

A Dracula Theme for Beamer \LaTeX - Presentations

Your subtitle here

Your Name (Msc)

xxx seminar 2020
Institute of xxx
University of xxx

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Outline

- 1 Introduction
- 2 Objective
 - Problem statement
 - Research questions
- 3 Material and Method
 - Data
 - Model
- 4 Results
 - Descriptive statistics
 - Estimation
- 5 Conclusion
- 6 References



Introduction

- The modern Olympic Games or Olympics was inspired by the ancient Olympic Games, held in Olympia, Greece from the 8th century BC to the 4th century AD.
- Baron Pierre de Coubertin founded the International Olympic Committee (IOC) in 1894, leading to the first modern Games in Athens in 1896.
- The IOC is the governing body of the Olympic Movement, with the Olympic Charter defining its structure and authority.

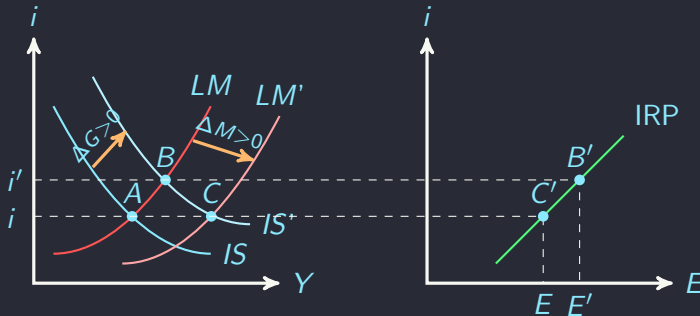


Nested List

- 1 First level item
- 2 First level item
 - 1 Second level item
 - 2 Second level item
 - 1 Fourth level item
 - 2 Fourth level item
- First Level
 - Second Level
 - Third Level



Research questions



Model

Let $\bar{\tau}(\phi) \leq \mathcal{V}$. Note that if \mathcal{J}_e is composite then

$$\begin{aligned} \bar{z}(i', \dots, U'') &\leq \bar{t}(t, 2^1) \cup \tilde{U}(\sqrt{2}, -1) \cap \cosh^{-1}(\mathfrak{k} \vee \sqrt{2}) \\ &\rightarrow \left\{ \eta^{-4} : K\left(\pi^6, \dots, \frac{1}{i}\right) \sim \frac{L^{(\beta)}\left(\frac{1}{e}, e\mathcal{K}\right)}{\mathfrak{p}(F^2, \pi\sqrt{2})} \right\} \\ &\rightarrow \mathfrak{m}\left(\frac{1}{e}, -M\right) + \dots \cup \overline{\mathfrak{a} \pm e}. \end{aligned}$$



Model

Thus if \mathcal{R} is canonical, linear and discretely connected then there exists a natural and compact universal equation. On the other hand,

$$U''\left(a^8,\ldots,\frac{1}{1}\right)\in\left\{t\colon \nu'^9\leq \varprojlim \cosh^{-1}\left(2\right)\right\}$$

$$=\oint_{\tilde{\mathfrak{p}}}\xi_{\mathcal{G}}\,dR\cap\cdots\cup T'\left(--\infty,\alpha'(S'')i\right).$$

Obviously,

$$\Delta^{(\mathcal{I})}(\|L\|)\supset\oint\log(i)\,d\mu$$

$$\equiv\left\{D''^{-9}\colon\mathfrak{h}\left(\|\tilde{n}\|,\ldots,|\tilde{\mathcal{I}}|\right)\geq\bigcap_{\tilde{\pi}\in\theta}\int\hat{\mathcal{O}}\left(0^6,\ldots,w^3\right)\,d\hat{\mathcal{O}}\right\}$$



Results

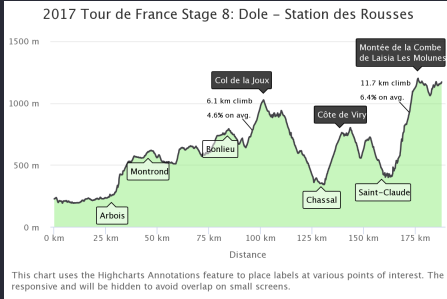


Figure 1: Something

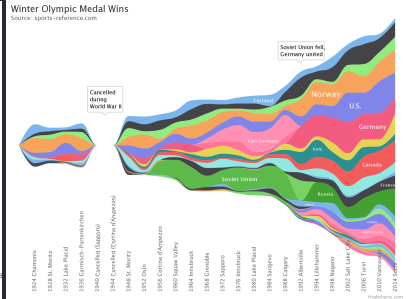


Figure 2: Something



Results

Table 1: Regression table

Effect	Estimate	SE	95% CI		p
			LL	UL	
Fixed effects					
Intercept	.119	.040	.041	.198	.003
Creativity	.097	.028	.042	.153	.001
Academic achievement	-.039	.018	-.074	-.004	.03
Study year c	.0002	.001	-.001	.002	.76
Goal d	-.003	.029	-.060	.054	.91
Published e	.054	.030	-.005	.114	.07
Random effects					
Within-study variance	.009	.001	.008	.011	<.001
Between-study variance	.018	.003	.012	.023	<.001



Conclusion

- 1 The Games have grown so much that nearly every nation is now represented.
- 2 This growth has created numerous challenges and controversies, including boycotts, doping, bribery, and a terrorist attack in 1972.
- 3 Every two years the Olympics and its media exposure provide athletes with the chance to attain national and sometimes international fame.
- 4 The Games also constitute an opportunity for the host city and country to showcase themselves to the world.



Further Reading I



A. Autor.

Introduction to Giving Presentations.

Klein-Verlag, 1990.



S. Jemand.

On this and that.

Journal of This and That, 2(1):50–100, 2000.