

BACS HW12

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```
cars <- Auto
head(cars)
```

```
##      mpg cylinders displacement horsepower weight acceleration year origin
## 1   18         8         307         130   3504          12.0    70      1
## 2   15         8         350         165   3693          11.5    70      1
## 3   18         8         318         150   3436          11.0    70      1
## 4   16         8         304         150   3433          12.0    70      1
## 5   17         8         302         140   3449          10.5    70      1
## 6   15         8         429         198   4341          10.0    70      1
##                                name
## 1 chevrolet chevelle malibu
## 2      buick skylark 320
## 3    plymouth satellite
## 4      amc rebel sst
## 5      ford torino
## 6    ford galaxie 500
```

Question 1

```
cars_log <- with(cars, data.frame(log(mpg), log(cylinders), log(displacement),
log(horsepower), log(weight), log(acceleration), year, origin))
```

```
names(cars_log) <- names(cars)[1:8] # rename the columns
head(cars_log)
```

```
##      mpg cylinders displacement horsepower weight acceleration year origin
## 1 2.890372  2.079442   5.726848   4.867534 8.161660   2.484907    70      1
## 2 2.708050  2.079442   5.857933   5.105945 8.214194   2.442347    70      1
## 3 2.890372  2.079442   5.762051   5.010635 8.142063   2.397895    70      1
## 4 2.772589  2.079442   5.717028   5.010635 8.141190   2.484907    70      1
## 5 2.833213  2.079442   5.710427   4.941642 8.145840   2.351375    70      1
## 6 2.708050  2.079442   6.061457   5.288267 8.375860   2.302585    70      1
```

a. Run a new regression on the cars_log dataset, with mpg.log. dependent on all other variables

```
cars_regr <-  
  lm(  
    mpg ~  
      cylinders +  
      displacement +  
      horsepower +  
      weight +  
      acceleration +  
      year +  
      factor(origin),  
    data = cars_log  
  )  
summary(cars_regr)
```

```
##  
## Call:  
## lm(formula = mpg ~ cylinders + displacement + horsepower + weight +  
##     acceleration + year + factor(origin), data = cars_log)  
##  
## Residuals:  
##      Min       1Q   Median       3Q      Max   
## -0.39727 -0.06880  0.00450  0.06356  0.38542   
##  
## Coefficients:  
##              Estimate Std. Error t value Pr(>|t|)      
## (Intercept)    7.301938   0.361777  20.184 < 2e-16 ***  
## cylinders      -0.081915   0.061116  -1.340  0.18094      
## displacement    0.020387   0.058369   0.349  0.72707      
## horsepower     -0.284751   0.057945  -4.914 1.32e-06 ***  
## weight         -0.592955   0.085165  -6.962 1.46e-11 ***  
## acceleration   -0.169673   0.059649  -2.845  0.00469 **   
## year           0.030239   0.001771  17.078 < 2e-16 ***  
## factor(origin)2 0.050717   0.020920   2.424  0.01580 *     
## factor(origin)3 0.047215   0.020622   2.290  0.02259 *     
## ---  
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1  
##  
## Residual standard error: 0.113 on 383 degrees of freedom  
## Multiple R-squared:  0.8919, Adjusted R-squared:  0.8897   
## F-statistic: 395 on 8 and 383 DF,  p-value: < 2.2e-16
```

i. Which log-transformed factors have a significant effect on log.mpg. at 10% significance?

horsepower, weight, acceleration, year, factor(origin)2, and factor(origin)3.

ii. Do some new factors now have effects on mpg, and why might this be?

acceleration and horsepower suddenly became significant in this case, which they weren't in the previous homework.

iii. Which factors still have insignificant or opposite (from correlation) effects on mpg? Why might this be?

Only cylinders. The more cylinders cars have, the higher the gas consumption.

b. Let's take a closer look at weight, because it seems to be a major explanation of mpg

i. Create a regression (call it `regr_wt`) of mpg on weight from the original cars dataset

