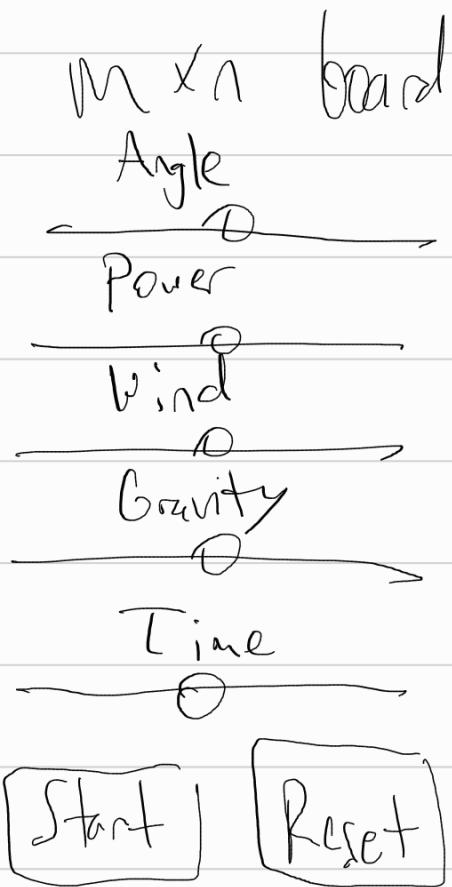
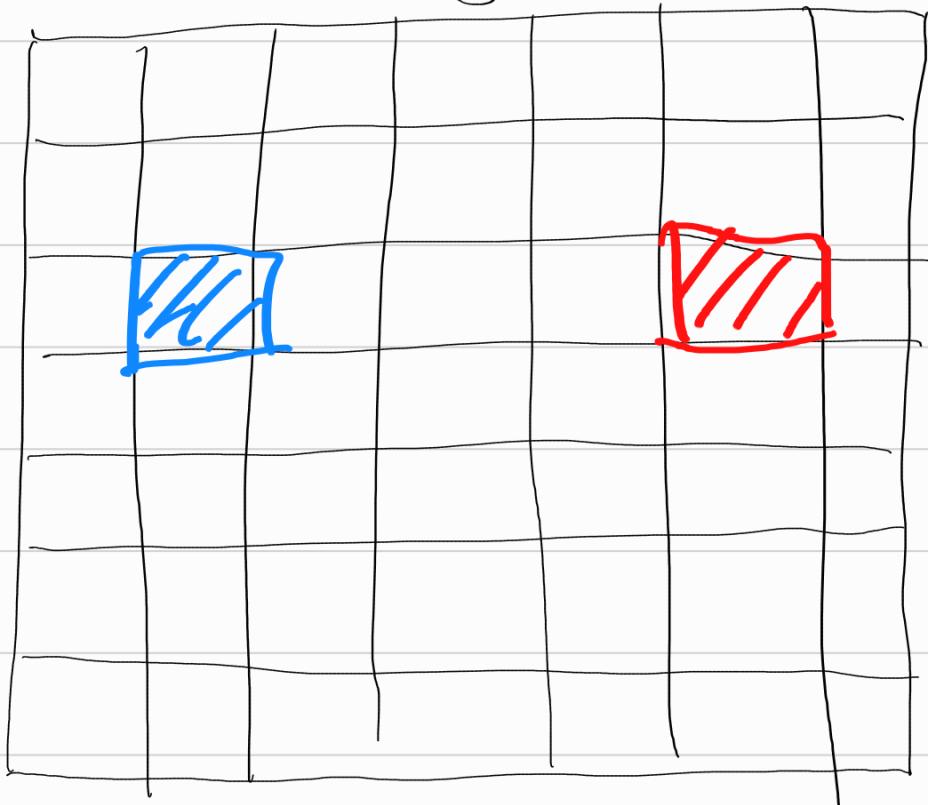


Ball Bouncing Simulation



Start



Target

Set angle > will replace with Velocity X, Y
Power

horizontal gravity - "Wind" or acceleration X
gravity 9.8 m/s^2 - acceleration Y, will
time scale down to 1 block/s²

