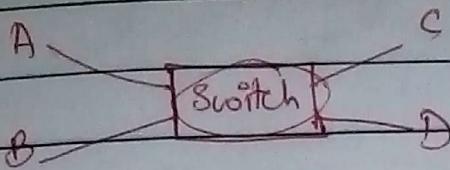
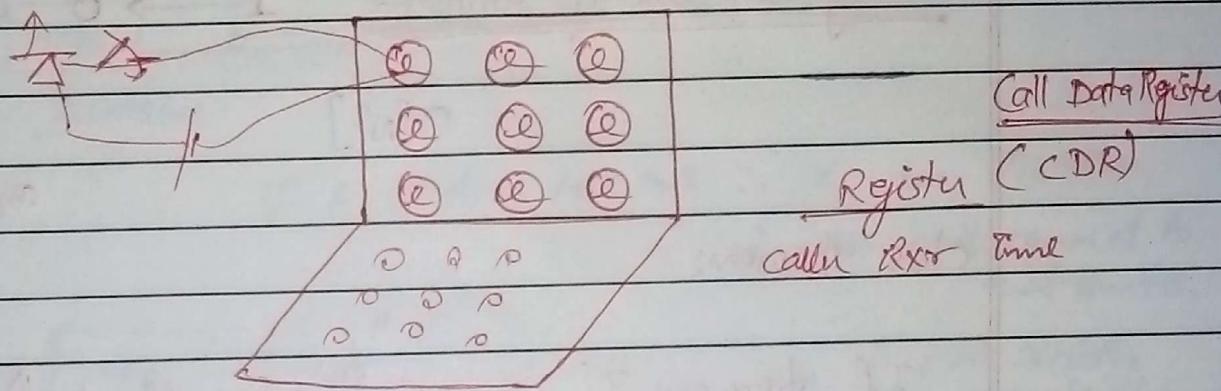


Switching Systems

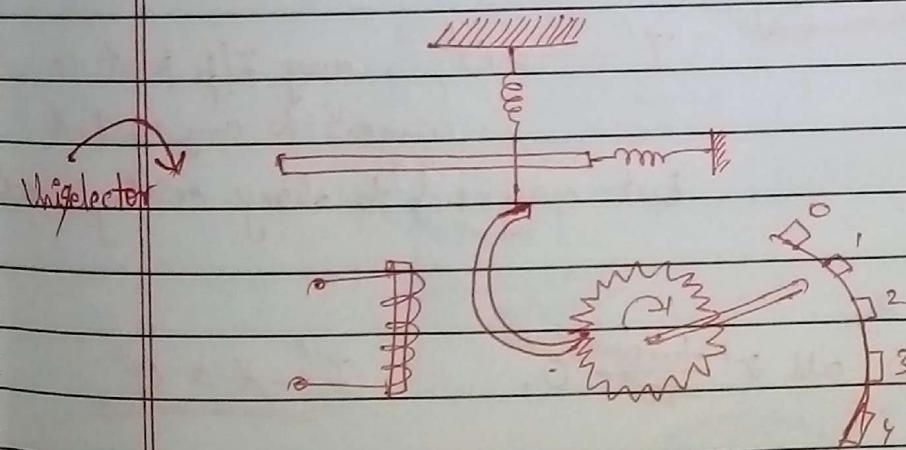
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Circuit Switched Networks—
(telephone N/w)

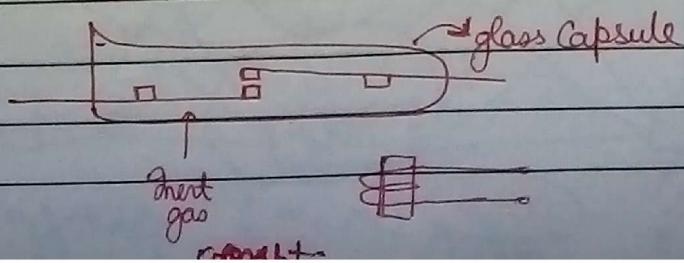


then come (Automated Exchangers)
by A. B. Strowger

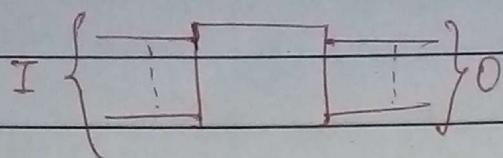


cross bar

why 2 electromagnets?



Type of Switches :-



I' free
 I/p

O' free o/p

Strictly non-blocking switch :-

$I' \rightarrow O'$ any I/p port is able to connect to any o/p port w/o any change in existing connections.

$O[N^2]$

Clos theorem:

If from any I' there is "free multi casting tree", then strictly non-blocking switch

Rearrangably non-blocking

$I' \rightarrow O'$ any I/p port can connect to any o/p port but may need to change existing connections

Blocking switch:-

Doesn't allow all $I' \xrightarrow{\text{to connect}} O'$.

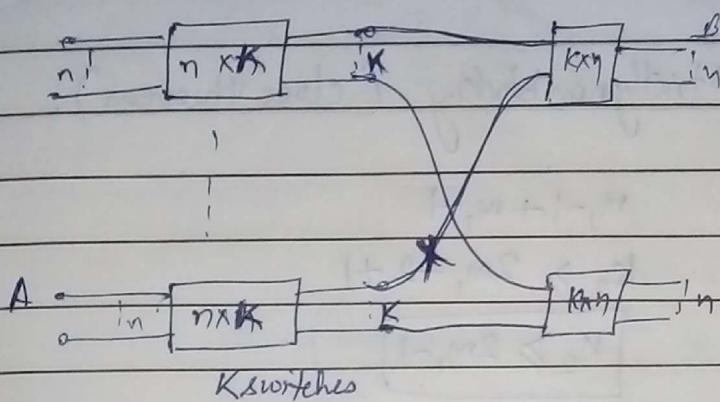
$I' \not\rightarrow O'$

Wide Sense non-blocking :-

$I' \rightarrow O'$

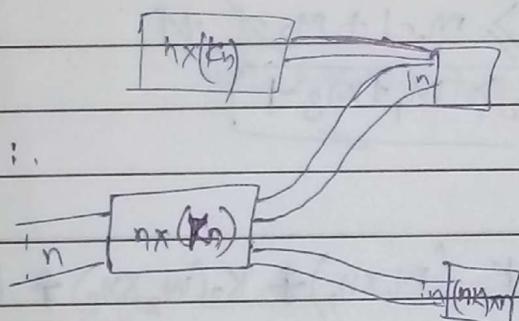
given that an algorithm is followed. ↗

Strictly non-blocking $\rightarrow O[N^2]$
 \hookrightarrow fewer crosspoints??