```
regr_wt <- lm(mpg ~ weight, data = Auto)
```

ii. Create a regression (call it `regr_wt_log`) of log.mpg. on log.weight. from `cars_log`

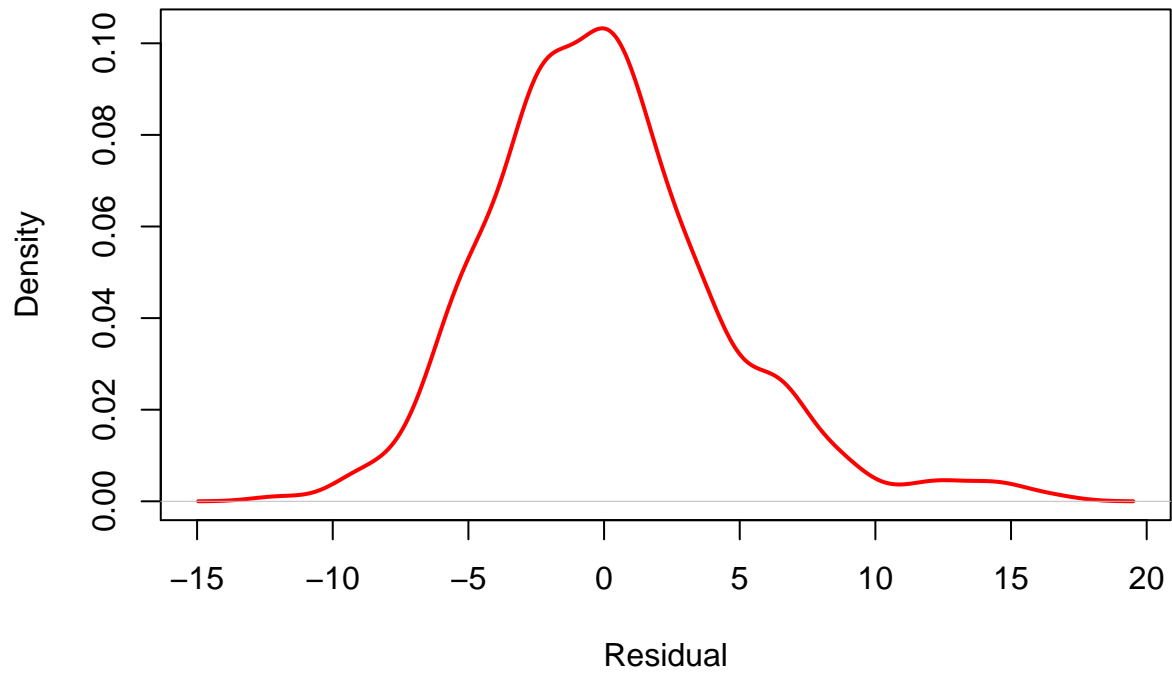
```
regr_wt_log <- lm(mpg ~ weight, data = cars_log)
```

iii. visualize the residuals of both regression models

1. density plots of residuals

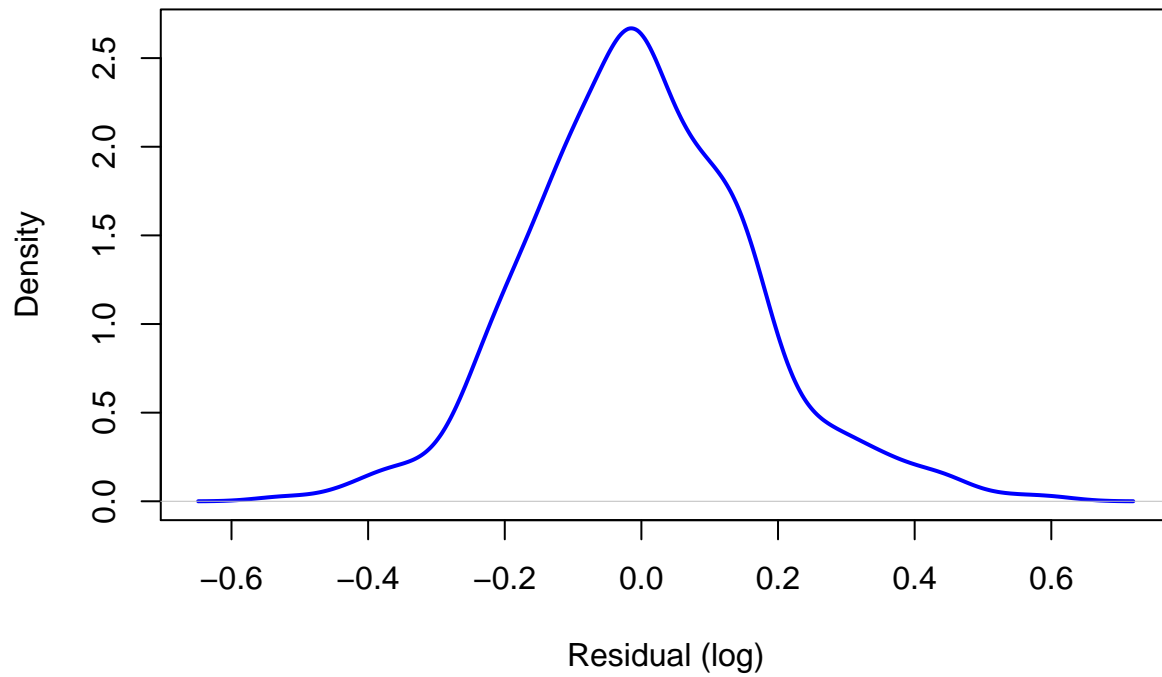
```
plot(
  density(resid(regr_wt)),
  main = "Residual Distribution MPG ~ Weight",
  lwd = 2,
  col = "red",
  xlab = "Residual"
)
```

Residual Distribution MPG ~ Weight



