

# Simple Conversational Amateur Messaging Protocol (SCAMP)

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## Abstract

Modern digital modes for amateur radio tend to require complicated transceiver architectures. For example, most need upper sideband modulation with a very stable local oscillator. Furthermore, methods such as multiple FSK can be susceptible to effects such as intermodulation from strong adjacent stations. Earlier modulations such as CW, which uses on-off keying (OOK), and RTTY45, which uses 2 frequency-shift-keying (FSK) were usable on transceivers with much less demanding requirements. Recently, there has been a trend towards sending data with a very low symbol rate (e.g. FT8 and QRSS) in order to achieve communication with very low transmitter power and/or with poor receiving conditions. This is a proposal for a simple digital mode, Simple Conversational Amateur Messaging Protocol (SCAMP), that can be implemented with OOK or 2FSK for conversational or amateur radio contest QSOs, can be implemented with relatively crude transceivers, and on simple 8-bit microprocessors such as the ATMEGA328P used for the Arduino Uno or Nano. It has both conversational and data transfer modes, but is tailored more to low bit rate text connections.

## Introduction

There is now an abundance of amateur radio data modes. Early digital modes used FSK, for example, RTTY45 and its successors in packet radio. As personal computers became widely available with increasing processing power, as well as receivers with stable local oscillators, phase sensitive modes such as PSK31 and methods with small frequency shifts such as multiple frequency-shift keying (MFSK) (Olivia/Contestia) became possible, adding increased resistance to noise. Protocols specializing in very short messages, synchronized with a global time standard such as JT65/FT8/FT4 were designed for making QSOs with low power and in poor conditions. While there have been remarkable improvements in amateur radio data modes, with FT8 especially becoming quite popular, these require transceivers with very stable local oscillators that are resistant to intermodulation and other distortions. Furthermore, the computation required to decode some of these protocols requires a computer with powerful digital signal processing capability. There are instances when simple transmitters and receivers are desirable, that for example may only be capable of OOK (such as is used for CW transmission) or FSK (by selecting a PLL frequency or modulating a crystal oscillator). It would be further desirable if the processing ability of a microcontroller (for example, ATMEGA328P) was sufficient to encode and decode the data mode modulation. QRP transceivers, for example, often use simplified hardware, based on a PLL synthesizer or crystal oscillator with a direct conversion

receiver. Controlled by a microprocessor, such QRP radios can be solar powered, are highly portable, and can serve as message relays, for telemetry, or for emergency use.

A de-facto specification for an efficient, reliable, portable HF communication protocol called Automatic Link Establishment exists, as specified in MIL-STD-188/141A. This protocol uses MFSK, forward error correction (FEC), frame interleaving, and automatic repeat request (ARQ), among other methods. This protocol has been very successful for its intended use, however, it requires the kind of complex transceivers and modems that this method wishes to avoid. However, there are aspects of such methods that can be adapted. In particular, few amateur radio modes combine simple modulation and forward error correction. Simple forms of forward error correction can be implemented on 8-bit processors, and other techniques like interleaving may also be used. Most forms of FEC require significant processing power to decode and use either dedicated hardware or high speed processors to implement methods like the Viterbi or Berlekamp-Massey algorithm. The extended (24,12,8) Golay code has been used in ALE and is a happy medium which achieves a  $\frac{1}{2}$  code rate and is able to correct 3 of 24 bits. Its primary disadvantage is that its short code length requires that the data is interleaved to be resistant to long error bursts. This is problematic for conversational modes for which long latency is an issue, especially for contesting. The Walsh/Hadamard codes used in Olivia/Contestia have this problem in particular because of their low code rate. The venerable extended (24,12,8) Golay code is a compromise solution that can be decoded by an 8-bit microcontroller, has reasonable latency, good code rate, and can correct up to 12.5% bit errors.

## Modulation layer

The modulation layer is of one of two types:

**On Off Keying (OOK)**– The carrier alternates between full power transmission and no transmission as a non-return to zero (NRZ) line code. The mark condition (or one bit) is transmitting and the space condition (or zero bit) is no transmission. Care should be taken that the transmitter does not significantly chirp the carrier when initiating a transmission. Envelope modulation may be built into the keying circuitry to prevent keyclick. The interval of each bit (transmitting or not transmitting) is identical and is given by the reciprocal of the baud rate.