network \rightarrow distributed switch

if A wants to talk to B $\therefore X$ busy \therefore other
 user can't connect to
 that switch



\therefore not strictly
 non-blocking

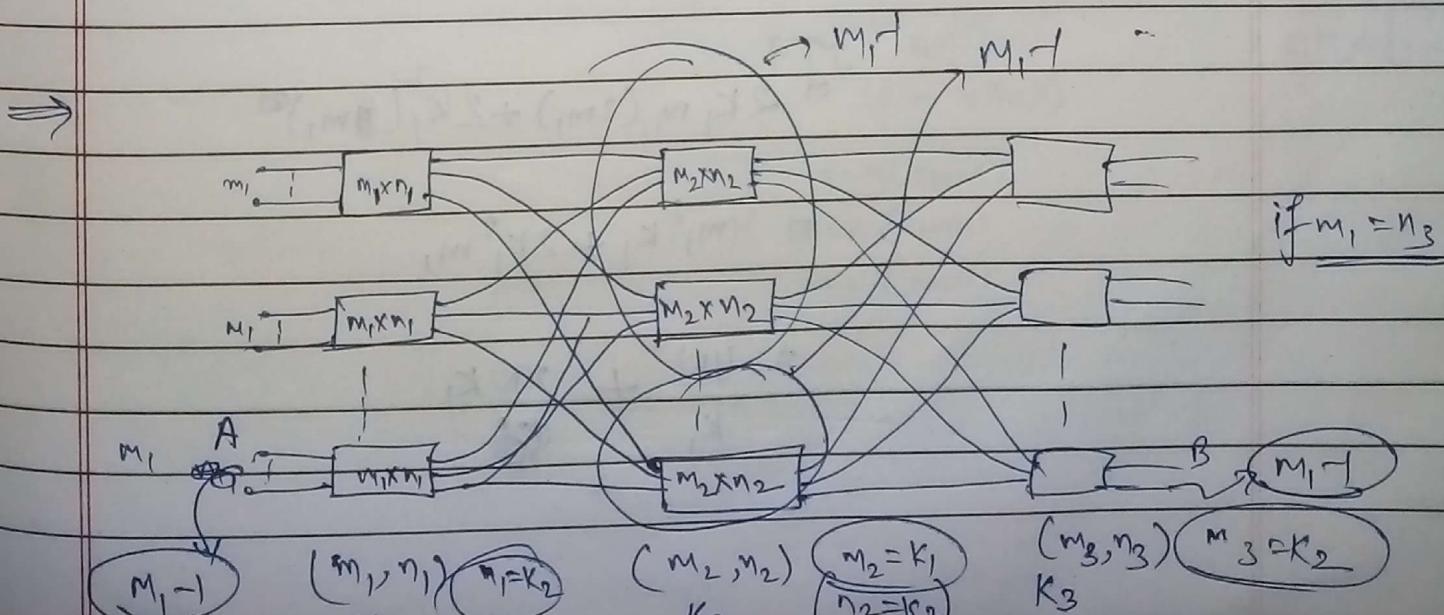
\therefore total no. of $\Rightarrow Kx(nx nk)x2$
 cross pts

$$\Rightarrow 2(nk)^2$$

$$= 2(N)^2$$

$\boxed{W \times N}$
 $\underline{\underline{O(N^2)}}$

\therefore no. of cross pts not reduced.



for symmetric,

$$M_1 \times K_1 = n_3 \times K_2$$

$$K_1 = K_3$$

Page:

Wpage:

study time

(n_1, k_2)

K_1

(k_1, K_1)

K_2

(K_2, m_1)

K_p

$K_2 \rightarrow$ strictly non blocking (class theorem).

$$m_1 - 1 + m_1 - 1$$

$$k_2 \geq 2m_1 - 2 + 1$$

$$K_2 \geq 2m_1 - 1$$

(n_1, n_1)

(m_3, n_3)

$$K_2 \geq m_1 - 1 + m_3 - 1 + 1$$

$$K_2 \geq m_1 + m_3 - 1$$

No. of cross pats $\Rightarrow K_1(n_1, x n_1) \neq K_2(m_2, x n_2) \neq K_3(m_3, x n_3)$

