DMath_U1_bf

1.5

a.

Α	В	С	A ≰ B	(A ≰ B) ≰ C
0	0	0	0	0
0	0	1	0	1
0	1	0	1	1
0	1	1	1	0
1	0	0	1	1
1	0	1	1	0
1	1	0	0	0
1	1	1	0	1
Α	В	С	B ≰ C	A ₡ (B ₡ C)
A 0	B	C	B ≰ C 0	A ≤ (B ≤ C) 0
0	0	0	0	0
0	0	0	0	0
0 0 0	0 0 1	0 1 0	0 1 1	0 1 1
0 0 0	0 0 1 1	0 1 0 1	0 1 1 0	0 1 1 0
0 0 0 0	0 0 1 1 0	0 1 0 1 0	0 1 1 0 0	0 1 1 0

$$(A \clubsuit B) \clubsuit C \equiv A \clubsuit (B \clubsuit C)$$

b.

Α	В	¬A	¬В	$\neg A \wedge \neg B$	¬(A ≰ B)
0	0	1	1	1	1
0	1	1	0	0	0

Α	В	¬A	¬В	$\neg A \wedge \neg B$	¬(A ≰ B)
1	0	0	1	0	0
1	1	0	0	1	1

 $\neg A \land \neg B \equiv \neg (A \triangleleft B)$

C.

Α	В	С	F
0	0	0	0
0	0	1	1
0	1	0	0
0	1	1	1
1	0	0	1
1	0	1	0
1	1	0	1
1	1	1	0

Α	В	С	A ≰ B	(A ≰ B) ≰ C	(A ≰ B) ≰ ((A ≰ B) ≰ C)	A ₡ (A ₡ B) ₡ ((A ₡ B) ₡ C)
0	0	0	0	0	0	0
0	0	1	0	1	1	1
0	1	0	1	1	0	0
0	1	1	1	0	1	1
1	0	0	1	1	0	1
1	0	1	1	0	1	0
1	1	0	0	0	0	1
1	1	1	0	1	1	0

 $\mathsf{F} \equiv \mathsf{A} \, \, \textcircled{\hspace{-.1em} \bullet} \, \, (\mathsf{A} \, \textcircled{\hspace{-.1em} \bullet} \, \mathsf{B}) \, \textcircled{\hspace{-.1em} \bullet} \, \, ((\mathsf{A} \, \textcircled{\hspace{-.1em} \bullet} \, \mathsf{B}) \, \textcircled{\hspace{-.1em} \bullet} \, \, \mathsf{C})$