

# Mixing Characteristics in a Weakly Energetic, Strongly Stratified Ocean Environment



## I - MOTIVATION & OVERVIEW

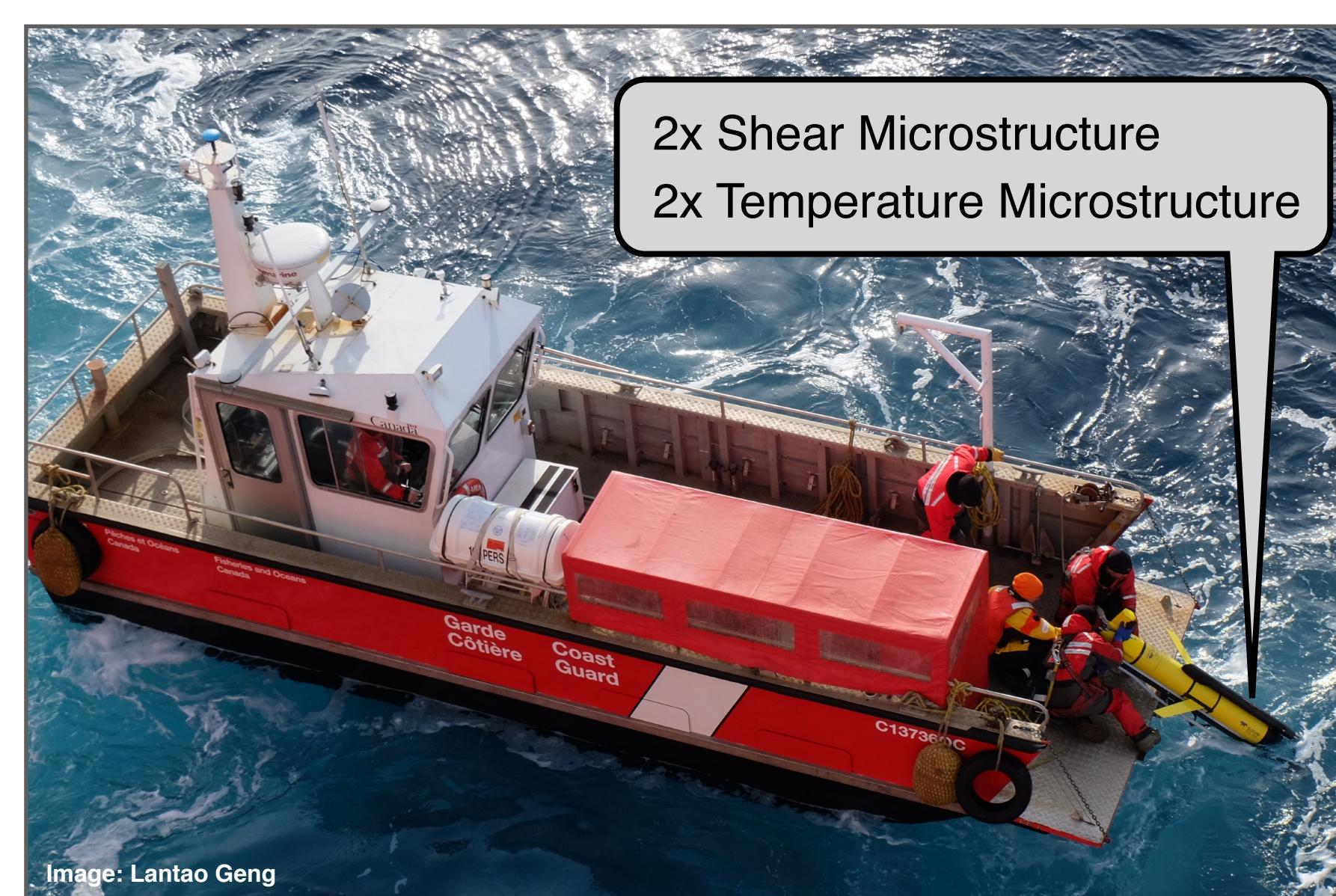
### Representations of Ocean Mixing in Regions where Turbulence is Weak and Stratification is Strong

**Geophysical flows are often strongly stratified and marginally turbulent**—with buoyancy Reynolds number  $Re_B = O(10)$  or smaller—and are associated with only weak turbulent diffusivity enhancement. Previous numerical studies (see e.g. Ivey et al. 2008) suggest that the Osborn relation with a constant flux coefficient  $\Gamma=0.2$  can misrepresent diapycnal mixing in such flows.