**2 Frequency Shift Keying (FSK)** – When transmitting, the carrier alternates between two frequencies as a return-to-zero (RZ) line code. The mark condition corresponds to transmitting at one frequency and the space condition is transmitting on the other frequency. The mark frequency may be higher or lower than the space frequency. The separation between the two is determined by the baud rate. Ideally the separation is a multiple of  $\frac{1}{2}$  the baud rate, with a multiple of one corresponding to minimum shift keying (MSK). However, it is not expected that the transmitter can achieve a perfect separation frequency, nor can the receiver perfectly coherently decode a MSK signal. Therefore a separation equaling the baud rate is used, so that for 100 mark or space intervals per second, these would be separated by 100 Hz. This nominally retains the orthogonality of the mark and space conditions but increases the tolerance to error in the separation frequency or local oscillator phase.

# Digital Encoding

Messages are sent as 30 bit blocks, in order of most significant bit to least significant bit (left to right as shown here). The format of each block is

```
C XXXX C XXXX C XXXX C XXXX C XXXX C XXXX
MSB                                     LSB
```

The 24 “X” are 24 data bits to be sent in the block which are a Golay code word. Each “C” is the complement of the bit immediately following it. This ensures there is no more than five consecutive mark or spaces (ones or zeros) in a valid codeword or consecutive codewords. The transition between the mark and space condition is used to aid in clock recovery and to allow an initial or resynchronization phase to be recognized.

## Golay code word

Each Golay code word consists to two halves.

```
PPPP PPPP PPPP XXXX XXXX XXXX
MSB                                     LSB
```

The Golay code word is a 24 bit code word that contains 12 bits of data payload to be sent, represented by “X” and 12 bits of parity, represented by “P”. The parity bits are calculated from the data bits using the (24,12,8) extended Golay encoding algorithm as given in the Appendix.

## Golay code word types

The Golay code word types are the 12-bit payload to be sent in the Golay code word. There are two Golay code word types.

### Data code word type

```
1111 XXXX XXXX
MSB         LSB
```

This encodes 8-bit raw binary data XXXX XXXX in order of MSB to LSB. This message is intended to be used for exchanging data for file transfer protocols and other uses left up to the users. It is not an efficient encoding of this data but is included so that the connection may be used for purposes other than text exchange.

## Text code word type

YYYYYY XXXXXX  
MSB            LSB

These encode two 6 bit symbols XXXXXX and YYYYYY. The symbol XXXXXX precedes that of YYYYYY in the data stream, that is, when considered as part of a message, the symbol corresponding to XXXXXX precedes YYYYYY. The symbols encode characters as specified in a table in the Appendix. The 6-bit code corresponding to 000000 indicates “No symbol” so that no character should be decoded in the message for this 6-bit code. If only one code is to be sent in the code word, then XXXXXX should be the code, and YYYYYY should be 000000. A code word with both XXXXXX and YYYYYY being 000000 is valid and should be considered as two no symbols.

For additional redundancy, the same text code word may be sent multiple times in a row. If the receiver decodes the same code multiple times before receiving a different code, it should discard the redundant decodes of the code word. If the same code word needs to be sent multiple times and not have its redundant copies discarded, at least one no symbol code (000000 000000) should be sent between the code word and its next copy so that the receiver decodes a different code. Redundant copies should be sent in immediate succession, that is, there should be no delay between sending the redundant copies of the code word. This enables the copies of the code word to be coherently summed by the receiver. Redundantly sent data code words (as opposed to text code words) should not be discarded.

## Synchronization

One of the aspects of a protocol that is most susceptible to corruption is desynchronization of the bit stream, that is, incorrectly starting a 30-bit block at the wrong point in the bit stream. Therefore a synchronization protocol is necessary that can synchronize the beginning of a 30-bit block. Because of the complement bits inserted into the 30-bit block, there will be no more than five consecutive mark or space (1 or 0) bits in the stream. This is used for synchronization. Synchronization is sent either at the beginning of the transmission, or can be reinitiated after sending a 30-bit block, with the exception of when text code words are sent multiple times without a delay in between for redundancy.