Add walls by clicking on the board
and on edges

Setting Up the Board

$\text{col} = c, \text{row} = r, \text{board} = []$

push c to board $\rightarrow [[], [], \dots c \text{ times}]$

push r to each c

$[[[\dots]] \times r] \quad [[\dots]] \times r \dots c \text{ times}]$

$\left[\begin{array}{c} [[\dots]] \times r \\ [[\dots]] \times r \\ \vdots \\ c \text{ times} \end{array} \right]$

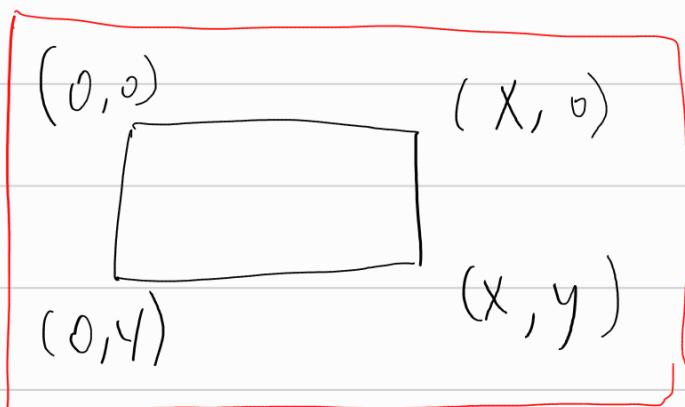
$\rightarrow \left[\begin{array}{c} \text{becomes } [\text{row}, \text{col}] \\ \text{instead of } (\text{col}, \text{row}) \end{array} \right]$

(pushing array swaps the convention, but

$\text{col} = x, \text{row} = y$

still)

$+ X((o))$



$+ Y(\text{row})$

start w/ $V_y = 0$?
above wall = true



to make sure if $V_y = 0$, ball will
not move upward based on
velocity / collision equations

Collision Cases Velocity if these walls exist

→ before

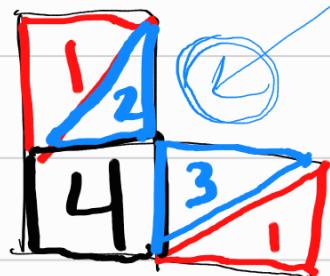
→ after

1 - 1st check

2 3 - 2nd, 3rd check
order does not matter

4 - 4th check

Case 1: (bottom left) (-x, +y)



- col

+ row

* Due to odd interactions,
1st check will
end the nn

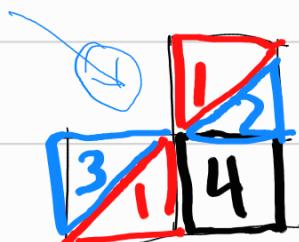
if 1: reverse both V_x, V_y

2: reverse V_x

3: reverse V_y

4: reverse V_x, V_y

Case 2: (bottom right) (+x, +y)