Using ocean microstructure measurements, we demonstrate here how predictions given by the Osborn relation systematically diverge from observed tracer fluxes when  $Re_B$  becomes small. We further show that, contrary to expectation, the diffusivity remains enhanced by a factor of at least 5 even at exceptionally small values of  $Re_B = O(10^{-2})$ .

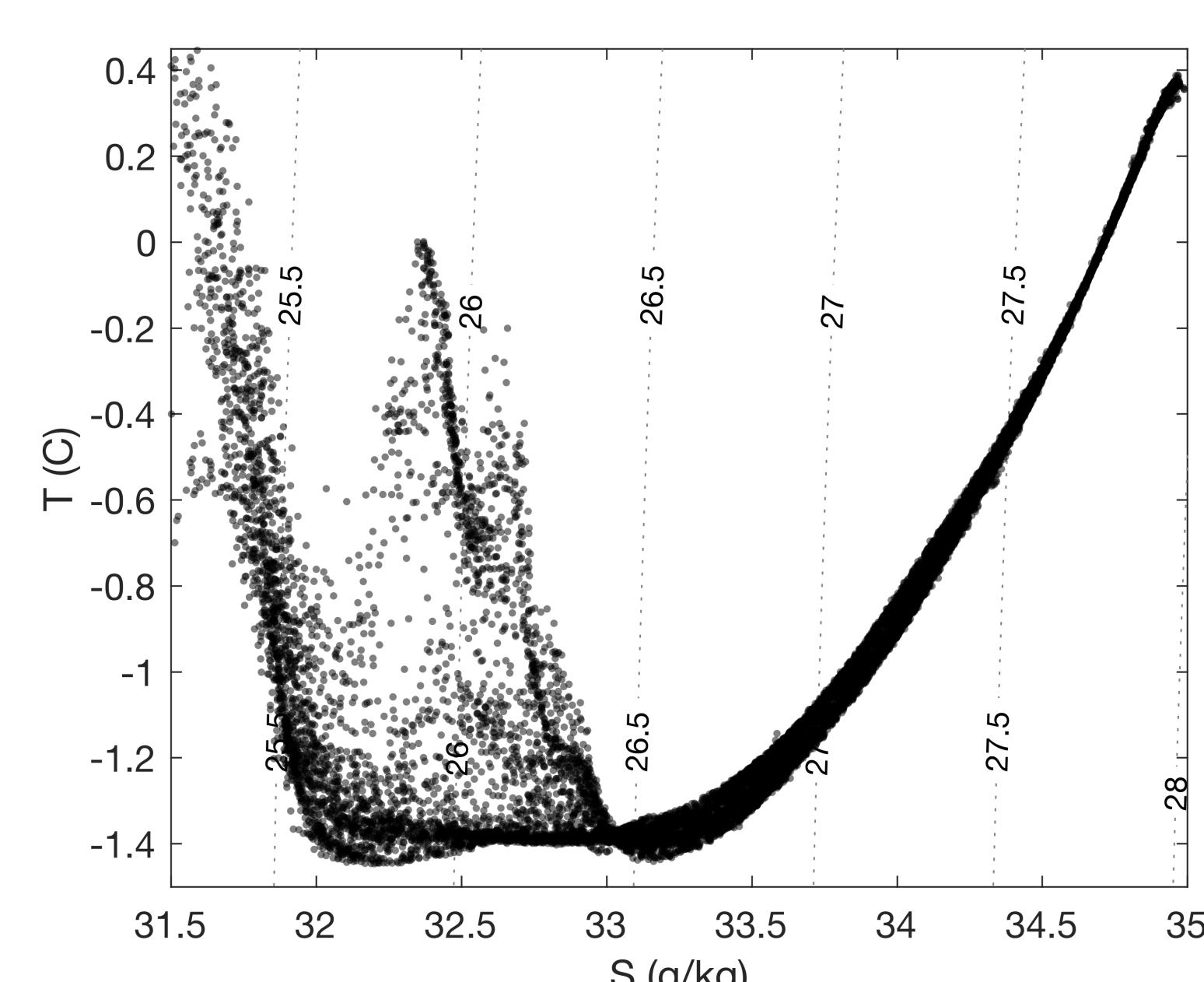
## II - OBSERVATIONS & METHODS

### Temperature & Shear Microstructure + CTD Measurements from a Glider in the Amundsen Gulf, Beaufort Sea



Temperature and shear microstructure measurements provide coincident, independent estimates of  $\varepsilon$ , the turbulent dissipation rate.

