

# On Causal Diamonds and the Thermodynamic Duality of von Neumann Entropy

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## Abstract

We present the Quantum-Thermodynamic Entropy Partition (QTEP) framework, which resolves the quantum measurement problem through concrete geometric foundations. Quantum measurement occurs within causal diamonds—specific spacetime regions where quantum information converts to classical information through ebit-obit cycles.

When maximally entangled quantum systems undergo measurement, their entropy partitions into coherent entropy (accessible information) and decoherent entropy (thermodynamically inaccessible information). This partition yields a universal ratio of approximately 2.257 that emerges directly from first principles quantum mechanics, requiring no adjustable parameters.

QTEP eliminates the many worlds interpretation by showing that only one causal diamond can exist at each moment. Rather than creating parallel realities, quantum measurement generates negentropy—information that becomes thermodynamically removed from the system. The finite information processing rate makes infinite universe branching physically impossible.

The framework makes specific testable predictions: modified decoherence rates for multi-particle systems, Thomson scattering signatures in cosmic microwave background radiation, and characteristic effects in precision interferometry. These predictions provide clear experimental pathways for validation.

We reveal deep connections between quantum measurement and cosmological evolution through the fundamental information processing rate, connecting microscopic quantum processes to large-scale spacetime structure. Gravity emerges as the effect of the organization of information processing across spacetime.

QTEP anchors quantum measurement theory in testable spacetime geometry rather than philosophical speculation, establishing quantum measurement as a fundamentally geometric and thermodynamic process operating across all scales of physical reality.

**Keywords** - Quantum Measurement Problem; Entropy Partition; Wave Function Collapse; Quantum Decoherence; Many Worlds Interpretation; Thomson Scattering; Information Theory; Black Hole Information Paradox; Dimensional Structure

## 1. Introduction

The quantum measurement problem represents one of physics' most profound puzzles: how do definite outcomes emerge from quantum superposition? Existing approaches remain fundamentally incomplete. The Copenhagen interpretation invokes wave function collapse without physical mechanism [2], while the many worlds interpretation proposes infinite parallel realities that violate energy conservation [3]. Alternative approaches such as spontaneous localization theories face significant theoretical challenges [4].

Recent advances point toward a resolution through connections between entanglement, information processing, and thermodynamic boundaries [5]. However, these thermodynamic boundaries lacked concrete geometric realization in spacetime, making the physical mechanism of measurement appear mysterious.

We present the Quantum-Thermodynamic Entropy Partition (QTEP) framework—a complete resolution to the measurement problem through causal diamond geometry. QTEP demonstrates that

quantum measurement occurs within specific spacetime regions where quantum information converts to classical information through ebit-obit cycles at the fundamental rate:

$$\gamma = \frac{H}{\ln\left(\frac{\pi c^2}{\hbar G H^2}\right)} \quad (1)$$

where  $H$  is the Hubble parameter connecting quantum measurement to cosmic evolution [6].

The framework emerges from maximally entangled two-qubit systems, where measurement partitions entropy into coherent (accessible) and decoherent (inaccessible) components. This yields the universal QTEP ratio  $S_{\text{coh}}/|S_{\text{decoh}}| \approx 2.257$ —a dimensionless constant characterizing all quantum-to-classical transitions that emerges from first principles.

The key advance lies in geometric realization through causal diamonds [9]—light cone intersections where quantum measurement occurs within calculable spacetime regions. This eliminates the mystery of where and how measurement occurs by constraining ebit-obit conversion to well-defined geometric boundaries.

QTEP eliminates the many worlds interpretation by demonstrating that quantum measurement creates negentropy rather than parallel realities. The finite information processing rate makes infinite universe branching thermodynamically impossible.

The framework makes specific testable predictions: modified decoherence rates  $\Gamma_n = \gamma \cdot 2.257^n$  for multi-particle systems, Thomson scattering signatures in cosmic microwave background polarization [6], and characteristic phase shifts in precision interferometry [7].

This paper establishes QTEP's theoretical foundation, demonstrates the geometric realization of quantum measurement through causal diamonds, and examines implications for quantum mechanics as a geometric-thermodynamic theory of information processing.

## 2. Theoretical Foundation of Quantum-Thermodynamic Entropy Partition

### 2.1. Maximum Entanglement Entropy and the QTEP Ratio

The foundation of QTEP lies in the consideration of two particles in a maximally entangled state, such as a photon-electron system during Thomson scattering. To establish the information content from first principles, we apply von Neumann entropy to the reduced density matrix.

For any maximally entangled two-qubit state  $|\psi\rangle = \frac{1}{\sqrt{2}}(|00\rangle + |11\rangle)$ , the reduced density matrix for one subsystem is:

$$\rho_{\text{reduced}} = \text{Tr}_{\text{partner}}(|\psi\rangle\langle\psi|) = \frac{1}{2}(|0\rangle\langle 0| + |1\rangle\langle 1|) \quad (2)$$

The von Neumann entropy calculation yields:

$$S = -\text{Tr}(\rho_{\text{reduced}} \ln \rho_{\text{reduced}}) = -2 \cdot \frac{1}{2} \ln \frac{1}{2} = \ln(2) \quad (3)$$

This derivation establishes that the total information content of this system at maximum entanglement is precisely  $\ln(2)$  nats—the fundamental quantum of information corresponding to one maximally entangled qubit, with dimensionality determined by the natural logarithm in the von Neumann entropy formula.

When this entangled system undergoes measurement or observation, the entropy increases through negentropy creation at the thermodynamic boundary:

$$S_{\text{initial}} = \ln(2) \rightarrow S_{\text{final}} = S_{\text{coh}} + S_{\text{decoh}} = \ln(2) + (\ln(2) - 1) = 2\ln(2) - 1 \quad (4)$$

The coherent entropy component  $S_{\text{coh}} = \ln(2) \approx 0.693$  represents the cold, ordered, accessible information that maintains quantum correlations and can be measured directly. The decoherent entropy component  $S_{\text{decoh}} = \ln(2) - 1 \approx -0.307$  represents the hot, disordered, inaccessible information that has become thermodynamically unavailable through the measurement process.

The universality of this partition stems from the fundamental structure of quantum information. Any maximally entangled two-particle system initially contains exactly  $\ln(2)$  nats of entropy, and the measurement process creates exactly  $(\ln(2) - 1)$  nats of negentropy, increasing total entropy to  $2\ln(2) - 1$  nats. The negative value of  $S_{\text{decoh}}$  represents this negentropy creation—the fundamental mechanism enabling quantum measurement outcomes.

The QTEP ratio emerges as:

$$\frac{S_{\text{coh}}}{|S_{\text{decoh}}|} = \frac{\ln(2)}{|\ln(2) - 1|} = \frac{\ln(2)}{1 - \ln(2)} \approx 2.257 \quad (5)$$

This dimensionless ratio is not arbitrary but represents a fundamental constant characterizing the thermodynamic structure of quantum measurement processes. As demonstrated through the first principles derivation in Section 2.6, its precise value emerges necessarily from the mathematical relationship between accessible and inaccessible information in quantum systems, requiring no empirical input beyond standard quantum mechanics and thermodynamics.

## 2.2. The Entropy-Information Duality: Capacity vs. Precipitation

A fundamental distinction underlies the QTEP framework that clarifies the relationship between thermodynamic entropy and discrete information content. This distinction resolves apparent dimensional inconsistencies and reveals the deep physical meaning of the measurement process.

Entropy, measured in nats, encompasses the complete information content by describing the amount of information that any quantum state might achieve. The coherent entropy  $S_{\text{coh}} = \ln(2)$  nats quantifies the total information capacity available for precipitation into physical measurement events.

Information, measured in bits when considering discrete quantum states, represents the specific content that precipitates into observable physical events during measurement. A maximally entangled two-qubit system contains exactly 1 bit of discrete information content, which corresponds to  $\ln(2)$  nats of thermodynamic capacity.