For OOK synchronization, a synchronization signal is detected by the receiver when 14 or 15 of the last 15 bit intervals decoded is a mark condition (one or key down). If this happens in the middle of receiving a codeword, the codeword being received is aborted and the synchronization phase is initiated. The receiver then waits for following sequence to occur: 3 space bits, 3 mark bits, 3 space bits, 3 mark bits, 3 space bits, 3 mark bits. The edges of the transitions between key on and off are used to synchronize the receiver’s clock with the sender. The sending of the first Golay code word occurs immediately after the last 3 mark bits.

For FSK synchronization, a synchronization signal is detected when either of the two FSK frequencies are detected by the receiver for 14 or 15 of the last 15 bit intervals decoded. The FSK frequency corresponding to the 14 or 15 bits is considered the mark condition. If this happens in the middle of receiving a codeword, the codeword being received is aborted and the synchronization phase is initiated. The receiver then waits for the following sequence to occur: 3 space bits, 3 mark bits, 3 space bits, 3 mark bits, 3 space bits, 3 mark bits. The receiver may identify the space frequency by looking at both frequencies above and below the mark frequency, or the direction of the mark to space frequency

shift may be manually specified. The edge of the transitions between frequencies are used to synchronize the receiver's clock with the sender. The sending of the first Golay code word occurs immediately after the last 3 mark bits.

# Appendices

## Six-bit symbol encoding

The following is a table of the six bit code. One or two of these codes form a 12-bit Golay code word which can send one or two character symbols. The six bit code is as follows:

	000	001	010	011	100	101	110	111
000xxx	No symbol	Backspace	End of Line	(space)	! (exclamation mark)	“ (double quote)	‘ (single quote)	( left parenthesis
001xxx	) right parenthesis	* (asterisk)	+ (plus)	, (comma)	- (minus)	. (period)	/ (slash)	0
010xxx	1	2	3	4	5	6	7	8
011xxx	9	: (colon)	; (semi colon)	= (equal)	? (question mark)	@ (at)	A	B
100xxx	C	D	E	F	G	H	I	J
101xxx	K	L	M	N	O	P	Q	R
110xxx	S	T	U	V	W	X	Y	Z
111xxx	\ (backslash)	^ (carat)	` (grave)	~ (tilde)	INVALID	INVALID	INVALID	INVALID

The codes 111100, 111101, 111110, and 111111 are invalid and are never to be used.

For languages that have diacritics, the single quote, carat, grave, tilde, and backslash may be interpreted as diacritics, with the diacritic applying to the previously sent character. The backslash may be interpreted as an umlaut. It is highly recommended to send the character and the diacritic in the same Golay codeword so that these are decoded in the same word. A “No symbol” (000000) can be placed in the previous codeword to ensure that the next symbol is included with its diacritic.

For other characters representable by 8-bit bytes, for example of the code page 437 of the original IBM character set, these may be sent using the a data Golay code, which is

