

PBFT: Castro & Liskov (1999) | Attendance

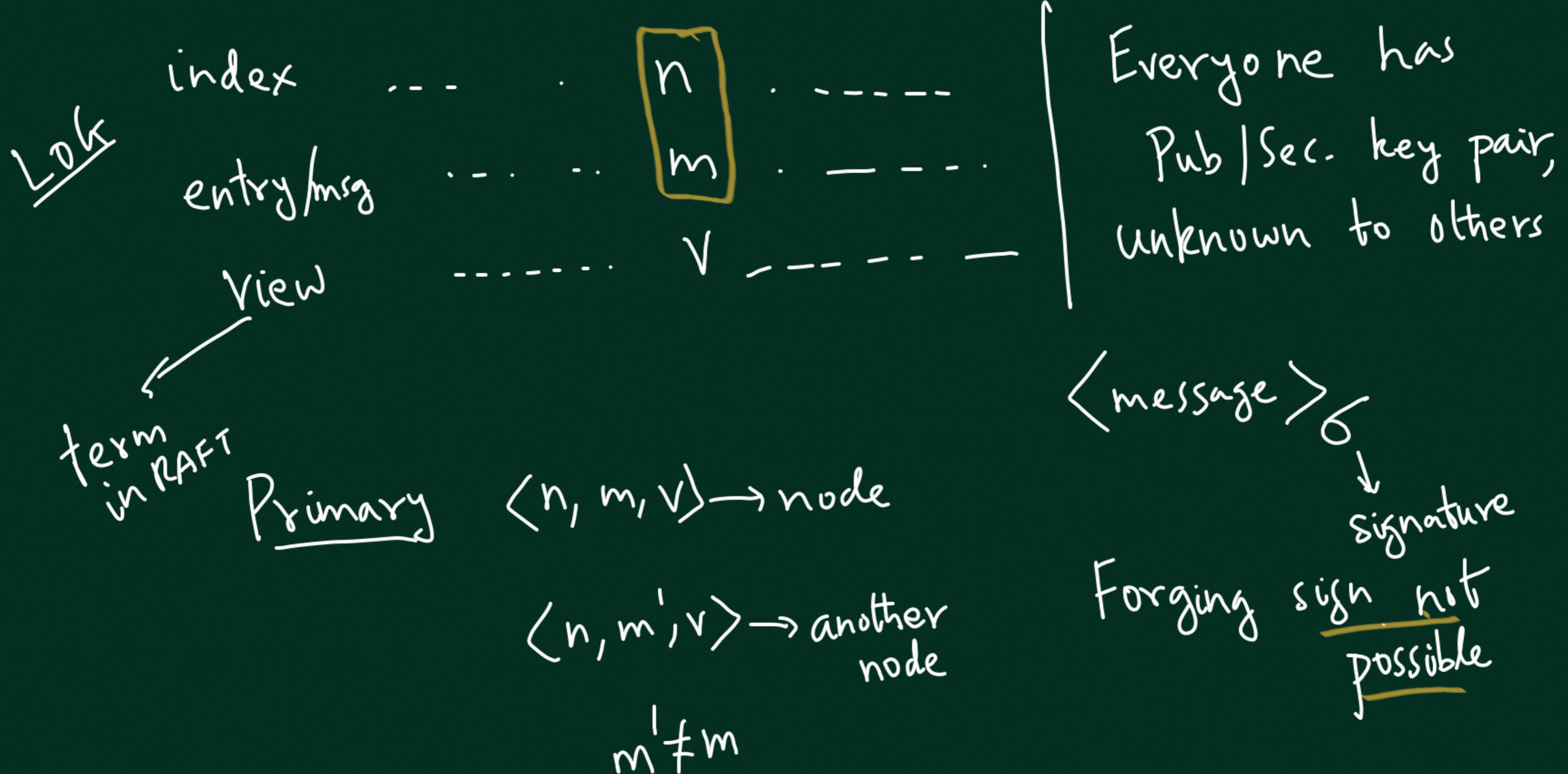
$$N = 3f + 1$$

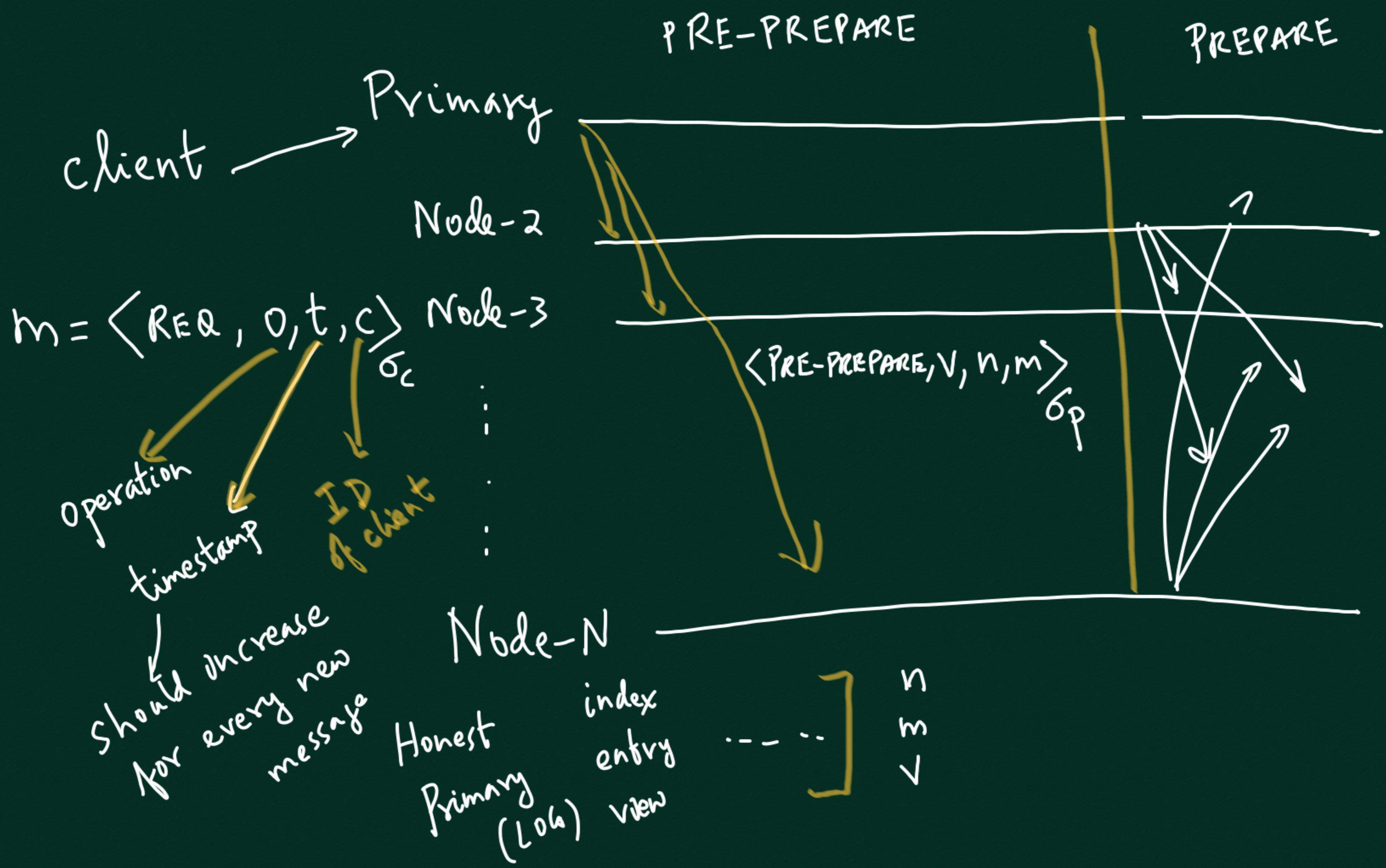
↓
max. Byz. Nodes

Quorum: $2f+1$ nodes agree

Inters. Property

Availability





PRE-PREPARE Phase: On receiving $\langle v, n, m \rangle$ from Primary

(i) if node i is in view v , and has not accepted another message in view v for same ' n ',

then it puts $\binom{n}{m}_v$ in its log, and sends

out $\langle \text{PREPARE}, v, n, m, i \rangle_{S_i}$ in next

phase

Note: Honest node sending
 $\langle \text{PREPARE}, v, n, m \rangle_S$ will not send
 $\langle \text{PREPARE}, v, n, m' \rangle_S$
 $m \neq m'$

PREPARE Phase: If node-i has sent $\langle \text{PREPARE}, v, n, m \rangle_{6_i}$

and it hears $2f$ or more other nodes sending

PREPARE with same tuple (v, n, m) then we

Say it has P-CERTIFICATE for (v, n, m)

Note: If a node (honest) gets P-CERT for (v, n, m) ,

then it is sure that no one else can get

P-CERT for (v, n, m')

(Using Inters. Prop.
of Quorums) where $m \neq m'$

Honest
Log

index

entry/msg

view

n
 m] LOCKED