The Amundsen Gulf in the Beaufort Sea, where we collected the measurements, is a strongly stratified and weakly turbulent ocean environment. Stratification  $N^2$  is typically  $O(10^{-5}) \text{ s}^{-2}$  or  $O(10^{-4}) \text{ s}^{-2}$ .



Left: Temperature-salinity diagram for the available measurements. Note that density contours are ~vertical, implying temperature is a quasi-passive tracer.

#### Definitions

##### Osborn Relation

Turbulent density diffusivity

$$K_p = \Gamma \frac{\epsilon}{N^2}$$

##### Cox Number

Relative strength of turbulent-scale gradients

$$C = \frac{3 \left\langle \left( \frac{\partial T'}{\partial x} \right)^2 \right\rangle}{\left( \frac{\Delta T}{\Delta x} \right)^2}$$

##### Osborn-Cox

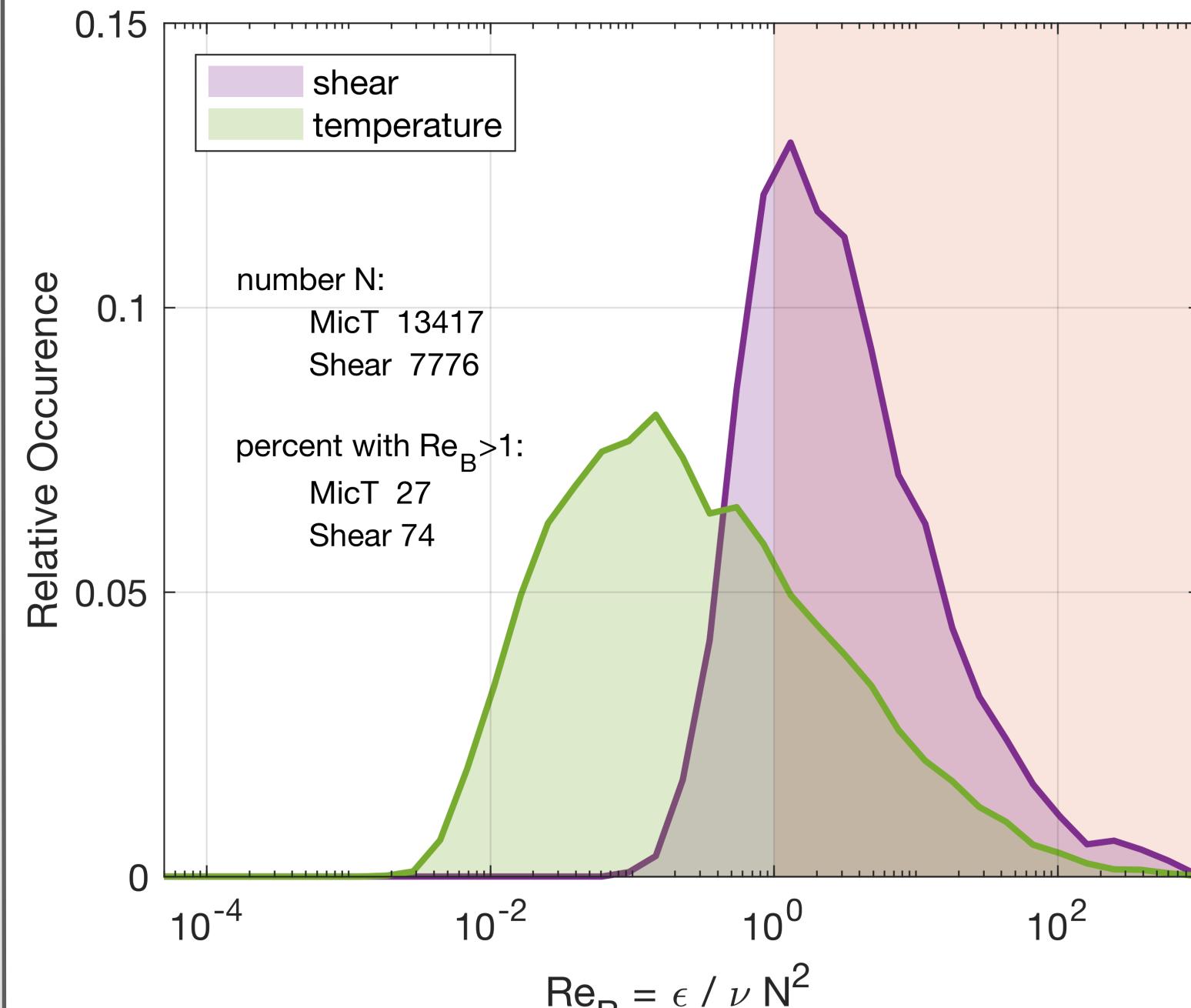
Turbulent temperature diffusivity

$$K_T = \kappa_T C$$

##### Flux Coefficient

A function of the efficiency,  $R_f$ , of turbulent mixing

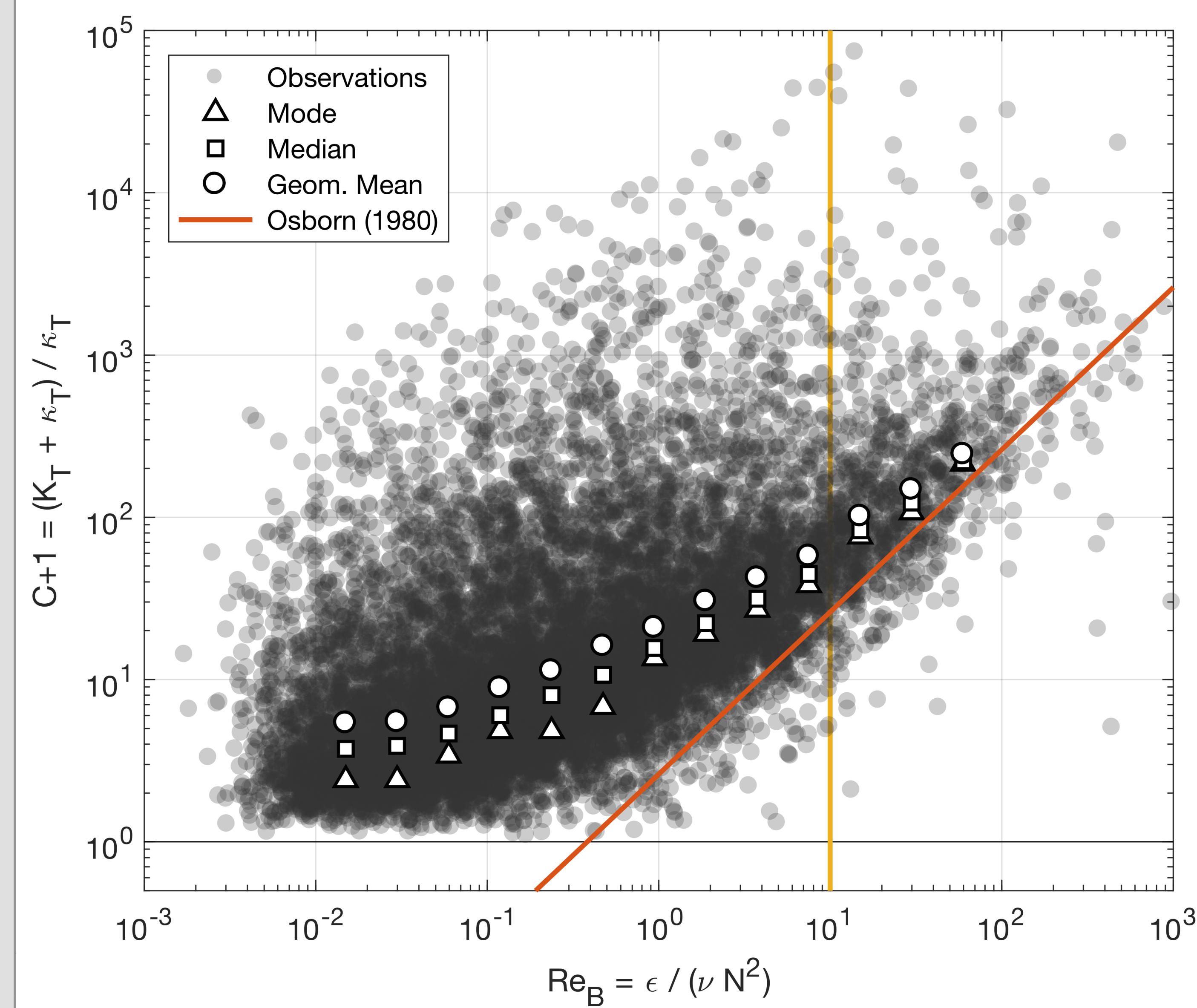
$$\Gamma = \frac{R_f}{1 + R_f}$$



Left: Distributions of  $Re_B$  observations. Shear measurements resolve  $\varepsilon > 10^{-10} \text{ W/kg}$ ; temperature measurements resolve  $\varepsilon > 10^{-12} \text{ W/kg}$ .

