

10 non-original phys problems.
Marking Scheme.

- 1a. Assume no liquid is boiled / evaporated away } Any 1
 // Assume mass of liquid is the same. } ①

$$E = mc\Delta T$$

$$1000(0.69)(3600) = 10(c)(50-25)$$

$$c = 9936 \text{ J kg}^{-1} \text{ } ^\circ\text{C}^{-1}$$

$$c \approx 9940 \text{ J kg}^{-1} \text{ } ^\circ\text{C}^{-1}$$

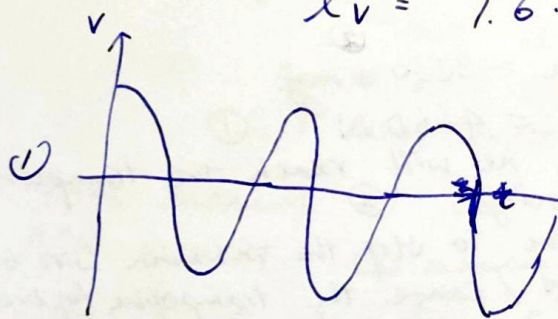
- b i. The lid should not be covered } Any 2
 The heater is not fully immersed in the liquid. } ②
 The cup is not wrapped with wool. } Each ①
- ii. Polystyrene. It is a poor heat conductor, which can help to reduce heat loss by conduction. ①

iii. $E = mlv$

$$(1.6)(1000)(60) = \cancel{(10)}(0.01)(lv)$$

$$lv = 9.6 \cdot 10^6 \text{ J kg}^{-1}$$

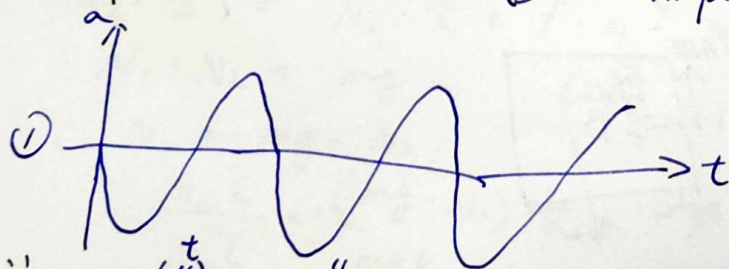
2 i.



Axis titles required.

Labels not required of time

Amplitude need not be correct. (labeled)



ii. $a(t) = x''(t)$
 $= \frac{d}{dt} \omega A \cos(\omega t)$
 $= -\omega^2 A \sin(\omega t)$
 $a(x) = -\omega^2 x$

$\therefore F(x) = m(a(x))$
 $= -\omega^2 x \cdot m = -m\omega^2 x$

- b. Max velocity: whenever $x = 0$ (i.e. at equilibrium position) ①
 Max acceleration: whenever $x = A$ (i.e. at max pt or at min pt) ①

- c. No he is incorrect
The energy is stored as elastic potential energy in the string ①
Total energy is hence conserved.

3a. $S = ut + \frac{1}{2}at^2$ ①

$$12 = S = (0) + \frac{1}{2}(9.81)t^2$$

$$\therefore t = 1.56s \quad \text{②} \therefore \text{Time taken to reach ground} = 1.56s$$

b. $F_{net} = \frac{\Delta p}{\Delta t}$

Take upward as positive.

$$v^2 = u^2 + 2as$$

$$\therefore v^2 = 2(9.81)(12)$$

$$v = 15.344 \text{ ms}^{-1} \approx 15.3 \text{ ms}^{-1} \quad \text{①}$$

$$F_{net} = \frac{\Delta p}{\Delta t}$$

$$= \frac{m(0 - (-v))}{\Delta t}$$

$$= + \frac{(115)(15.3)}{0.5}$$

$$= 3530 \text{ N}$$

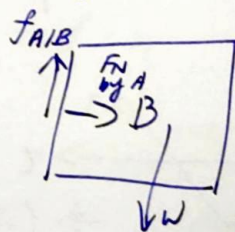
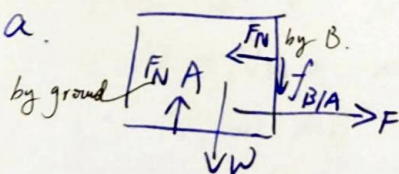
$$\therefore F_{\text{by trampoline on man}} = 3530 + mg$$

$$= 4660 \text{ N} \quad \text{①}$$

- c. If the man is higher up, he will reach the trampoline with an even larger velocity. ②

The force exerted by trampoline to stop the fat man will be increased, leading to injuries / cause the trampoline to break ①

4a.



labels required.