P-CERT

Suppose view-change
occurs (e.g. $v' = v+1$)

Suppose Primary send (v', n, m')
where $m' \neq m$

if P-CERT
have
then don't accept or
Send PREPARE for (v, n, m)
otherwise
PREPARE for (v', n, m')

If have P-CERT for $\langle v, n, m \rangle$

- Get PRE-PREPARE in $v' > v$

for $\langle v', n, m' \rangle$, $m' \neq m$

don't accept or send PREPARE

- Get PRE-PREPARE in $v' > v$ for $\langle v', n, m \rangle$
then send PREPARE for
 $\langle v', n, m \rangle$

If sent PREPARE
for $\langle v, n, m \rangle$ but
No P-CERT

can send
PREPARE for
 $\langle v', n, m' \rangle$

$\langle v', n, m \rangle$
Same

PREPARE phase ensures total ordering within a view

Commit Phase: Gossip if P-CERT heard in previous phase

Primary

Node-2

:

Node-i

Node-N



P-CERT got $\langle v, n, m \rangle$

Now

Node-i locks (n, m)
permanently and executes
operation 'o'

Node-i
got C-CERT
from 2k or more
other nodes sent
[COMMIT, v, n, i] 76i

↪ If C-CERT obtained, then $2f+1$ nodes have received
 P-CERT for (v, n, m) and will not vote (PREPARE)
 for (v', n, m') where $v' > v, m' \neq m$

