



**UNIVERSITÀ
DEGLI STUDI
DI TRIESTE**

Generative Adversarial Network

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Introduction to GANs



- A new framework for estimating generative models via an Adversarial process, proposed by Ian Goodfellow, A model G that captures the distribution and A model D that estimates the probability that a sample came from the training data
- The objective is to generate realistic data
- Generative models refers to any model that takes a training set and learns to represent an estimate of that distribution.
- GANs are focus primarily on the sample generation.

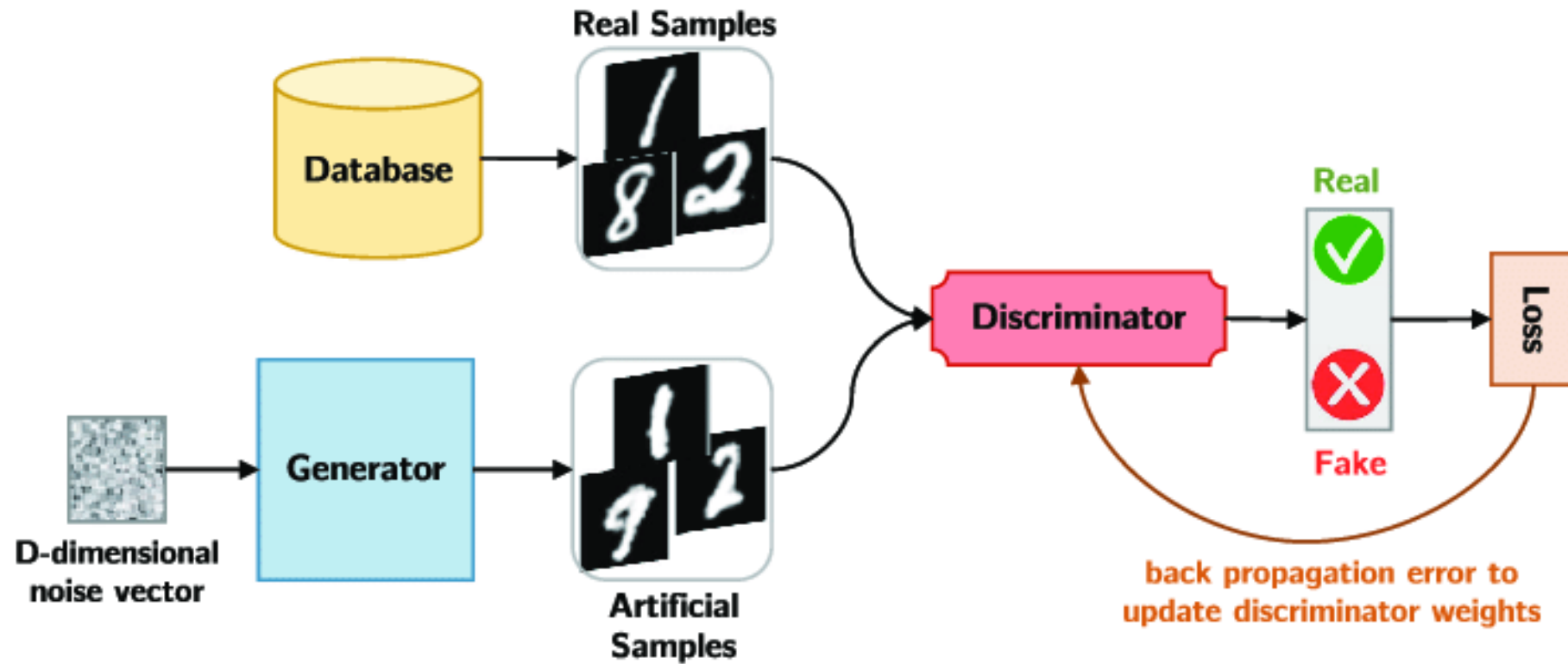
Introduction to GANs

- The generative model is pitted against an adversary and can be thought of by trying to produce fake currency and use it without detection
- The discriminative model that learns to determine whether a sample is from the model distribution or the data distribution
- A competition game for both teams

Motivations

- The Training and Sampling for high-dimensional probability distributions
- The use in reinforcement Learning
- The use in Semi-supervised learning
- GANs work with multi-model outputs
- Single image super-resolution

The Architecture



The Framework

- The basic idea of GANs is to set up a game between the generator and the discriminator
- The solution is a local minimum
- Each player is a differentiable function
- The discriminator is trained using supervised learning
- The generator is trained using Gradient Descent algorithm

The Training

- The training process Consists of simultaneous SGD.
- It is possible to use the gradient-based optimization algorithm of your choice
- The protocol that works the best in practice is simultaneous gradient, with one step for each player
- Phase one:
 - Training the discriminator, at each step providing a batch of real images and fake images generated by the generator
 - Optimization BCE