b. $f = 0.8(F_N)$

Note that F_N by A on B is the only force in horizontal direction

$$\therefore m_B a_B = F_N \text{ by A} \quad \text{①}$$

$$(1)(a_{\text{system}}) = F_N \text{ by A}$$

$$0.8(F_N \text{ by A}) = m_B g$$

$$F_N \text{ by A} = 12.3 \text{ N}$$

$$\therefore a_{\text{system}} = 12.3 \text{ ms}^{-2} \quad \text{①}$$

$$F = m_{\text{system}} a_{\text{system}} = (12.3)(4) = 49.1 \text{ N} \quad \text{①}$$

$$c. S = ut + \frac{1}{2}at^2$$

$$\therefore \Delta S = \frac{1}{2}(12.3)(4 \times 10^2)$$

$$\Delta S = 613 \text{ m}$$

①

$$\therefore W = F \cdot \Delta s$$

$$= 30000 \text{ N}$$

$$\therefore P = \frac{W}{t} = 3010 \text{ W //$$

①

d. It will be increased

Friction opposes motion of the system, thus a of system is reduced since $F_{\text{net}_A} = F - f < F$ in horizontal

①

①

$$\therefore a_{\text{system}} = \frac{F_{\text{net}}}{m_{\text{sys}}} \quad \therefore F_N \text{ by A on B} = \frac{F_{\text{net}}}{m_{\text{sys}}} \cdot m_B$$

$$\therefore 0.8 F_{N \text{ by A on B}} = m_B g$$

$$\text{If } F_{\text{net}} \text{ is } 0.8 F_{\text{net}} = m_{\text{sys}} g$$

\therefore Since F_{net} is equal to before if B does not fall down $\therefore F$ must increase

5a. Take moment at CG.

ACW moment = CW moment

$$\Rightarrow N_2 \cdot \frac{L}{2} = N_1 \cdot \frac{L}{2} + f \cdot H \dots (1)$$

$$N_1 + N_2 = mg \dots (2) \text{ — IM.}$$

$$\therefore N_1 = mg - N_2$$

$$\frac{N_2 L}{2} = (mg - N_2) \frac{L}{2} + \frac{mv^2}{r} \cdot H \text{ — IM.}$$

$$\frac{N_2 L}{2} = \frac{mgL}{2} - \frac{N_2 L}{2} + \frac{mv^2 H}{r}$$

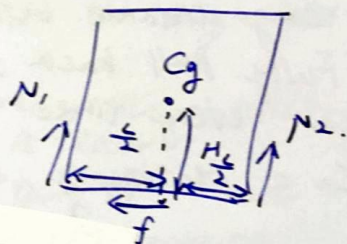
$$N_2 L = \frac{mgL}{2} + \frac{mv^2 H}{r}$$

$$N_2 L = m \left(\frac{gL}{2} + \frac{Hv^2}{r} \right)$$

$$N_2 = m \left(\frac{g}{2} + \frac{Hv^2}{Lr} \right) \text{ — IM.}$$

$$N_1 = mg - N_2$$

$$N_1 = m \left(\frac{g}{2} - \frac{Hv^2}{Lr} \right) \text{ — IM.}$$



6a. Work done by ME \rightarrow Elastic potential energy (in spring) - m
 \rightarrow KE (of the toy car) - 1M.
 each ^{correct} energy form 1M.

- 6b. • Put / Assemble a long ^{straight} frictionless track with the pieces ①
 • Mark a start point and an end point and measure the distance between the 2 points (Δs) with the ruler ②
 • Pull back the toy car and release it from one end ③
 • Time the amount of time need for the toy car to travel from start point to end point ^(Δt) with a stopwatch ①
 • Repeat the steps several times to obtain a few ①.
 Values of Δt . Then take the average of the results.
 • The ~~E~~ U stored in spring can be found as follows:

$$U = KE$$

$$\therefore U = \frac{1}{2} m v_c^2$$

$$U = \frac{1}{2} m \left(\frac{\Delta s}{\Delta t_{avg}} \right)^2$$

Pre caution

- Angle from between pt at which toy car is released from and start point ①
 - Long distance between start and finishing point.
 - Fully pull back and tighten up the spring of the toy car every time
- ① Any one.

7a. In a stationary wave with n loops,

$$\frac{\lambda}{2} \cdot n = L$$

$$\therefore \frac{v}{2f} \cdot n = L$$

$$f = \frac{n v}{2L}$$

$$\therefore 24 = \frac{n(v)}{2L} \dots (1)$$

$$28 = \frac{(n+1)v}{2L} \dots (2)$$

$$(2) - (1)$$

$$4 = \frac{v}{2L}$$

$$\therefore v = 12 \text{ ms}^{-1}$$

$$\therefore f_0 = \frac{(1)v}{2L} = 4 \text{ Hz} //$$

① for correct elimination step.

① For answer.

