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Question #1

EECS101: HW #1

① a.

$x' = \frac{f_x}{z}$
 $x = x_0 + ta$
 $z = z_0 + tc$

$y' = \frac{f_y}{z}$
 $y = y_0 + tb$

Persp

$$x' = \frac{(x_0 + ta) \cdot f_x}{(z_0 + tc)}$$

$$y' = \frac{(y_0 + tb) \cdot f_y}{(z_0 + tc)}$$

Ortho

$$x' = x_0 + ta$$

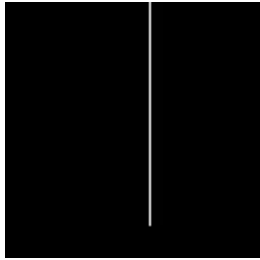
$$y' = y_0 + tb$$

b. No, the perspective projection is not a line. The line becomes dotted and unconnected. Therefore not a line.

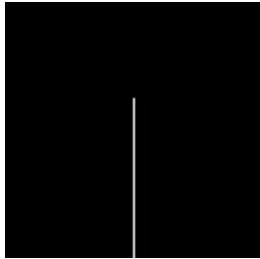
c. ~~yes~~ The image shows a ~~disconnected~~ continuous curve. The line that is continuous.

d. As t goes to ∞ we will reach a vanishing point and the line will disappear. The slowly get farther and further apart in the image as time continues, at some point they should disappear entirely.

Perp



Ortho



Question #2

② a.

$$x'_1 = x_1 + tA$$

$$x'_2 = x_2 + tA$$

$$y'_1 = y_1 + tb$$

$$y'_2 = y_2 + tb$$

orth

perp

$$x'_1 = \frac{x_1 + tA}{z_0} f'$$

$$x'_2 = \frac{x_2 + tA}{z_0} f'$$

$$y'_1 = \frac{y_1 + tA}{z_0} f'$$

$$y'_2 = \frac{y_2 + tA}{z_0} f'$$

c. will they give parallel?

The z plane needs to ~~be~~ be the same
or very close to show if two parallel
lines are parallel

Perp $m = -\frac{f}{z_0}$ $-\frac{1}{-1} = -\frac{1}{-2} = -\frac{1}{-3}$
 $z_0 = -1$ $z_0 = -2$ $z_0 = -3$

ortho $m' = -\frac{f}{z_0} = -\frac{f}{z_0} = \frac{1}{-1} = \frac{1}{-2} = \frac{1}{-3}$
 $z_0 = -1$ $z_0 = -2$ $z_0 = -3$

since magnification is the same for ortho/perp and ortho
will always show parallel lines when...

$$y'_2 = y_2 + zb$$

ortho

$$y = \frac{y_1 + bA f}{z_0}$$

$$y'_1 = \frac{y_1 + bA f}{z_0}$$

C. will they give parallel?

The z plane needs to ~~be~~ be the same
or very close to show if two parallel
lines are parallel

Perp $m = -\frac{f}{z_0}$ $-\frac{1}{-1} = \frac{1}{-2} = \frac{1}{-3}$
 $z_0 = -1$ $z_0 = -2$ $z_0 = -3$

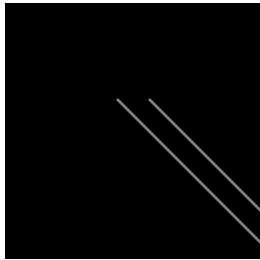
ortho $m' = -\frac{f}{z'_1} = \frac{-f}{z_0} = \frac{1}{-1} = \frac{1}{-2} = \frac{1}{-3}$
 $z_0 = -1$ $z_0 = -2$ $z_0 = -3$

since magnification is the same for ortho/perp and ortho
will always show parallel lines when given a parallel lines,
so long as ortho is parallel, perp will be parallel

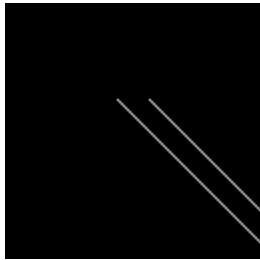
in this situation, M only depends on z and
both ortho/perp share a z coord here

Ortho images

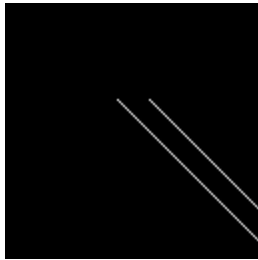
$Z = -1$



$Z = -2$



$Z = -3$



Perp Images in the same order

$Z = -1$



$Z = -2$



$Z = -3$



Question #3 and the remainder of #2

2 Do yes, all the perp & ortho images are parallel like
but c suggests

e. The orthographic projection is a good approximation.

$$x_0 = 0.5 + t$$

$$x_0 = \frac{0.5 + t}{-1} \cdot f$$

In many cases they have, Perp & ortho, the same values. The in the where $z = -1$. The $-z$

just mirrors them and since they are semi symmetric parallel lines it works.