MSB 1111 XXXX XXXX LSB

where XXXX XXXX is the 8-bit code page 437 representation of the symbol. For example, to send lower case a, the 12-bit word 111101100001 or 0xF61 would be sent. However, no differentiation is made between these 8-bit symbols sent as text, and those sent as data, for example, as part of a file transfer protocol.

```

const uint8_t ecc_6bit_codesymbols[60] = {'\0', '\b', '\r', ' ', '!', 0x22, 0x27, '(',
    ')', '*', '+', ',', '-', '.', '/', '0',
    '1', '2', '3', '4', '5', '6', '7', '8',
    '9', ':', ';', '=', '?', '@', 'A', 'B',
    'C', 'D', 'E', 'F', 'G', 'H', 'I', 'J',
    'K', 'L', 'M', 'N', 'O', 'P', 'Q', 'R',
    'S', 'T', 'U', 'V', 'W', 'X', 'Y', 'Z',
    0x5C, '^', '\', '~' };
/* Last 4 symbols can be interpreted as diacritical marks,
0x5C is diaeresis/umlaut */
/* 0x27 can be interpreted as acute diacritical mark */

/* The input word has 24 bits. The output word has 30 bits, with bits
   1, 5, 9, 13, 17, 21 preceded by its complement bit inserted into
   the word */

uint32_t eccfr_add_reversal_bits(uint32_t codeword)
{
    uint32_t outword = 0;
    uint8_t i;

    for (i=0;i<6;i++)
    {
        if (i>0)
            outword = (outword << 5);
        codeword = (codeword << 4);
        uint8_t temp = (codeword >> 24) & 0x0F;
        outword |= (temp | (((temp & 0x08) ^ 0x08) << 1));
    }
    return outword;
}

/* remove complement bits from inside 30 bit word to yield 24 bit Golay
   code word */

uint32_t eccfr_remove_reversal_bits(uint32_t outword)
{
    uint32_t codeword = 0;
    uint8_t i;

    for (i=0;i<6;i++)
    {
        if (i>0)
        {
            outword = (outword << 5);
            codeword = (codeword << 4);
        }
        uint8_t temp = (outword >> 25) & 0x0F;
        codeword |= temp;
    }
    return codeword;
}

/* decode 12 bit code words to 8 bit bytes */
uint8_t eccfr_code_words_to_bytes(uint16_t *codewords, uint8_t num_words, uint8_t *bytes, uint8_t
max_bytes)
{
    uint8_t cur_word = 0;
    uint8_t cur_byte = 0;
    while ((cur_word < num_words) && (cur_byte < max_bytes))
    {
        uint16_t code = codewords[cur_word++];
        if ((code & 0xF00) == 0xF00)
        {
            bytes[cur_byte++] = code & 0xFF;
            continue;
        }
        uint16_t code1 = (code & 0x3F);
        uint16_t code2 = ((code >> 6) & 0x3F);
        if ((code1 != 0) && (code1 < (sizeof(ecc_6bit_codesymbols)/sizeof(uint8_t))))
            bytes[cur_byte++] = ecc_6bit_codesymbols[code1];
        if ((code2 != 0) && (code2 < (sizeof(ecc_6bit_codesymbols)/sizeof(uint8_t))) && (cur_byte <
max_bytes))

```

```

        bytes[cur_byte++] = ecc_6bit_codesymbols[code2];
    }
    return cur_byte;
}

/* encode 8 bit bytes as 12 bit code words, always encoding as 8-bit raw */
uint8_t eccfr_raw_bytes_to_code_words(uint8_t *bytes, uint8_t num_bytes, uint16_t *codewords, uint8_t
max_words)
{
    uint8_t cur_byte = 0;
    uint8_t cur_word = 0;
    while ((cur_word < max_words) && (cur_byte < num_bytes))
    {
        uint8_t b = bytes[cur_byte++];
        codewords[cur_word++] = ((uint16_t)(0xF00)) | b;
    }
    return cur_word;
}

/* convert character to 6-bit code if it exists */
/* should probably replace this with an inverse look up table later */
uint8_t eccfr_find_code_in_table(uint8_t c)
{
    uint8_t i;
    if ((c >= 'a') && (c <= 'z')) c -= 32;
    if (c == '\n') c = '\r';
    for (i=1; i<(sizeof(ecc_6bit_codesymbols)/sizeof(uint8_t)); i++)
        if (ecc_6bit_codesymbols[i] == c) return i;
    return 0xFF;
}

/* encode 8 bit bytes to 12 bit code words.
   code words that correspond to a 6-bit symbols are encoded as 6 bits.
   otherwise they are encoded as an 8-bit binary raw data word.
   If a byte that can be encoded as a 6 bit symbol precedes one that can
   not be encoded as a 6 bit symbol, and there is an extra symbol slot
   in the current word, fill it with a zero. */
uint8_t eccfr_bytes_to_code_words(uint8_t *bytes, uint8_t num_bytes, uint16_t *codewords, uint8_t
max_words)
{
    uint8_t cur_byte = 0;
    uint8_t cur_word = 0;
    while ((cur_word < max_words) && (cur_byte < num_bytes))
    {
        uint8_t b = bytes[cur_byte++];
        uint8_t code1 = eccfr_find_code_in_table(b);
        if (code1 == 0xFF)
        {
            codewords[cur_word++] = ((uint16_t)(0xF00)) | b;
            continue;
        }
        if (cur_byte < num_bytes)
        {
            b = bytes[cur_byte];
            uint8_t code2 = eccfr_find_code_in_table(b);
            if (code2 != 0xFF)
            {
                codewords[cur_word++] = (((uint16_t)code2) << 6) | code1;
                cur_byte++;
                continue;
            }
        }
        codewords[cur_word++] = (uint16_t)code1;
    }
    return cur_word;
}

