

# SCALABILITY

Throughput: #txns/sec

BTC

7 txn/sec

ETH (1.0)

10-15 txn/sec

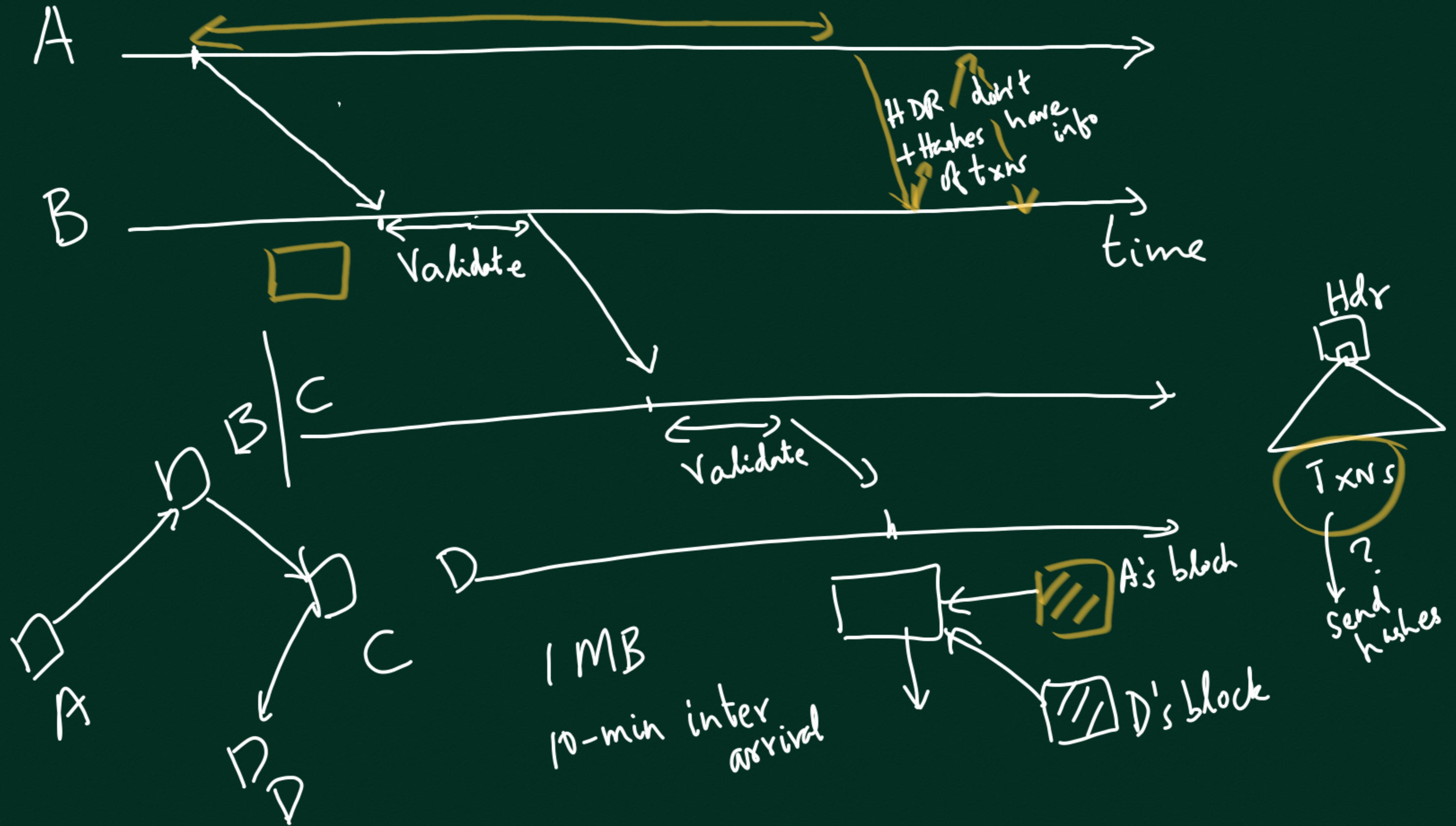
Confirmation Latency

1 hour  
(six conf.)