$$\Rightarrow K_1(m_1 \times K_2) + K_2(K_1 \times K_p) + K_1(K_2 \times m_1)$$

$$\Rightarrow 2K_1 K_2 m_1 + K_2 K_1^2$$

$$K_2 \geq 2m_1 - 1 \approx 2m_1$$

$$\Rightarrow 2K_1 m_1 (2m_1) + 2K_1^2 (2m_1)$$

$$\Rightarrow 4m_1^2 K_1 + 2K_1^2 m_1$$

$$\Rightarrow \frac{4N^2}{K_1} + \frac{2NK_1}{\textcircled{R}}$$

$$NC = \frac{4N^2}{K_1} + 2NK_1$$

$$\frac{d(NC)}{dK_1} = -\frac{4N^2}{K_1^2} + 2N = 0$$

$$\frac{2NK_1^2}{K_1^2} = 2N$$

$$2N = K_1^2$$

$$K_1 = \sqrt{2N}$$

$$M_1 = \frac{N}{2\sqrt{N}}$$

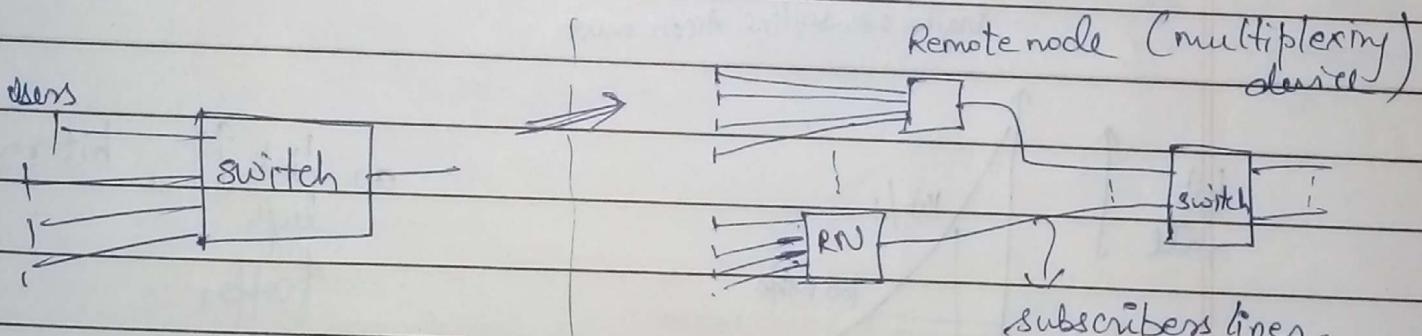
$$M_1 = \frac{\sqrt{N}}{2}$$

$$(NC)_{min} = \frac{4N^2}{\sqrt{2N}} + 2N\sqrt{2N}$$

$$\Rightarrow 2\sqrt{2}(N)^{3/2} + 2\sqrt{2}N^{3/2}$$

$$\Rightarrow 4\sqrt{2}N^{3/2}$$

This switch is known as a cross switch.



(Digital subscriber line)

Cable TV

FTTx

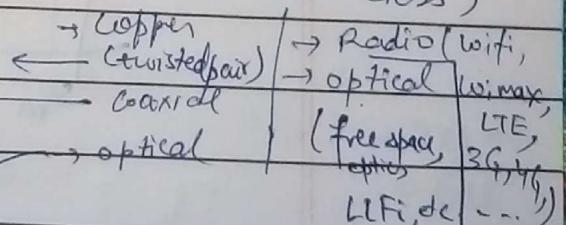
(fiber to the x)

FTTH x=H (Home)

FTTC x=c (curb)

x=n (node)

(wired or wireless)



$$C = B \log_2 \left(1 + \frac{S}{N} \right)$$

Bandwidth →

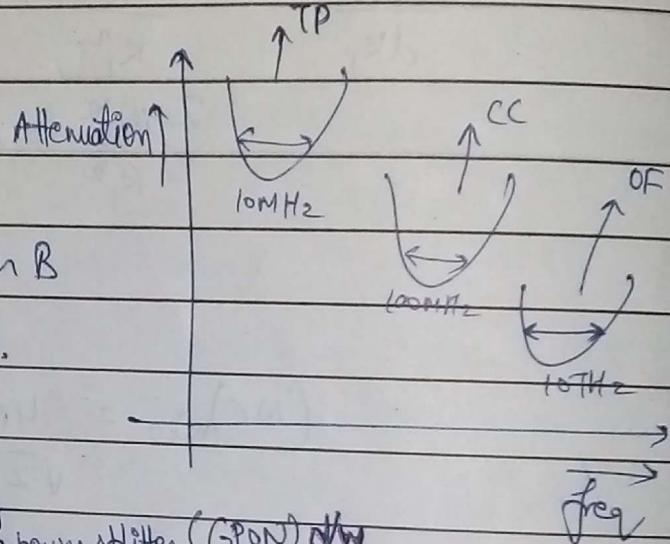
signal power (at rx) →

noise power (at rx). →

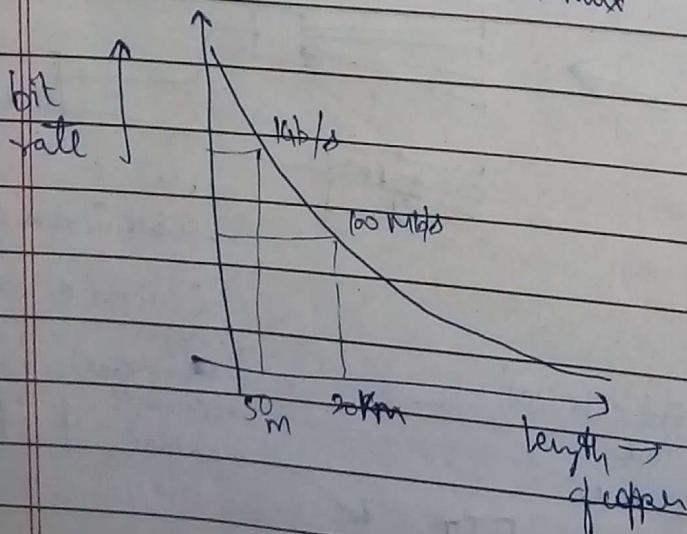
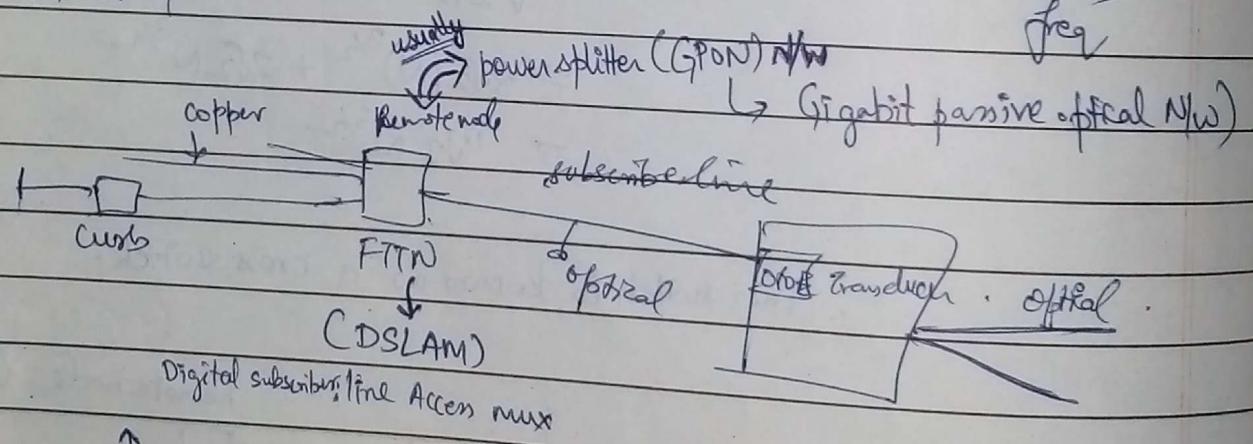
channel capacity

