Parallel Software (MK book, §2.4)

• Issues of writing software for parallel systems

```
ex) _typical shared-memory program:

start a process → forks threads

typical distributed-memory program:

start multiple processes
```

```
ex) if (process_id/thread_id == 0)
do this;
else
do that;

if (process_id/thread_id == 0)
operate on the 1<sup>st</sup> half of the array;
else
operate on the 2<sup>nd</sup> half of the array;
```

SPMD model is suitable for implementing both data and task parallelism.

Running a different

(MPMD)

program on each core

Task parallel program – dividing tasks among processes/threads.

Coordinating processes/threads:

- Divide work among processes/threads
 Load balancing, minimum communication
- 2. Synchronization among processes/threads
- 3. Communication among processes/threads

• Shared-memory system issues

VS.

<u>Dynamic threads</u> – master thread forks a thread (joins to master thread)
 when needed;

→ high cost of thread fork/join (time-consuming operations)

Static threads – all are forked at the same time;

→ less efficient resource usage (idle thread holds resources)

Non-determinism: vague order, ex) which thread terminate earlier/later

Unlock

x += my_val; // x is shared_var, my_val is local to each thread

one exec scenario: $\frac{\text{thread 0}}{\text{time}}$ $\begin{array}{c} \text{thread 0} \\ x = 0 \\ \text{my_val} = 7 \\ x = x + 7 \\ \text{store } x = 7 \\ \end{array}$ $\begin{array}{c} x = 0 \\ x = x + 7 \\ \text{store } x = 7 \\ \end{array}$ $\begin{array}{c} x = 0 \\ \text{my_val} = 9 \\ \text{store } x = 7 \\ \end{array}$

finally, shared x = 9, which is different from the desired result (16).

→ problem: simultaneous updates of shared location.

<u>critical section</u> – shared location is updated

Critical section (C.S.) should be mutually exclusive;

How to implement? - using a mutex semaphore

- monitor

Lock - busy-waiting (highly inefficient)
C.S.

C.S. is serialized among processes/threads

<u>Thread safty</u> – some built-in serial func.s malfunction in parallel program

• Distributed-memory system issues

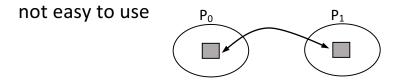
multiple processes, each on an independent processor

message-passing API (ex, MPI) ref) It's possible to use send/receive functions distributed-mem API on shared-mem system; ex) char msg[100]; //local to each process Programmer logically my rank = get rank(); partitions shared-mem into if (my rank == 1)private address spaces; SPMD: { msg = "... from process_1"; 2 proc's use send (msg, MSG_CHAR, 100, Q); same code, P_0 dest Po but different else if (my rank == 0)receive() send() actions { receive (msg, <u>MSG_CHAR</u>, 100, 1); cout<<...; $^{\bullet}$ type of msq $^{\bullet}$ source P₁

functions: send() – 1. Sending proc is blocked until receiver is ready; or, 2. sending proc sends data to a buffer and continue op; receive() – receiving process is blocked until msg is received;

broadcast reduction

One-sided communication (ex, remote mem access in DSM)



 $\underline{P_0}$ updates P_1 's mem with P_0 's data or, $\underline{P_0}$ updates P_0 's mem with P_1 's data

Programming hybrid systems – e.g., cluster of multicore processors
 It's possible to use both MPI and OpenMP, but difficult to implement;
 → using only MPI for both inter- and intra-node communication.

Input and Output (MK book, §2.5)

C/C++ with OpenMP, MPI, Pthread

Multiple processes/threads → non-determinism on I/O (stdin, stdout, stderr)

 $(ex) P_0 P_1 P_2 \dots P_n$

only 1 process should be responsible for output

Assumptions/suggestions/rules:

- in distributed-mem programs only process_0 will access stdin;
- in shared-mem programs only the master thread (Thread_0) will access stdin;
- in both distributed-/shared-mem programs,
 all processes/threads can access stdout/stderr;
 - → non-deterministic
 - → Sol: only 1 process/thread should be used for stdout/stderr
- only a single process/thread attempts to access any single file; each process/thread can open its own private file for r/w, but no two processes/threads will open the same file
- debug output should include the rank (id) of process/thread;

Performance (MK book, §2.6)

ideal

T_parallel =
$$\frac{T_serial}{P}$$
 //linear speedup (ideal), where P is number of processors

overheads: increases as # of processes/threads increases

shared-mem – critical sections are executed in serial (with mutex);

distr-mem – data transition across IN (slower than local mem access);

ideal

ideal (linear) speedup
$$S = \frac{T_{serial}}{T_{parallel}} = \frac{T_{serial}}{\frac{T_{serial}}{P}} = P$$

in reality,

as P increases, S becomes smaller;

as P increases, $\frac{S}{P}$ (efficiency of parallel program) becomes smaller;

efficiency (speedup per processor)
$$E = \frac{S}{P} = \frac{\frac{T_serial}{T_parallel}}{P} = \frac{T_serial}{P*T_parallel} = \frac{1}{P} \left(\frac{Ts}{Tp}\right)$$