Amt. of computation of smart contracts

$$T_1, T_2, \dots, T_n$$

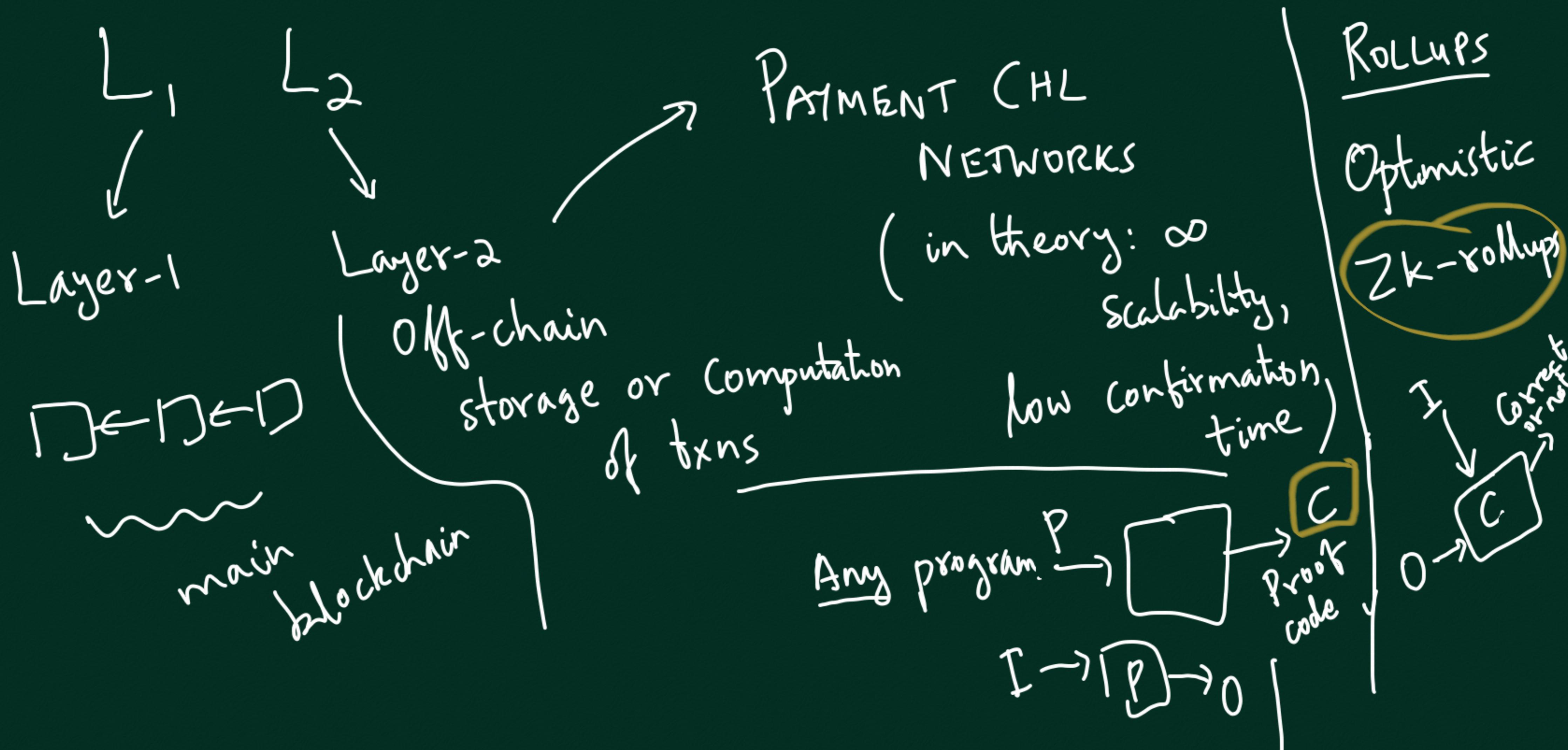
100ms of computation per block (15 sec per block)



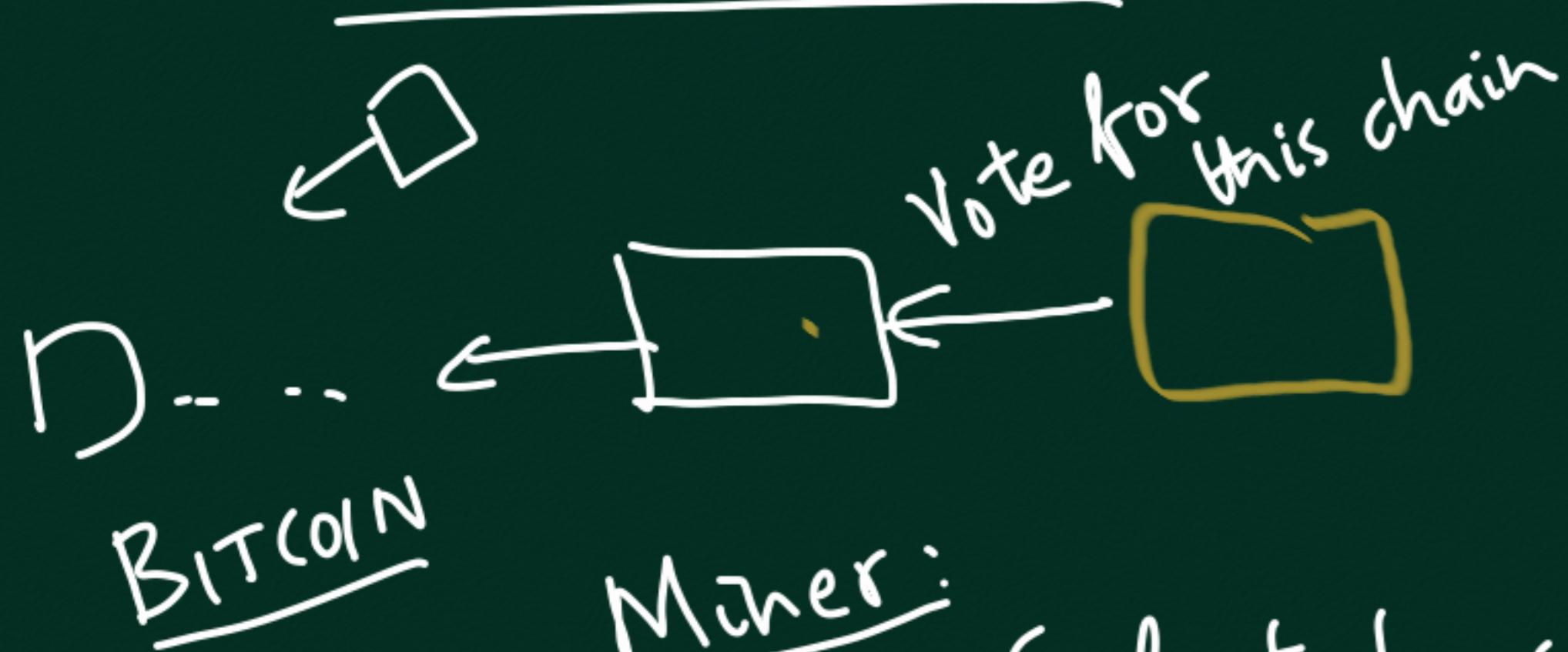
Ideas:

MODIFY CONSENSUS PROTOCOL

TO GET HIGHER THROUGHPUT



# BITCOIN-NG (Sixer et al.)

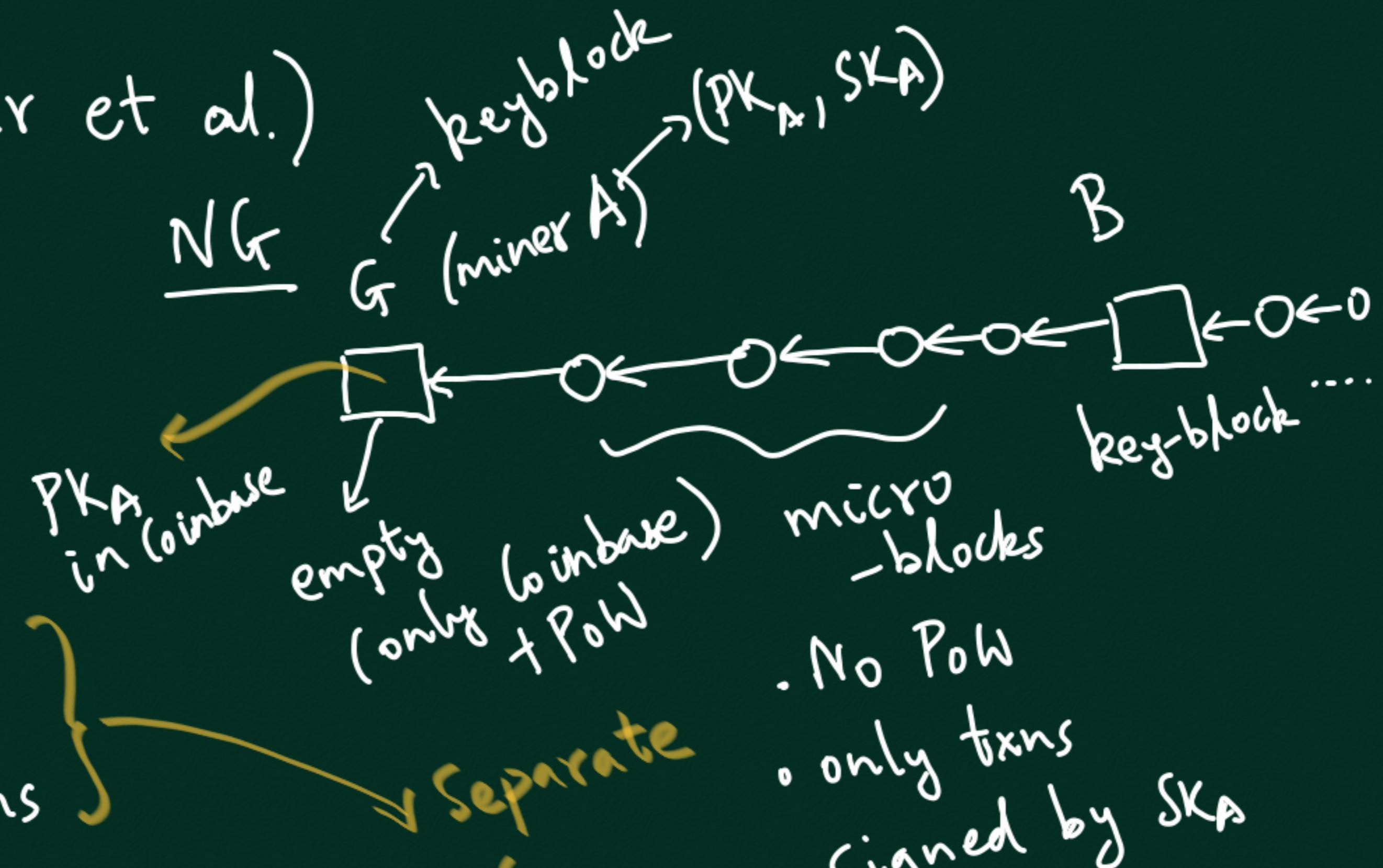


Miner:

- Select txns
- Orders txns

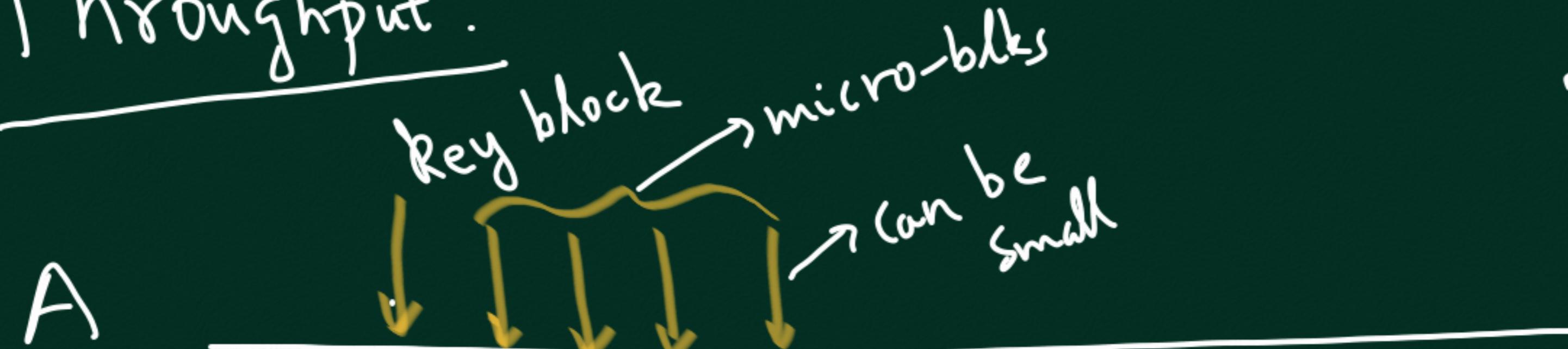
• PoW → voting mechanism

leader election  
(miner who creates block)



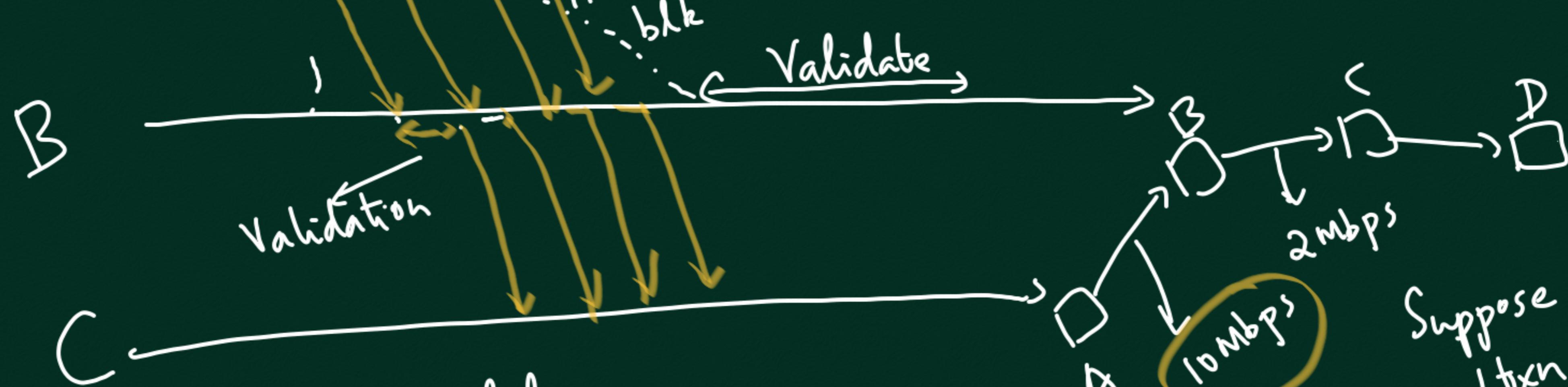
PRISM)

Throughput?



$$\frac{\text{Blk. IAT}}{\text{Blk Prop. time}} = \frac{600}{10} = 60 \text{ (BTG)}$$

$$= \frac{60}{1} \text{ (NG)}$$



Prop. delay  $\approx 1$  . secs

(of key block)

Key blk IAT = 60 sec (1min)