- 7b. The incident travelling wave is reflected at the fixed end (1)
 • The reflected wave superimpose on the incident wave to create a Stationary wave (1)

- 7c. The vibration of the particles in the string causes nearby air particles to also vibrate (1)
 • The vibration of air particles generate sound waves with the same frequency (which is within human audible range) (1)

- 7d. $v = \sqrt{\frac{T}{\mu}}$
 • Since more mass is added, v of wave in string increases (1)
 • By $f_0 = \frac{v}{2L}$, $\therefore f_0$ will be increased (1)

- 8a. Ultrasound are sound waves with frequency above 20 kHz
 // Above human audible range (1)

b.
$$\frac{\sin i}{\sin r} = \frac{v_1}{v_2}$$

$$\frac{\sin 10^\circ}{\sin r} = \frac{340}{1500}$$

$$r = 50.0^\circ$$
 (1)

- c. A small angle of incidence will lead to a large angle of refraction of the ultrasound waves
 / Bent from original direction. (1)

Since one assumes ultrasound waves to travel straight and does not know that the waves are bent and undergo refraction, it results in both improper positioning or errors in brightness of echoes in ~~images~~ ultrasound images. (1)

Reference: HKDSE 2022 P2 Q4a iii).

d. $\Delta s = \frac{1}{2} v \Delta t$ (1)
 $\therefore \Delta s = \frac{1}{2} (1500) (50 \cdot 10^{-6})$
 $\Delta s = 3.75 \text{ cm}$ (1)
 \therefore Thickness of skin & fat layer = 3.75 cm.

- 9a. Coherent sources refers to sources emitting waves of the same frequency / with constant phase relationship (1)

- b. Q is a point of constructive interference (1)
 This is because path difference at Q is equal to $m\lambda$ ($m \in \mathbb{Z}$) (1)

///

c. $\Delta a = \lambda$

$$\therefore \lambda = \sqrt{4^2 + 4^2} - \sqrt{4^2 + 2^2}$$

$$\lambda = 1.18 \text{ m} \quad (1)$$

$$\therefore f = \frac{v}{\lambda}$$

$$f = 287 \text{ Hz} \quad (1)$$

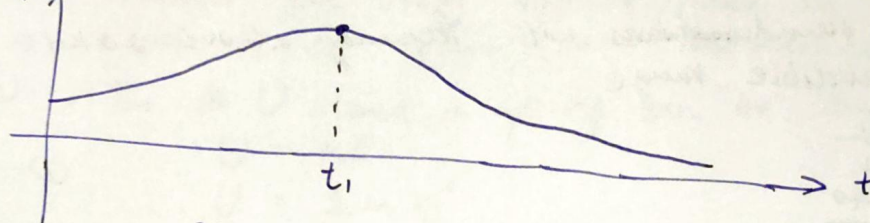
d. $\lambda' = \frac{v}{f'} = \frac{v}{2f} = 2\lambda$ (1)

$$\therefore \Delta a = \lambda = \pm \lambda'$$

(1)

\therefore Destructive interference occurs at Q, so a soft sound is heard at Q

e. Volume



Correct shape (1)
(only no straight line)

Correct position t_1 (1)
(Max pt of curve)

(1)

f. $\Delta y = \frac{D\lambda}{a}$ assumes $D \gg a$ / $a \gg \lambda$.

However, in our case, D is comparable to a / a is comparable to λ (1)

\therefore The assumption does not hold so $\Delta y = \frac{D\lambda}{a}$ does not hold.

10a. Diffraction occurs when light passes through the single slit (1)
→ Larger bright area on the screen

Since light is spread across larger area, the intensity (brightness) of the ~~light~~ light on the screen is lower. (1)

b i. Angle of 2nd order is larger than that of 1st order

\therefore Percentage error due to uncertainty in measuring instruments can be reduced (1)

ii. $d \sin \theta = m\lambda$

$$d = \frac{2 \times 10^{-3}}{1000} = 2 \mu\text{m} \quad (1)$$

(1)

iii. $\frac{m\lambda}{d} = \sin \theta \leq 1$

$$\therefore m \leq \frac{d}{\lambda}$$

$$m \leq 4.45$$

\therefore Max order maximum that can be seen is 4th order (1)

\therefore 9 bright spots can be observed (1)

iv. Measure diffraction angle on both sides of the central maximum, then ~~the~~ take the average of the 2 angles measured.

c. Angular range of 2nd order (visible light)

$$d \sin \theta_v = m \lambda$$

$$\sin \theta_v = \frac{2(400 \cdot 10^{-9})}{2 \cdot 10^{-6}}$$

$$\theta_v = 23.6^\circ$$

$$d \sin \theta_r = m \lambda$$

$$\sin \theta_r = \frac{2(700 \cdot 10^{-9})}{2 \cdot 10^{-6}}$$

$$\theta_r = 44.4^\circ$$

\therefore Angular range of 2nd order = $23.6^\circ - 44.4^\circ$

Angular range of 3rd order.

$$\sin \theta_v = \frac{m \lambda}{d}$$

$$\theta_v = 36.9^\circ$$

$$\sin \theta_r = \frac{m \lambda}{d}$$

$$\sin \theta_r = 1.05$$

$\therefore \theta_r$ does not exist

\therefore Angular range of 3rd order : Beyond 36.9°

\therefore The 2 orders coincide at $36.9^\circ - 44.4^\circ$

Accept other means of proof

e.g. $\sin \theta_v$ of 3rd order $<$ $\sin \theta_r$ of 2nd order
with appropriate calculations.

Any
one
(b)

(1)