The Training

- The phase two:
 - Training the generator, at each step providing a random noise compose batch to generate images
 - Define the output with a set of labels as real
 - Optimize BCE

Cost functions

- The generator cost

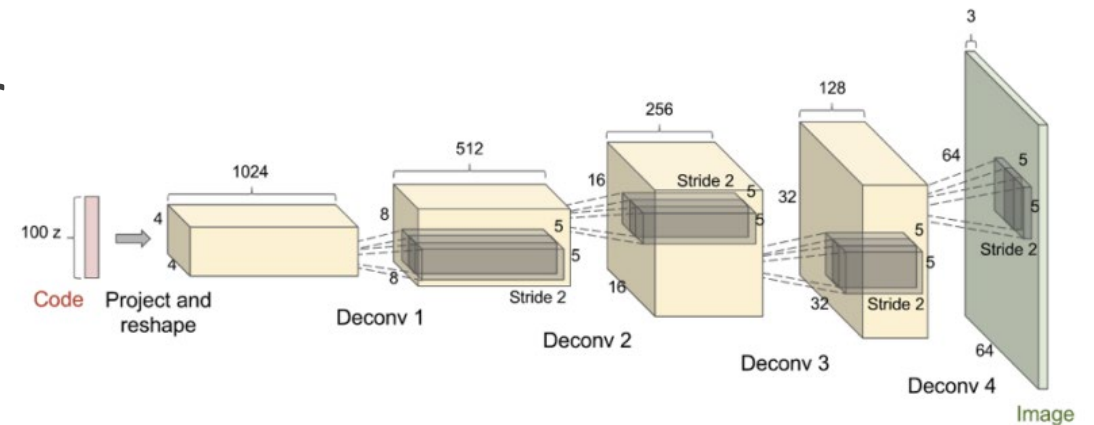
$$J^{(G)} = -\frac{1}{2} \mathbb{E}_{\mathbf{z}} \log D(G(\mathbf{z}))$$

- The discriminator cost is:

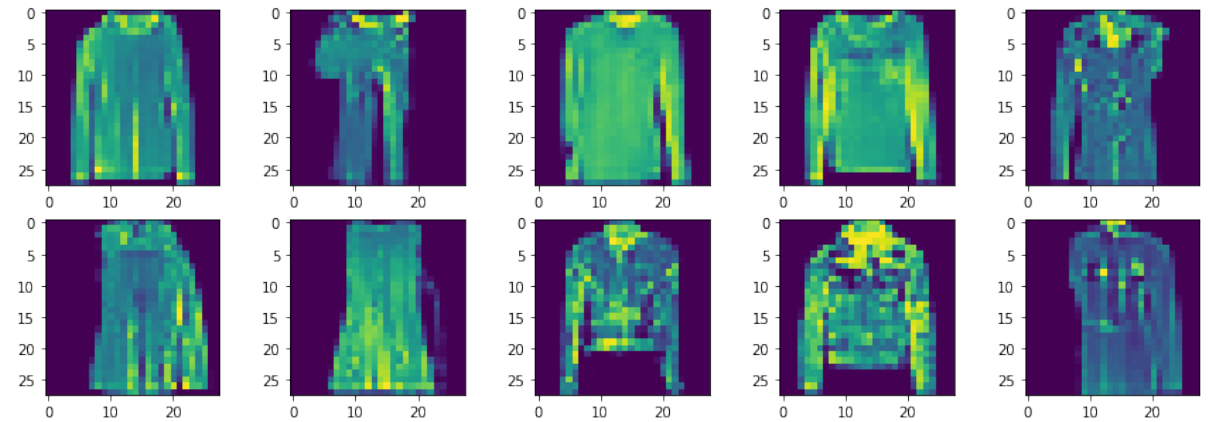
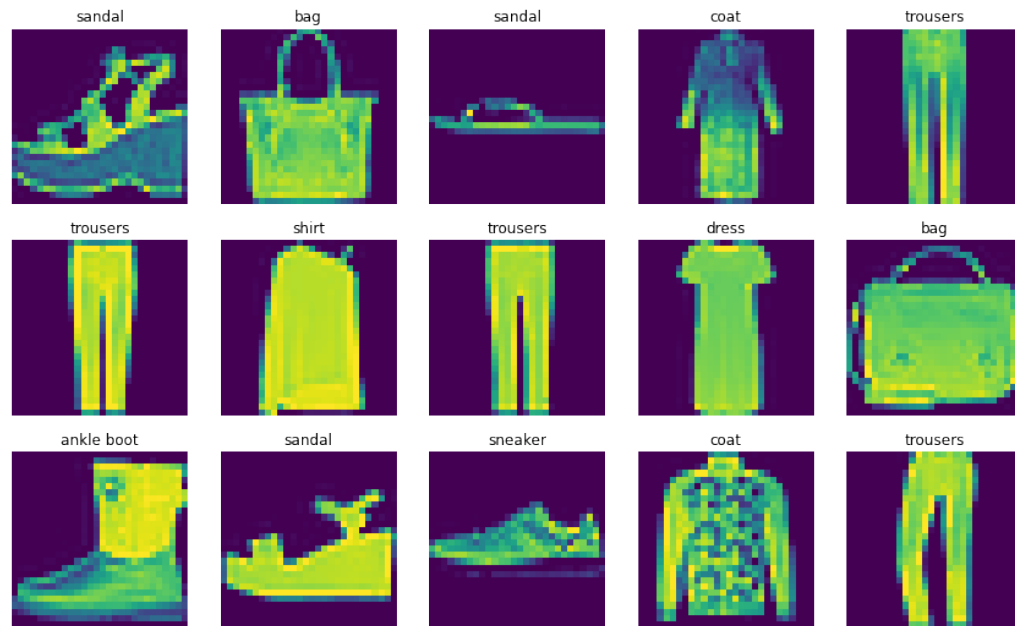
$$J^{(D)}(\boldsymbol{\theta}^{(D)}, \boldsymbol{\theta}^{(G)}) = -\frac{1}{2} \mathbb{E}_{\mathbf{x} \sim p_{\text{data}}} \log D(\mathbf{x}) - \frac{1}{2} \mathbb{E}_{\mathbf{z}} \log (1 - D(G(\mathbf{z})))$$