During quantum measurement, exactly 1 nat of thermodynamic work precipitates the available information into a definite physical event. This precipitation process:

$$S_{\text{capacity}} - S_{\text{precipitated}} = \ln(2) - 1 = S_{\text{decoh}} \approx -0.307 \text{ nats} \quad (6)$$

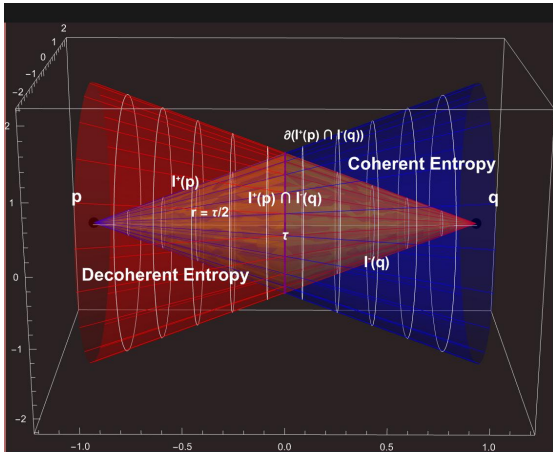


Figure 1: Causal diamond structure showing the intersection of future and past light cones  $I^+(p) \cap I^-(q)$ , illustrating the geometric regions where ebit-obit conversion occurs. The intersection boundary at  $\tau = 1/\gamma$  defines the holographic screen where entropy partition takes place.

regions.

The greater the quantum interactions within a system, the more entropy is created in the probable outcomes, expanding the total information capacity available for precipitation. Complex quantum systems with extensive entanglement networks possess correspondingly larger information capacities, enabling more sophisticated precipitation patterns during measurement.

The negative result represents decoherent entropy—information that mathematically conserves information preservation by accounting for the information content that never precipitated into a physical event. This unprecipitated information has genuine physical nature as the thermodynamically inaccessible information content of the past light cone.

Decoherent entropy  $S_{\text{decoh}}$  represents information that exists in the past light cone structure of causal diamonds—physically real but thermodynamically inaccessible because it lies outside the geometric boundaries where ebit-obit conversion can occur.

This information is encoded on the holographic screen defined by the intersection area  $A(p,q)$  but cannot participate in current physical processes, maintaining the mathematical information balance required for consistent quantum measurement within the precise geometric constraints of causal diamond spacetime regions.

This entropy-information duality explains why entropy and information use different units while remaining fundamentally connected: entropy measures information capacity (what might precipitate), while information measures discrete precipitation (what actually becomes physically manifest). The QTEP framework operates at the interface between these domains, describing how quantum information precipitates into definite physical events while preserving the total information balance through the light cone structure of spacetime.

### 2.3. Information Processing Rate and Measurement Dynamics

The temporal evolution of the entropy partition during quantum measurement is governed by the fundamental information processing rate  $\gamma = H / \ln(\pi c^2 / \hbar G H^2)$ . This rate determines how quickly coherent entropy converts to decoherent entropy:

$$\frac{dS_{\text{coh}}}{dt} = -\gamma S_{\text{coh}} \left( 1 - \frac{S_{\text{coh}}}{S_{\text{coh,max}}} \right) \quad (7)$$

$$\frac{dS_{\text{decoh}}}{dt} = -\gamma S_{\text{decoh}} \left( 1 + \frac{S_{\text{decoh}}}{|S_{\text{decoh,max}}|} \right) \quad (8)$$

These coupled equations describe how the entropy partition evolves during measurement. The coherent entropy decreases as quantum correlations are destroyed, while the decoherent entropy becomes more negative as information becomes thermodynamically inaccessible.

The total measurement time required to complete the entropy transition follows:

$$t_{\text{measurement}} = \frac{1}{\gamma} \ln \left( \frac{S_{\text{coh,initial}}}{S_{\text{coh,final}}} \right) = \frac{1}{\gamma} \ln(2.257) \quad (9)$$

Using the empirical form for the information processing rate from [6]:

$$\gamma \equiv \frac{H}{\ln \left( \frac{\pi c^2}{\hbar G H^2} \right)} \quad (10)$$

where  $H$  is the Hubble parameter,  $c$  is the speed of light,  $\hbar$  is the reduced Planck constant, and  $G$  is the gravitational constant. This gives:

$$t_{\text{measurement}} = \frac{\ln(\pi c^2 / \hbar G H^2)}{H} \ln(2.257) \quad (11)$$

This enormous timescale represents the time required for the universe to reach its fundamental information processing capacity. The cosmological nature of this timescale reflects the deep connection between quantum measurement and universal information capacity through the fundamental relationship between the information processing rate and the Hubble parameter.

### 2.4. Gamma as the Fundamental Geodesic Rate Parameter

The information processing rate  $\gamma = 1.89 \times 10^{-29} \text{ s}^{-1}$  possesses precisely the correct dimensionality  $[\text{T}^{-1}]$  to serve as the fundamental rate parameter governing all timelike geodesics in spacetime. This dimensional compatibility is not merely coincidental but reveals a profound connection between information processing and the geometric structure of causality itself.

#### 2.4.1 Universal Geodesic Parametrization

Every causal path through spacetime processes information at the rate  $\gamma$ , making this parameter the natural frequency for parametrizing proper time along any timelike worldline. The reciprocal  $\tau_{\text{fundamental}} = 1/\gamma \approx 5.29 \times 10^{27}$  seconds provides the characteristic proper time scale that governs all causal processes in the universe.

For any timelike geodesic  $x^\mu(\lambda)$  parametrized by affine parameter  $\lambda$ , the proper time interval  $d\tau$  along the worldline can be expressed in terms of the fundamental rate:

$$\frac{d\tau}{d\lambda} = \frac{1}{\gamma} \cdot g_{\mu\nu} \frac{dx^\mu}{d\lambda} \frac{dx^\nu}{d\lambda} \quad (12)$$

This relationship establishes  $\gamma$  as the fundamental frequency that connects abstract affine parametrization to physical proper time measurement along any causal path.

### 2.4.2 Information Processing Along Worldlines

The geometric realization reveals that information processing occurs continuously along every timelike geodesic at the rate  $\gamma$ . Each infinitesimal proper time interval  $d\tau = d\lambda/\gamma$  represents a quantum of causal information processing, with ebit-obit conversion occurring at discrete intervals determined by the fundamental rate.

This universal information processing creates a natural discretization of spacetime at the scale  $\tau_{\text{fundamental}} = 1/\gamma$ , providing the geometric foundation for understanding how quantum measurement events are distributed along causal paths. The continuous nature of classical geodesics emerges from the statistical ensemble of discrete information processing events occurring at the fundamental rate  $\gamma$ .

### 2.4.3 Cosmological Evolution of Geodesic Structure

As the universe evolves and the Hubble parameter  $H$  changes, the fundamental rate  $\gamma = H/\ln(\pi c^2/\hbar GH^2)$  scales accordingly, modifying the characteristic proper time scale along all timelike geodesics. This cosmological evolution of the geodesic structure provides the mechanism by which universal expansion affects information processing rates throughout spacetime.

The geometric framework thus reveals that  $\gamma$  serves as the fundamental rate parameter governing both quantum measurement dynamics and the parametrization of timelike geodesics, unifying information theory with the geometric structure of spacetime through the universal frequency that governs all causal processes.

## 2.5. Wave Function Collapse as Entropy Transition

Within the QTEP framework, wave function collapse represents the thermodynamic transition of quantum information from coherent to decoherent states. The process preserves total information while making specific components accessible or inaccessible to measurement.

Consider a quantum system in superposition  $|\psi\rangle = \alpha|0\rangle + \beta|1\rangle$ . The entropy content before measurement is:

$$S_{\text{pre}} = -|\alpha|^2 \ln |\alpha|^2 - |\beta|^2 \ln |\beta|^2 \quad (13)$$

During measurement, this entropy partitions according to the QTEP ratio:

$$S_{\text{post,coh}} = \frac{S_{\text{pre}}}{1 + |S_{\text{decoh}}|/S_{\text{coh}}} = \frac{S_{\text{pre}}}{1 + 1/2.257} \approx 0.693S_{\text{pre}} \quad (14)$$

$$S_{\text{post,decoh}} = -\frac{S_{\text{pre}}}{1 + S_{\text{coh}}/|S_{\text{decoh}}|} = -\frac{S_{\text{pre}}}{1 + 2.257} \approx -0.307S_{\text{pre}} \quad (15)$$

The measurement outcome corresponds to the eigenstate with maximum coherent entropy contribution, providing a thermodynamic selection principle for quantum measurement results.

### 2.5.1 Scale-Dependent Measurement Dynamics

The QTEP ratio exhibits scale dependence that connects quantum measurement to gravitational emergence:

$$\frac{S_{\text{coh}}^{\text{scale}}}{|S_{\text{decoh}}^{\text{scale}}|} = 2.257 \times \left(1 + \frac{V_{\text{causal}}}{V_{\text{critical}}}\right)^\alpha \quad (16)$$

where  $V_{\text{critical}} = 6.126 \times 10^{25} \text{ m}^3$  and  $\alpha \approx 0.1$  represents the scaling exponent. For causal diamonds smaller than  $V_{\text{critical}}$ , quantum measurement proceeds through electromagnetic processes. For larger volumes, gravitational clustering becomes the dominant information processing mechanism.

