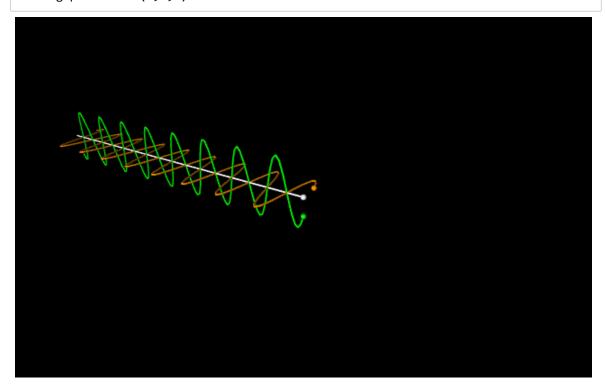
# **Animation**

### Introduction

I am animating the movement of a light showing the corresponding electric and magnetic fields.

```
In [3]: ► from vpython import box,sphere, vector,color,rate,canvas
import numpy as np
scene = canvas()
vix = 1
light = sphere (color = color.white, radius = 0.4, make_trail=True, retain=200)
elec = sphere (color = color.green, radius = 0.4, make_trail=True, retain=200)
mag = sphere (color = color.orange, radius = 0.4, make_trail=True, retain=200)
timelist = list(np.arange(0,100,0.1))
def r_light(t):
    x = vix*t
    y = 0
    return x,y
def r_elec(t):
    x = vix*t
    y = 5*np.sin(t)
    return x,y
def r_mag(t):
    x = vix*t
    z = 5*np.sin(t)
    return x,z
scene.camera.follow(light)
scene.range = 30
for t in timelist:
    rate(100)
    x,y = r_{light}(t)
    light.pos = vector(x,y,0)
    x,y = r_elec(t)
    elec.pos=vector(x,y,0)
    x,z = r_mag(t)
    mag.pos=vector(x,0,z)
```



#### Conclusion

I enjoyed this a lot more than I expected. It is a good visualization of the fields.

## 4.3 Calculating Derivatives

#### Introduction

This will have me use the forward difference definition of the derivative. Function: f(x) = x(x-1)

```
In [6]: \blacktriangleright func = lambda x: x*(x-1)
   x = 1
   print('Analytically, the derivative at x = 1 is 1')
   \delta = 1e-2
   der = (func(x+\delta)-func(x))/\delta
   print(f'When \delta = \{\delta:.1e\}, the derivative is \{der :.5f\}')
   \delta = 1e-4
   der = (func(x+\delta)-func(x))/\delta
   print(f'When \delta = \{\delta:.1e\}, the derivative is {der :.5f}')
   \delta = 1e-6
   der = (func(x+\delta)-func(x))/\delta
   print(f'When \delta = \{\delta:.1e\}, the derivative is {der :.5f}')
   \delta = 1e-8
   der = (func(x+\delta)-func(x))/\delta
   print(f'When \delta = \{\delta:.1e\}, the derivative is {der :.5f}')
   \delta = 1e-10
   der = (func(x+\delta)-func(x))/\delta
   print(f'When \delta = \{\delta:.1e\}, the derivative is \{der :.5f\}')
   \delta = 1e-12
   der = (func(x+\delta)-func(x))/\delta
   print(f'When \delta = \{\delta:.1e\}, the derivative is {der :.5f}')
   \delta = 1e-14
   der = (func(x+\delta)-func(x))/\delta
   print(f'When \delta = \{\delta:..1e\}, the derivative is {der :.5f}')
```

```
Analytically, the derivative at x = 1 is 1 When \delta = 1.0e-02, the derivative is 1.01000 When \delta = 1.0e-04, the derivative is 1.00010 When \delta = 1.0e-06, the derivative is 1.00000 When \delta = 1.0e-08, the derivative is 1.00000 When \delta = 1.0e-10, the derivative is 1.00000 When \delta = 1.0e-12, the derivative is 1.00009 When \delta = 1.0e-14, the derivative is 0.99920
```

#### Conclusion

The derivative gets closer to the correct value and then gets farther away.

### 4.4 Calculating Integrals

#### Introduction

Take the integral of:

### Conclusion

With 10000000 slices, the integral is acurate to 10 decimal places.

## **In Class Notes**

```
In [16]: ► from vpython import *
 from numpy import arange
 scene = canvas()
 maxrate = 10
 xi = 0
 yi = 0
 vix = 3
 viy = 20
 ax = 0
 ay = -9.8
 timelist = list(arange(0,5,0.1))
 ball = sphere(pos=vector(xi,0,yi))
 def r(t):
    x = xi+vix*t+0.5*ax*t*t
    y = yi+viy*t+0.5*ay*t*t
    return x,y
 scene.camera.pos = vector(0,0,0)
 scene.range = 30
 for t in timelist:
     rate(maxrate)
     x,y = r(t)
     ball.pos = vector(x,0,y)
```

××