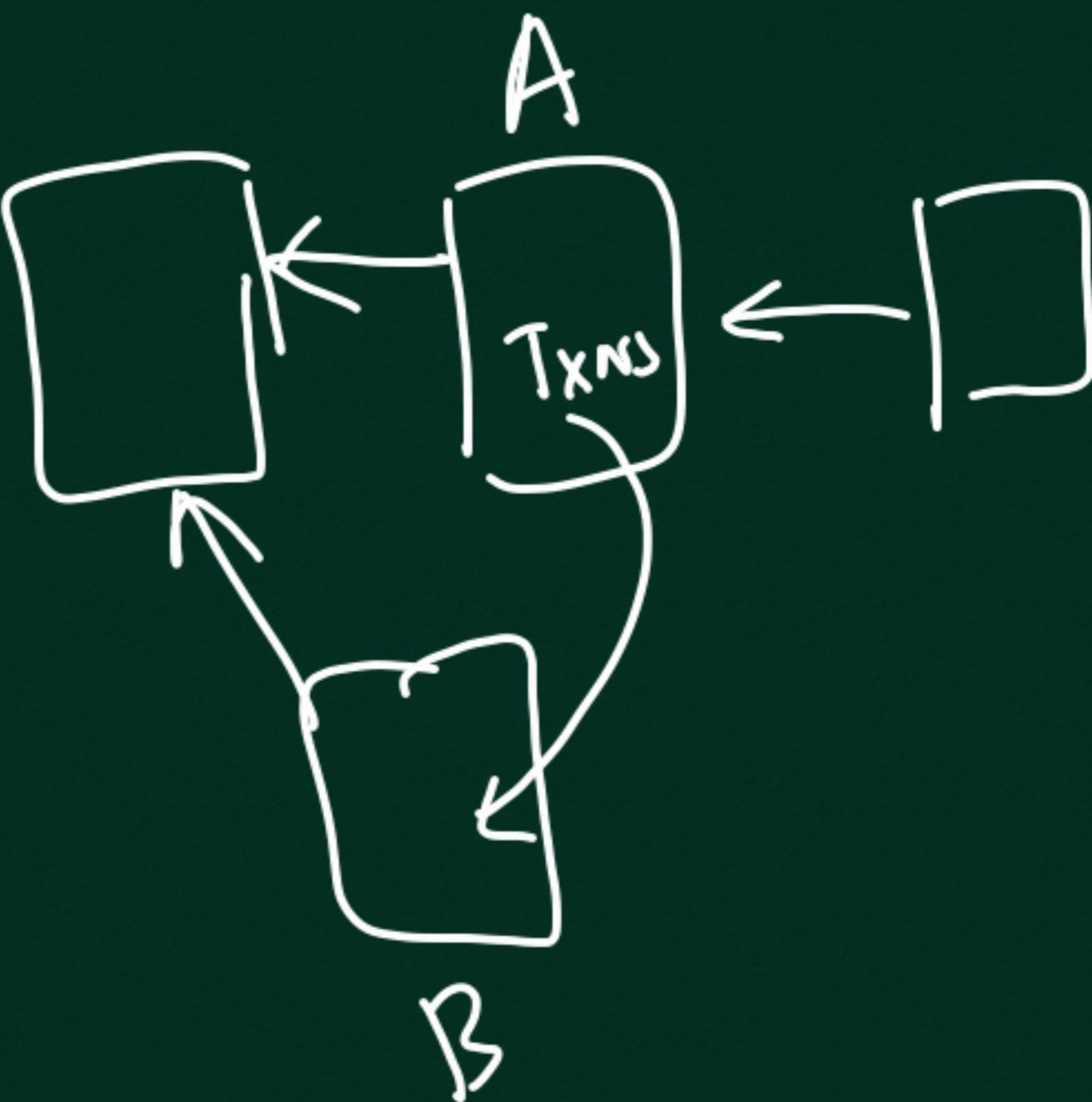
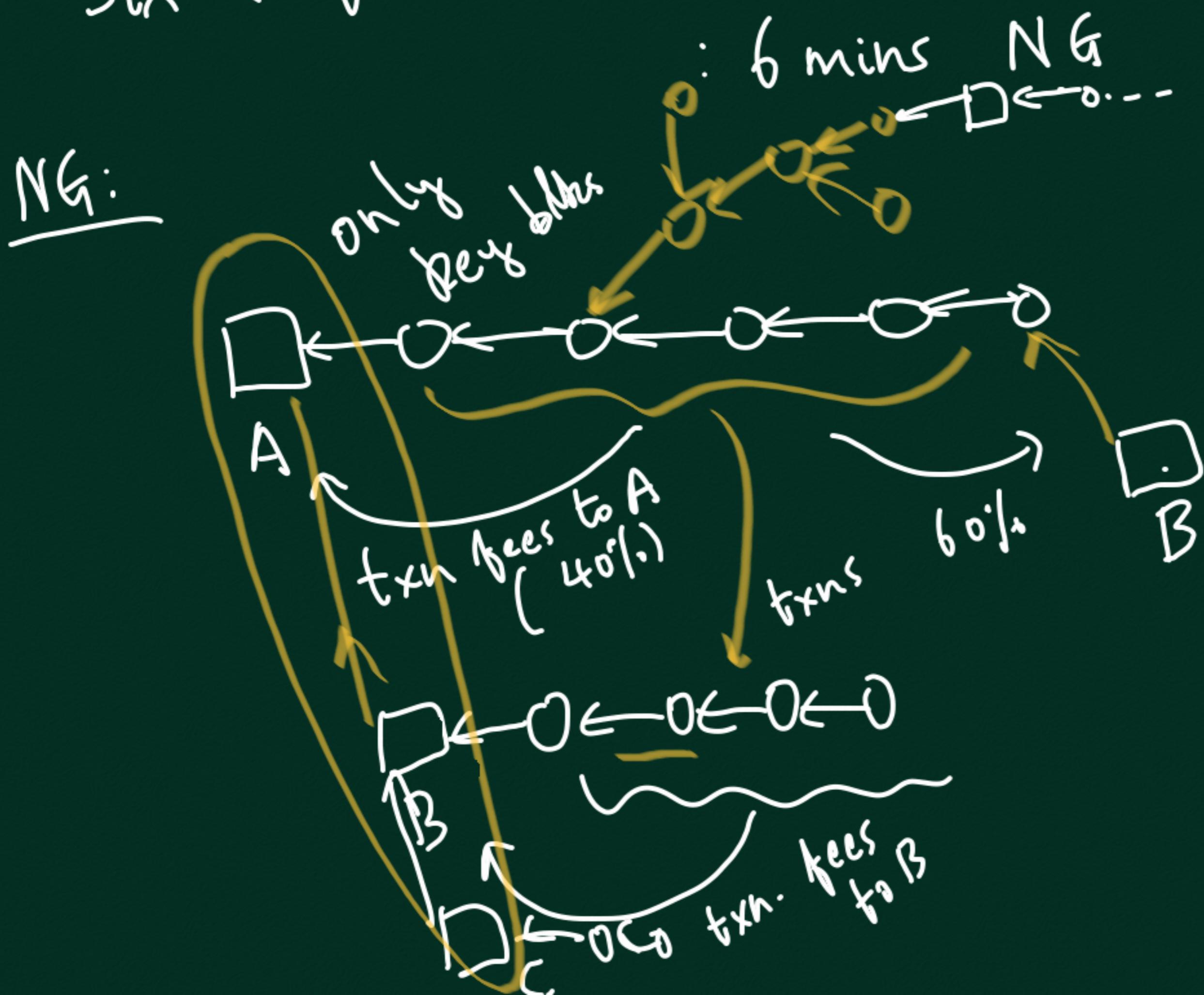
10 Mbps

