Feature Engineering

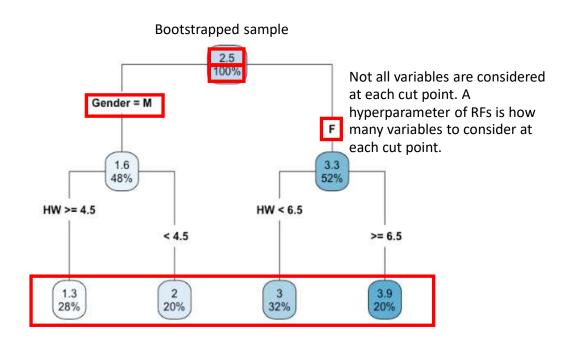
Chapter 6
Stephen Kimel

Continuous Variable Transformations

- "The goal of all of these approaches is to convert the existing continuous predictors into a form that can be utilized by any model and presents the most useful information to the model."
- In my opinion (Stephen's), the hardest model to mess up and the one where transformations are least likely to help is a Random Forest. Use RFs as a baseline.

Decision Tree to Random Forest

A Random Forest is made up of a lot of decision trees

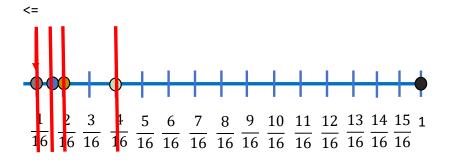


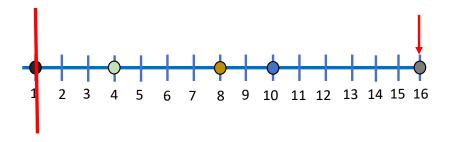
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1:1 Transformations & Random Forests

Example: Inverse Transformation



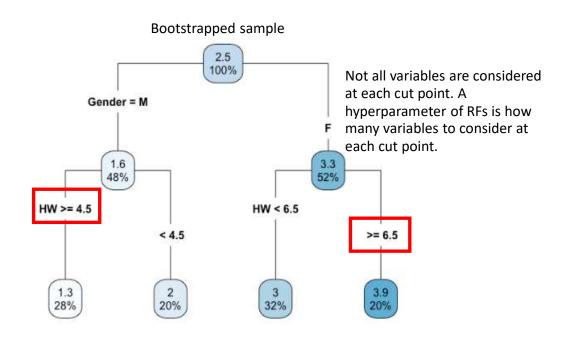


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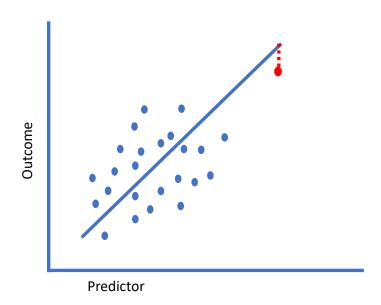
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 - RFs can pick up on interactions even if you don't specify these interactions before building the model.
 - RFs can handle lots of predictor variables (Chapter 10)
 - RFs don't have assumptions about the data (other than that it is representative) or residuals
 - RFs can handle missing data (Chapter 8)
 - RFs can't extrapolate
 - RFs are not good for time series data