(bits per sec)
data rate

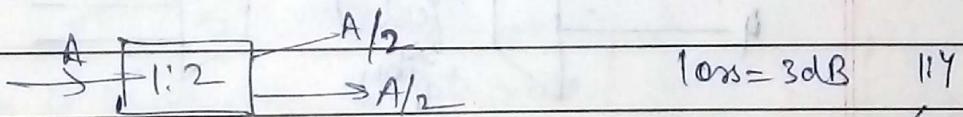
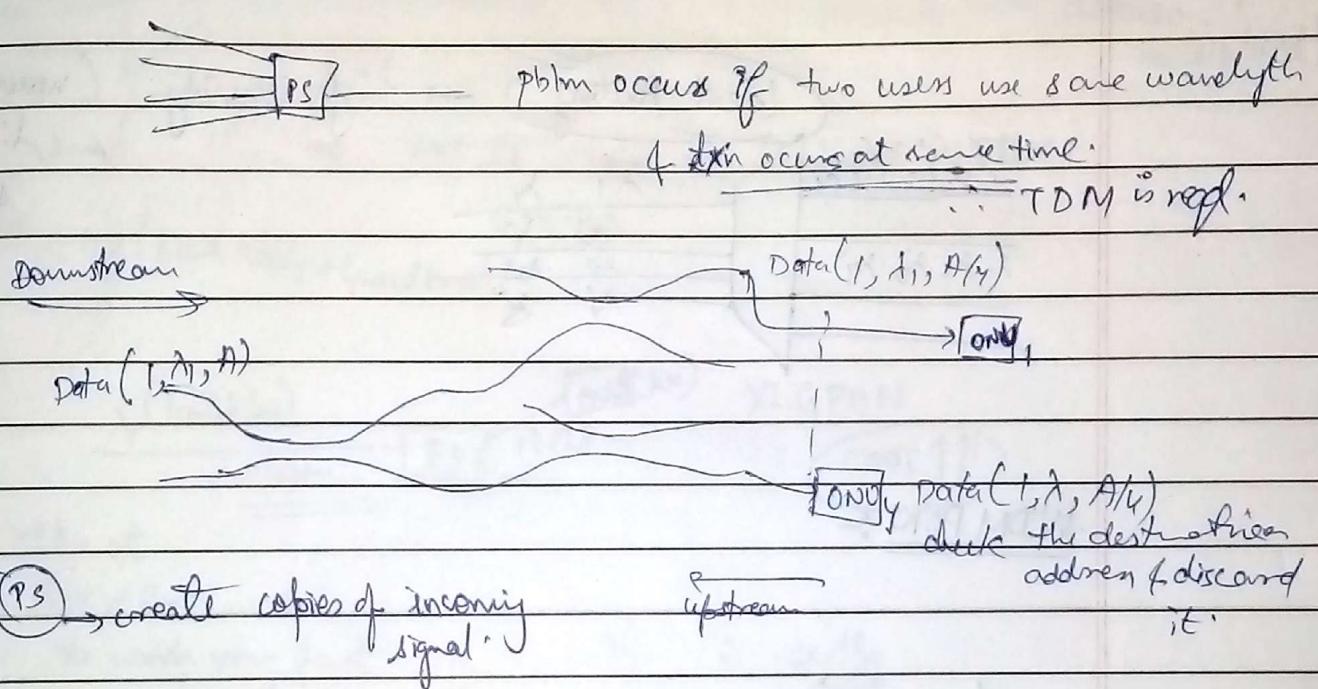
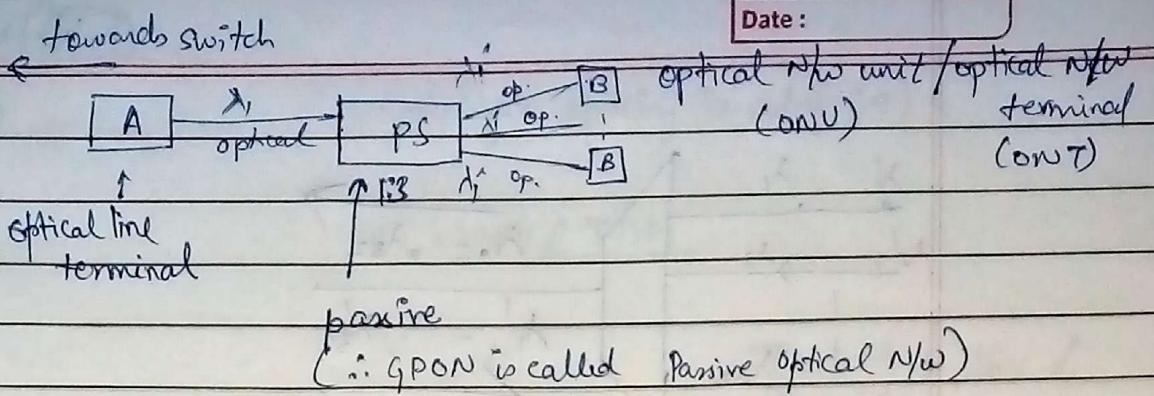
as optical fibre has higher B
∴ can support higher C.



→ cheapest.

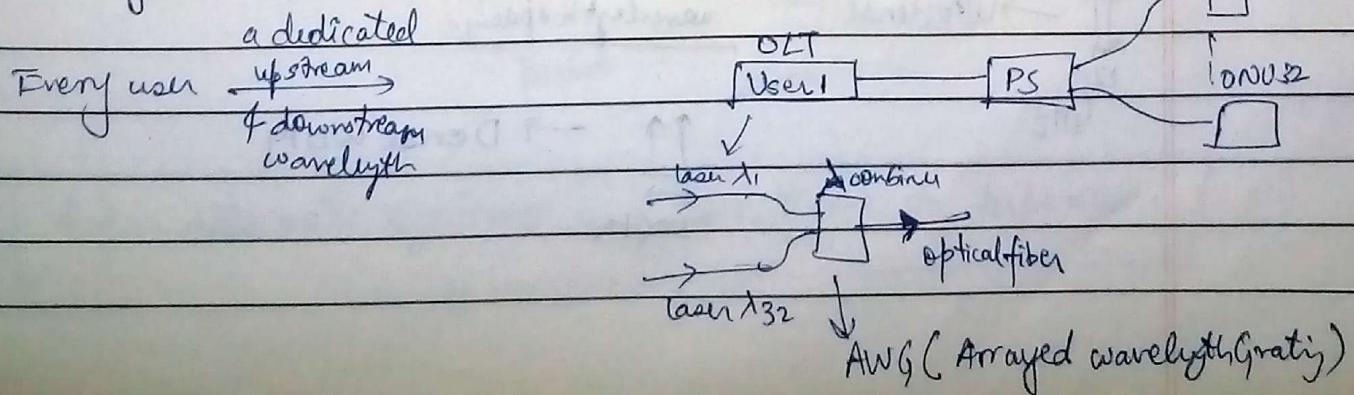


as link \Rightarrow , bit rate supported
depth
of copper.