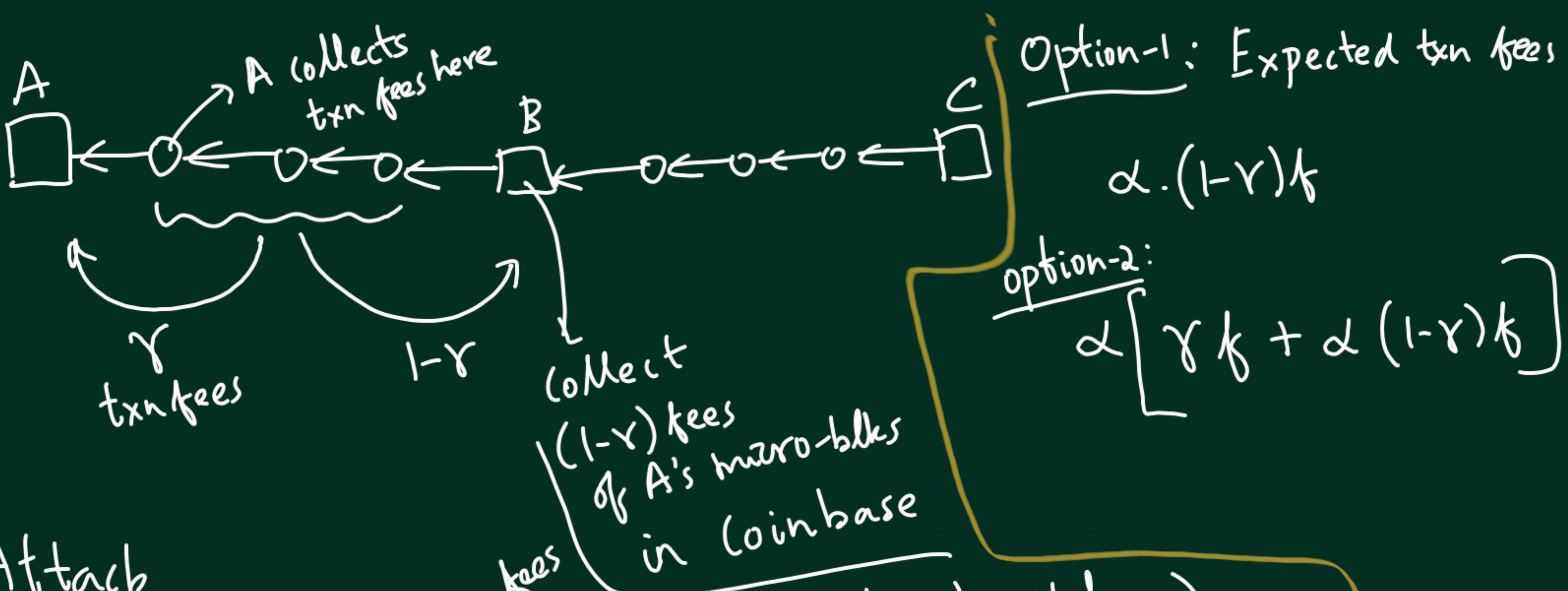
$$\frac{10^7}{10^4} = 10^3 \text{ txns/sec}$$