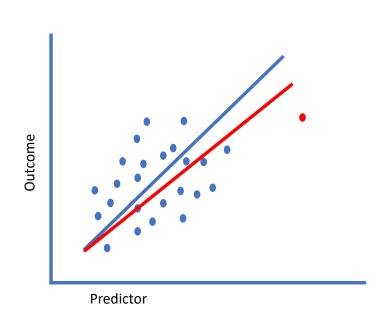
Extrapolation

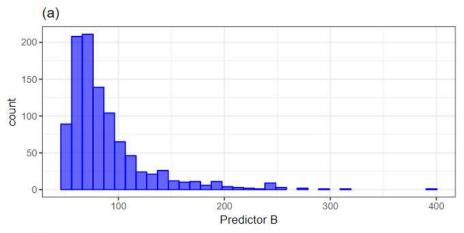


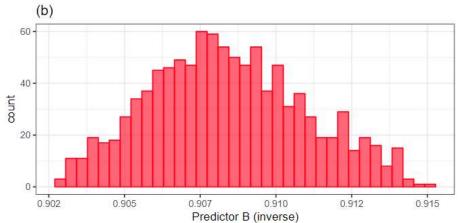
1:1

Box-Cox Transformation

Goal: Make data normalish

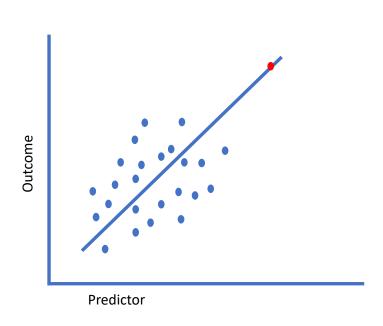


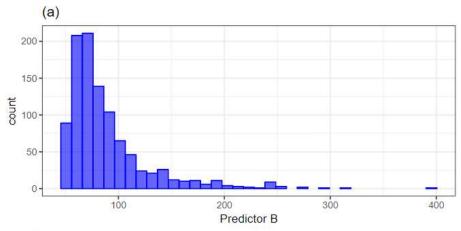


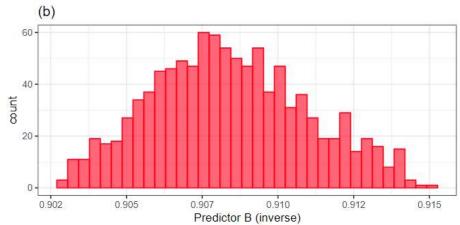


Box-Cox Transformation

Goal: Make data normalish







Centering a Variable

All variables that are centered will have a mean of 0

$$x_i - \bar{x}$$

Scaling a Variable

All variables that are scaled will have a mean of 0 and a standard deviation of 1

Needed when using K-nearest neighbors or lasso/ridge regression.

$$\frac{x_i - \bar{x}}{s_x}$$

"Again, it is emphasized that the statistics required for the transformation (e.g., the mean) are estimated from the training set and are applied to all data sets (e.g., the test set or new samples)."

Smoothing Time Series Data

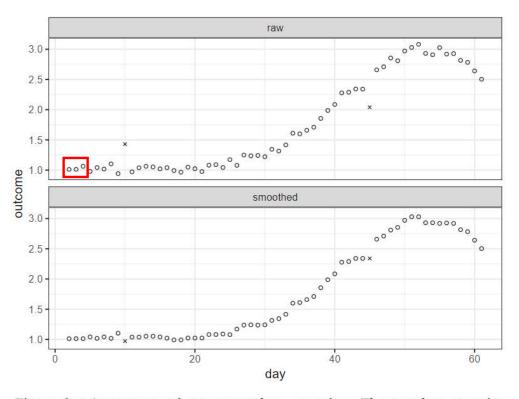
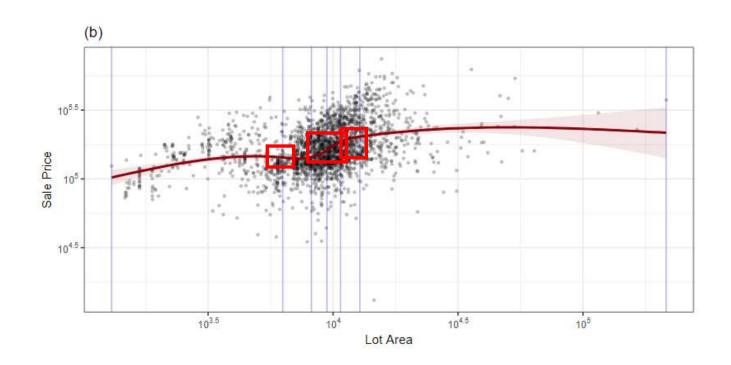


Figure 6.2: A sequence of outcome values over time. The raw data contain outliers on days 10 and 45. The smoothed values are the result of a 3-point running median.

1:Many

Natural Cubic Splines



Discretizing Continuous Variables

AKA Binning

- Pros
 - Simplify analysis
 - Avoid specifying relationship between predictor and outcome
- Cons
 - Unlikely that the actual trend is found with model
 - Removes some nuance to data
 - No objective cut-points
 - If there is no relationship between outcome and predictor, there is an increase in probability that and erroneous trend will be found

Many:Many

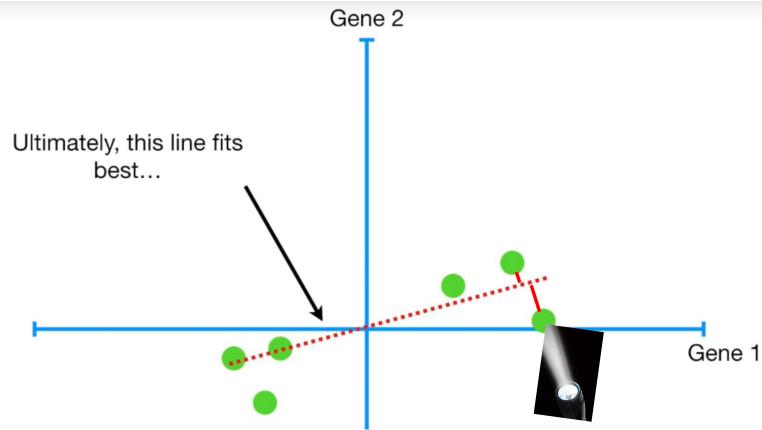
Principle Component Analysis (PCA)

