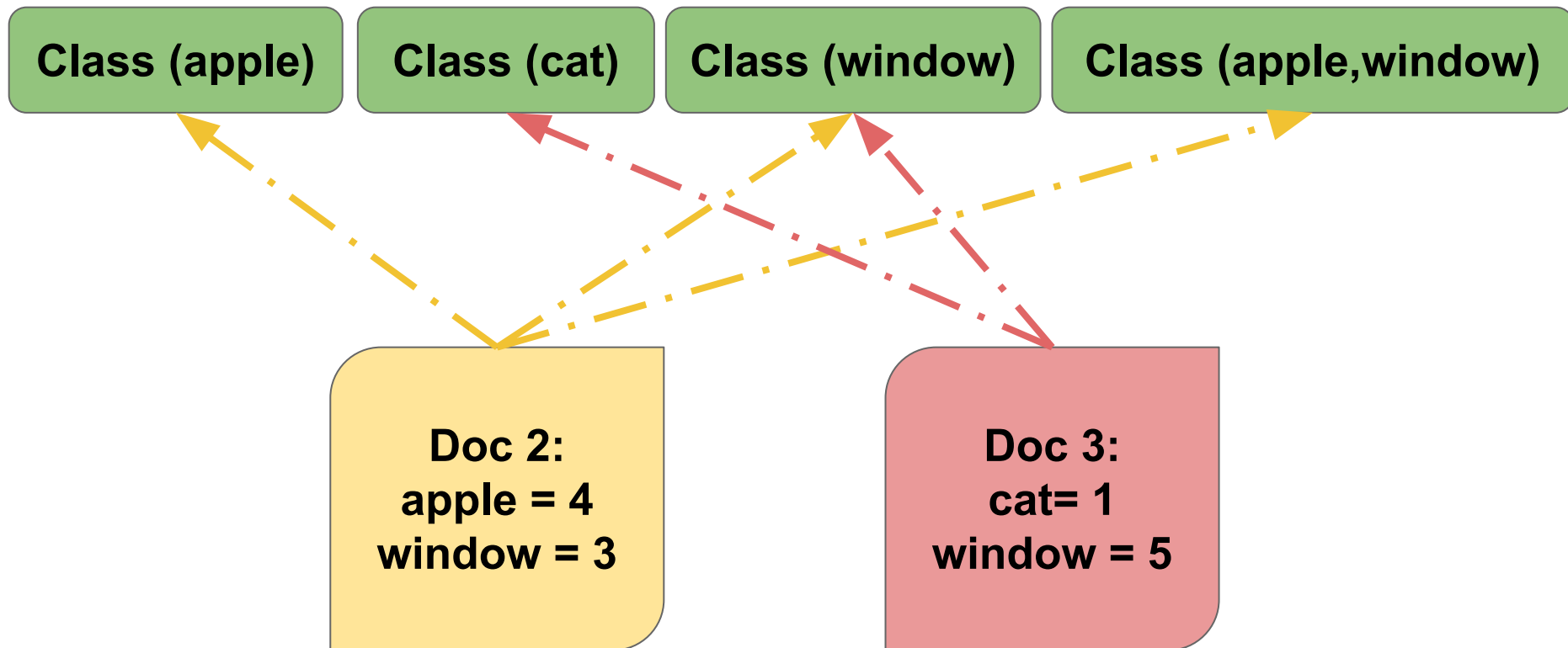


FIHC Algorithm Overview



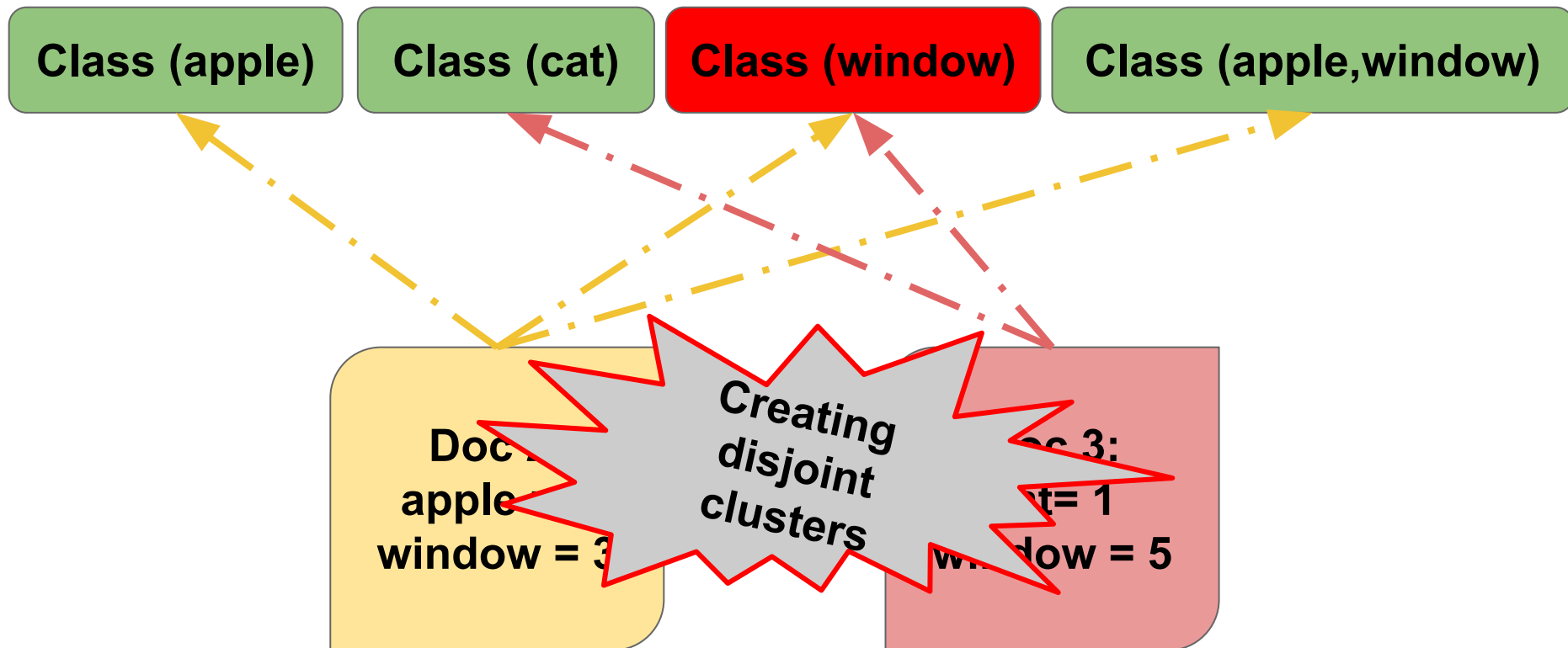