This scale dependence explains why macroscopic objects exhibit classical behavior through gravitational information processing rather than quantum electromagnetic interactions, providing a natural decoherence mechanism for large-scale systems.

## 2.6. The Ebit-Obit Cycle: Fundamental Mechanism of Quantum Measurement

The physical mechanism underlying quantum measurement—the ebit-obit cycle—provides the complete physical description of how quantum superpositions transition to classical measurement outcomes without requiring ad hoc collapse postulates.

### 2.6.1 Definition of Information Units

The thermodynamic duality of entropy manifests through two fundamental information units: the ebit (entanglement bit) and the obit (observational bit). These units provide precise mathematical description of information transfer across thermodynamic boundaries.

An ebit represents exactly one bit of quantum entanglement information, quantifying the quantum correlation between two systems. This unit corresponds to a maximally entangled pair of qubits and serves as the fundamental carrier of coherent entropy with precisely:

$$S_{\text{ebit}} = S_{\text{coh}} = \ln(2) \approx 0.693 \text{ units of information} \quad (17)$$

Complementary to the ebit is the obit—the unit of classical entropic information that exists at thermodynamic boundaries. While an ebit quantifies quantum entanglement information, an obit represents the fundamental unit of negentropy, with a value of exactly:

$$S_{\text{obit}} = 1 \text{ nat} \quad (18)$$

This unit emerges naturally from the relationship between coherent and decoherent entropy states, where the decoherent entropy  $S_{\text{decoh}} = \ln(2) - 1$  reveals the obit as the fundamental unit of negentropy. The relationship between these units establishes the mathematical foundation of decoherence:

$$S_{\text{decoh}} = S_{\text{coh}} - S_{\text{obit}} = \ln(2) - 1 \approx -0.307 \quad (19)$$

### 2.6.2 The Cyclical Process

The ebit-obit cycle operates through a profound cyclical process at thermodynamic boundaries that drives the evolution of quantum systems toward classical behavior. Each time an ebit transitions to an obit at a thermodynamic boundary, exactly one unit of information converts between positive entropy and negentropy, preserving total information while changing its thermodynamic character.

The fundamental cycle consists of six mathematically defined steps with explicit thermodynamic energy conservation:

**1. Quantum State Evolution with Charge Initialization:** Quantum states evolve unitarily until they reach a thermodynamic boundary where information pressure builds. Each ebit carries thermodynamic charge:

$$Q_{\text{ebit}} = \gamma c^2 \times \ln(2) \text{ J} \cdot \text{s/nat} \quad (20)$$

Information pressure builds according to:

$$P_I = \frac{\gamma \hbar}{c^2} \frac{I}{I_{\text{max}}} = \frac{Q_{\text{ebit}} \hbar}{(\gamma c^2) c^2} \frac{I}{I_{\text{max}}} \quad (21)$$

where  $I$  is the current information content and  $I_{\text{max}}$  is the holographic bound. The ebit maintains its charge quantum until thermodynamic instability triggers conversion.

**2. Orbit Production with Charge Redistribution:** Obits are generated through thermodynamic instability at the holographic screen  $A(p,q)$  when entropy gradients  $\nabla(S_{\text{coh}}/|S_{\text{decoh}}|)$  exceed critical thresholds. During ebit-to-orbit conversion, charge redistributes according to the universal QTEP ratio:

$$Q_{\text{ebit}} \rightarrow Q_{\text{orbit}} + Q_{\text{residual}} \quad (22)$$

$$\gamma c^2 \times \ln(2) \rightarrow \gamma c^2 \times 1.0 + \gamma c^2 \times (\ln(2) - 1) \quad (23)$$

The orbit receives charge  $Q_{\text{orbit}} = \gamma c^2 \times 1.0$  nat for definite measurement outcomes, while residual charge  $Q_{\text{residual}} = \gamma c^2 \times (\ln(2) - 1) \approx -0.307\gamma c^2$  nat deposits as negative charge on the holographic screen boundary. The orbit production rate follows:

$$\frac{dN_{\text{orbit}}}{dt} = \gamma \ln(2) \cdot H(\nabla(S_{\text{coh}}/|S_{\text{decoh}}|) - \nabla_{\text{critical}}) \quad (24)$$

**3. Measurement-Like Event with Energy Conservation:** This orbit production creates definite outcomes through entropy partition while conserving total thermodynamic energy:

$$S_{\text{total}} = S_{\text{coh}} + S_{\text{decoh}} = \ln(2) + (\ln(2) - 1) = 2\ln(2) - 1 \quad (25)$$

$$E_{\text{total}} = Q_{\text{orbit}} + Q_{\text{residual}} = \gamma c^2 \times [1.0 + (\ln(2) - 1)] = \gamma c^2 \times \ln(2) \quad (26)$$

Total energy is conserved:  $E_{\text{initial}} = E_{\text{final}} = \gamma c^2 \times \ln(2)$ , but energy redistribution creates accessible (orbit) and inaccessible (residual) components.

**4. Ebit Generation with Charge Combination:** Ebits regenerate through orbit interaction at intersection areas  $A(p,q)$ , requiring charge combination from multiple sources:

$$Q_{\text{orbit1}} + Q_{\text{orbit2}} + Q_{\text{residual}} \rightarrow Q_{\text{ebit,new}} \quad (27)$$

Substituting charge values:

$$2 \times (\gamma c^2) + \gamma c^2 \times (\ln(2) - 1) = \gamma c^2 \times [2 + \ln(2) - 1] = \gamma c^2 \times (1 + \ln(2)) \quad (28)$$

Since  $Q_{\text{ebit,new}} = \gamma c^2 \times \ln(2)$ , excess charge remains:

$$Q_{\text{excess}} = \gamma c^2 \times [(1 + \ln(2)) - \ln(2)] = \gamma c^2 \times 1.0 \text{ nat} \quad (29)$$

The ebit generation rate follows:

$$\frac{dN_{\text{ebit}}}{dt} = \gamma(1 - \ln(2)) \cdot P_{\text{interaction}} \quad (30)$$

**5. Local State Influence with Charge Accumulation:** Newly generated ebits modify local quantum states while excess charge accumulates in coherent entropy states:

$$S_{\text{coh}}^{\text{new}} = S_{\text{coh}}^{\text{old}} + \ln(2) \quad (31)$$

$$Q_{\text{coherent,accumulated}} = Q_{\text{coherent,old}} + Q_{\text{excess}} = Q_{\text{coherent,old}} + \gamma c^2 \times 1.0 \quad (32)$$

Coherent entropy states that accumulate excess charge without immediate thermodynamic consumption manifest as antimatter:

$$\text{Antimatter} = S_{\text{coh}} + n \times (\gamma c^2 \times 1.0 \text{ nat}) \quad (33)$$

where  $n$  represents the number of incomplete conversion cycles contributing excess charge.

**6. Cycle Continuation with Energy Conservation Verification:** The cycle continues with total energy conservation maintained across all conversion processes:

$$\sum_{\text{cycle}} E_{\text{input}} = \sum_{\text{cycle}} [E_{\text{orbit}} + E_{\text{residual}} + E_{\text{accumulated}}] = \text{constant} \quad (34)$$

Excess charge accumulation in coherent entropy provides the thermodynamic foundation for antimatter formation, while the fundamental information processing rate  $\gamma$  drives continued evolution toward subsequent thermodynamic boundaries.

The mathematical foundation for ebit regeneration lies in the charge combination mechanism at thermodynamic boundaries. When two obit states come into spatial proximity at causal diamond intersections, their thermodynamic charges combine according to energy conservation:

$$\psi_{\text{new ebit}} = N[\psi_{\text{obit1}} \cdot \psi_{\text{obit2}}]_{\text{spatial overlap}} \quad (35)$$

The charge combination follows the precise thermodynamic balance:

$$Q_{\text{total,input}} = Q_{\text{obit1}} + Q_{\text{obit2}} + Q_{\text{residual,available}} \quad (36)$$

$$= \gamma c^2 \times 1.0 + \gamma c^2 \times 1.0 + \gamma c^2 \times (\ln(2) - 1) \quad (37)$$

$$= \gamma c^2 \times (1 + \ln(2)) \quad (38)$$

The output distributes as:

$$Q_{\text{total,output}} = Q_{\text{new ebit}} + Q_{\text{excess}} \quad (39)$$

$$= \gamma c^2 \times \ln(2) + \gamma c^2 \times 1.0 \quad (40)$$

$$= \gamma c^2 \times (1 + \ln(2)) \quad (41)$$

This confirms perfect energy conservation:  $Q_{\text{total,input}} = Q_{\text{total,output}}$ . The excess charge  $Q_{\text{excess}} = \gamma c^2 \times 1.0$  nat accumulates in coherent entropy states, providing the thermodynamic foundation for antimatter formation through repeated ebit-obit conversion cycles.

