1.
$$\sum_{i=1}^{n} \frac{x_i y_i - n \overline{x} \overline{y}}{x_i^2 - n \overline{x}^2} = \hat{B}_i$$

2.
$$2253 - 10(7.5)(21.1) = 670.5$$

 $759 - 10(7.5)^{2}$ 196.5

$$\vec{B}_{0} = 3.4122$$
 $\vec{B}_{0} = 21.1 - 3.4122(7.5)$
 $\vec{B}_{6} = -4.4915$

$$y = -4.4915 + 3.4122(20) = 63.7525$$

I am guessing w/rounding variations
the answer is A

3.
$$\geq^{n} (x-x)(y,-y)$$
 = $\frac{192}{5i^{-1}} = \frac{1.8824}{102}$

$$\hat{B}_{0} = \overline{Y} - b_{1}\overline{X} = 13.75 - 1.8824(6) = 2.4559$$

4.
$$R^2 = 1 - \frac{RSS}{TSS}$$

$$0.8 = 1 - \frac{306}{TSS} = .2 = \frac{306}{TSS}$$

5.
$$0.7 = 1 - \frac{RSS}{1000} = .3 = \frac{P.SS}{1000}$$

6.
$$\frac{\#}{2}$$
 $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{3}$ $\frac{1}{3}$ $\frac{1}{3}$ $\frac{1}{4}$ $\frac{3}{8}$ $\frac{1}{9}$ $\frac{1}{4}$ $\frac{8}{5}$ $\frac{1}{4}$ $\frac{1}{6}$ $\frac{1}{6}$ $\frac{1}{4}$ $\frac{1}{6}$ \frac

7.
$$F = \frac{\frac{R \cdot gu SS}{100,000}}{TSS/(n-2)}$$

$$\frac{100,000}{(20,000)(100-2)}$$

Found another version of formula online.

$$\frac{(R_{SS})}{SSR/P} \qquad \frac{SPR=R_{eS}SJ=[RSS,-RSS_{2}]}{SSE(n-p-1)} \qquad \frac{[RSS,-RSS_{2}]/I}{[RSS]}$$

$$\frac{120,000 - 100,000}{100,000 / 98} = \frac{20,000}{1020.4082} = 19.6$$

8.
$$Reg SS = [R_2^2 - R_1^2]$$
 $RSS_2 = [1 - R_1^2]$

$$\frac{(.7 - 0)/1}{(1 - .7)(100 - 2)} = \frac{.7}{.3(98)} = 228.76$$

9. Because p-value of the model is 0.00209 < .05 the model is a better predictor the model is a better predictor

$$,2 > .06209$$
 $,1 > .00209$
 $,05 > .00209$
 $,01 > .00269$

$$(-4 \times 72) + 0 + (4 \times .2) = 1.6$$

$$\beta_0 = 1.2 - .05(16) = .4$$

$$y = .4 + .05x$$

$$y = .4 + .05(24) = $1.60 2402$$

$$y = .4 + .05(48) = $2.80 4802$$

$$2(1.60) = $3.20 - $2.80 = $0.40$$