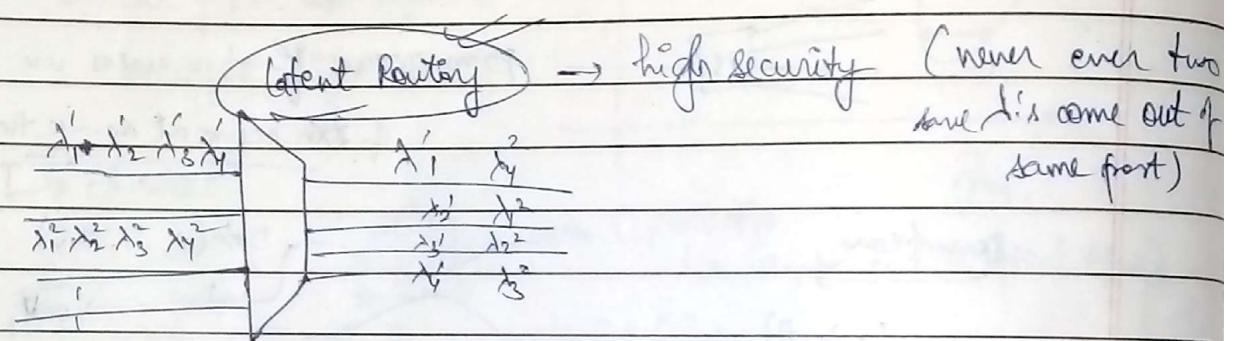
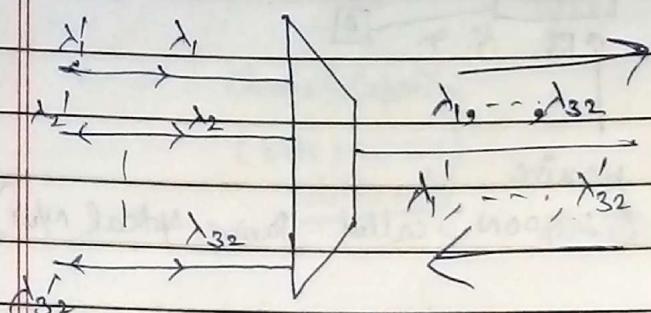


$$1:2^N \Rightarrow N \times 3 \text{ dB} = 1:2^2 \Rightarrow 2 \times 3 \text{ dB} = 6 \text{ dB}$$

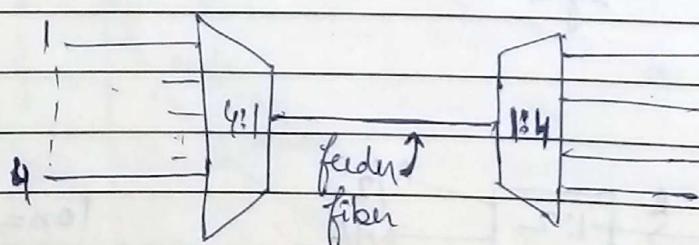
Wavelength Division multiplexed PON :-



Grating → some kind of periodicity in structure.



WDM PON :-



ITU-T

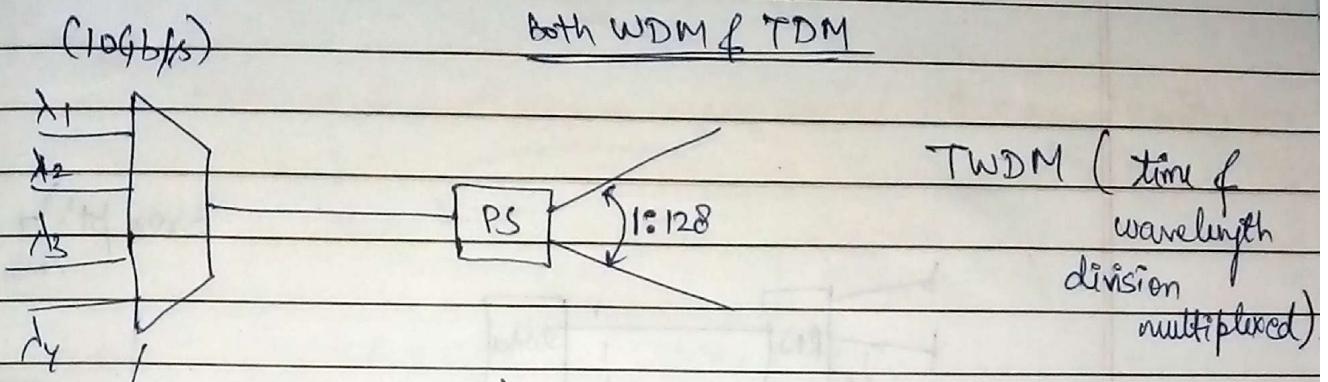
→ ultradense
12.5 GHz

100 GHz → coarse WDM

wavelength spacing

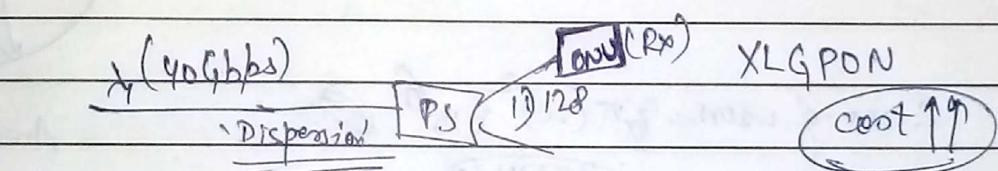
→ Dense WDM
50 GHz

flexi-grid systems (wavelength spacing is adaptive).