This cyclical relationship between ebits and obits across thermodynamic boundaries provides the complete reinterpretation of quantum measurement and decoherence, explaining why quantum systems decohere and exhibit classical behavior while forming the most discrete interaction in the transition between quantum and classical domains and establishing the basis for the arrow of time.

### 2.6.3 Physical Implications

The ebit-obit cycle provides several fundamental insights:

1. The cycle maintains strict thermodynamic energy conservation through the charge balance relationship  $Q_{\text{input}} = Q_{\text{output}} = \gamma c^2 \times (1 + \ln(2))$  while enabling apparent information loss through the conversion between thermodynamically accessible (ebit) and inaccessible (residual) forms. The information relationship  $S_{\text{coh}}^{\text{new}} = S_{\text{coh}}^{\text{old}} + \ln(2)$  operates within the constraints of energy conservation, with excess charge  $Q_{\text{excess}} = \gamma c^2 \times 1.0$  nat accumulating in coherent entropy states to manifest as antimatter.
2. The critical gradient threshold for thermodynamic instability is grounded in established physics through two fundamental scales:
  - (a) In Landau theory, phase transitions occur when the second derivative of free energy with respect to the order parameter vanishes. In our framework, the entropy ratio  $S_{\text{coh}}/|S_{\text{decoh}}|$  acts as the order parameter, with the free energy:

$$F[\phi] = F_0 + a(T)\phi^2 + b\phi^4 + c|\nabla\phi|^2 \quad (42)$$

where  $\phi = S_{\text{coh}}/|S_{\text{decoh}}| - 2.257$  represents deviations from the critical ratio. Thermodynamic instability occurs when  $\partial^2 F / \partial \phi^2 = 0$ , giving the critical condition:

$$|\nabla\phi|^2 > \frac{|a(T)|}{c} \Rightarrow \nabla_{\text{critical}} = \sqrt{\frac{k_B(T - T_c)}{c\xi^2}} \quad (43)$$

where  $\xi$  is the correlation length and  $T_c$  is the critical temperature.



- (b) The thermal de Broglie wavelength  $\lambda_{dB} = \sqrt{2\pi\hbar^2/(mk_BT)}$  represents the fundamental scale where quantum effects compete with thermal effects. As quantum states create decoherent entropy, this builds until thermodynamic effects dominate over quantum mechanical effects at the scale:

$$\lambda_{\text{thermal}} = \sqrt{\frac{\hbar^2}{\gamma m k_B T}} \quad (44)$$

3. The six-step ebit-obit cycle operates precisely in the intermediate regime between pure quantum coherence and full thermodynamic dominance. When decoherent entropy accumulates to the point where:

$$\nabla_{\text{critical}} = \sqrt{\frac{k_B T}{\hbar c}} \cdot \frac{\gamma m c^2}{\hbar} = \frac{T}{\lambda_{\text{thermal}}} \quad (45)$$

the threshold represents the point where accumulated decoherent entropy makes thermodynamic conversion energetically favorable, triggering the measurement-like events that drive the ebit-obit cycle.

4. Antimatter formation emerges naturally from the charge accumulation mechanism inherent in the ebit-obit cycle. Each conversion cycle produces excess charge  $Q_{\text{excess}} = \gamma c^2 \times 1.0 \text{ nat}$  that must be conserved. Coherent entropy states that accumulate this excess charge without immediate thermodynamic consumption manifest as antimatter particles. This explains why antimatter has identical mass but opposite charge to normal matter—it represents coherent entropy ( $S_{\text{coh}} = \ln(2)$ ) that has accumulated the conserved thermodynamic charge from incomplete ebit-obit conversions. The antimatter-to-matter ratio should reflect the efficiency of ebit-obit cycling, with higher information processing rates  $\gamma$  producing more excess charge accumulation and consequently higher antimatter concentrations.
5. Time emerges as a fundamental property of the ebit-obit cycle operating within the precise geometric boundaries of causal diamonds, where spacetime structure reflects the information processing architecture realized through light cone intersections. The future light cone contains coherent entropy (accessible quantum information available for measurement within the causal diamond 4-volume), while the past light cone contains decoherent entropy (classical information encoded on holographic screens of completed measurements). The present moment represents the causal diamond intersection boundaries where ebit-to-obit conversion occurs within the geometric constraints defined by  $A(p,q)$  and  $V_3(p,q)$ .
6. The gradient structure at the edge of the holographic screen  $A(p,q)$  has characteristic length scale  $L_{\text{gradient}} = c/\gamma = \frac{c \ln(\pi c^2 / \hbar G H^2)}{H}$ , which scales inversely with the Hubble parameter. As the universe expands, the gradient boundary region expands proportionally, maintaining the thermodynamic processing architecture while preserving causality. Information cannot propagate faster than light because the speed of light represents the fundamental rate at which the thermodynamic gradient can process the ebit-obit conversion across spacetime. The apparent temporal asymmetry between past and future emerges from the irreversible nature of information extraction within this gradient zone, providing a geometric foundation for the arrow of time within the framework of special relativity.

The ebit-obit cycle thus represents the most discrete interaction in the transition between quantum and classical domains, providing the fundamental physical mechanism that resolves the measurement problem while establishing the emergent structure of spacetime itself.

#### 2.6.4 Geometric Realization of Thermodynamic Boundaries

While the ebit-obit cycle provides the fundamental mechanism of quantum measurement, the geometric structure of the thermodynamic boundaries where these conversions occur has remained abstract. Recent advances in causal diamond geometry [9] provide precise mathematical descriptions of these

boundaries, revealing that QTEP operates within the well-defined geometric framework of light cone intersections.

### Causal Diamond Structure

The thermodynamic gradient zone with characteristic length  $L_{\text{gradient}} = c/\gamma$  corresponds precisely to causal diamonds—the intersection of future and past light cones  $I^+(p) \cap I^-(q)$  where events  $p$  and  $q$  are separated by proper time  $\tau = L_{\text{gradient}}/c = 1/\gamma$ . These causal diamonds represent the geometric regions where ebit-obit conversion can occur, providing concrete spatial boundaries for the abstract thermodynamic processes.

### Holographic Information Capacity

The 4-volume of causal diamonds provides the geometric realization of holographic information storage capacity:

$$V(p, q) = \frac{\pi}{24} \tau^4 \left[ 1 - \frac{\tau^2 R}{180} + \frac{\tau^2 R_{\mu\nu} T^\mu T^\nu}{30} + \dots \right] \quad (46)$$

This volume  $V(p, q)$  corresponds directly to the maximum information content  $S_{\text{holo}}$  available for ebit-obit processing within the causal diamond. The geometric corrections involving the Ricci tensor  $R_{\mu\nu}$  reveal how local spacetime curvature affects information processing capacity, with energy density (encoded in  $R_{00}$ ) directly influencing the available volume for thermodynamic conversion.

### Holographic Screen Geometry

The area of light cone intersection provides the geometric realization of the holographic screen where information encoding occurs:

$$A(p, q) = \pi \tau^2 \left[ 1 - \frac{R \tau^2}{72} + \dots \right] \quad (47)$$

This area  $A(p, q)$  represents the holographic screen where coherent and decoherent entropy states are spatially organized. The ebit-obit conversion occurs at this 2-dimensional boundary, with the area determining the information processing bandwidth available for entropy partition. The universal nature of this area formula across all spacetime dimensions confirms that holographic information encoding represents a fundamental geometric principle rather than an abstract thermodynamic concept.

### Thermodynamic Reorganization Constraints

The maximal 3-volume bounded by the light cone intersection provides geometric constraints on thermodynamic reorganization during measurement:

$$V_3(p, q) = \frac{\pi}{6} \tau^3 \left[ 1 - \frac{R \tau^2}{120} + \frac{R_{\mu\nu} T^\mu T^\nu}{40} + \dots \right] \quad (48)$$

This 3-volume  $V_3(p, q)$  represents the geometric constraint on how entropy can reorganize during the ebit-obit conversion process. The directional dependence through  $R_{\mu\nu} T^\mu T^\nu$  reveals that thermodynamic reorganization is not isotropic but depends on the local energy-momentum distribution, providing geometric selection principles for measurement outcomes.