Suppose  
1 txns  
1 KB  
 $\approx 10^4$  bits

# Confirmation Latency?

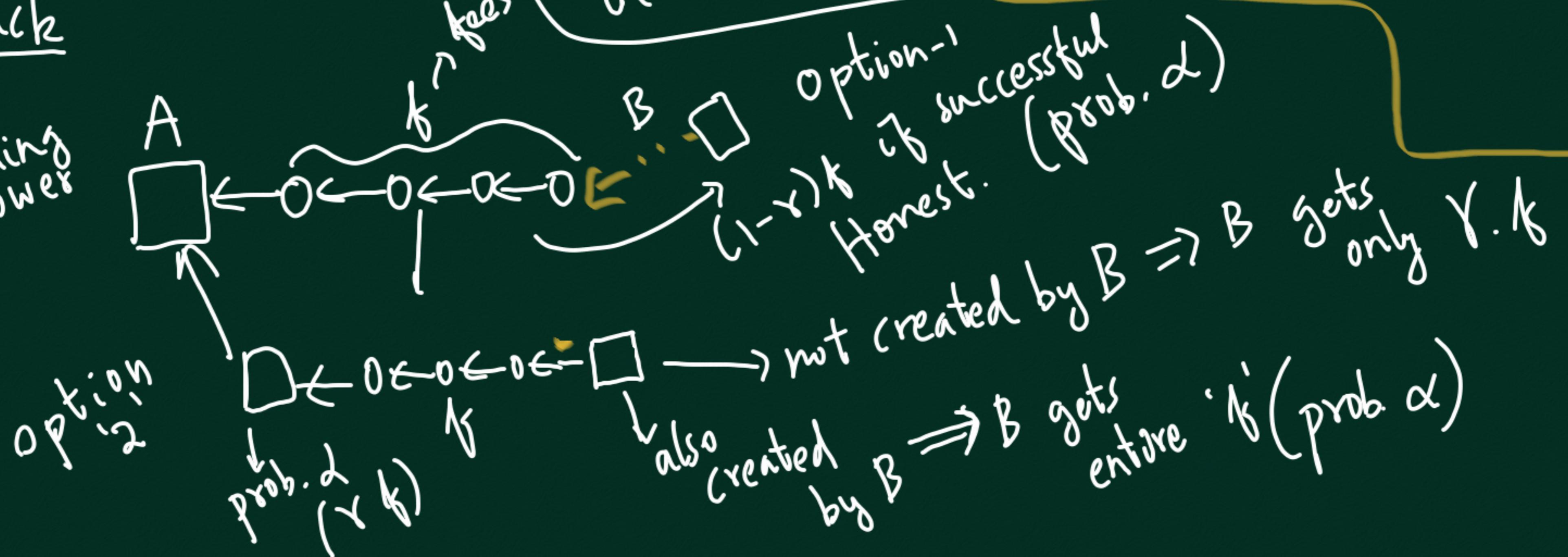
Six confirmations : 1 hour Bitcoin





Attack

B: has hashing power



Want

$$1-\gamma > \gamma + \alpha(1-\gamma)$$

$$\begin{array}{l|l} 1-\gamma > \gamma + \alpha - \alpha\gamma & (1-\gamma)(1-\alpha) \\ 1-\alpha > 2\gamma - \alpha\gamma & > \gamma \\ \underline{1-\alpha} > \gamma & 1-\alpha > \frac{\gamma}{1-\gamma} \\ & 1-\frac{\gamma}{1-\gamma} > \alpha \end{array}$$