FIHC - Construct Initial Clusters

Frequent itemsets: **{apple}, {cat}, {window}, {apple, window}**



FIHC - Making Clusters Disjoint

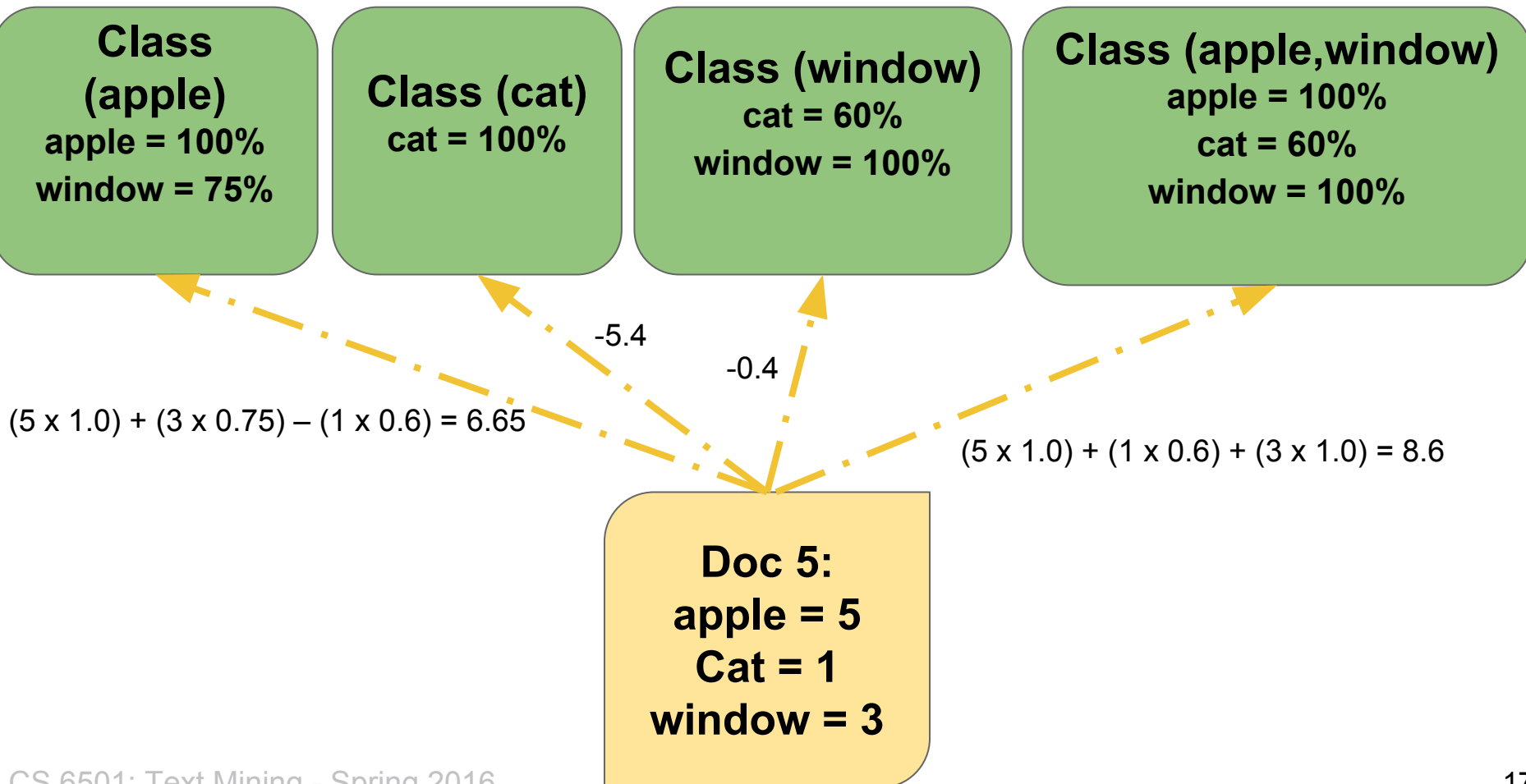
Frequent itemsets: **{apple}, {cat}, {window}, {apple, window}**



