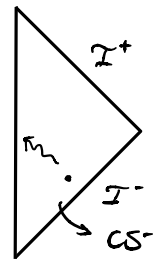
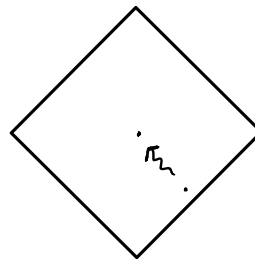
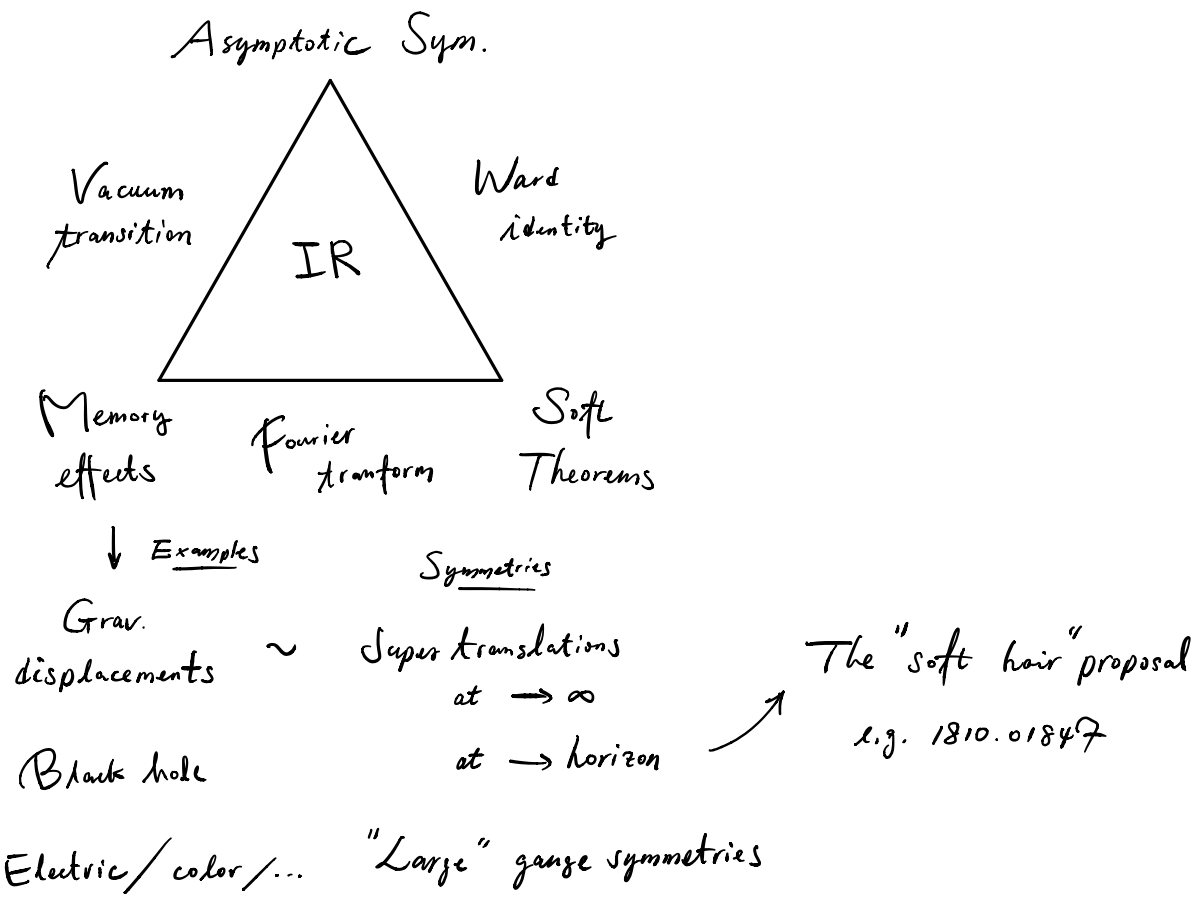


Conformal
 \rightsquigarrow
 compactification

$$u \rightarrow \tan u$$

$$v \rightarrow \tan v$$





ASG ($\sim \text{flat}_4$)

Poincaré

\mathcal{I}^+
 $\text{CS}^+ \times \mathbb{R}$

$\mapsto \mathbb{C}^2 \ni (z, \bar{z})$

SO(3) rotations

boost

(along p^μ ,
think of little group)

rotations, $\mathbb{1}$

$\mathbb{1}$, dilations

global $SL(2, \mathbb{C}) / \mathbb{Z}_2$

$\simeq SO(3, 1)$

$(Y^z(z), Y^{\bar{z}}(\bar{z}))$

translations u

spatial $l=0$, dilation, $*$
 $l=1$, rotations, $*$

$\epsilon \sim \text{const.}$

$\underbrace{{}^1 \text{rotation} + {}^2 \text{translations}}$

Another global $SL(2, \mathbb{C})$

Super-trans

$\sim \text{Vir generators}$

$\epsilon(z, \bar{z})$

———— BMS⁺ so far

rotation + boost

\leadsto Superrotations

local Vir' generators

$(Y^z(z), Y^{\bar{z}}(\bar{z}))$