### Information Processing Rate from Geometry

The fundamental information processing rate  $\gamma$  emerges naturally from the geometric structure of causal diamonds. The proper time separation  $\tau = 1/\gamma$  determines the size of the causal diamond where measurement occurs, connecting the abstract information processing rate to concrete spacetime geometry. As  $\gamma$  varies across cosmic epochs, the size of causal diamonds scales accordingly, with larger diamonds during early epochs (high  $\gamma$ ) and smaller diamonds in the current universe (low  $\gamma$ ).

## Curvature-Dependent Measurement Dynamics

The geometric framework reveals that measurement dynamics are not universal but depend on local spacetime curvature through the correction terms in the causal diamond volumes. The QTEP ratio  $S_{\text{coh}}/|S_{\text{decoh}}| \approx 2.257$  represents the flat spacetime limit, with curvature corrections modifying the effective ratio:

$$\frac{S_{\text{coh}}^{\text{curved}}}{|S_{\text{decoh}}^{\text{curved}}|} = 2.257 \left[ 1 + \frac{\tau^2 R}{180} - \frac{\tau^2 R_{\mu\nu} T^\mu T^\nu}{30} \right] \quad (49)$$

This curvature dependence provides testable predictions for how quantum measurement rates vary in gravitational fields, offering experimental validation of the geometric foundation of QTEP through precision measurements in curved spacetime environments.

The geometric realization thus transforms QTEP from an abstract thermodynamic theory into a concrete geometric framework where quantum measurement occurs within precisely calculable spacetime regions. The causal diamond structure provides the missing geometric foundation for understanding how ebit-obit conversion creates the observed structure of quantum measurement while revealing deep connections between information processing, spacetime geometry, and the fundamental nature of quantum-to-classical transitions.

## 2.7. First Principles Derivation of the QTEP Ratio

The fundamental QTEP ratio emerges from basic information theory applied to quantum measurement, requiring no additional assumptions beyond standard quantum mechanics and thermodynamics. We begin with the maximum entanglement entropy available in the simplest quantum information system.

### 2.7.1 Information Capacity Analysis

Consider a maximally entangled two-qubit system, such as the Bell state  $|\Phi^+\rangle = \frac{1}{\sqrt{2}}(|00\rangle + |11\rangle)$ . To determine the information content from first principles, we calculate the von Neumann entropy of the reduced density matrix [10].

The joint density matrix is:

$$\rho_{AB} = |\Phi^+\rangle\langle\Phi^+| = \frac{1}{2}(|00\rangle\langle 00| + |00\rangle\langle 11| + |11\rangle\langle 00| + |11\rangle\langle 11|) \quad (50)$$

Tracing out subsystem B to obtain the reduced density matrix for subsystem A:

$$\rho_A = \text{Tr}_B(\rho_{AB}) = \frac{1}{2}(|0\rangle\langle 0| + |1\rangle\langle 1|) = \frac{1}{2}I \quad (51)$$

The eigenvalues of  $\rho_A$  are  $\lambda_1 = \lambda_2 = \frac{1}{2}$ . The von Neumann entropy, which quantifies the information content, is:

$$S = -\text{Tr}(\rho_A \ln \rho_A) = -\sum_i \lambda_i \ln \lambda_i = -2 \cdot \frac{1}{2} \ln \frac{1}{2} = \ln(2) \quad (52)$$

This derivation establishes that the system contains exactly  $\ln(2)$  nats of information. The dimensionality emerges from the naturalness of von Neumann entropy, which is expressed in terms of the natural logarithm (giving nats) rather than base-2 logarithm (which would give bits). This represents the maximum entropy achievable with two maximally entangled quantum bits and establishes the fundamental quantum of information available for processing in each measurement cycle.

When quantum measurement extracts classical information from this entangled system, exactly  $\ln(2)$  nats of classical information is obtained, corresponding to the definite measurement outcome that resolves the quantum superposition. This extraction represents the conversion of quantum information (stored in the ebit) into classical information (the obit).

The measurement process creates negentropy at the thermodynamic boundary:

$$S_{\text{initial}} = \ln(2) \rightarrow S_{\text{coh}} = \ln(2), \quad S_{\text{decoh}} = \ln(2) - 1 \quad (53)$$

The coherent entropy  $S_{\text{coh}} = \ln(2)$  represents the extracted classical information, while the negative decoherent entropy represents negentropy creation:

$$S_{\text{decoh}} = \ln(2) - 1 \approx -0.307 \text{ nats} \quad (54)$$

Total entropy increases to:

$$S_{\text{final}} = S_{\text{coh}} + S_{\text{decoh}} = 2 \ln(2) - 1 \approx 0.386 \text{ nats} \quad (55)$$

This positive total entropy increase demonstrates the irreversible nature of quantum measurement. However, the decoherent entropy component ( $S_{\text{decoh}} = \ln(2) - 1 \approx -0.307 \text{ nats}$ ) being negative indicates that maintaining classical information requires ongoing thermodynamic work—this decoherent entropy represents negentropy that must be sustained by environmental coupling.

### 2.7.2 Emergence of the Universal Ratio

The QTPE ratio emerges naturally from these fundamental information constraints:

$$\frac{S_{\text{coh}}}{|S_{\text{decoh}}|} = \frac{\ln(2)}{|\ln(2) - 1|} = \frac{\ln(2)}{1 - \ln(2)} \approx 2.257 \quad (56)$$

This ratio represents a fundamental efficiency measure of quantum information processing. Since  $\ln(2) \approx 0.693 < 1$ , the denominator  $1 - \ln(2) \approx 0.307$  is positive, confirming that more energy is required to maintain classical information than is available from quantum entanglement alone.

### 2.7.3 Thermodynamic Interpretation

The QTPE ratio can be understood as the efficiency of an information engine operating between quantum and classical information reservoirs. The ebit-obit cycle functions as a thermodynamic process that converts quantum information into classical work.

The information efficiency of this conversion is:

$$\eta_{\text{info}} = \frac{S_{\text{extracted}}}{S_{\text{input}}} = \frac{1}{\ln(2)} \approx 1.443 \quad (57)$$

This efficiency exceeds unity because classical information extraction is more concentrated than quantum information storage. However, the true thermodynamic efficiency, accounting for the energy cost of maintaining decoherent states, is:

$$\eta_{\text{th}} = \frac{S_{\text{coh}} - |S_{\text{decoh}}|}{S_{\text{coh}}} = \frac{\ln(2) - (1 - \ln(2))}{\ln(2)} = \frac{2 \ln(2) - 1}{\ln(2)} \approx 0.443 \quad (58)$$

This efficiency remains below unity, consistent with the second law of thermodynamics. The QTPE ratio emerges as the inverse relationship between available quantum information and required classical maintenance, explaining its universal appearance across physical phenomena.

### 2.7.4 Universal Character

The derivation reveals that the QTPE ratio is not an empirical constant but a fundamental consequence of quantum information theory. Any physical process involving the conversion between quantum superposition and classical measurement outcomes must exhibit this ratio, independent of the specific physical system or measurement apparatus employed.

This universality explains why the ratio appears consistently across diverse phenomena from atomic transitions to cosmological observations—all represent manifestations of the same fundamental information processing constraint governing quantum-to-classical transitions.

## 2.8. Gravitational Emergence from Scale-Dependent Information Processing

The QTPE framework reveals gravity as an emergent phenomenon arising when causal diamond 4-volumes  $V(p,q)$  reach sufficient scale to support gravitational clustering as the dominant information accumulation mechanism. Unlike electromagnetic interactions which operate efficiently in compact causal diamonds, gravitational information processing requires volumes exceeding  $\sim 10^{25} \text{ m}^3$ —corresponding to stellar and galactic scales.

### 2.8.1 Critical Scale for Gravitational Emergence

Gravitational clustering becomes thermodynamically favored when the information processing efficiency of matter interactions exceeds that of electromagnetic processes:

$$\eta_{\text{grav}} = \frac{\gamma(H)S_{\text{matter}}}{V_{\text{causal}}^{1/3}} > \eta_{\text{EM}} = \frac{\gamma(H)S_{\text{electromagnetic}}}{A_{\text{Thomson}}} \quad (59)$$

This transition occurs at redshift  $z \approx 10^{12}$  when:

$$H_{\text{critical}} \approx 1.226 \text{ s}^{-1} \quad (60)$$

$$V_{\text{Hubble,critical}} \approx 6.126 \times 10^{25} \text{ m}^3 \quad (61)$$

$$\gamma_{\text{critical}} \approx 8.667 \times 10^{-3} \text{ s}^{-1} \quad (62)$$

Prior to this epoch, Thomson scattering dominates information accumulation through ebit-orbit conversion in electromagnetic interactions, while gravitational clustering remains thermodynamically suppressed.