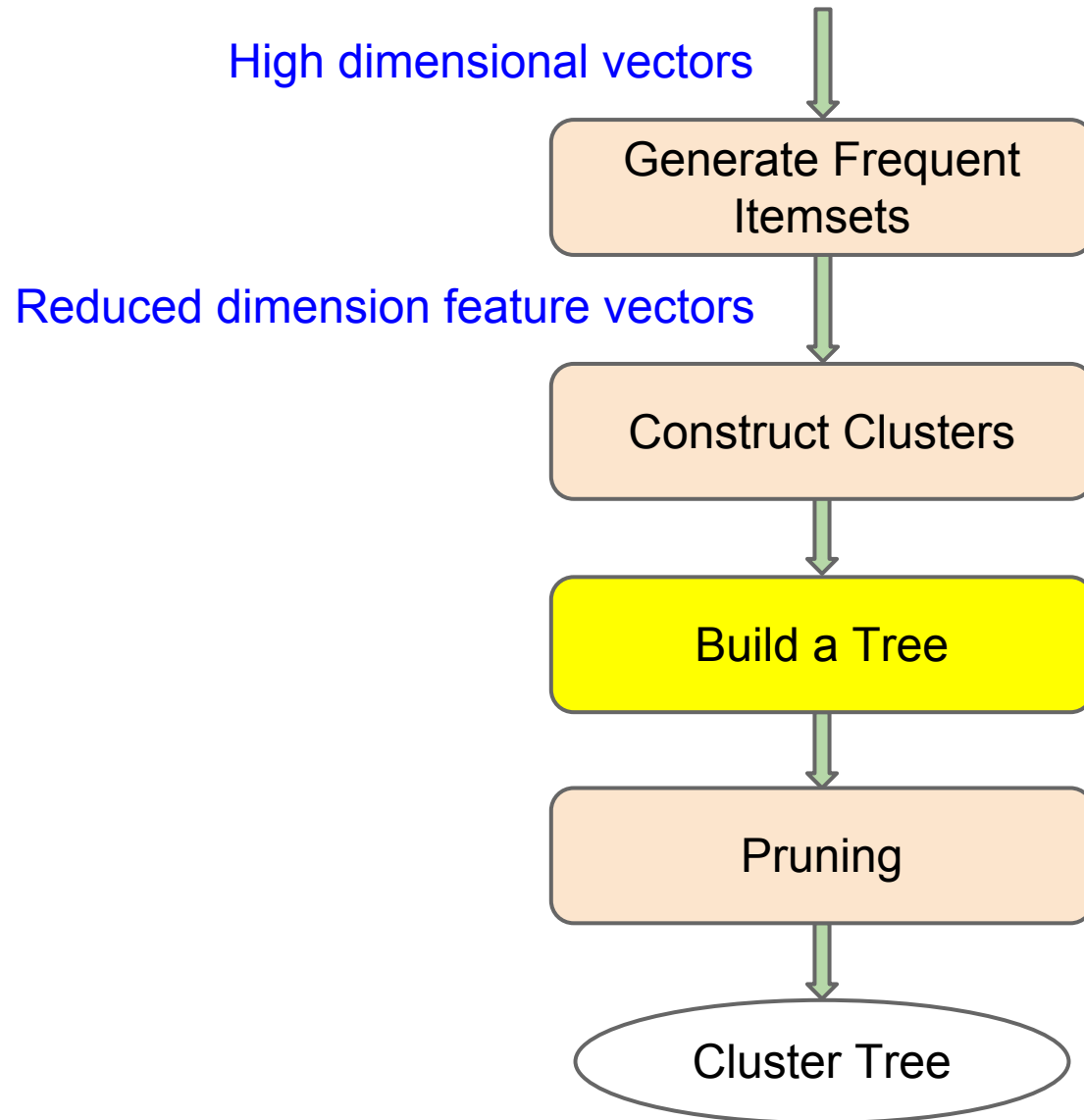
FIHC - Scoring Function

Similarity between a cluster and a document

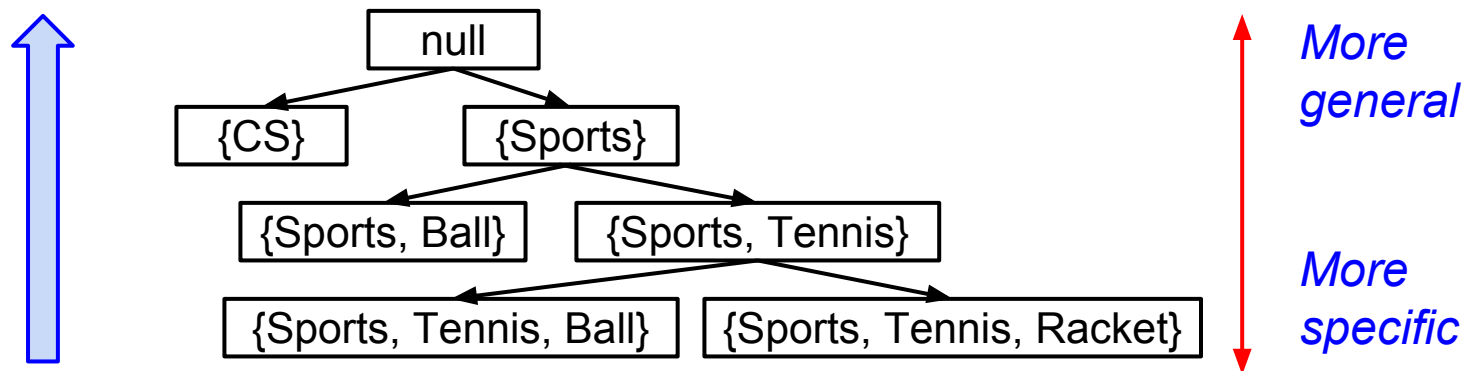
$$\text{Score}(C_i \leftarrow \text{doc}_j) = \left[\sum_x n(x) * \text{cluster_support}(x) \right] - \left[\sum_{x'} n(x') * \text{global_support}(x') \right]$$