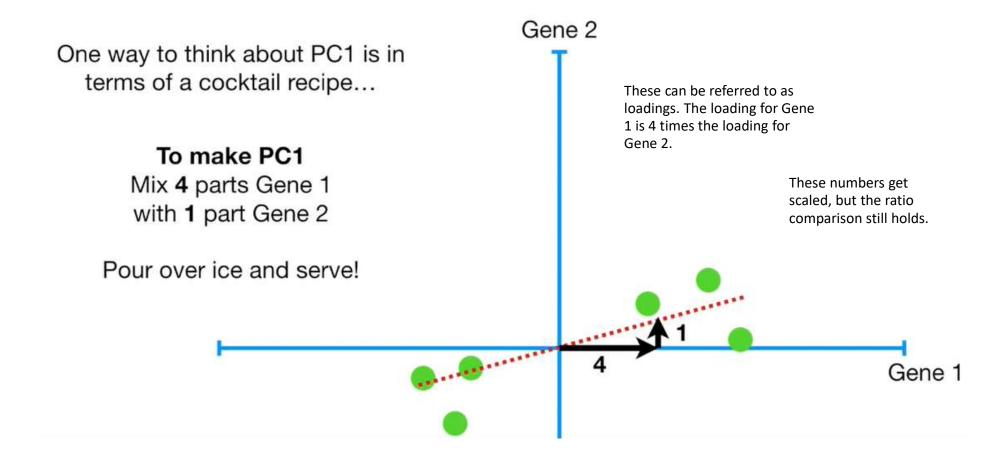
- "The objective of PCA is to find linear combinations of the original predictors such that the combinations summarize the maximal amount of variation in the original predictor space."
- "An important side benefit of this technique is that the resulting PCA scores are uncorrelated."
- Is NOT variable selection

PCA

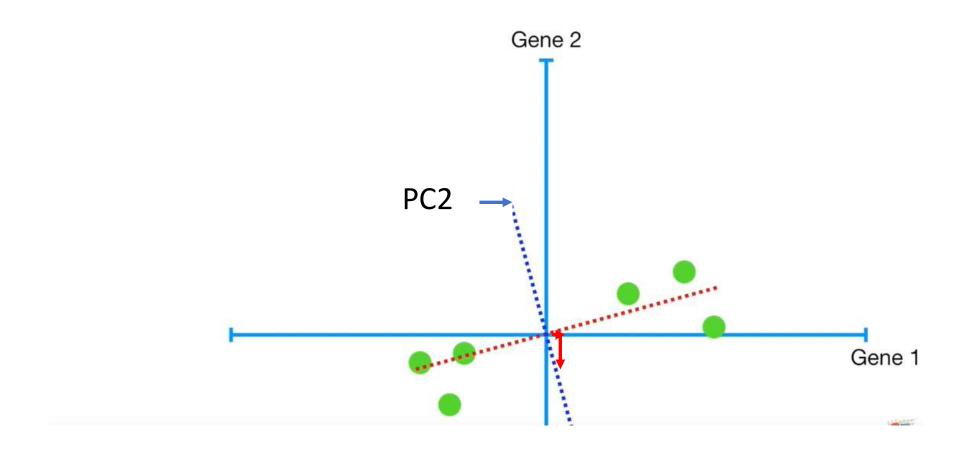
https://www.youtube.com/watch?v=FgakZw6K1QQ&vl=en

