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- Summary

In fact this is the same notation as in the linear models chapter, except that now Y_i is discrete and represent generally a class number $Y_i \in \{0, 1, \dots, K\}$

$$Y_i = h(X^i) = \beta_0 + \beta_1 X_{i,1} + \beta_2 X_{i,2} + \dots + \beta_p X_{i,p}$$

Moreover the prediction is a probability to be in the class k . In a two-class problem, you can decide Y_i is true if proba. > 0.5

Array TBD , Vocabulary

- How to understand datas, correlation but not causation
- How to handle variety of datas (see 3V description later)
- see materials for supervised (*) and unsupervised (*) use-cases

(*) Definition to come later

- 3V definition :
 - Volumen, Velocity, Variety
 - + Veracity, ++
- Position of data mining vs ML vs Statistical Learning vs AI

Starting point :

- Outcome measurement Y (also called dependent variable, response, target) ;
- Vector of p predictor measurements X (also called inputs, regressors, covariates, features, independent variables). X is a matrix of dimension (N,p) , where n is the number of measurements ;
- In the **regression problem**, Y is quantitative (e.g price, blood pressure) ;
- In the **classification problem**, Y takes values in a finite, unordered set (survived/died, digit 0-9, cancer class of tissue sample) ;
- We have training data $(x_1, y_1), \dots, (x_N, y_N)$. These are observations (examples, instances) of these measurements.