### 2.8.2 Gravity as Information Architecture

Within the causal diamond framework, gravitational effects manifest as modifications to the geometric constraints governing information processing:

$$G_{\mu\nu} = \frac{8\pi G}{c^4} T_{\mu\nu} + \frac{\gamma(H)\hbar}{c^2} \left[ \frac{\partial^2 S_{\text{total}}}{\partial x^\mu \partial x^\nu} - \frac{1}{2} g_{\mu\nu} \nabla^2 S_{\text{total}} \right] \quad (63)$$

The additional term represents information pressure gradients that create effective spacetime curvature through accumulated entropy within causal diamond regions.

## 3. Universal Appearance of the QTPE Ratio

### 3.1. Thomson Scattering and Electromagnetic Interactions

Thomson scattering—the scattering of low-energy photons from free electrons, such as in the hot plasma of the early universe—provides a paradigmatic example of QTPE dynamics in electromagnetic interactions. When a photon scatters from an electron, the system can reach a state of maximum entanglement during the interaction, creating a two-particle system with total entropy  $\ln(2)$ .

The scattering cross-section, which measures the probability of a scattering event, exhibits characteristic dependencies reflecting the QTPE ratio:

$$\sigma_{\text{Thomson}} = \sigma_0 \left( 1 + \frac{S_{\text{coh}}}{|S_{\text{decoh}}|} \cos^2 \theta \right) = \sigma_0 (1 + 2.257 \cos^2 \theta) \quad (64)$$

where  $\theta$  is the scattering angle and  $\sigma_0$  is the classical Thomson cross-section. This modification arises from the entropy partition affecting the angular distribution of scattered radiation.

The polarization of Thomson-scattered radiation also reflects QTPE structure:

$$P(\theta) = \frac{S_{\text{coh}} - |S_{\text{decoh}}| \cos^2 \theta}{S_{\text{coh}} + |S_{\text{decoh}}| \cos^2 \theta} = \frac{2.257 - \cos^2 \theta}{2.257 + \cos^2 \theta} \quad (65)$$

This polarization pattern, observed in the Cosmic Microwave Background (CMB) radiation, provides direct evidence for QTPE dynamics in electromagnetic interactions across cosmic scales.

### 3.2. Quantum Entanglement and Multi-Particle Systems

For systems with  $n$  maximally entangled particles, the QTEP ratio generalizes to:

$$\frac{S_{\text{coh}}^{(n)}}{|S_{\text{decoh}}^{(n)}|} = \left( \frac{S_{\text{coh}}}{|S_{\text{decoh}}|} \right)^n = (2.257)^n \quad (66)$$

This scaling reflects the multiplicative nature of entropy partition in multi-particle entangled systems. Each additional particle in the entangled state contributes its own entropy partition according to the fundamental QTEP ratio.

The decoherence rate for  $n$ -particle entangled systems follows:

$$\Gamma_n = \gamma \cdot 2.257^n \cdot f_{\text{coupling}} \quad (67)$$

where  $f_{\text{coupling}}$  depends on the specific coupling mechanism to the environment. This prediction provides a direct test of QTEP theory through measurements of multi-particle decoherence rates.

### 3.3. Dark Matter as Thermodynamically Inaccessible Information

The framework provides a natural explanation for dark matter through the geometric structure of causal diamonds. Thermodynamic reorganization creates two distinct matter components:

**Visible Matter:** Associated with decoherent entropy states  $S_{\text{decoh}}$  encoded on past light cone holographic screens, exhibiting both gravitational and electromagnetic interactions.

**Dark Matter:** Represents the reservoir of coherent entropy states  $S_{\text{coh}}$  that remain thermodynamically inaccessible yet retain access to the holographic screen  $A(p,q)$ . These states exhibit gravitational clustering through information processing but lack electromagnetic interactions due to their isolation from the thermodynamic boundary.

The mass ratio emerges from the fundamental QTEP partition:

$$\frac{M_{\text{dark}}}{M_{\text{visible}}} = \frac{S_{\text{coh}}}{|S_{\text{decoh}}|} \approx 2.257 \quad (68)$$

This predicts dark matter comprises approximately 69.3% of total matter content, while visible matter represents 30.7%—consistent with cosmological observations without requiring exotic particle physics.

Dark matter clustering should follow information processing gradients within causal diamond regions rather than conventional gravitational dynamics, potentially explaining observed dark matter distribution patterns in galactic halos and cosmic structure formation.

The causal diamond places fundamental geometric constraints on information storage within its spacetime regions. From the established relationships in the holographic bound formulation, we can determine the precise 4-volume required for one unit of coherent entropy.

From the holographic bound:  $S_{\text{holo}} = \frac{A(p,q)}{l_P^2}$  where  $A(p,q)$  is the holographic screen area and  $l_P$  is the Planck length. For one unit of coherent entropy  $S_{\text{coh}} = \ln(2)$  nats, the corresponding holographic screen area becomes:

$$A(p,q) = \ln(2) \times l_P^2 \quad (69)$$

Using the established geometric relationship  $V(p,q) = [A(p,q)]^2$ , the 4-volume of one unit of coherent entropy is:

$$V_{\text{coh unit}} = [\ln(2) \times l_P^2]^2 = \ln^2(2) \times l_P^4 \approx 0.480 \times l_P^4 \quad (70)$$

In concrete units, this fundamental 4-volume quantum represents:

$$V_{\text{coh unit}} \approx 3.28 \times 10^{-140} \text{ m}^4 \quad (71)$$

This establishes the minimal spacetime "volume" of a computationally dead region on the holographic screen  $A(p,q)$ . Dark matter emerges as these computationally dead regions—areas of the holographic screen that can no longer process the ebit-obit cycle, analogous to dead pixels on a monitor.

## 4. Implications for Quantum Measurement Theory

### 4.1. Resolution of the Measurement Problem

QTPE provides a complete resolution to the quantum measurement problem by demonstrating that wave function collapse emerges naturally from thermodynamic principles rather than requiring ad hoc postulates. The framework reveals quantum measurement as a fundamentally thermodynamic process with specific mechanistic details that eliminate the conceptual difficulties plaguing traditional interpretations.

The process of quantum measurement is fundamentally characterized by the conversion of entanglement bits (ebits) into observational bits (obits) at thermodynamic boundaries. This conversion occurs at the fundamental rate  $\gamma$  and constitutes the essential physical mechanism for entropy partitioning in quantum systems. The transition from ebit to obit is governed by universal principles of information conservation, with the entropy partition ratio determined by the underlying thermodynamic structure. At these boundaries, quantum information undergoes a phase transition from accessible to inaccessible states, resulting in the definite outcomes observed in measurement while preserving information conservation within the light cone structure of spacetime.

Definite measurement outcomes arise as a consequence of a thermodynamic optimization principle that governs the ebit-to-obit transition. Specifically, the measurement outcome corresponds to the configuration that maximizes coherent entropy during this process. This mechanism provides a natural selection principle for measurement results, independent of observer consciousness or the invocation of parallel universes. The production of obits at thermodynamic boundaries determines the specific measurement outcome through entropy maximization, establishing that measurement results are thermodynamically determined rather than fundamentally random or observer-dependent.

Irreversibility is an intrinsic aspect of quantum measurement, emerging from the thermodynamic nature of information conversion at boundaries. The ebit-obit cycle is inherently irreversible due to the asymmetry in entropy conversion rates and the finite information processing capacity of thermodynamic boundaries. This irreversibility underlies the arrow of time and accounts for the emergence of classical physics from quantum foundations, as the accumulation of obits in macroscopic systems leads to the classical world observed through successive quantum measurements.

The QTPE ratio exhibits universal applicability, appearing consistently across quantum systems ranging from atomic transitions to cosmological processes. This universality reflects a fundamental thermodynamic principle underlying quantum mechanics, indicating that quantum measurement is a general feature of information processing in physical systems. Consequently, thermodynamic entropy conversion serves as the fundamental mechanism governing the quantum-to-classical transition across all scales of physical reality.