DCGAN

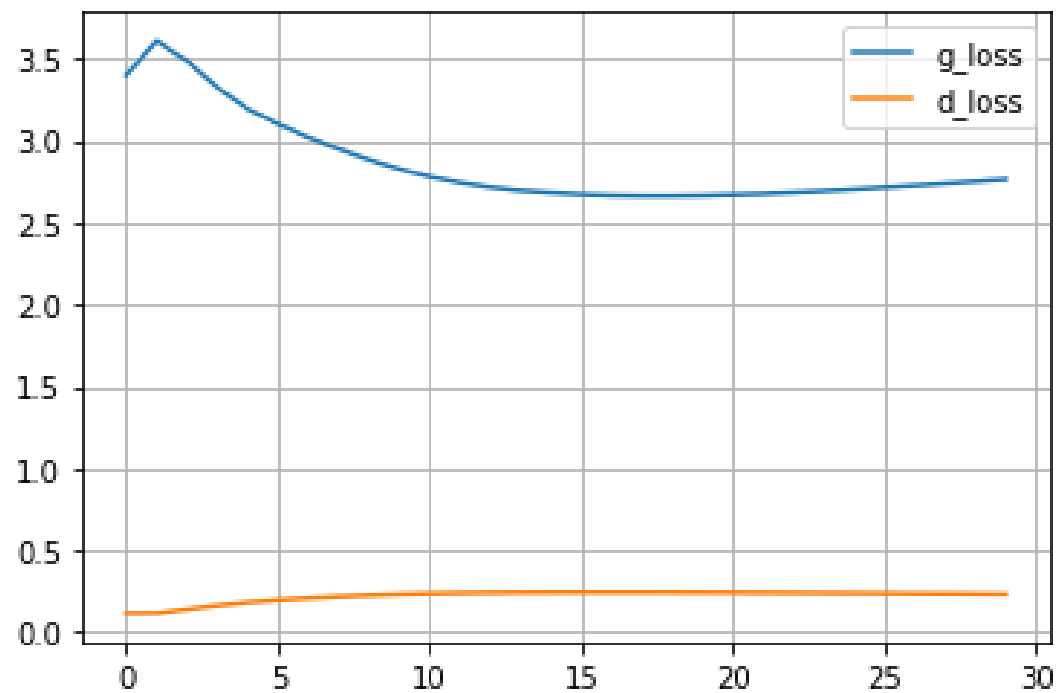
- Deep, convolution GAN
- Using batch normalization
- Neither Pooling nor unpooling layer
- Adam optimizer
- Labels
- The virtual batch normalization
- Can be balance G and D



The Model



The Model



References

Goodfellow, Ian. 'NIPS 2016 Tutorial: Generative Adversarial Networks'. 2017. Web.

Loyola-González, Octavio. 'Black-Box vs. White-Box: Understanding Their Advantages and Weaknesses From a Practical Point of View'. *IEEE Access* 7 (2019): 154096–154113. Web.