Relationship Between Miles Per Gallon and Transmission (Automatic vs Manual)

Bhaskar S 08th Jun 2016

Executive Summary

In this project, we look at the **mtcars** dataset to explore the relationship between a set of variables and miles per gallon (MPG) (outcome). In particularly, we are interested in answering the following two questions:

- Is an automatic or manual transmission better for MPG
- Quantify the MPG difference between automatic and manual transmissions

Using Exploratory Data Analysis, Hypothesis Testing, and Linear Regression Modelling, we can conclude that the cars with Manual Transmission provide a better MPG compared to the cars with Automatic Transmission.

Setup

For this analysis, we will be using the R packages ggplot2 and GGally. We load the desired libraries and the mtcars dataset:

```
library(ggplot2); library(GGally); data('mtcars')
```

Exploratory Data Analysis

We will display the dimensions and the structure **mtcars**:

```
str(mtcars)
```

From **Output.1** in **APPENDIX**, we see there are **32** rows and **11** columns and all the columns are numeric. Now, we compute and display the *mean* mpg for automatic (am = 0) and manual (am = 1):

```
aggregate(mpg ~ am, data=mtcars, mean)
```

From **Output.2** in **APPENDIX**, we observe that the *mean* mpg for automatic is about 17 and that for manual is about 24. The **Plot 1** in **APPENDIX** also illustrates and confirms this fact.

The initial assessment indicates that the **mpg** from manual is better compared to automatic.

Hypothesis Testing

We collect the mpg values for automatic (am = 0) and manual (am = 1) into vectors auto and manual respectively and display their lengths:

```
auto <- mtcars[mtcars$am==0, 'mpg']; length(auto)
manual <- mtcars[mtcars$am==1, 'mpg']; length(manual)</pre>
```

From the above, we see the lengths are less than 30. Also, we do not have any knowledge of their population variances. As a result, we will be conducting a **t** hypothesis test to find the **p-value**. We will test the null hypothesis that the mean mpg for automatic and manual are equal with a 95% Confidence Interval. Since the null hypothesis is testing for equality, this is a **two-tail** test. If the **p-value** is < 0.05, we reject the null hypothesis.

The following code performs a two-tailed t hypothesis test:

```
t.test(auto, manual, var.equal = FALSE, paired = FALSE, conf.level = 0.95)
```

From Output.3 in APPENDIX, we observe a p-value of 0.0014 that is less than 0.05 and hence we reject the *null* hypothesis concluding that there is a major difference between the mean mpg for manual vs automatic.

Linear Regression Modelling

We start with the pairs plot. From **Plot.2** in **APPENDIX**, we observe that the variables cyl (-0.852), disp (-0.848), and wt (0.868) are highly correlated to mpg. We will create few models with mpg as the outcome and am, cyl, disp, and wt as explanatory variables:

```
fit1 <- lm(mpg ~ ., data=mtcars)
fit2 <- lm(mpg ~ am, data=mtcars)
fit3 <- lm(mpg ~ am+cyl, data=mtcars)
fit4 <- lm(mpg ~ am+cyl+disp, data=mtcars)
fit5 <- lm(mpg ~ am+cyl+disp+wt, data=mtcars)</pre>
```

To compare the various models, we perform an ANOVA analysis on the models:

```
anova(fit1, fit2, fit3, fit4, fit5)
```

From **Output.4** in **APPENDIX**, we observe that models *fit2* and *fit3* have lower **p-values** and hence are better choices.

To pick the best model, we compare the R-Squared values for the models fit2 and fit3 and pick the one with a larger value:

```
summary(fit2)$r.squared; summary(fit3)$r.squared
```

From Output.5 in APPENDIX, we choose model fit3 as it has a larger R-Squared value.

Finally, we look at the residual plots:

From Plot.3 in APPENDIX, we infer that the residuals are randomly scattered and follow a normal distribution.

Now that we have the best model, we look at the coefficients for the model fit3:

```
summary(fit3)$coef
```

From Output.6 in APPENDIX, we conclude that the *mean* mpg for manual is 2.567 more than for automatic.