TWDM (time of wavelength division multiplexed)

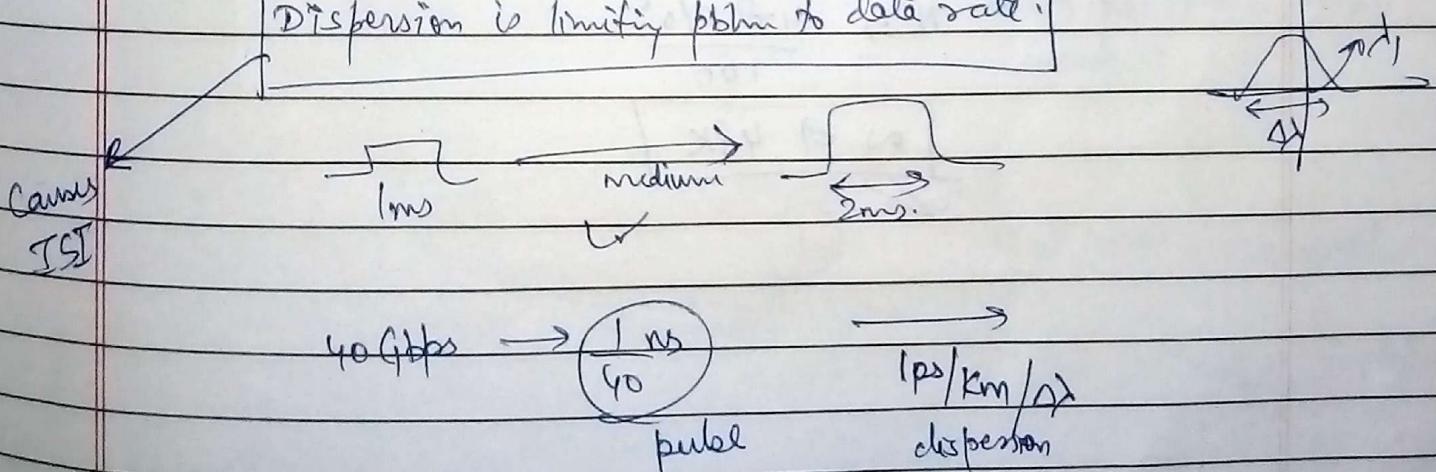
$$B_{TW} = 4 \times (\text{Band } 10\text{Gb/s} + \text{Guard band})$$



\checkmark (at 40Gb/s) \therefore costly

it limits data rate

Dispersion is limiting problem to data rate.



higher data rate systems are more prone to dispersion.

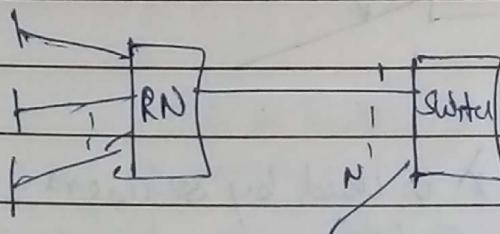
dispersion $\neq f$ (data rate)

study time

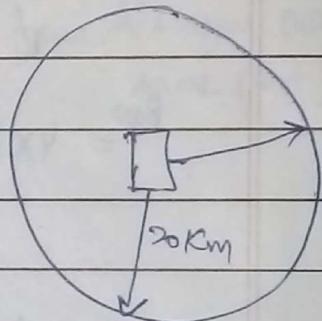
Page :

Date :

why dispersion occurs:-



$$\text{cross, pt's} = 4\sqrt{2} N^{3/2} \text{ min}$$



$$\therefore \text{no. of users} = 4\pi(20)^2 \times 10^6 \quad (250 \times 9)$$

$$\text{Area} = \pi(20)^2 \text{ km}^2$$

$$\text{Home} \approx 100 \text{ m}^2$$

$$\approx 4\pi(100) \times 10^3 \quad \Rightarrow 48 \times 10^5$$

$$\text{Residential / user} = \frac{100 \text{ m}^2}{4} = 25 \text{ m}^2$$

$$\approx 4.8 \times 10^6$$

other

$$\text{per post} \approx 100 \text{ users}$$

$$\therefore \text{on avg. Tush} = \underline{\underline{250 \text{ m}^2}}$$

$$N \Rightarrow \frac{4.8 \times 10^6}{100}$$

$$\boxed{N \approx 48K}$$

Little's theorem :-

Mean waiting time = mean no. of customers \times h (call time)

$$\text{mean no. of customers} = \text{mean arrival rate} \times \text{mean waiting time}$$

$$\downarrow \quad \curvearrowright \quad \uparrow$$

$$\Leftarrow N = \lambda W$$

$$A = \frac{c \times h}{T} \quad C/T = \lambda.$$

$$A = \lambda h$$

$$= \frac{\lambda}{\mu}$$

$$\mu = \frac{1}{h}$$

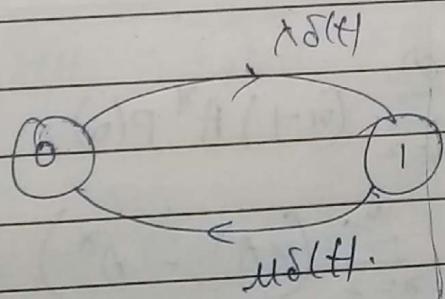
$\mu = \frac{1}{h}$ \rightarrow service time
 \downarrow
 service rate

$$P\{A(t+\tau) - A(t) = n\} = \frac{(\lambda \tau)^n e^{-\lambda \tau}}{n!}$$

$$\begin{aligned} p(i) &= \lambda^i e^{-\lambda} \\ &= \lambda^i \left(1 - \lambda + \frac{(\lambda)^2}{2!} + \dots \right) \\ &= \lambda^i t^i - \frac{(\lambda^i t^i)^2}{2!} \end{aligned}$$

