

Binary Search Trees

Description	Sorted arrays	Linked List
Inserting a new item	$O(N)$	$O(1)$
Searching	$O(\log N)$	$O(N)$
Removing an item	$O(N)$	$O(1)$

Binary search trees are going to make all of these operations quite fast, with $O(\log N)$ time complexity !!! ~ predictable

Trees

Root node: we have a reference to this, all other nodes can be accessed via the root node

We have nodes with the data and connection between the nodes // edges

In a tree: there must be only a single path from the root node to any other nodes

in the tree

~ if there are several ways to get to a given node: it is not a tree !!!

Binary search trees

- Every node can have at most two children: left and right child
- Left child: smaller than the parent
- Right child: greater than the parent

Why is it good? On every decision we get rid of half of the data in which we

are searching !!! // like binary search

$O(\log N)$ time complexity

Resume

Binary search trees are data structures

Keeps the keys in sorted order:

- So that lookup and other operations can use the principle of - binary search !!!
- Each comparison allows the operations to skip over half of the tree, so that each lookup/insertion/deletion takes time proportional to the logarithm of the number of items stored in the tree
- This is much better than the linear time $O(N)$ required to find items by key in an unsorted array, but slower than the corresponding operations on hash tables

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