Goal: Retain the most information while reducing the number of dimensions

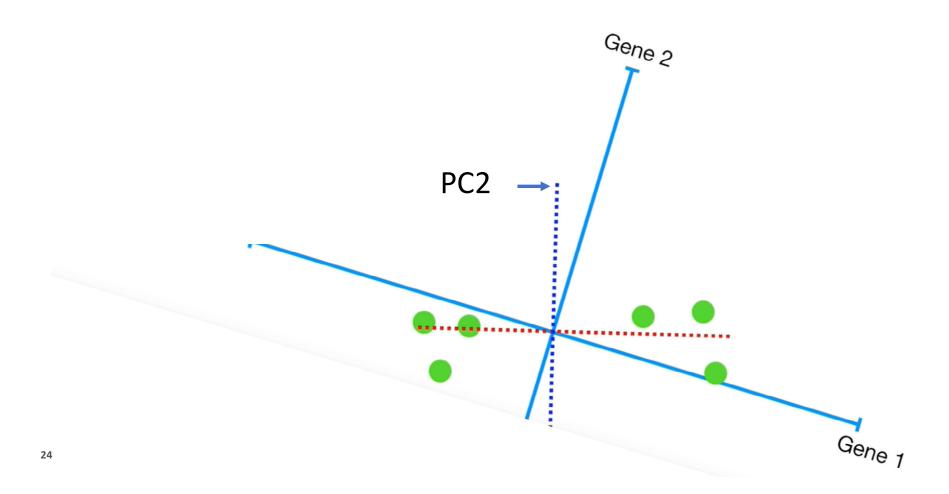




PC2 is Perpendicular (Orthogonal) to PC1

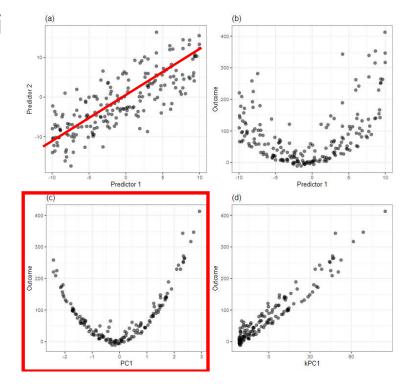


PC2 is Perpendicular (Orthogonal) to PC1



Kernel PCA

- Use Kernel PCA when the x variables are not linearly related to outcome variable.
- There are different kernels for di
 - Polynomial
 - Radial
 - Etc.



Linear Model

$$y = B_0 + B_1 x + \varepsilon$$

Other Unsupervised Methods

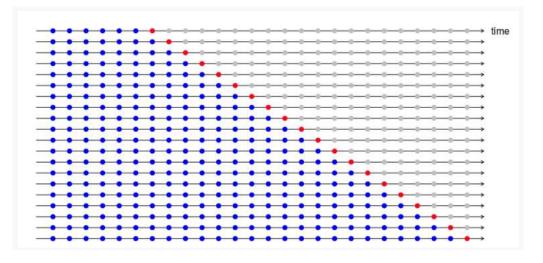
- Independent Component Analysis
 - When relationship is not linear
- Non-Negative Matrix Factorization
 - "Find the best set of coefficients that make the scores as "close" as possible to the original data with the constraint of non-negativity"
 - Features must be positive

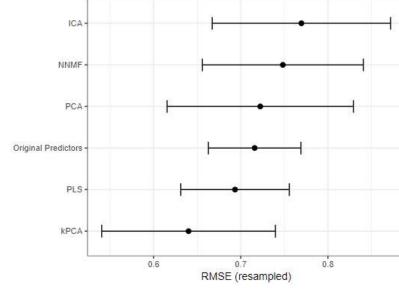
Partial Least Squares

- Supervised version of PCA where components are optimally related to response variable
- Each component (dimension) is uncorrelated like PCA

• PLS can perhaps reduce dimensions better than PCA, but an assessment

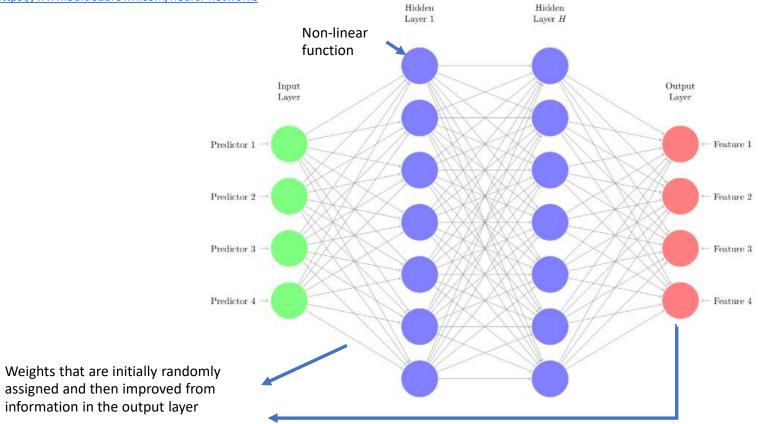
dataset must be used.





Autoencoders

https://www.3blue1brown.com/neural-networks



information in the output layer

Other Techniques

- Spatial Sign
 - Make data into a circle
- Distance and Depth Features
 - Classification