$$p(i) = \lambda^i t^i$$

$$M/N/1/\infty = M/N/1$$

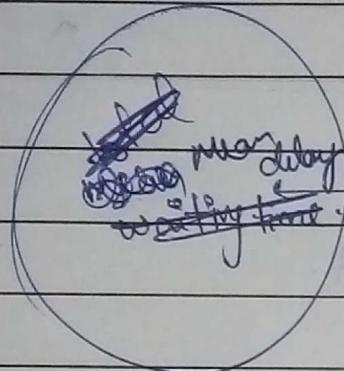


$$p(0) \lambda \delta(t) = p(1) \mu \delta(t)$$

$$p(1) = p(0) \frac{\lambda}{\mu} = p(0) A.$$

$$M/M/1/0 = M/M/1$$

$$\text{mean no. of users } \bar{T} = \frac{A}{1-A}$$



$$\bar{T} = \frac{\bar{L}}{\lambda} = \frac{A}{(1-A)} h \Rightarrow h = \frac{A}{1-A}$$

$$T = WT + h$$

↓ ↓
waiting time delay
time

$$\bar{W} = \frac{h}{1-A} - h$$

$$= \frac{Ah}{1-A}$$

↑
mean waiting time

$$\bar{N}_Q \Rightarrow \lambda \bar{W} \Rightarrow \frac{Ah}{1-A} \times \frac{A}{\lambda} \Rightarrow \frac{A^2}{1-A}$$

mean no. of users
in queue.

$$N_Q = \sum_{n=2}^{\infty} (n-1) A^n P(n)$$

$$\Rightarrow \sum_{n=2}^{\infty} (nA^n - A^n) P(n)$$

$(n-1)A^n + nA^n - A^n$

$$L = \sum_{x=1}^{\infty} \left(\frac{A}{N} \right)^x P(x) \quad \begin{array}{l} \text{→ one of these things} \\ \text{study time} \end{array}$$

$$N_Q \approx \frac{A^2}{1-A}$$

$$P(NH) = \frac{A}{N} P(N)$$

$$\text{mean waiting time} \Rightarrow \sum_{x=0}^{\infty} (x+1) \cdot A^x p(x)$$

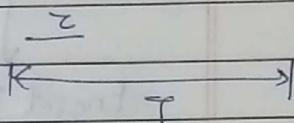
$$\Rightarrow \frac{1-p(0)}{A} \sum_{x=0}^{\infty} (x+1) A^x$$

$$[1 + 2A + 3A^2 + 4A^3 + \dots]$$

$$\Rightarrow P_B = P(N)$$

$P(N) \rightarrow$ switch is in blocked state.

$$E_{1,N}(A)$$

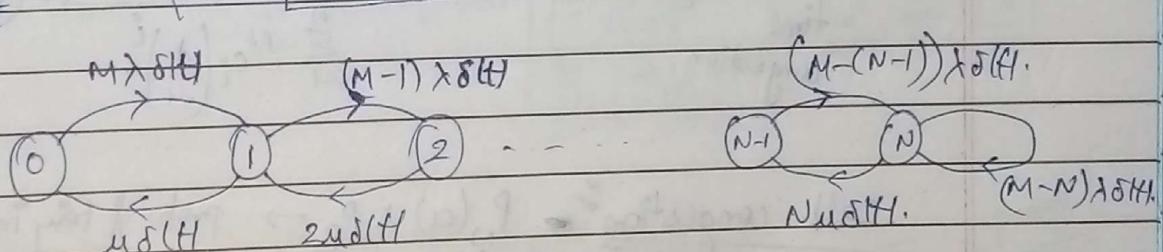


call congestion = fraction of calls lost.

$$\frac{T}{T} \text{ (time)} \rightarrow \frac{T}{T} \text{ (congestion)}$$

✓ traffic arrival is Poisson with arrival rate (λ).

when arrival rate is dependent on the state of the system.



$N < M$

$$p(i) = \frac{M \lambda \delta(t) p(0)}{\mu \delta t}$$

$$p(i) \approx \frac{M \lambda p(0)}{\mu}$$

then

$(M-N)$ sources will be free.

$$(M-N)\lambda \delta(t)$$

$$p(2) \Rightarrow \frac{(M-1)}{2\mu} \lambda p(1)$$

$$p(2) \Rightarrow \frac{(M-1)M}{2} p(0) \left(\frac{\lambda}{\mu}\right)^2$$

$$\Rightarrow \frac{M}{2} \left(\frac{\lambda}{\mu}\right)^2 p(0)$$

$$p(n) = M_C_n \left(\frac{\lambda}{\mu}\right)^n p(0).$$

$$p(0) = \frac{1}{\sum_{i=1}^N M_C_i \left(\frac{\lambda}{\mu}\right)^i}$$

$$P(i) = M_C_i \left(\frac{\lambda}{\mu}\right)^i p(0)$$

$$P(i) \Rightarrow \frac{M_C_i \left(\frac{\lambda}{\mu}\right)^i}{\sum_{i=1}^N M_C_i \left(\frac{\lambda}{\mu}\right)^i} \quad \text{(1)}$$

↓

Engset Distribution (for $M \times N$ switch)
having poisson traffic

$$P_B = p(N) \Rightarrow \frac{M_C_N \left(\frac{\lambda}{\mu}\right)^N}{\sum_{i=1}^N M_C_i \left(\frac{\lambda}{\mu}\right)^i} \quad \text{(2)}$$

↑
time
congestion

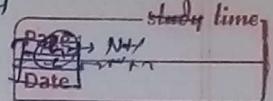
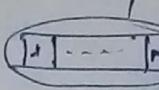
~~call congestion~~ $\rightarrow P_N(a) \times P_B \rightarrow$ prob. of being in state N
 ↓
 i.e. all trunks used
 prob. of call arrival
 when sys. in state N .

$$P_N(a) \times P_B = P(a) \cdot P_L \rightarrow \begin{array}{l} \text{prob. of call lost.} \\ \text{(call congestion)} \\ \downarrow \\ \text{prob. of} \\ \text{call arrival} \end{array}$$

M/M/N/∞

$$\bar{N}_Q = \sum_{x=N+1}^{\infty} (x-N) P(x)$$

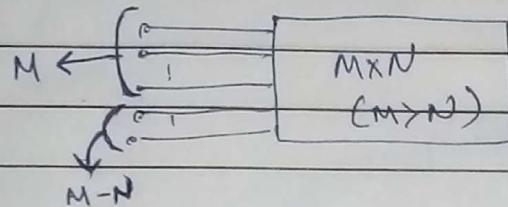
$$W.T = \sum_{x=N+1}^{\infty} (x-N) P(x) h$$



$$P_L = \frac{P_N(a) \cdot P(N)}{P(a)}$$

if $P_N(a) = P(a)$

in erlang system where arrival prob is same for all states.