```



# Golay Matrix

The Golay matrix is for the extended (24,12,8) Golay code. The code is implemented using the perfect (23,11,7) Golay code with an extra parity bit included. This can be implemented by multiplying the 12-bit code word with the Golay matrix to obtain the 12-bit Golay parity check word. The Golay matrix is its own inverse, so that applying the matrix to a 12-bit word, and then again to the result, yields the original word. The following code below is an example of the Golay implementation:

```
const uint16_t golay_matrix[12] =
{
    0b110111000101,
    0b101110001011,
    0b011100010111,
    0b111000101101,
    0b110001011011,
    0b100010110111,
    0b000101101111,
    0b001011011101,
    0b010110111001,
    0b101101110001,
    0b011011100011,
    0b111111111110
};

uint16_t golay_mult(uint16_t wd_enc)
{
    uint16_t enc = 0;
    uint8_t i;
    for (i=12;i>0;)
    {
        i--;
        if (wd_enc & 1) enc ^= golay_matrix[i];
        wd_enc >>= 1;
    }
    return enc;
}

uint8_t golay_hamming_weight(uint16_t n)
{
    uint8_t s = 0;
    while (n != 0)
    {
        s += (n & 0x1);
        n >>= 1;
    }
    return s;
}

uint32_t golay_encode(uint16_t wd_enc)
{
    uint16_t enc = golay_mult(wd_enc);
    return (((uint32_t)enc) << 12) | wd_enc;
}

uint16_t golay_decode(uint32_t codeword)
{
    uint16_t enc = codeword & 0xFFF;
    uint16_t parity = codeword >> 12;
    uint8_t i;
    uint16_t syndrome, parity_syndrome;

    /* if there are three or fewer errors in the parity bits, then
       we hope that there are no errors in the data bits, otherwise
       the error is undetected */
    syndrome = golay_mult(enc) ^ parity;
    if (golay_hamming_weight(syndrome) <= 3)
        return enc;
}
```

```

/* check to see if the parity bits have no errors */
parity_syndrome = golay_mult(parity) ^ enc;
if (golay_hamming_weight(parity_syndrome) <= 3)
    return enc ^ parity_syndrome;

/* we flip each bit of the data to see if we have two or fewer errors */
for (i=12;i>0;)
{
    i--;
    if (golay_hamming_weight(syndrome ^ golay_matrix[i]) <= 2)
        return enc ^ ((uint16_t)0x800 >> i);
}

/* we flip each bit of the parity to see if we have two or fewer errors */
for (i=12;i>0;)
{
    i--;
    uint16_t par_bit_synd = parity_syndrome ^ golay_matrix[i];
    if (golay_hamming_weight(par_bit_synd) <= 2)
        return enc ^ par_bit_synd;
}

return 0xFFFF; /* uncorrectable error */
}

```

The encoded word is simply the 12-bit word to be sent with the 12-bit parity code prepended to it. The Golay code can correct up to 3 bit errors, and so to decode every possible error up to 3 bits, this code performs the following:

1. Check to see if all three error bits are in the sent parity bits by calculating the parity code of the sent 12-bit word and seeing if there are three or fewer difference bits between the sent parity and the calculated parity. If so, the sent 12-bit word is correct.
2. Check to see if all three errors are in the sent 12-bit word. Calculate the 12-bit word that would be obtained with the given parity code and see if there are three or fewer difference bits between the sent word and the calculated word. If so, the calculated word is correct.
3. Try flipping every bit in the sent 12-bit word and see if there are 2 or fewer errors between the calculated parity and the sent parity. If so, we know which bit of the 12-bit word is wrong and it is corrected.
4. Try flipping every bit in the sent parity code and see if there are 2 or fewer errors between the calculated 12-bit word and the sent word. If so, we know which bits are wrong in the sent word and it is corrected.
5. Otherwise, the error is uncorrectable or undetectable.

# Implementation of the Finite Impulse Response (FIR) filters

The following describes a method of implementing the FIR filters that is suitable for small microcontrollers such as the ATMEGA328P. 16- and 32-bit multiplication are computationally intensive operations on an 8-bit microcontroller and are generally avoided. Because of this, these are avoided, and the operation of OOK and FSK modulations can be designed to mostly require additions, subtractions, comparisons, and bit shifts, all of which tend to be economical on small, energy efficient processors.

