

Multi-agent Maintenance Scheduling: The Making of a Science

Christian Brunbjerg Jespersen

June 5, 2024

Contents

1	Introduction	1
1.1	The General Maintenance Scheduling Process	1
2	Modelling the Generalized Setup	2
2.1	The Strategic Model	2
2.2	The Tactical Model	2
2.3	The Supervisor Model	3
2.4	The Operational Model	3

ing literature and also, and more importantly, it will also be the source which above all else will us us through the perilous process of create a generalize model setup for maintenance scheduling.

Chapter 1

Introduction

Maintenance scheduling is in its nature a multi actor process. Many stakeholders have to coordinate in both time and space to allow for an efficient and effective execution. This thesis will propose a generalized multi-agent scheduling system and it will argue that for the field of maintenance scheduling to more forward similar approaches will have to be adopted. Other approaches may be very different but they will share many of the aspects.

This Ph.D. will present a generalized dynamic multi-model approach to maintenance scheduling which will be model after a practical maintenance handbook Palmer [2019]. This book written by the experienced practitioner Richard D. Palmer will be a guiding light throughout the thesis, so it serves as the main source and validation, or maybe invalidation is a better word, as we explore the academic maintenance schedul-

1.1 The General Maintenance Scheduling Process

This section will provide an overview of the maintenance scheduling process in the most abstracted way possible. It will be important to understand this setup throughly as most industries that perform maintenance of a considerable scale follow this process. Many industries are of course unique and deviate from general framework in specific work but the fundamentals are usually quite similar.

This figure shows

Chapter 2

Modelling the Generalized Setup

To model the maintenace process in its entirety we will need tool that are powerful enough to describe the system. The system will be described in accordance with the ?? Palmer [2019].

The maintenance scheduling problem is NP-hard and real-time optimal solutions will never be a feasible approach unless we use a multi-model setup where each model enriches the overall solution in the way that it is most capable of.

$$\text{Min} \quad \sum_{i \in I} \sum_{k \in K} v_{ik}(t) \cdot x_{ik} + \sum_{k \in K} \sum_{c \in C} pen \cdot p_{kc} \quad (2.1)$$

subject to:

$$\sum_{i \in I} w_{ic} \cdot x_{ik} \leq cap_{kc}(t) + p_{kc} \quad \forall k \in K, \forall c \in C \quad (2.2)$$

$$\sum_{i \in I} x_{ik} = 1 \quad \forall k \in K \quad (2.3)$$

$$x_{ik} = 0 \quad \forall (i, k) \in Q \quad (2.4)$$

$$x_{ik} = 1 \quad \forall (i, k) \in P \quad (2.5)$$

$$x_{ik} \in \{0, 1\} \quad \forall i \in I, \forall k \in K \quad (2.6)$$

$$p_{kc} \in \mathbb{R}^+ \quad \forall k \in K, \forall c \in C \quad (2.7)$$

$$(2.8)$$

Here the model is shown.

2.1 The Strategic Model

The Strategic model is responsible for grouping work orders into weekly or biweekly periods depending on which kind of maintenance setup that one is running. This kind of model closely resembles a variant of the multi-compartment multi-knapsack problem.

2.2 The Tactical Model

After the strategic model has optimized its schedule the tactical agent will continue scheduling the output at a more detailed level. This means that now the tactical agent will schedule out on each of the days of the work orders scheduled by the strategic agent.

The tactical model is responsible for providing an initial suggestion for a weekly schedule, below we see the model for the tactical agent.

2.3 The Supervisor Model

$$\text{Min} \quad \sum_{i \in I} v_c(t) \cdot y_{dj}(t) + \sum_{c \in C} \sum_{d \in D} pen \cdot p_{cd} \quad (2.9)$$

subject to:

$$\sum_{j \in J} w_{cj} \cdot y_{dj} \leq R_{dc} + p_{dc}^y \quad (2.10)$$

$$d \in D, \forall c \in C \quad (2.11)$$

$$\sum_{d \in D} d \cdot y_{di} + \Delta_i \leq \sum_{d \in D} d \cdot y_{dj} \quad (2.12)$$

$$(2.13)$$

2.4 The Operational Model

possible sections * All Stochasticity will be handled by user interaction. * In maintenance scheduling, data is assumed to be correct. Yes that must be the prevailing idea here.

$$\forall (i, j) \in Pred$$

Bibliography

Richard D. Palmer. *Maintenance Planning and Scheduling Handbook, 4th Edition*. McGraw Hill, 4th edition edition, September 2019.