+ col

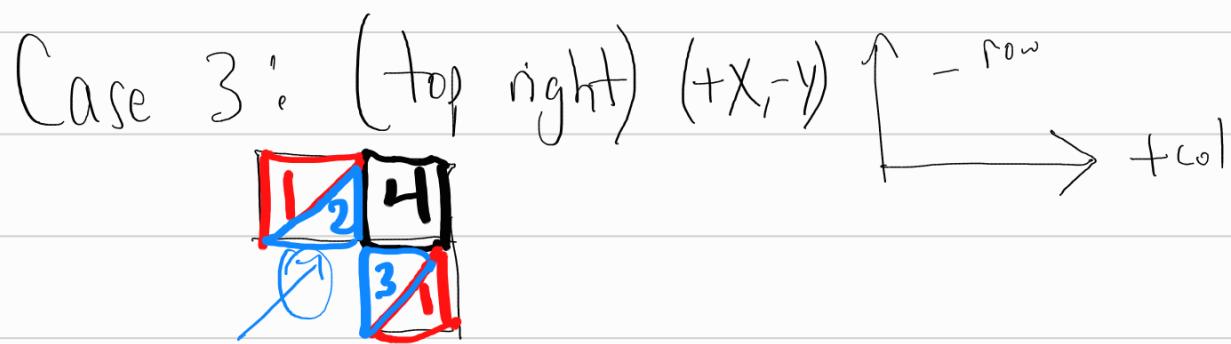
+ row

if 1: reverse both V_x, V_y

2: reverse V_x

3: reverse V_y

4: reverse both

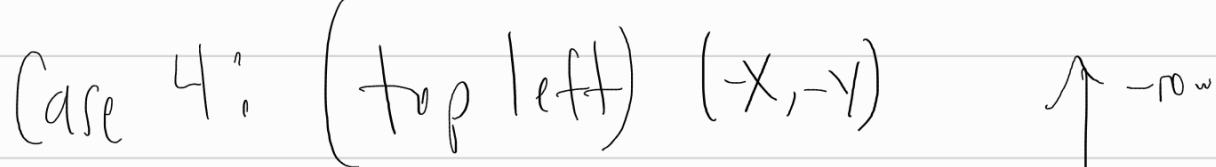


if 1: reverse both v_x, v_y

2: reverse v_y

3: reverse v_x

4: reverse v_x, v_y

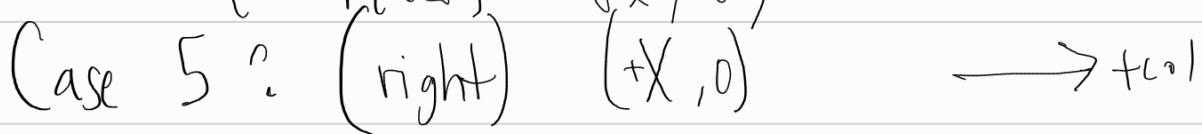


if 1: reverse both v_x, v_y

2: reverse v_x

3: reverse v_y

4: reverse v_x, v_y



reverse v_x

Case 6: (left) $(-x, 0)$ $\leftarrow -\text{col}$



reverse V_x

Case 7: (down) $(0, +y)$ $\downarrow \text{row}$



reverse V_y

Case 8: (up) $(0, -y)$ $\uparrow -\text{row}$



reverse V_y

Case 9: $(+col, 0)$ $g^! = 0$
 $\leftarrow \square \quad \square$

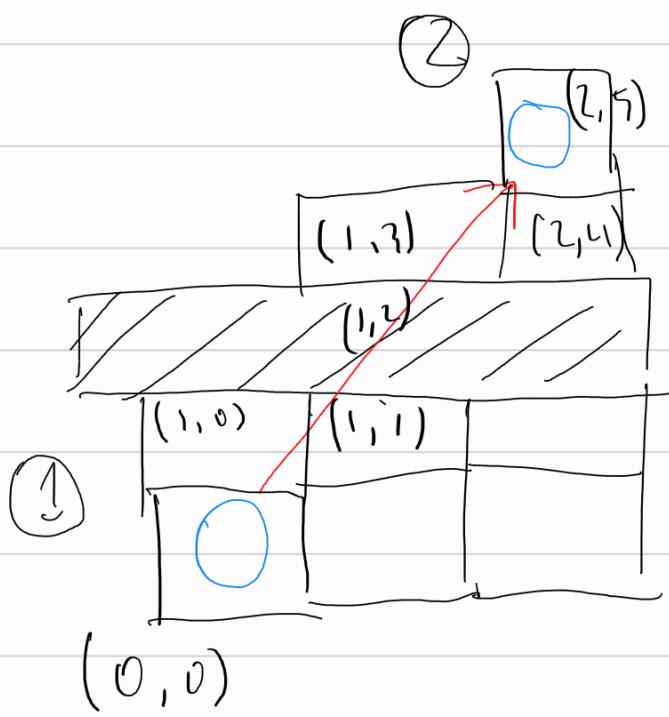
Case 10: $(-col, 0)$ $g^! = 0$
 $\square \rightarrow \square$

$g^! = 0$ means wall under the ball

Find closest Non Wall

Ball jumps over wall (current algo.

can only handle ball moving (cell)