The following approach is used. An analog anti-aliasing filter can be applied before the signal from the mixer is sampled by an analog-to-digital converter (ADC). This removes harmonics that do not need to be filtered in software, making the application of a quadrature demodulator and low-pass filter relatively easy. In particular, a quadrature demodulator can be implemented by using adds and subtracts from a counter oscillator, with the adds and subtracts for the in phase quadrature phase subtracts being delayed a quarter cycle from the in-phase add or subtract. A low-pass filter can be implemented using a moving average FIR filter, with the length of the filter designed to place the frequency nulls of the filter in an adjacent frequency channel to be rejected.

The filters are driven by a master sample clock which is typically the sample rate of the ADC. This frequency is denoted here by  $f$  and the corresponding sampling period  $T=1/f$ . Each period  $T$ , the ADC is sampled, usually as the first operation in an interrupt service routine to apply the filter. A quadrature filter to be applied must have a period that is a multiple of  $4T$  so that the number of samples per period is  $4N$ , where  $N$  is an integer. A counter tracks the current phase of the quadrature demodulator, counting from  $0$  to  $4N-1$  before resetting to  $0$  again. There are accumulators for the in-phase and quadrature components of the filter.

If the counter is between  $0$  and  $2N-1$ , the current sample is subtracted from the in-phase component, and if the counter is between  $2N$  and  $4N-1$  the in-phase component is added. If the counter is between  $N$  and  $3N-1$  the current sample is subtracted from the quadrature-phase component, and if the counter is between  $0$  and  $N-1$  or  $3N$  and  $4N-1$ , it is added.

Furthermore, to implement low pass filtering, a moving average filter is applied to the samples. A circular buffer is maintained with the samples. Each frequency with period  $4N$  is averaged over  $M$  cycles, so that the total FIR filter length is  $4NM$ . The sample in the buffer that is lagged  $4NM$  samples behind the current sample is applied to the current in-phase and quadrature-phase components with the opposite sign as the current sample.

As an example, we consider a typical case of  $f=2000$  Hz and  $T=0.5$  ms. Typical frequencies to be filtered correspond to periods of 8 ( $N=2$ ), 12 ( $N=3$ ), 16 ( $N=4$ ), 20 ( $N=5$ ), and 24 ( $N=6$ ) samples, or 250 Hz, 167 Hz, 125 Hz, 100 Hz, and 83 Hz respectively.

For OOK operation, the center frequency on which data is received could be chosen to be the  $N=3$  channel, for example. The periods 8, 12, and 16 have a least common multiple of 48. The moving average filter corresponding to this 48 period interval corresponds to:

```

+++++-----+++++-----+++++-----+++++-----+++++-----+++++----- (M=6, N=8, in-phase)
---+++++-----+++++-----+++++-----+++++-----+++++-----+++++----- (M=6, N=8, quadrature-phase)
++++++-----++++++-----++++++-----++++++-----++++++-----++++++----- (M=4, N=12, in-phase)
---++++++-----++++++-----++++++-----++++++-----++++++-----++++++----- (M=4, N=12, quadrature-phase)
++++++-----++++++-----++++++-----++++++-----++++++-----++++++----- (M=3, N=16, in-phase)
-----++++++-----++++++-----++++++-----++++++-----++++++-----++++++----- (M=3, N=16, quadrature-phase)

```

These FIR filters are all orthogonal over the interval and therefore achieve the best discrimination between frequency channels for their length. The frequency nulls of each of these channels correspond to the two other channels. This is maintained for any interval that is a multiple of 48 periods. For the N=2, 3, 4, and 6 channels, 96 periods is similarly a common multiple.

For FSK operation, the two frequencies on which data is received could correspond to the N=3 and N=5 channels. Because these are lengths 12 and 20, respectively, their least common multiple is 60. The FIR filters corresponding to this are:

```

++++++-----++++++-----++++++-----++++++-----++++++-----++++++----- (M=5, N=12, in-phase)
-----++++++-----++++++-----++++++-----++++++-----++++++-----++++++----- (M=5, N=12, quadrature-phase)
++++++-----++++++-----++++++-----++++++-----++++++-----++++++----- (M=3, N=20, in-phase)
-----++++++-----++++++-----++++++-----++++++-----++++++-----++++++----- (M=3, N=20, quadrature-phase)

