

**NAME**

CUTEST\_cgr – CUTEst tool to evaluate constraints gradients and gradient of objective/Lagrangian function.

**SYNOPSIS**

CALL CUTEST\_cgr( data, status, n, m, X, Y, grlagf, G, jtrans, lj1, lj2, J\_val )

**DESCRIPTION**

The CUTEST\_cgr subroutine evaluates the gradients of the general constraints and of either the objective function  $f(x)$  or the Lagrangian function  $l(x, y) = f(x) + y^T c(x)$  corresponding to the problem decoded from a SIF file by the script *sifdecode* at the point  $(x, y) = (X, Y)$ .

The problem under consideration is to minimize or maximize an objective function  $f(x)$  over all  $x \in R^n$  subject to general equations  $c_i(x) = 0$ , ( $i \in 1, \dots, m_E$ ), general inequalities  $c_i^l(x) \leq c_i(x) \leq c_i^u(x)$ , ( $i \in m_E + 1, \dots, m$ ), and simple bounds  $x^l \leq x \leq x^u$ . The objective function is group-partially separable and all constraint functions are partially separable.

**ARGUMENTS**

The arguments of CUTEST\_cgr are as follows

**data** [inout] - CUTEST\_data\_type derived type  
problem-specific private data,

**status** [out] - integer

the output status: 0 for a successful call, 1 for an array allocation/deallocation error, 2 for an array bound error, 3 for an evaluation error,

**n** [in] - integer

the number of variables for the problem,

**m** [in] - integer

the total number of general constraints,

**X** [in] - real/double precision

an array which gives the current estimate of the solution of the problem,

**Y** [in] - real/double precision

an array which should give the Lagrange multipliers whenever grlagf is set .TRUE. but need not otherwise be set,

**grlagf** [in] - logical

a logical variable which should be set .TRUE. if the gradient of the Lagrangian function is required and .FALSE. if the gradient of the objective function is sought,

**G** [out] - real/double precision

an array which gives the value of the gradient of the objective or Lagrangian function evaluated at X and Y,

**jtrans** [in] - logical

a logical variable which should be set .TRUE. if the transpose of the constraint Jacobian is required and .FALSE. if the Jacobian itself is wanted. The Jacobian matrix is the matrix whose i-th row is the gradient of the i-th constraint function,

**lj1** [in] - integer

the actual declared size of the leading dimension of J\_val (with lj1 no smaller than n if jtrans is .TRUE. or m if jtrans is .FALSE.),

**J\_val** [out] - real/double precision

a two-dimensional array of dimension (lj1, lj2) which gives the value of the Jacobian matrix of the constraint functions, or its transpose, evaluated at X. If jtrans is .TRUE., the i,j-th component of the array will contain the i-th derivative of the j-th constraint function. Otherwise, if jtrans is .FALSE., the i,j-th component of the array will contain the j-th derivative of the i-th constraint function.

**AUTHORS**

I. Bongartz, A.R. Conn, N.I.M. Gould, D. Orban and Ph.L. Toint

**SEE ALSO**

*CUTEr (and SifDec): A Constrained and Unconstrained Testing Environment, revisited*,  
N.I.M. Gould, D. Orban and Ph.L. Toint,  
ACM TOMS, **29**:4, pp.373-394, 2003.

*CUTE: Constrained and Unconstrained Testing Environment*, I. Bongartz, A.R. Conn, N.I.M. Gould and  
Ph.L. Toint, TOMS, **21**:1, pp.123-160, 1995.

cutest\_ugr(3M), sifdecode(1).

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an array which should give the Lagrange multipliers whenever grlagf is set .TRUE. but need not otherwise be set,

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an array which gives the value of the gradient of the objective or Lagrangian function evaluated at X and Y,

**jtrans** [in] - logical  
a logical variable which should be set .TRUE. if the transpose of the constraint Jacobian is required and .FALSE. if the Jacobian itself is wanted. The Jacobian matrix is the matrix whose i-th row is the gradient of the i-th constraint function,

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the actual declared size of the leading dimension of J\_val (with lj1 no smaller than n if jtrans is .TRUE. or m if jtrans is .FALSE.),

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