effective

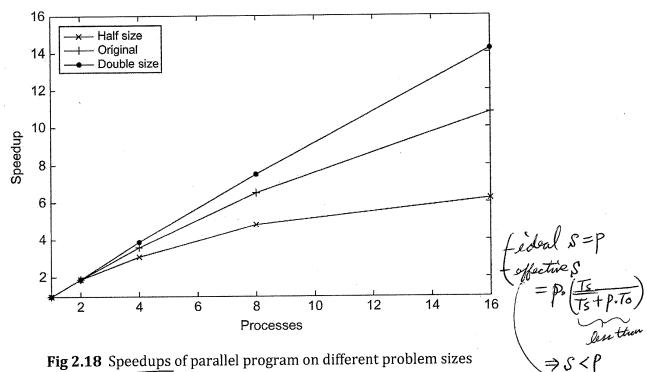
effective T_parallel =
$$(\frac{T_serial}{P}) + T_overhead$$

effective speedup $S = \frac{T_serial}{effective T_parallel} = p * (\frac{Ts}{Ts + P * To})$

ex) Table 2.4

_P	1	2	4	8	16	cores/processors
S	1.0	1.9	3.6	6.5	10.8	
E	1.0	0.95	0.9	0.81	0.68	

UKbook



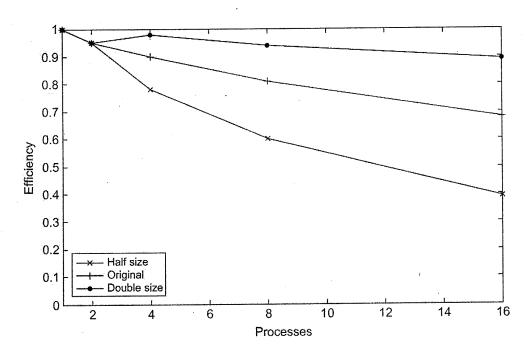


Fig 2.19 Efficiencies of parallel program on different problem sizes

$$E = \frac{5}{P}$$
 (ideal case, $E = 1$)
: $S = P$

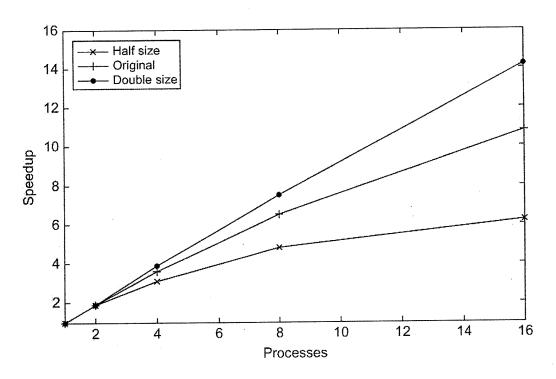


Fig 2.18 Speedups of parallel program on different problem sizes

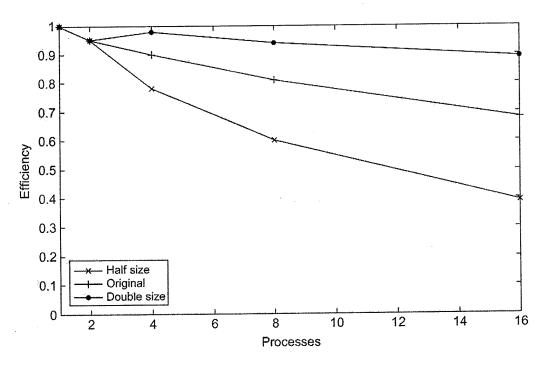


Fig 2.19 Efficiencies of parallel program on different problem sizes

Time checking (measuring parallel program run time)

Elapsed time = CPU time + I/O time

```
Run time of parallel program – varies at different run
  wall-clock time from start to finish of any interested part
  ex) double start, finish;
                                            get wall-clock time
      start = Get current time();
                                            ex) MPI:
                                                  MPI Wtime();
                                                OpenMP:
                                                  Omp_get_wtime();
      finish = Get current time();
      cout<<finish - start;</pre>
Global time checking for multiple processes/threads:
ex) shared double global elapsed;
     private double my_start, my_finish, my_elapsed;
     barrier(); //synchronize all processes/threads
     my start = Get current time();
     my_finish = Get_current_time();
     my elapsed = my finish - my start; //for each local process/thread
    //find the maximum across all processes/threads
     global elapsed = Global max(my elapsed); //updates shared location
                                               //if my elapsed > current max
     if (my rank == 0)
       cout<<global elapsed;</pre>
Reported run time should exclude I/O time.
```