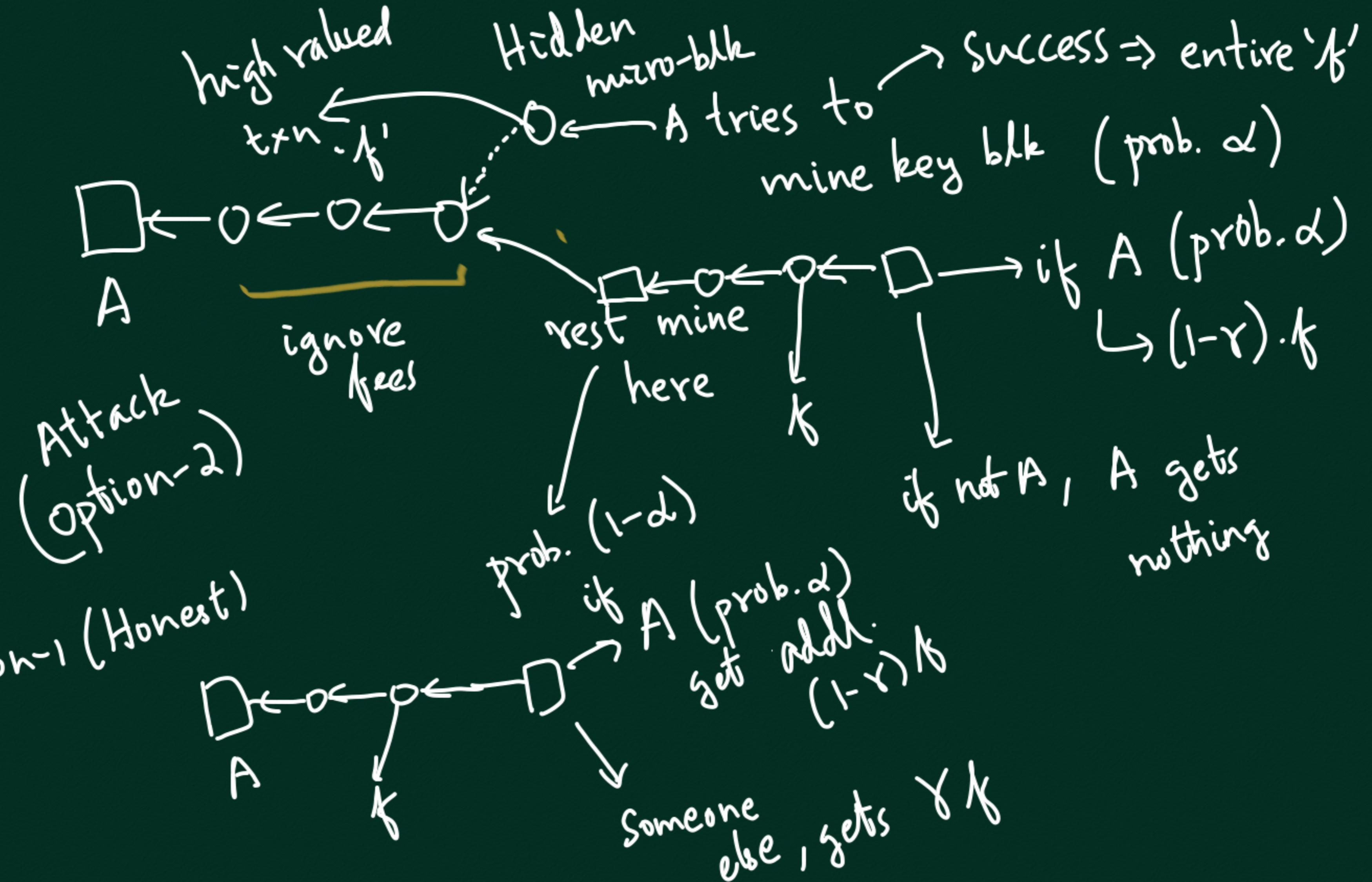
Suppose  $\alpha = 0.25$  (worst case)

$$\Rightarrow \gamma < \frac{1-0.25}{2-0.25} \approx 0.43$$

$$\frac{1-0.5}{2-0.5} = \frac{0.5}{1.5} = 0.33$$

## Attack

A is attacker  
with hashing  
power 'd'



option-1 (Honest) Expt. fees

$$\gamma f + \alpha(1-\gamma)f$$

option-2

$$\alpha f + (1-\alpha) \cdot \alpha \cdot (1-\gamma)f$$

Want

$$\gamma + \alpha(1-\gamma) > \alpha + \alpha(1-\alpha)(1-\gamma)$$

$$\gamma [1 - \cancel{\alpha} + \cancel{\alpha}(1-\alpha)] > \cancel{\alpha} + \cancel{\alpha}(1-\alpha) - \cancel{\alpha}$$

$$\gamma > \frac{\alpha(1-\alpha)}{1-\alpha^2} = \frac{\alpha}{1+\alpha}$$

Suppose  $\alpha = 0.25$  worst case

$$\gamma > 0.2$$

$$\boxed{0.2 \leq \gamma < 0.43}$$

$$\gamma > \dots$$

$$\begin{array}{c} 0.5 \\ 1.5 \\ 570.33 \end{array}$$

