Qualification Round 2017

A. Oversized Pancake Flipper

B. Tidy Numbers

C. Bathroom Stalls

D. Fashion Show

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Submissions

Oversized Pancake Flipper

17673 users attempted

Tidy Numbers

 5pt
 Correct 22639/24374 users correct (93%)

 15pt
 Submitted 20358 users attempted

Bathroom Stalls

5pt Not attempted 12111/13855 users correct (87%)

10pt Not attempted 9491/11433 users correct (83%)

15pt Not attempted

Fashion Show

10pt | Not attempted 842/2043 users correct (41%) 25pt | Not attempted 709 users attempted

7670 users attempted

Top Scores

FatalEagle	100
ACMonster	100
y0105w49	100
johngs	100
HellKitsune123	100
kyc	100
SergeyRogulenko	100
spnautilus	100
BudAlNik	100
mjy0724	100

Time Remaining: 3 hours 5 min Rank: 12910 Score: 35

Problem C. Bathroom Stalls

Confused? Read the quick-start guide.

Small input 1	Solve C-small-1
5 points	You may try multiple times, with penalties for wrong submissions
Small input 2 10 points	You must solve small input 1 first. You may try multiple times, with penalties for wrong submissions
Large input 15 points	You must solve all small inputs first. You have 8 minutes to solve 1 input file. (Judged after contest.)

Problem

A certain bathroom has ${\bf N}$ + 2 stalls in a single row; the stalls on the left and right ends are permanently occupied by the bathroom guards. The other ${\bf N}$ stalls are for users.

Whenever someone enters the bathroom, they try to choose a stall that is as far from other people as possible. To avoid confusion, they follow deterministic rules: For each empty stall S, they compute two values L_S and R_S , each of which is the number of empty stalls between S and the closest occupied stall to the left or right, respectively. Then they consider the set of stalls with the farthest closest neighbor, that is, those S for which $\mathsf{min}(\mathsf{L}_S, \mathsf{R}_S)$ is maximal. If there is only one such stall, they choose it; otherwise, they choose the one among those where $\mathsf{max}(\mathsf{L}_S, \mathsf{R}_S)$ is maximal. If there are still multiple tied stalls, they choose the leftmost stall among those.

 ${\bf K}$ people are about to enter the bathroom; each one will choose their stall before the next arrives. Nobody will ever leave.

When the last person chooses their stall S, what will the values of $\max(L_S, R_S)$ and $\min(L_S, R_S)$ be?

Solving this problem

This problem has 2 Small datasets and 1 Large dataset. You must solve the first Small dataset before you can attempt the second Small dataset. You will be able to retry either of the Small datasets (with a time penalty). You will be able to make a single attempt at the Large, as usual, only after solving both Small datasets.

Input

The first line of the input gives the number of test cases, **T. T** lines follow. Each line describes a test case with two integers **N** and **K**, as described above.

Output

For each test case, output one line containing Case #x: y z, where x is the test case number (starting from 1), y is $max(L_S, R_S)$, and z is $min(L_S, R_S)$ as calculated by the last person to enter the bathroom for their chosen stall S.

Limits

 $1 \le T \le 100.$ $1 \le K \le N.$

Small dataset 1

 $1 \le N \le 1000$.

Small dataset 2

 $1 \le N \le 10^6$.

Large dataset

 $1 \le N \le 10^{18}$.

Sample

Input	Output	
5 4 2	Case #1: 1 0 Case #2: 1 0	

In Case #1, the first person occupies the leftmost of the middle two stalls, leaving the following configuration (0 stands for an occupied stall and . for an empty one): 0.0..0. Then, the second and last person occupies the stall immediately to the right, leaving 1 empty stall on one side and none on the other.

In Case #2, the first person occupies the middle stall, getting to 0..0..0. Then, the second and last person occupies the leftmost stall.

In Case #3, the first person occupies the leftmost of the two middle stalls, leaving 0..0..0. The second person then occupies the middle of the three consecutive empty stalls.

In Case #4, every stall is occupied at the end, no matter what the stall choices are.

In Case #5, the first and only person chooses the leftmost middle stall.

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