FIHC Algorithm Overview

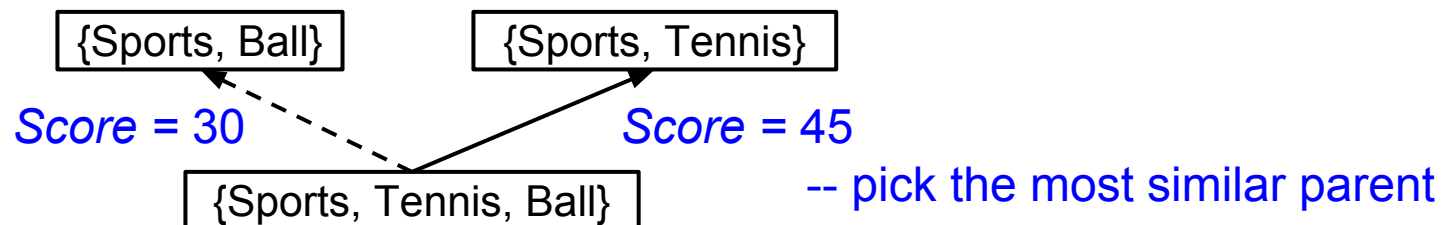


- ⇒ FIHC build the hierarchical tree after clustering

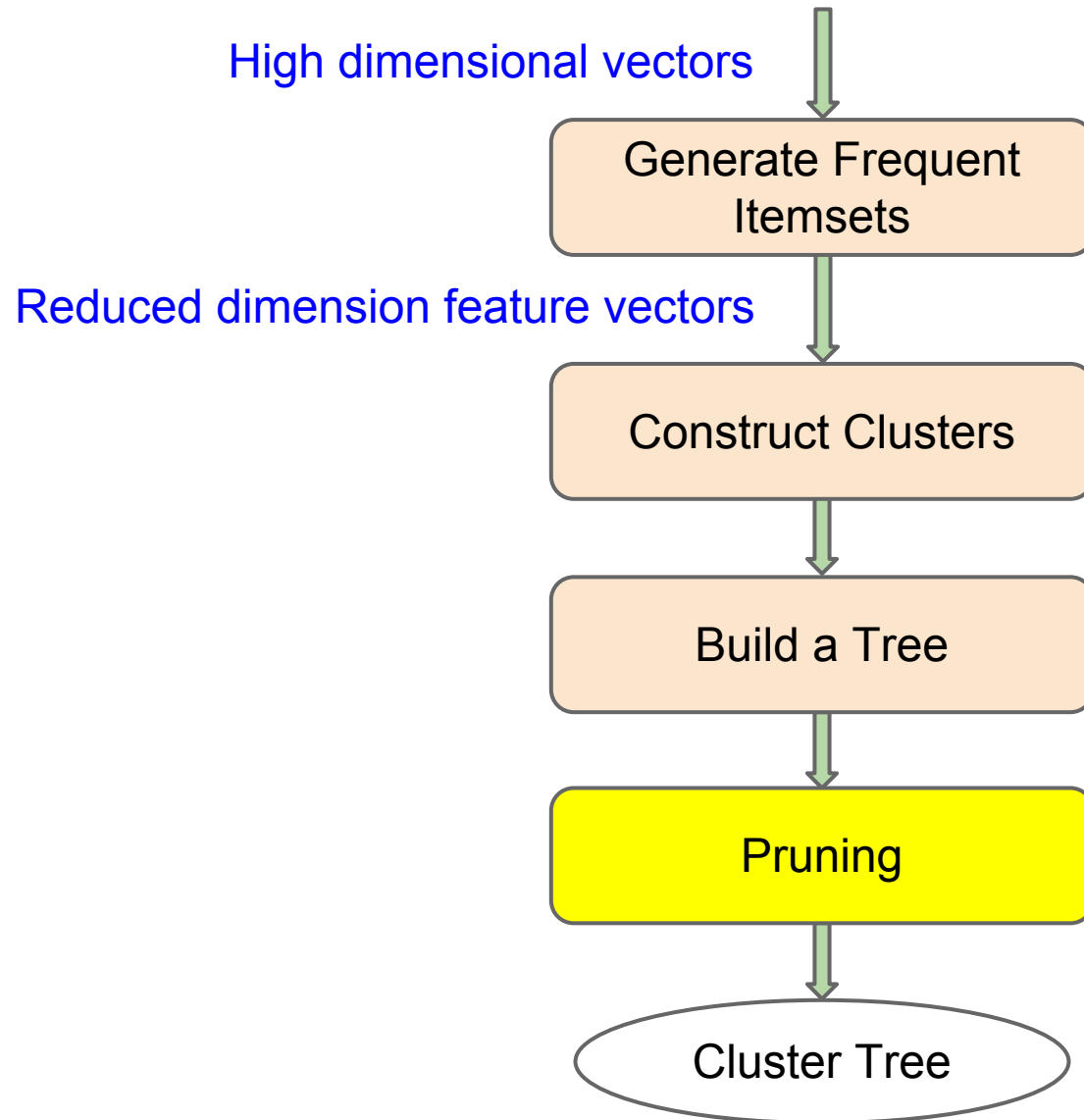


Bottom-up: Start from the largest cluster label

- ⇒ How to choose the best parent?



FIHC Algorithm Overview



⇒ Cluster Tree Pruning - Why?

- Remove overly specific child clusters
- Document of the same topic may be distributed over different subtrees, which would lead to poor clustering quality