```

This FSK operation corresponds to a modulation similar to MSK, however, unlike MSK, it is insensitive to the phase of the carrier at the beginning of the interval. MSK modulation can be seen as alternating between modulating the carrier wave a half cycle or a full cycle over the 60 cycle interval. The orthogonality of the half and full cycle modulations requires that the phase of the half or full cycle be controlled at the beginning of the interval. The FSK modulation used here corresponds to one or two cycles modulated on the carrier over the 60 cycle interval. The orthogonality of one or two cycles over the interval does not depend on the initial phase of the carrier at the beginning of the interval. This is a much simpler to achieve with crude FSK modulation hardware where there could be phase discontinuities occurring when switching between the two FSK frequencies. The disadvantage is that only one quadrature signal of the two that could be used for sending separate data is being used at a time, halving the spectral efficiency and consequently reducing the signal-to-noise ratio.

The code example shows how to implement these FIR filters with the function `dsp_new_sample()` being called by an interrupt routine with a new sample to update the filters.

```

#define DSPINT_MAX_SAMPLEBUFFER 96
#define DSPINT_MAX_MAGCOUNT 6

typedef struct _dsp_state_fixed
{
    uint8_t    buffer_size;

    uint8_t    dly_8;
    uint8_t    dly_12;
    uint8_t    dly_16;
    uint8_t    dly_20;
    uint8_t    dly_24;
} dsp_state_fixed;

```

```

typedef struct _dsp_state
{
    uint8_t    sample_no;

    uint8_t    count_8;
    uint8_t    count_12;
    uint8_t    count_16;
    uint8_t    count_20;
    uint8_t    count_24;

    uint8_t    mag_count;
    uint8_t    mag_new_sample;

    int16_t    state_i_8;
    int16_t    state_i_12;
    int16_t    state_i_16;
    int16_t    state_i_20;
    int16_t    state_i_24;

    int16_t    state_q_8;
    int16_t    state_q_12;
    int16_t    state_q_16;
    int16_t    state_q_20;
    int16_t    state_q_24;

    uint32_t    state_m_8;
    uint32_t    state_m_12;
    uint32_t    state_m_16;
    uint32_t    state_m_20;
    uint32_t    state_m_24;

    uint16_t    mag_values_8[DSPINT_MAX_MAGCOUNT];
    uint16_t    mag_values_12[DSPINT_MAX_MAGCOUNT];
    uint16_t    mag_values_16[DSPINT_MAX_MAGCOUNT];
    uint16_t    mag_values_20[DSPINT_MAX_MAGCOUNT];
    uint16_t    mag_values_24[DSPINT_MAX_MAGCOUNT];
    uint16_t    sample_buffer[DSPINT_MAX_SAMPLEBUFFER];
} dsp_state;

dsp_state      ds;
dsp_state_fixed df;

/* reset state of buffer in case we get some kind
   of a dc offset mismatch */

void dsp_reset_state(void)
{
    memset(&ds, '\000', sizeof(dsp_state));
}

/* initialize the buffer including the signs to be subtracted
   from the end of the buffer */

void dsp_initialize(uint8_t sample_buffer_size)
{
    uint8_t i;
    if (sample_buffer_size > DSPINT_MAX_SAMPLEBUFFER)
        sample_buffer_size = DSPINT_MAX_SAMPLEBUFFER;
    dsp_reset_state();
    df.buffer_size = sample_buffer_size;
    df.dly_8 = (sample_buffer_size / 8) * 8;
    df.dly_12 = (sample_buffer_size / 12) * 12;
    df.dly_16 = (sample_buffer_size / 16) * 16;
    df.dly_20 = (sample_buffer_size / 20) * 20;
    df.dly_24 = (sample_buffer_size / 24) * 24;
}

#define SET_DSP_SQRT_APPROX(s,x,y) do { \
    uint16_t ux = (x < 0 ? -x : x); \
    uint16_t uy = (y < 0 ? -y : y); \
    s = ((ux + uy) >> 1) + (uy > ux ? uy : ux); \
} while(0)