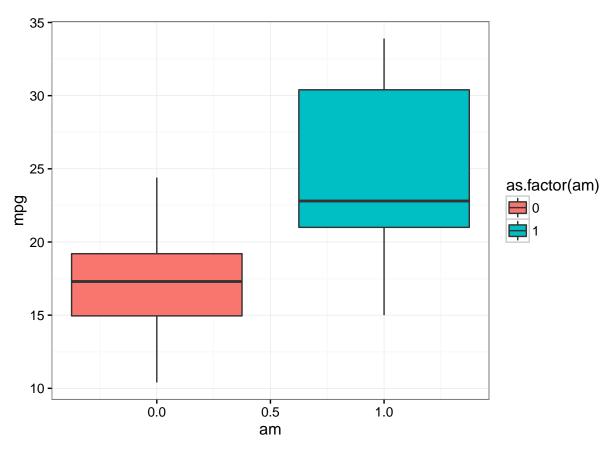
APPENDIX

Output.1

Output.2

am mpg ## 1 0 17.14737 ## 2 1 24.39231

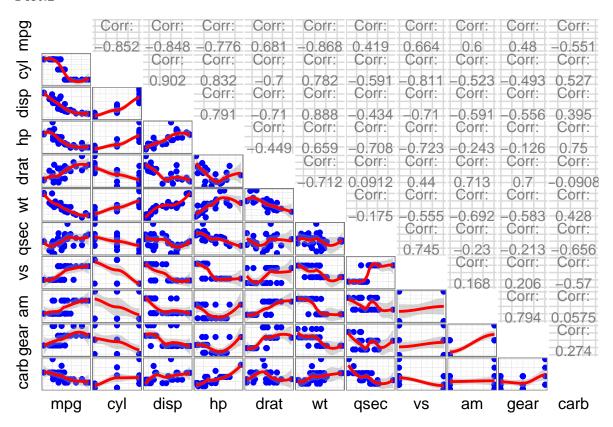
Plot.1



Output.3

```
##
## Welch Two Sample t-test
##
## data: auto and manual
## t = -3.7671, df = 18.332, p-value = 0.001374
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -11.280194 -3.209684
## sample estimates:
## mean of x mean of y
## 17.14737 24.39231
```

Plot.2



Output.4

```
## Analysis of Variance Table
##
## Model 1: mpg ~ cyl + disp + hp + drat + wt + qsec + vs + am + gear + carb
## Model 2: mpg ~ am
## Model 3: mpg ~ am + cyl
## Model 4: mpg ~ am + cyl + disp
## Model 5: mpg ~ am + cyl + disp + wt
## Res.Df RSS Df Sum of Sq F Pr(>F)
## 1 21 147.49
```

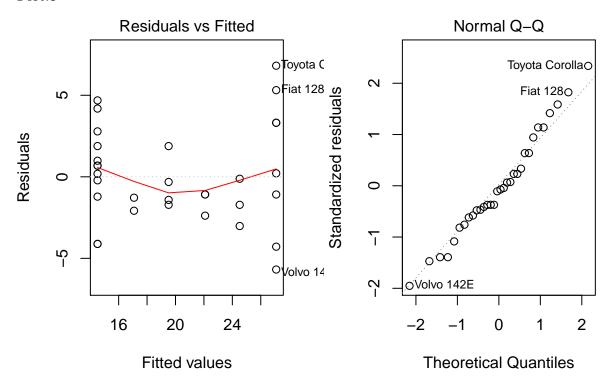
```
## 2    30 720.90 -9    -573.40    9.0711 1.779e-05 ***
## 3    29 271.36    1    449.53 64.0039 8.231e-08 ***
## 4    28 252.08    1    19.28    2.7452    0.11241
## 5    27 188.43    1    63.66    9.0631    0.00666 **
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

Output.5

[1] 0.3597989

[1] 0.7590135

Plot.3



Output.6

```
## Estimate Std. Error t value Pr(>|t|)
## (Intercept) 34.522443 2.6031842 13.261621 7.694408e-14
## am 2.567035 1.2914280 1.987749 5.635445e-02
## cyl -2.500958 0.3608282 -6.931159 1.284560e-07
```