⇒ Cluster Tree Pruning: Inter-Cluster Similarity

Geometric mean of both directions

- $Inter_Sim(C_i, C_j) = (Sim(C_i, C_j) * Sim(C_j, C_i))^{1/2}$ ✓

Treat C_j as a doc, reuse the score function

- $Sim(C_i, C_j) = Score(C_i, doc(C_j)) / (\sum n(x) + \sum n(x')) + 1$

Normalized by item frequency

x : global frequent items in both C_i and C_j

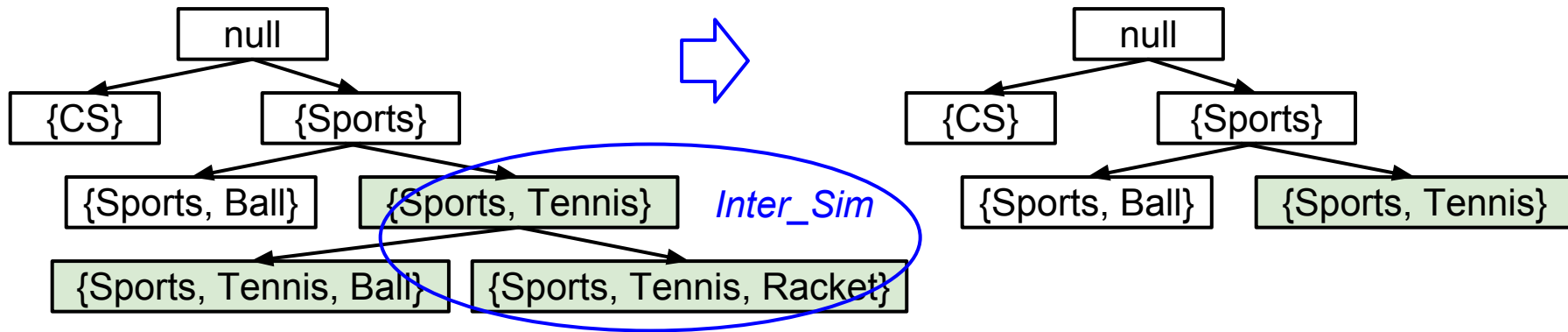
x' : global frequent items in C_j but not in C_i