//\$>time for elapsed time

Maximum speedup from parallelization

Amdahl's law

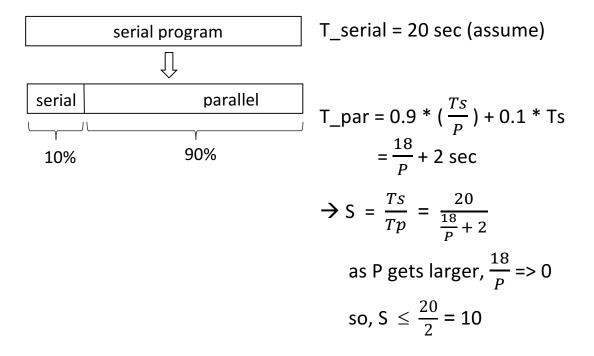
Speedup =
$$\frac{1}{(1-Fe)+(\frac{Fe}{Se})}$$

ex) 10% of a task is serial, 90% of the task is parallelizable; using P processors, ideal (linear) speedup = P

$$\Rightarrow \text{ maximum speedup S} = \frac{1}{(1-0.9) + (\frac{0.9}{P})} = \frac{1}{0.1 + (\frac{0.9}{P})} = \frac{1}{0.1} = 10$$

$$\frac{\text{when P gets larger} => 0}{(1-0.9) + (\frac{0.9}{P})} = \frac{1}{0.1} = 10$$

analysis:



Scalability

Assume that n (problem size) and P (# of processes/threads) yields efficiency E.

If we increase
$$\begin{bmatrix} n \rightarrow k * n \\ P \rightarrow k * P \end{bmatrix}$$

and this yields same efficiency E, then the parallel program is <u>scalable</u>; more specifically, the parallel program is weakly scalable.

strongly scalable:

only p \rightarrow k * P (regardless of the problem size n) yields same efficiency E weakly scalable:

both $p \rightarrow k^*P$ and $n \rightarrow k^*n$ yields same efficiency E (same increasing factor k for P and n)

ex) problem size = n

$$T_s = n$$

 $T_p = (\frac{n}{P}) + 1$

$$\Rightarrow E = \frac{S}{P} = \frac{\frac{Ts}{Tp}}{P} = \frac{Ts}{P*Tp} = \frac{n}{P(\frac{n}{P}+1)} = \frac{n}{n+P}$$

ref)
Ideal Tp =
$$\frac{Ts}{P}$$
Ideal S = $\frac{Ts}{Tp}$ = P
Ideal E = $\frac{S}{P}$ = 1

if we increase $P \rightarrow k^*P$,

$$E' = \frac{n}{n + K * P} \neq E \qquad --- \text{ program is not strongly scalable}$$

if we increase P \rightarrow K*P and n \rightarrow k*n,

$$E' = \frac{k*n}{k*n+k*P} = \frac{n}{n+P} = E$$
 --- program is weakly scalable

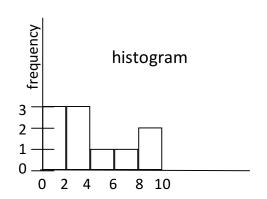
Parallel program design (MK book, §2.7)

Design steps:

- 1. partitioning divide computation into small tasks;
- 2. communication among the small tasks;
- 3. aggregation combine small tasks into a bigger task;
 - → reduces communication cost
- 4. mapping assign tasks to processes/threads with minimum communication and load-balancing way.
- ex) computation for making a histogram

ex) 1, 3, 4, 2, 3, 5, 7, 10, 2, 9

bin#	range	count
[0]	1~2	3
[1]	3~4	3
[2]	5~6	1
[3]	7~8	1
[4]	9~10	2



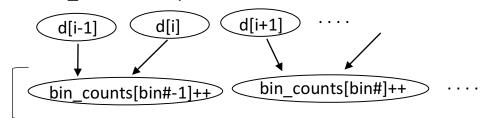
serial algorithm:

```
for each input data element i,
{ determine the bin (it is belong to); // find_bin(i) → bin# (index)
  increment the count of that bin; // bin_counts[bin#]++;
}
```

parallel schemes

1. Shared bin-count way:

find_bin in each process

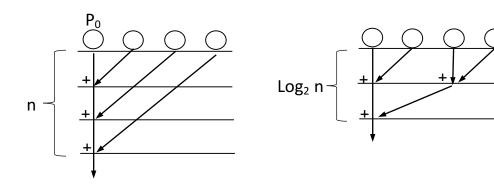


shared-mem access

→ race condition

Processes/threads update shared-memory location (bin_counts[])

- → race condition: the shared location is C.S. and should be protected by mutex.
- 2. Local-sum way: -- data parallel on distributed-mem system Input data is divided by the number of processes/threads; each process implements the serial algorithm on the part of the data; then, local bin_counts are combined into the global one.
 - (1) by a process/thread
 (2) by tree-reduction way



Writing and running parallel programs

• Small shared-memory system:

1 op sys schedules threads on the cores/processors;

• large shared-memory system:

batch scheduler – user requests # of cores, etc.

• distributed-memory system (e.g., clustered system):

host computer allocates nodes among users;

or, batch (job queue), check-out way, etc.

Assumptions used in this course:

Homogeneous MIMD system

SPMD programming

At most one process/thread on a processor/core