## Compare Euler and ode45

First, define a local function to cacluate the rate of change.

## **Define Common Parameters**

For both methods we'll define the initial conditions and time span

```
y_init = 5;
t_span = [0, 5];
```

## Solve ODE via Euler's Method

Initialize the vectors for t and y

```
tt(1) = t_span(1);
yy(1) = y_init;
```

Time step

```
dt = 0.1;
```

Find the integer number of time steps in the time span.

```
n = ceil((t_span(2) - t_span(1))/dt);
```

Loop for each time step

```
for i=1:n
    r = rate_func(tt(i), yy(i));
    tt(i+1) = tt(i) + dt;
    yy(i+1) = yy(i) + r * dt;
end
```

Plot the results

```
plot(tt, yy)
xlabel('Time [hours]')
ylabel('Population [cells]')
grid('on')
```

## Solve ODE with ode45

```
[tout, yout] = ode45(@rate_func, t_span, y_init);
```

Overlay the new solution on the same plot. Add a legend to label each solution.

```
hold on;
plot(tout, yout, 'r--')
legend('Euler','ode45')
```