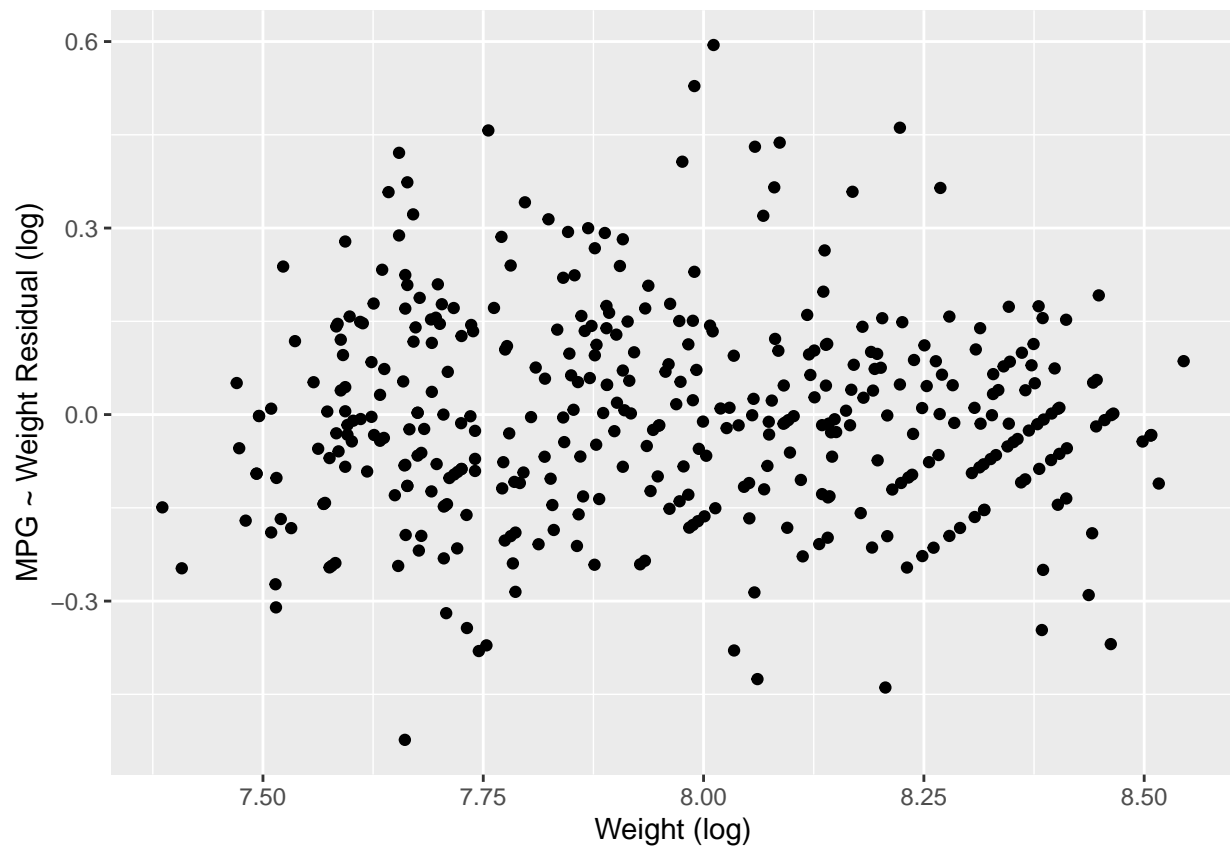
```
plot(  
  density(resid(regr_wt_log)),  
  main = "Residual Distribution MPG ~ Weight (log)",  
  lwd = 2,  
  col = "blue",  
  xlab = "Residual (log)"  
)
```

Residual Distribution MPG ~ Weight (log)



2. scatterplot of log.weight. vs. residuals

```
library(ggplot2)
ggplot(
  cars_log,
  aes(
    x = weight,
    y = lm(mpg ~ weight)$residual)
) +
  geom_point() +
  xlab("Weight (log)") +
  ylab("MPG ~ Weight Residual (log)")
```



c. Let's examine the 95% confidence interval of the slope of `log.weight`.
vs. `log.mpg`.