$n()$: frequency in C_j

FIHC - Cluster Tree Pruning

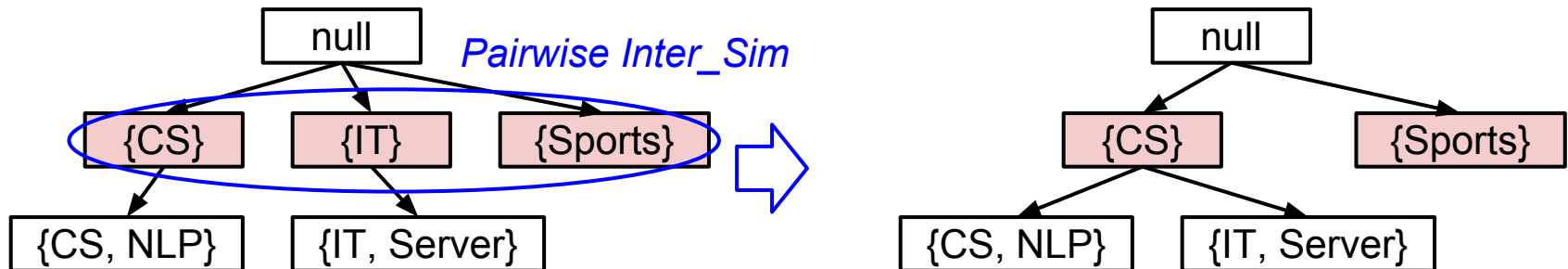
➤ Cluster Tree Pruning - Child Pruning (for level > 1)

- Shorten the tree



➤ Cluster Tree Pruning - Sibling Merging (for level = 1)

- Narrow the tree



Experimental Results - Data Sets

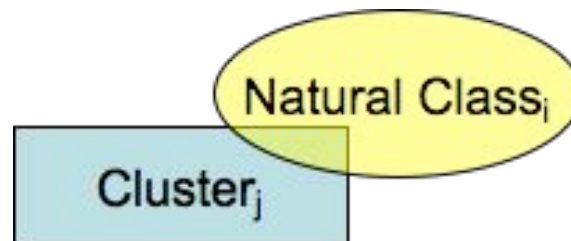
- Each document is pre-classified into a single natural class.

Data Set	Number of Documents	Number of Classes	Class Size	Average Class Size	Number of Terms
<i>Classic4</i>	7094	4	1033 – 3203	1774	12009
<i>Hitech</i>	2301	6	116 – 603	384	13170
<i>Re0</i>	1504	13	11 – 608	116	2886
<i>Reuters</i>	8649	65	1 – 3725	131	16641
<i>Wap</i>	1560	20	5 – 341	78	8460