```

```

/* called by the interrupt routine to update the spectral channels */
void dsp_new_sample(uint16_t sample)
{
    uint8_t b;
    int16_t fir;
    ds.mag_new_sample = (ds.count_8 & 0x03);

    if (ds.mag_new_sample == 0)
        ds.mag_count = (ds.mag_count >= (DSPINT_MAX_MAGCOUNT-1)) ? 0 : (ds.mag_count + 1);

    /* update 8 count */
    b = (ds.sample_no < df.dly_8) ? (ds.sample_no + df.buffer_size - df.dly_8) : (ds.sample_no -
df.dly_8);
    fir = sample - ds.sample_buffer[b];
    if (ds.count_8 >= 4)
        ds.state_i_8 += fir;
    else
        ds.state_i_8 -= fir;
    if ((ds.count_8 >= 2) && (ds.count_8 < 6))
        ds.state_q_8 += fir;
    else
        ds.state_q_8 -= fir;
    ds.count_8 = (ds.count_8 >= 7) ? 0 : (ds.count_8 + 1);
    if (ds.mag_new_sample == 0)
        SET_DSP_SQRT_APPROX(ds.mag_values_8[ds.mag_count], ds.state_q_8, ds.state_i_8);

    /* update 12 count */
    b = (ds.sample_no < df.dly_12) ? (ds.sample_no + df.buffer_size - df.dly_12) : (ds.sample_no -
df.dly_12);
    fir = sample - ds.sample_buffer[b];
    if (ds.count_12 >= 6)
        ds.state_i_12 += fir;
    else
        ds.state_i_12 -= fir;
    if ((ds.count_12 >= 3) && (ds.count_12 < 9))
        ds.state_q_12 += fir;
    else
        ds.state_q_12 -= fir;
    ds.count_12 = (ds.count_12 >= 11) ? 0 : (ds.count_12 + 1);
    if (ds.mag_new_sample == 0)
        SET_DSP_SQRT_APPROX(ds.mag_values_12[ds.mag_count], ds.state_q_12, ds.state_i_12);

    /* update 16 count */
    b = (ds.sample_no < df.dly_16) ? (ds.sample_no + df.buffer_size - df.dly_16) : (ds.sample_no -
df.dly_16);
    fir = sample - ds.sample_buffer[b];
    if (ds.count_16 >= 8)
        ds.state_i_16 += fir;
    else
        ds.state_i_16 -= fir;
    if ((ds.count_16 >= 4) && (ds.count_16 < 12))
        ds.state_q_16 += fir;
    else
        ds.state_q_16 -= fir;
    ds.count_16 = (ds.count_16 >= 15) ? 0 : (ds.count_16 + 1);
    if (ds.mag_new_sample == 0)
        SET_DSP_SQRT_APPROX(ds.mag_values_16[ds.mag_count], ds.state_q_16, ds.state_i_16);

    /* update 20 count */
    b = (ds.sample_no < df.dly_20) ? (ds.sample_no + df.buffer_size - df.dly_20) : (ds.sample_no -
df.dly_20);
    fir = sample - ds.sample_buffer[b];
    if (ds.count_20 >= 10)
        ds.state_i_20 += fir;
    else
        ds.state_i_20 -= fir;
    if ((ds.count_20 >= 5) && (ds.count_20 < 15))
        ds.state_q_20 += fir;
    else
        ds.state_q_20 -= fir;
    ds.count_20 = (ds.count_20 >= 19) ? 0 : (ds.count_20 + 1);
    if (ds.mag_new_sample == 0)
        SET_DSP_SQRT_APPROX(ds.mag_values_20[ds.mag_count], ds.state_q_20, ds.state_i_20);
}

```

```

/* update 24 count */
b = (ds.sample_no < df.dly_24) ? (ds.sample_no + df.buffer_size - df.dly_24) : (ds.sample_no -
df.dly_24);
fir = sample - ds.sample_buffer[b];
if (ds.count_24 >= 12)
    ds.state_i_24 += fir;
else
    ds.state_i_24 -= fir;
if ((ds.count_24 >= 6) && (ds.count_24 < 18))
    ds.state_q_24 += fir;
else
    ds.state_q_24 -= fir;
ds.count_24 = (ds.count_24 >= 23) ? 0 : (ds.count_24 + 1);
if (ds.mag_new_sample == 0)
    SET_DSP_SQRT_APPROX(ds.mag_values_24[ds.mag_count], ds.state_q_24, ds.state_i_24);

ds.sample_buffer[ds.sample_no++] = sample;
if (ds.sample_no >= df.buffer_size)
    ds.sample_no = 0;
}

```

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```
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*/
```