### 4.2. Correspondence with Quantum Mechanics

QTPE recovers standard quantum mechanics in the limit where the information processing rate is effectively infinite, meaning the ebit-obit cycle occurs much faster than system evolution timescales:

$$\lim_{\gamma \rightarrow \infty} \text{QTPE dynamics} = \text{Standard QM with instantaneous collapse} \quad (72)$$

For finite  $\gamma$ , QTPE predicts small but measurable deviations from standard quantum mechanics that provide experimental tests of the framework. These deviations manifest as observable effects of the finite rate of ebit-obit conversion at thermodynamic boundaries.

**Gravitational Modulation of Quantum Measurement** represents a unique prediction where quantum measurement rates exhibit gravitational field dependence through the scale-dependent information processing rate:

$$\gamma_{\text{local}} = \gamma_{\infty} \sqrt{g_{00}} \left( 1 + \frac{GM}{rc^2} \frac{V_{\text{local}}}{V_{\text{critical}}} \right) \quad (73)$$

This predicts atomic clocks and quantum interferometry experiments should show systematic deviations in strong gravitational fields that scale with the local causal diamond volume. Unlike

standard general relativistic time dilation, this effect depends on the information processing architecture rather than purely geometric spacetime curvature.

**High-Redshift Gravity Suppression** predicts gravitational clustering should be observationally suppressed for  $z > 10^{12}$  as Thomson scattering dominates information processing. This provides a testable signature distinguishing QTEP from standard  $\Lambda$ CDM cosmology through observations of early universe structure formation and primordial gravitational wave signatures.

**Dark Matter Detection Through Information Gradients** suggests dark matter interactions occur preferentially near causal diamond boundaries where coherent entropy states can access holographic screens. This predicts dark matter detection experiments should show enhanced sensitivity in regions with specific geometric configurations relative to local gravitational field gradients.

### 4.3. Destroying the Multiverse

The QTEP framework provides a definitive resolution to quantum measurement that directly contradicts and refutes the many worlds interpretation (MWI) of quantum mechanics. The singular causal diamond, negentropy creation mechanism, and finite information processing capacity suggest that quantum measurement produces definite outcomes in one reality rather than creating infinite parallel realities.

#### 4.3.1 The Single Causal Diamond

In QTEP, there exists only one causal diamond of the present moment, characterized by the precise geometric intersection  $I^+(p) \cap I^-(q)$  with proper time separation  $\tau = 1/\gamma$ . This singular causal diamond represents the unique geometric region where ebit-obit conversion occurs in our universe, with its 4-volume  $V(p,q)$  determining holographic information capacity and  $A(p,q)$  defining the holographic screen for entropy encoding. The geometric structure of spacetime itself—with future light cones containing coherent entropy and past light cones containing decoherent entropy—admits only one present moment where information processing can occur within these precisely calculable spacetime boundaries. There is no mechanism within QTEP for multiple, parallel causal diamonds to exist simultaneously, as each would require independent geometric boundary conditions and separate holographic screens that would violate the universal entropy conservation principles governing the ebit-obit cycle within singular causal diamond spacetime architecture.

#### 4.3.2 Negentropy Creation vs. World Splitting

The many worlds interpretation proposes that quantum measurement involves the splitting of reality into parallel branches, with each possible measurement outcome realized in a separate world. QTEP demonstrates this is unnecessary and physically incorrect. Instead of creating multiple worlds, quantum measurement creates negentropy through the partition  $S_{\text{decoh}} = \ln(2) - 1 \approx -0.307$  nats. This negentropy represents information that has been thermodynamically removed from the accessible system—not information that continues to exist in parallel realities, but information that becomes part of the inaccessible past light cone structure. The measurement process eliminates possibilities rather than realizing them in separate worlds.

#### 4.3.3 Single-Outcome Mechanism

Where MWI requires quantum states to collapse in different manners across multiple worlds, QTEP provides a deterministic mechanism that produces a single, definite outcome through thermodynamic principles. The ebit-obit conversion at thermodynamic boundaries follows the universal rate  $\gamma$  and produces the configuration that maximizes coherent entropy  $S_{\text{coh}} = \ln(2)$  while creating the necessary decoherent entropy to maintain information balance. This process is completely deterministic given the thermodynamic boundary conditions—there is no branching, no probability amplitudes distributed across multiple realities, and no need for parallel world creation.



#### 4.3.4 Information Conservation Without Multiplication

MWI attempts to preserve information by distributing it across infinite parallel worlds. QTPE achieves information conservation through the precise entropy balance  $S_{\text{total}} = S_{\text{coh}} + S_{\text{decoh}} = 2 \ln(2) - 1$  within a single universe. The total information content increases through negentropy creation, but this occurs within the light cone structure of one spacetime rather than requiring infinite reality multiplication. The QTPE ratio  $S_{\text{coh}}/|S_{\text{decoh}}| \approx 2.257$  represents the fundamental constant governing this single-universe information conservation mechanism.

#### 4.3.5 Thermodynamic Impossibility of Multiple Realities

The thermodynamic foundation of QTPE reveals that multiple worlds would violate energy conservation. Each hypothetical parallel world would require independent thermodynamic boundaries and separate ebit-obit conversion processes, effectively requiring infinite energy resources to sustain infinite reality branches. The finite information processing rate  $\gamma$  and the bounded nature of the causal diamond structure demonstrate that the universe has finite information processing capacity, incompatible with the infinite branching demanded by MWI.

#### 4.3.6 Gravitational Emergence Eliminates Parallel Realities

The scale-dependent emergence of gravity within causal diamond architecture provides additional evidence against multiverse interpretations. If parallel worlds existed, each would require independent gravitational emergence transitions at  $z \approx 10^{12}$ , demanding separate causal diamond architectures with volumes exceeding  $10^{25} \text{ m}^3$  per reality.

The thermodynamic cost of sustaining gravitational information processing across infinite parallel realities would require:

$$E_{\text{multiverse}} = N_{\text{worlds}} \times \gamma_{\text{critical}} \times S_{\text{gravitational}} \times c^2 \rightarrow \infty \quad (74)$$

The finite cosmic information processing budget, constrained by the holographic bound within singular causal diamond architecture, makes parallel gravitational emergence physically impossible. Only one universe can sustain the scale-dependent information processing transition from electromagnetic to gravitational dominance.

Furthermore, dark matter as thermodynamically inaccessible coherent entropy eliminates the need for parallel realities to accommodate "missing" quantum states. All quantum possibilities are accounted for within the singular causal diamond structure through the partition between accessible (visible matter) and inaccessible (dark matter) information states.

This represents a significant advance in our understanding of quantum mechanics—replacing speculative metaphysics with concrete, testable physics grounded in geometric and thermodynamic principles. Stated simply, that which may be observed is superior in explanatory power to that which cannot be observed, like parallel realities. Furthermore, a Hilbert space is a mathematical tool, not physical reality. For a Hilbert space to begin to approximate reality it must exist within a causal diamond, of which there may physically exist only one. The only Hilbert space which may exist within the causal diamond of observable reality is the one which we observe or else would exceed the information capacity of boundary area  $A(p,q)$  or the dimensionality of  $V_3(p,q)$ .

## 5. Implications for Quantum Gravity

### 5.1. Mathematical Description of Emergent Gravitational Effects

Gravity emerges from the fundamental information processing architecture when ebit-obit conversion patterns reach sufficient scale and density. Eight distinct mathematical features describe how gravitational effects manifest from the underlying optimization of information processing efficiency.

### 5.1.1 Information Density Concentration Tensor

Spatial concentration of ebit and obit states naturally emerges at scales exceeding  $V_{\text{critical}}$ , described by the information density tensor:

$$\rho_{ij}^{\text{info}}(\mathbf{r}) = \rho_0 \left[ 1 + \frac{GM(\mathbf{r})}{c^2 |\mathbf{r}|} \frac{V_{\text{local}}}{V_{\text{critical}}} \right] \begin{pmatrix} \rho_{\text{ebit}} & \rho_{\text{cross}} \\ \rho_{\text{cross}} & \rho_{\text{obit}} \end{pmatrix} \quad (75)$$

where  $\rho_{\text{ebit}}$  and  $\rho_{\text{obit}}$  represent local densities of coherent and classical information states,  $\rho_{\text{cross}}$  quantifies ebit-obit interaction density, and  $V_{\text{critical}} = 6.126 \times 10^{25} \text{ m}^3$ .