So where $z_0 = |f'|$ then ortho & perp becomes the same.

③ Ortho

$$A: \hat{x} = x_1 \quad \hat{y} = y_0 + tb$$

$$\hat{x} = x_2 \quad \hat{y} = y_0 + tb$$

Perp

$$\hat{x} = \frac{x_1}{z_0 + tc} f'$$

$$\hat{x} = \frac{x_2}{z_0 + tc} f'$$

$$\hat{x} = \frac{y_0 + tb}{z_0 + tc} f'$$

$$\hat{y} = \frac{y_0 + tb}{z_0 + tc} f'$$

b) $m = \frac{-f}{z}$ ~~$1 \rightarrow z$~~ $m = \frac{-f}{z_0 + tc}$ $m = -1 \frac{1}{2}$

$$x' = x_1$$

$$x_1 = \frac{x_1}{z_0 + tc} f_1$$

~~$y = y_0 + tb$~~

$$f_1 = 1 \frac{1}{2}$$

$$y' = y_1$$

$$y_1 = \frac{x_1 + tb}{z_0 + tc} = 0$$

$$z = z_0 + tc$$

$$z = -1 \frac{1}{2}$$

$$\frac{-y + tc}{z_0 + tc} =$$

$$tc$$

d) Yes { Some lines may be flipped since $m = -1 \frac{1}{2}$, one will give a mirror, but I will flip the line which they are symmetrical may result in non parallel lines unless }

Some of them^(all) are flipped over the z -axis as predicted in part B.

f) as t goes to ∞ $x \frac{1}{2} y$ go to \emptyset

meaning all x, y, z points are $(0, 0, 0)$

meaning they converge and no longer parallel

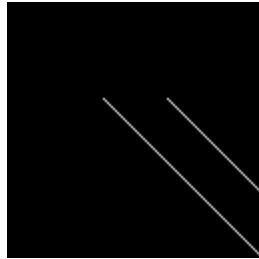
Ortho

$C = 1$

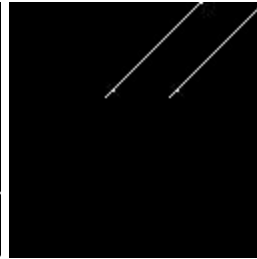
$B = 0$



$B = 1$



$B = -1$



$C = -1$

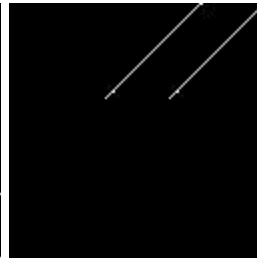
$B = 0$



$B = 1$



$B = -1$



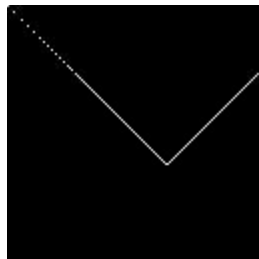
Perp

$C = 1$

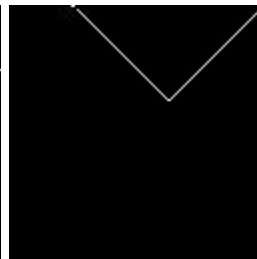
$B = 0$



$B = 1$

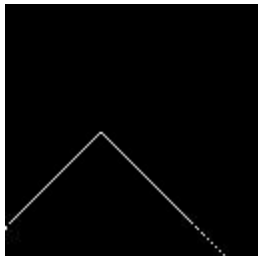


$B = -1$

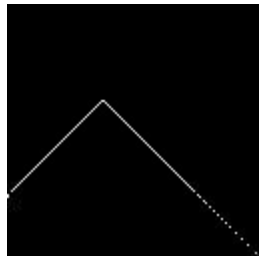


$C = -1$

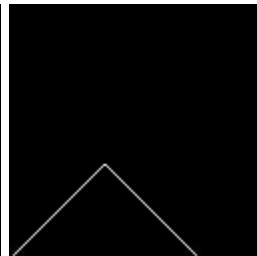
$B = 0$



$B = 1$



$B = -1$



Extra Credit:

`fopen()`, opens a file to be read or written. It does this by the user inputting "rb" read or "wb." write.

`fread()`: Reads from a file, the inputs tell it where to read

`fclose()`: Closes an opened file that the code was perviously reading or writing.

`header()`: The header takes the previous title of the given image and converts it in a way that it can be used in the ras file by using little-endian or big endian depending on the system.

`clear()`: Clear takes the images memories space and clears out any of the memory that may be defined. It does this by going through every memory slot and setting them to Zero.

`fwrite()`: writes what is given in to the specified file it is given. The coordinated inputs tell it where to put the new data.

`main()`: Main converts a raw image to a ras image. It does this by opening a file, it checks to see if it can be opened first and if it is the right size, converts the header of the file and then raw file into a ras file.