1- Take max, absolute value
of $\Delta X, \Delta Y$

2- Record sign (+/-)
of delta to relocate in
correct direction ball is
heading

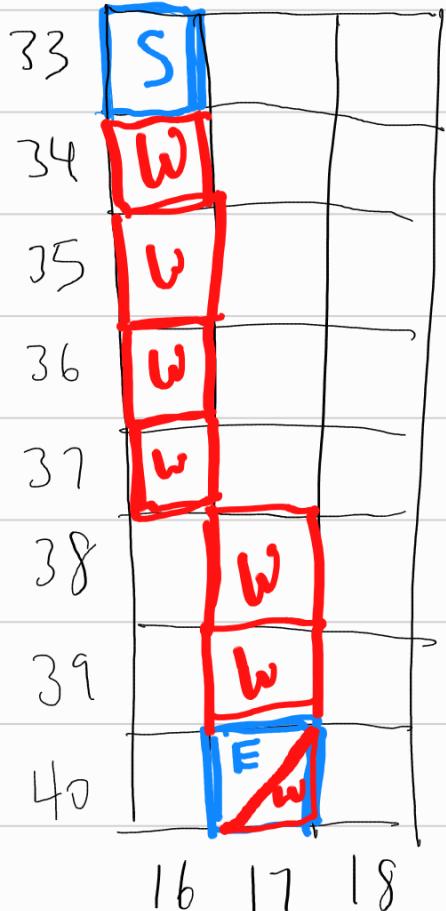
iterate to go from
farthest to
closest

temp X > reference
old position

for (let i=1 ; i < max($\Delta X, \Delta Y$) , i++)

- for higher delta, increment by 1
- for lower delta, increment by $\frac{\Delta X \text{ or } \Delta Y}{\Delta \text{max} + i}$
- if both are equal, increment both by 1

Assume Start $(16, 33)$ - i.e: (if $(17, 39)$ and $(17, 40)$ are walls and $(17, 38)$ is not, $(17, 40)$ relocates to $(17, 38)$)



\boxed{S} - Start $(0, 0)$

\boxed{E} - End $(2, 5)$

\boxed{W} - All possible wall checks

(find Closest NonWall)

if all checkpoints are walls, relocates to initial starting, will stop if nonwall is found

$C_0 \mid$

$$\Delta Y = 7 \quad \Delta Y > \Delta X$$

$$\Delta X = 1$$

$$i=1: \quad Y = 40 - 1 = 39 \\ X = X_i + \frac{\Delta X}{1} = 17$$

$$i=2: \quad Y = 39 - 1 = 38 \\ X = 16 + \frac{1}{2} \approx 17$$

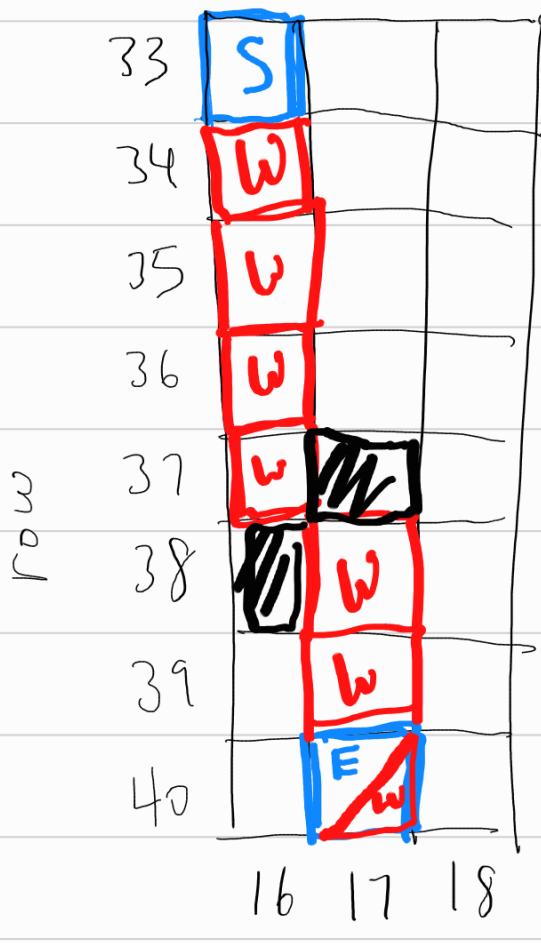
$$i=3: \quad Y = 38 - 1 = 37 \\ X = 16 + \frac{1}{3} \approx 16$$