Table 5.1: Summary descriptions of data sets

Clustering Quality: F-measure

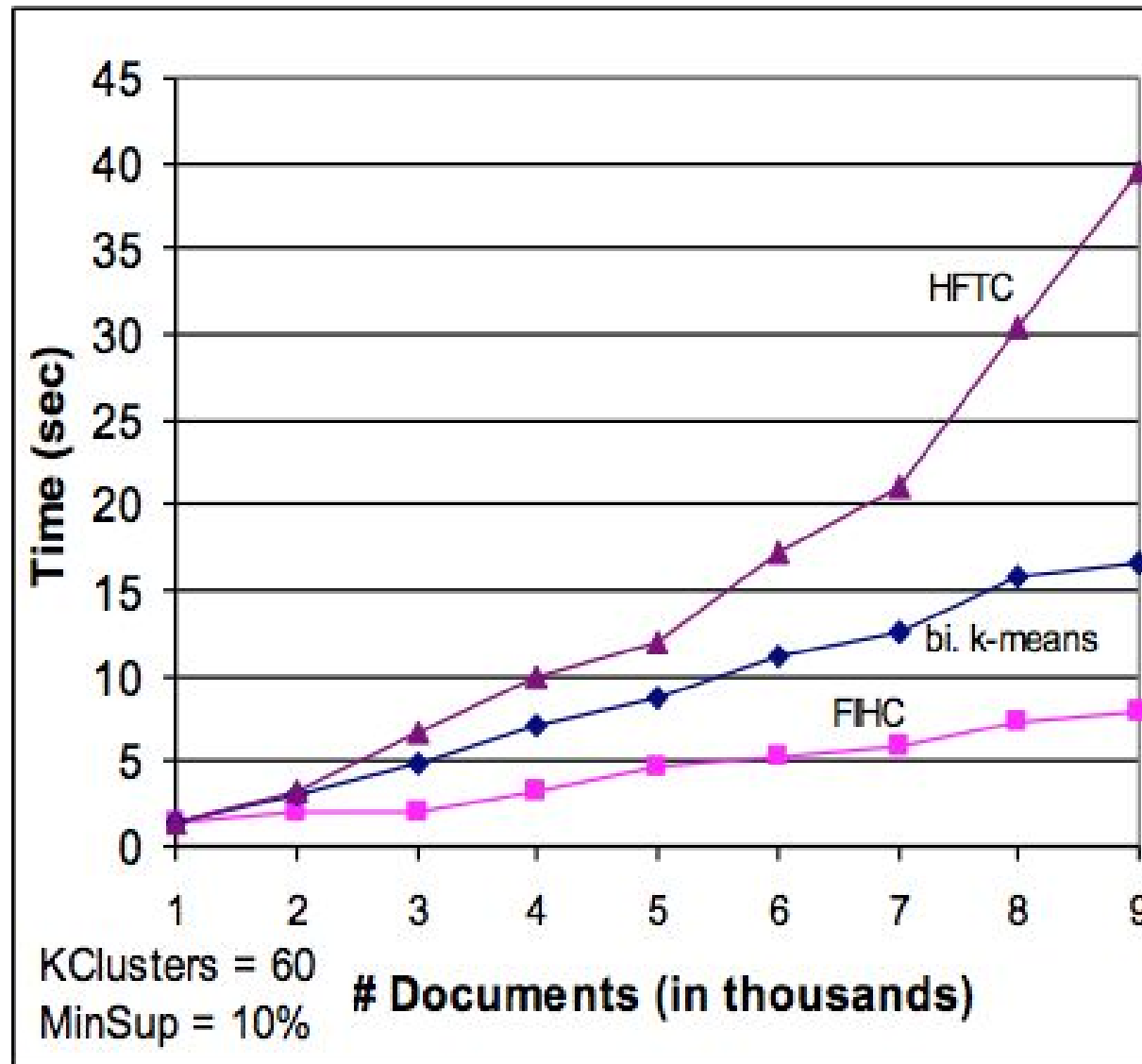
- Widely used method for evaluation
- F-measure range is from 0 to 1
- Weighted average of recall and precision



Data Set (# of natural classes)	# of Clusters	F-measure			
		FIHC	UPGMA	Bi. k-means	HFTC
<i>Classic4</i> (4)	3	0.62*	×	0.59	n/a
	15	0.52*	×	0.46	n/a
	30	0.52*	×	0.43	n/a
	60	0.51*	×	0.27	n/a
	Average	0.54	×	0.44	0.61*
<i>Hitech</i> (6)	3	0.45	0.33	0.54*	n/a
	15	0.42	0.33	0.44*	n/a
	30	0.41	0.47*	0.29	n/a
	60	0.41*	0.40	0.21	n/a
	Average	0.42*	0.38	0.37	0.37
<i>Re0</i> (13)	3	0.53*	0.36	0.34	n/a
	15	0.45	0.47*	0.38	n/a
	30	0.43*	0.42	0.38	n/a
	60	0.38*	0.34	0.28	n/a
	Average	0.45*	0.40	0.34	0.43
<i>Reuters</i> (65)	3	0.58*	×	0.48	n/a
	15	0.61*	×	0.42	n/a
	30	0.61*	×	0.35	n/a
	60	0.60*	×	0.30	n/a
	Average	0.60*	×	0.39	0.49
<i>Wap</i> (20)	3	0.40*	0.39	0.40*	n/a
	15	0.56	0.49	0.57*	n/a
	30	0.57	0.58*	0.44	n/a
	60	0.55	0.59*	0.37	n/a
	Average	0.52*	0.51	0.45	0.35

Table 5.2: F-measure comparison
 × = not scalable to run * = best competitor

Experimental Results - Efficiency



- ➡ Main contributions of the paper
 - Using frequent itemsets to **reduce dimension**, so as to achieve higher efficiency and scalability
 - Measuring **cluster similarity** based on frequent itemsets
 - High clustering quality
 - Number of clusters is optional as input parameter
 - Meaningful cluster labels

Thanks!