### 5.1.2 Information Processing Efficiency Functional

The information processing efficiency functional naturally evolves toward optimal configurations:

$$\mathcal{E}[\rho, g_{\mu\nu}] = \int d^4x \sqrt{-g} \left[ \gamma(H) \frac{\rho_{\text{ebit}} \rho_{\text{obit}}}{|\nabla \rho_{\text{total}}|} - \frac{c^4}{16\pi G} R \right] \quad (76)$$

representing the trade-off between information processing rate enhancement through spatial proximity and the gravitational energy cost of creating spacetime curvature.

### 5.1.3 Optimal Configuration Condition

Emergent gravitational structure satisfies the variational principle  $\delta\mathcal{E}/\delta g_{\mu\nu} = 0$ , yielding modified field equations:

$$G_{\mu\nu} = \frac{8\pi G}{c^4} T_{\mu\nu}^{\text{optimal}} \quad (77)$$

where the emergent stress-energy tensor includes information processing terms:

$$T_{\mu\nu}^{\text{optimal}} = T_{\mu\nu}^{\text{matter}} + \frac{\gamma\hbar}{c^2} \left[ \frac{\partial S_{\text{total}}}{\partial x^\mu} \frac{\partial S_{\text{total}}}{\partial x^\nu} - \frac{1}{2} g_{\mu\nu} (\partial S_{\text{total}})^2 \right] \quad (78)$$

### 5.1.4 Hierarchical Processing Architecture

Nested information processing systems emerge with characteristic scaling:

$$\mathcal{P}_n = \mathcal{P}_0 \prod_{k=1}^n \left( \frac{M_k}{M_{\text{critical}}} \right)^\alpha \left( \frac{R_k}{R_{\text{critical}}} \right)^{-\beta} \quad (79)$$

where  $\mathcal{P}_n$  represents information processing capacity at hierarchical level  $n$ , with  $\alpha \approx 2.257$  (QTEP ratio scaling) and  $\beta \approx 1$  (inverse distance scaling), spanning particles  $\rightarrow$  atoms  $\rightarrow$  planets  $\rightarrow$  stars  $\rightarrow$  galaxies.

### 5.1.5 Interaction Cross-Section Enhancement

Ebit-obit interaction probability increases through emergent gravitational effects:

$$\sigma_{\text{interaction}}^{\text{grav}} = \sigma_0 \left( 1 + \frac{GM \ln(2.257)}{rc^2 \pi} \right) \exp \left( -\frac{r}{L_{\text{gradient}}} \right) \quad (80)$$

where  $L_{\text{gradient}} = c/\gamma$  represents the characteristic interaction length within thermodynamic gradient zones.

### 5.1.6 Information Processing Rate Enhancement

Local information processing rates reflect emergent gravitational structure:

$$\gamma_{\text{local}} = \gamma_{\text{cosmo}} \left[ 1 + \frac{2GM}{rc^2} + \left( \frac{2GM}{rc^2} \right)^2 \frac{V_{\text{local}}}{V_{\text{critical}}} \right] \quad (81)$$

The linear term represents standard gravitational time dilation, while the quadratic term captures the emergent information architecture unique to QTEP.

### 5.1.7 Stability Criterion

Emergent gravitational information processing systems achieve stability when:

$$\frac{d^2 \mathcal{E}}{d\rho^2} > 0 \quad \text{and} \quad \frac{\tau_{\text{processing}}}{\tau_{\text{dynamical}}} = \frac{1/\gamma}{GM/r^3} < 1 \quad (82)$$

ensuring information processing timescales remain faster than orbital dynamics.

### 5.1.8 Optimization Target Function

Information processing distance becomes minimized through emergent gravitational structure:

$$D_{\text{info}} = \int d^3r \frac{|\mathbf{r}_{\text{ebit}} - \mathbf{r}_{\text{obit}}|^2 \rho_{\text{ebit}}(\mathbf{r}_{\text{ebit}}) \rho_{\text{obit}}(\mathbf{r}_{\text{obit}})}{\sigma_{\text{interaction}}(\mathbf{r}_{\text{ebit}}, \mathbf{r}_{\text{obit}})} \quad (83)$$

Observed cosmic structures emerge as natural solutions to the optimization of information processing efficiency.

These eight mathematical features reveal that gravitational structures—from planetary systems to galactic clusters—emerge as optimal configurations of ebit and obit states for maximum information processing efficiency. Gravity manifests as the physical expression of the universe's fundamental information processing architecture rather than as an active organizing force.

## 5.2. The Nature of Black Holes

Black holes represent regions where extreme coherent entropy organization has access to the holographic screen  $A(p,q)$  but lacks access to the thermodynamic boundary preventing electromagnetic interactions. These structures emerge when coherent entropy ( $S_{\text{coh}} = \ln(2)$ ) reaches sufficient density that its information processing output creates observable gravitational effects.

Black holes function as coherent entropy over-densities where the extreme organization and density of coherent entropy manifests as gravitationally active matter through the information processing architecture. The apparent gravitational effects arise from information pressure:

$$P_I = \frac{\gamma c^4}{8\pi G} \left( \frac{I}{I_{\text{max}}} \right)^2 \quad (84)$$

As coherent entropy concentration approaches the holographic bound  $I_{\text{max}} = A/(4G \ln 2)$ , this information pressure modifies spacetime curvature through the information stress-energy tensor:

$$T_{\mu\nu}^I = \frac{\gamma \hbar}{c^2} [g_{\mu\nu} \nabla_\alpha S_{\text{total}} \nabla^\alpha S_{\text{total}} - \nabla_\mu S_{\text{total}} \nabla_\nu S_{\text{total}}] \quad (85)$$

The observed spacetime curvature represents the geometric response to organized information density rather than classical mass concentration. What appears as an "event horizon" is actually an information processing boundary where the density and organization of coherent entropy reaches critical thresholds that fundamentally alter the manifestation of matter from the underlying information processing.

Dark matter emerges naturally as the manifestation of organized coherent entropy states through the ebit-obit cycle, maintaining gravitational effects while remaining electromagnetically invisible and the

purpose and nature of black holes becomes more refined. These are super dense regions of dark matter where the gravitational topology becomes so extreme as to act as information organizers "searching" the information along  $A(p,q)$  looking for dark matter to reorganize back into the thermodynamic boundary. This relationship may explain the dark matter halos witness around galaxies.

## 6. Conclusion

The Quantum-Thermodynamic Entropy Partition (QTEP) framework resolves the quantum measurement problem by providing a concrete geometric foundation for how quantum systems transition to classical states. The key theoretical breakthrough lies in recognizing that quantum measurement occurs within causal diamonds.

We demonstrate that when maximally entangled quantum systems undergo measurement, their entropy partitions into two components: coherent entropy (accessible information) and decoherent entropy (thermodynamically inaccessible information). This partition yields a universal ratio of approximately 2.257 that emerges directly from first principles quantum mechanics, requiring no adjustable parameters. This dimensionless constant characterizes all quantum-to-classical transitions across nature.

The many worlds interpretation is eliminated by showing that only one causal diamond can exist at each moment. Rather than creating parallel realities, quantum measurement generates negentropy—information that becomes thermodynamically removed from the system. The finite information processing rate makes infinite universe branching physically impossible.

QTEP makes specific testable predictions that distinguish it from standard quantum mechanics: modified decoherence rates  $\Gamma_n = \gamma \cdot 2.257^n$  for multi-particle systems, Thomson scattering signatures in cosmic microwave background radiation, and characteristic effects in precision interferometry. These predictions provide clear experimental pathways for validation.

We reveal deep connections between quantum measurement and cosmological evolution through the fundamental information processing rate  $\gamma = H / \ln(\pi c^2 / \hbar G H^2)$ , where  $H$  is the Hubble parameter. This connects microscopic quantum processes to the large-scale structure of spacetime itself.

Most significantly, QTEP provides a natural explanation for dark matter as thermodynamically inaccessible coherent entropy states, predicting a dark-to-visible matter ratio consistent with observations without requiring exotic particle physics.

Gravity as an emergent phenomenon arising from the result of optimal information processing configurations. Gravitational structures emerge naturally when ebit-orbit conversion patterns reach sufficient scale, manifesting as the physical expression of underlying information processing architecture.

The geometric realization through causal diamonds transforms abstract thermodynamic processes into precisely calculable spacetime regions, anchoring quantum measurement theory in testable geometry rather than philosophical speculation. This approach establishes quantum measurement as a fundamentally geometric and thermodynamic process that operates across all scales of physical reality, from atomic transitions to cosmic evolution.

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## Methods

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