$$i=4: \quad Y = 37 - 1 = 36 \\ X = 16 + \frac{1}{4} \approx 16$$

$$i=5: \quad Y = 36 - 1 = 35 \\ X = 16 + \frac{1}{5} \approx 16$$

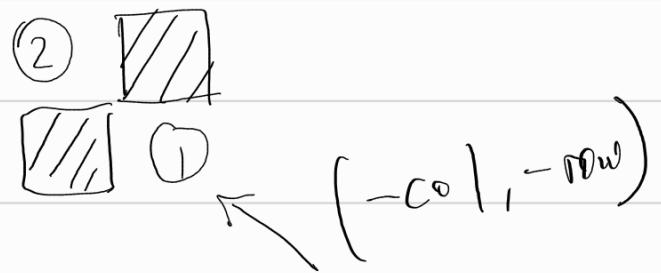
$$i=6: \quad Y = 35 - 1 = 34 \\ X = 16 + \frac{1}{6} \approx 16$$

Special Case :



$-w_a||$

must check for walls
in 1 row and 1 col blocks
otherwise, can jump over

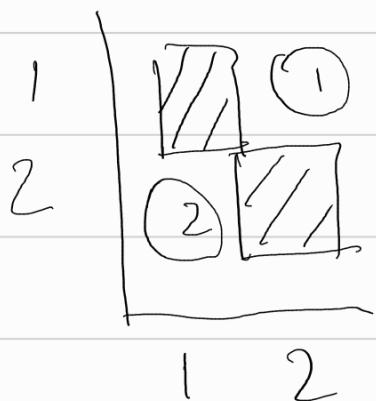


add to findClosestNonWall

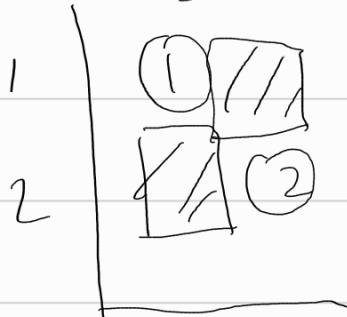
using $\text{Position}(x,y)_f - \text{Position}(x,y)$:
to determine which of 4 cases
this is

Case 1

bot left



Case 2 bot right



$$\Delta P_y = 2 - 1 = +$$

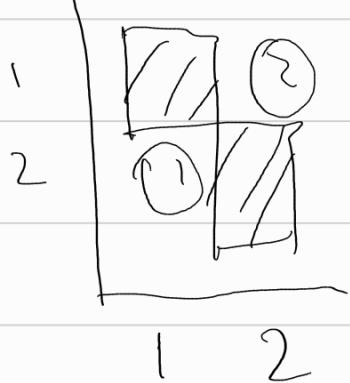
$$\Delta P_x = 1 - 2 = -$$

$$\Delta P_y = 2 - 1 = +$$

$$\Delta P_x = 2 - 1 = +$$

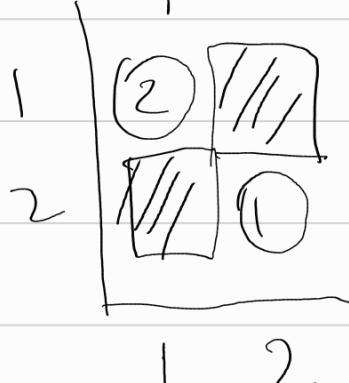
Case 3

top right



Case 4

top left



$$\Delta P_y = 1 - 2 = -1$$

$$\Delta P_x = 2 - 1 = 1$$

$$\Delta P_y = 1 - 2 = -1$$

$$\Delta P_x = 1 - 2 = -1$$

Since code iterates from farthest to initial position, need to add checks from ② to both walls for all 4 cases