

Lab 4: Non-linearity and its effects in communication systems

Wadhwani Electronics Lab

Department of Electrical Engineering
Indian Institute of Technology, Bombay

Aim of the experiment

To study non-linearity and its effects on communication systems.

- To observe 2nd order (or even order) non-linearity.
 - Generation of undesired DC components and
 - Unwanted out-of-band spectral components.
- To observe the effect of 3rd order (or odd order) non-linearity
 - In band spurious signal generation (and signal distortion) at the transmitter.
 - Desensitization of the receiver (in the presence of a strong interferer).
- To verify desensitization (or gain compression) of an RF receiver caused by saturation.

Large Signal Model

Consider BJT differential amplifier as shown in the Figure below with

$$V_{ID} = V_{BE1} - V_{BE2}$$

- Using large signal BJT model, prove that

$$i_{C1} = \frac{\alpha I_{EE}}{1 + e^{-V_{ID}/V_T}}; i_{C2} = \frac{\alpha I_{EE}}{1 + e^{+V_{ID}/V_T}}$$

- Single ended output** ($V_{BE2} = \text{constant}$ and $V_{BE1} = V_{ID}/2$)

$$v_{OD1} = i_{C1} R_L = \frac{A_v}{1 + e^{(V_{BE2} - V_{BE1})/V_T}} = \frac{1}{1 + e^{-V_{ID}/2V_T}}$$

Plot the above input output relation.

- Differential output** (with $V_{BE1} = +V_{ID}/2$ and $V_{BE2} = -V_{ID}/2$)

$$v_{OD} = (i_{C1} - i_{C2}) R_L = \alpha I_{EE} R_L \frac{e^{V_{ID}/2V_T} - e^{-V_{ID}/2V_T}}{e^{V_{ID}/2V_T} + e^{-V_{ID}/2V_T}} = A_v \tanh(V_{ID}/2V_T)$$

- ✓ What is the small signal differential gain of the system?

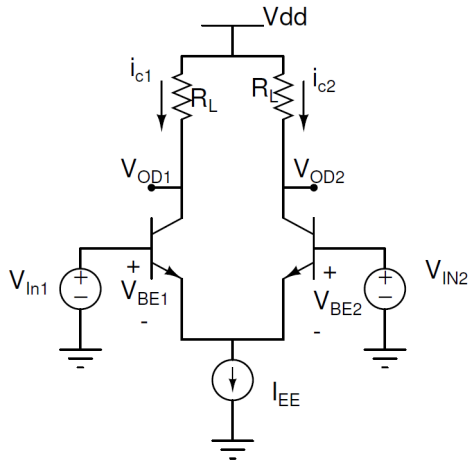


Figure: BJT Differential Amplifier

PART1a: 2nd-Order Non-Linearity

For this part of the lab, implement a single-ended output transfer function as shown in the previous slide in GNU Radio as follows:

- Apply the digitally modulated data (as v_{ID}) from the given 'Input.bin' file using the 'File Source' block at the input of this system with an amplitude slider. Keep the sampling rate at 4.3MHz .
- Use the exponential function in the 'Transcendental' block to mathematically model the single-ended transfer function as discussed in the last slide. (Assume $v_T = 25\text{mV}$).
- Keep $k=0.9$ and use a slider to vary the signal power/amplitude. Keep the default value $= 10^{-6}$ and maximum value $= 0.01$.

By varying the slider, observe the unwanted in-band and undesired components in the band adjacent to the desired signal band.

- ✓ Is it possible to remove these unwanted out-of-band spectral components for narrow band signals (explain)?
- ✓ Can you locate and justify the out-of-band IM2 components and observe the unwanted spectral components?
- ✓ How fast does the unwanted spectral component change with respect to the desired component For example, if the signal increases by 10 dB, how much is the change in 2nd-order components (explain why?)

PART1b: 3rd-Order Non-Linearity

2nd-order non-linearity, can be eliminated with [Differential signalling](#).

- Implement the differential model to eliminate 2nd-order non-linearity, so as to observe ONLY the 3rd-order non-linearity effect clearly.
- Use the $\tanh(x)$ function in the 'Transcendental' block to model this system and apply given digitally modulated data from the 'Input.bin' file with an amplitude slider.
- Keep $A_v = 1$ for the model and use slider to vary the signal power/amplitude. Keep the default value $= 10^{-6}$ and maximum value $= 30^{-3}$.

By varying the slider, observe the unwanted in-band and undesired components in the band adjacent to the desired signal band. But this time effects of 2nd-order non-linearity like DC component are eliminated.

- ✓ Can these in-band components inside and in the vicinity of the desired signal spectrum be removed easily as compared to previously seen out-of-band?
- ✓ Can you justify the observed location of unwanted spectral components?
- ✓ How fast does the unwanted spectral component change with respect to the desired component (for some change in input power)? Explain why?

PART2a: Desensitization(s/w)

3rd ordered non-linearity leads to **Desensitization** of the receiver.

- We need to use the differential model for this part of the experiment.
 - This time fix the amplitude of the desired modulated signal from the file.
 - Add a sinewave tone representing an interferer to the output of the signal and apply this to input of the 'Transcendental' block with the $\tanh(x)$ function.
 - Ensure that the interferer is very close to the desired signal spectrum.
 - Increase the interferer amplitude from 0.01 to 1 by a separate slider.
 - You should observe that the desired signal amplitude decreases as you increase the interferer amplitude. This saturation of the receiver is called **desensitization** and is the basic principle behind **jamming** of the receiver.
- ✓ Can 2nd order non-linearity also cause desensitization of the receiver(use small signal polynomial approximation to analyze this)?