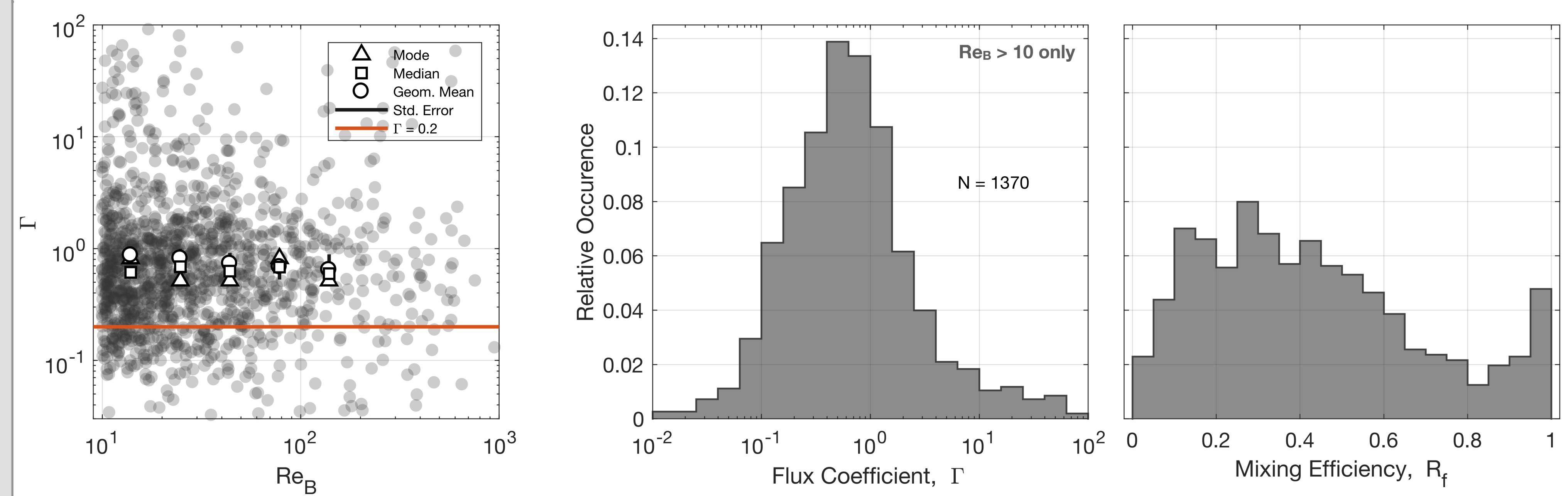
## III - RESULTS & DISCUSSION

### Turbulent Diffusivity Enhancement Diminishes with Decreasing $Re_B$ , Diverges from Standard Osborn Model; Variable Mixing Efficiency



Right — Ratio of the observed temperature diffusivity  $K_T$  to the predicted density diffusivity  $K_p$  from the Osborn model. The divergence from unity at low buoyancy Reynolds number is systematic and significant; at  $Re_B=10^{-2}$ ,  $K_T$  and  $K_p$  differ by a factor of 100; at  $Re_B>10$  they agree within a factor of 2. Note  $K_T$  observations contain uncertainty from assuming isotropy. Dissipation rate  $\varepsilon$  is estimated via Batchelor spectra fitting.

Below — Estimates of the flux coefficient  $\Gamma$  and the mixing efficiency  $R_f$ , inferred by assuming  $K_T = K_p$ . Note the calculation is only meaningful when turbulent fluxes dominate molecular ones—we arbitrarily set a cutoff of  $Re_B > 10$  for this criterion. We find  $\Gamma \sim 0.75$  over the range  $Re_B = 10-200$ ; there is large variability but little trend over this  $Re_B$  range. The most common flux coefficient is  $\Gamma = 0.5$  with IQR = 0.27–1.4; the most common mixing efficiency is  $R_f = 0.3$  with IQR = 0.22–0.58.



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