$$P_N(a) = (M-N) \lambda \delta(t).$$

$$P(a) = \sum_{i=0}^N (M-i) \lambda \delta(t) P_i$$

$$P_L = \frac{(M-N) \lambda \delta(t)}{\sum_{i=0}^N (M-i) \lambda \delta(t) P_i} \times P_B$$

from ① & ②

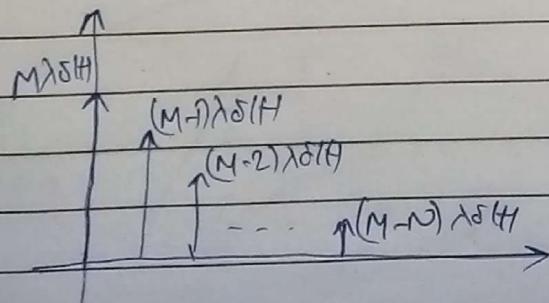
$$P_L = \frac{(M-N) \lambda \delta(t)}{\sum_{i=0}^N (M-i) \lambda \delta(t)} \times \left(\frac{M}{N} \right) \left(\frac{\lambda}{\mu} \right)^N$$

$$\left[\frac{\left(\frac{M}{i} \right) \left(\frac{\lambda}{\mu} \right)^i}{\sum_{i=1}^N \left(\frac{M}{i} \right) \left(\frac{\lambda}{\mu} \right)^i} \right] \times \left(\frac{M}{N} \right) \left(\frac{\lambda}{\mu} \right)^N$$

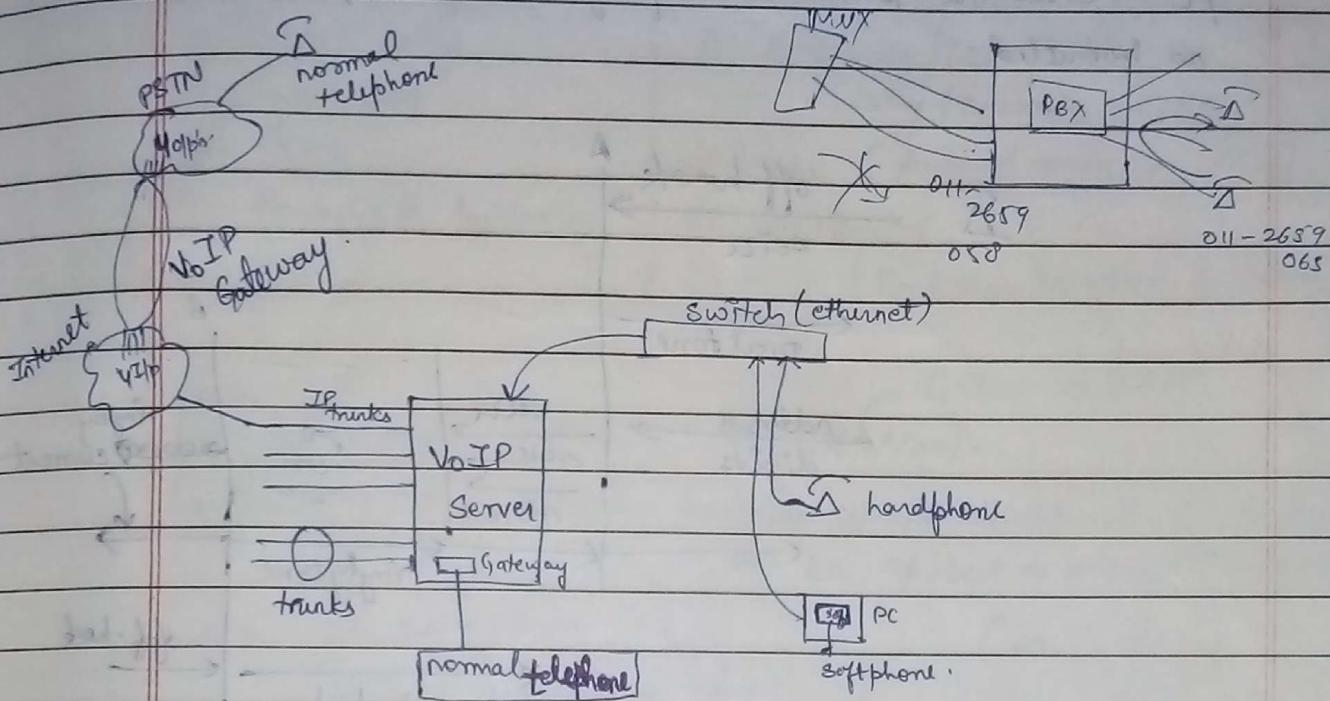
$$P_L = \frac{(M-N) \times \left(\frac{M}{N} \right) \left(\frac{\lambda}{\mu} \right)^N}{\sum_{i=0}^N (M-i) \left(\frac{M}{i} \right) \left(\frac{\lambda}{\mu} \right)^i}$$

prove?
H.W.

$$P_L = P(N-1)$$

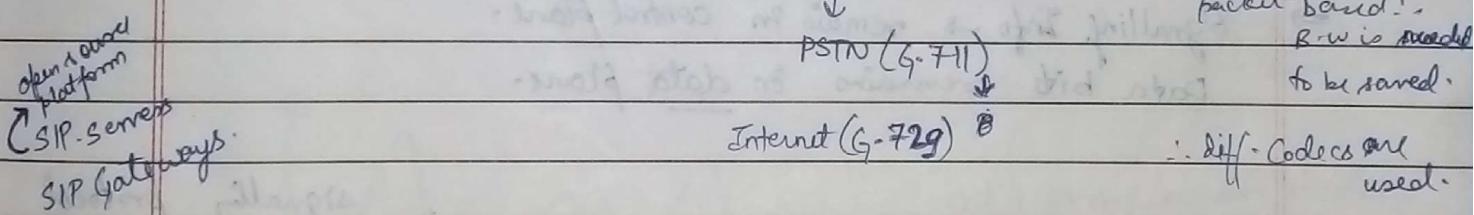


Voice Over IP (VoIP)

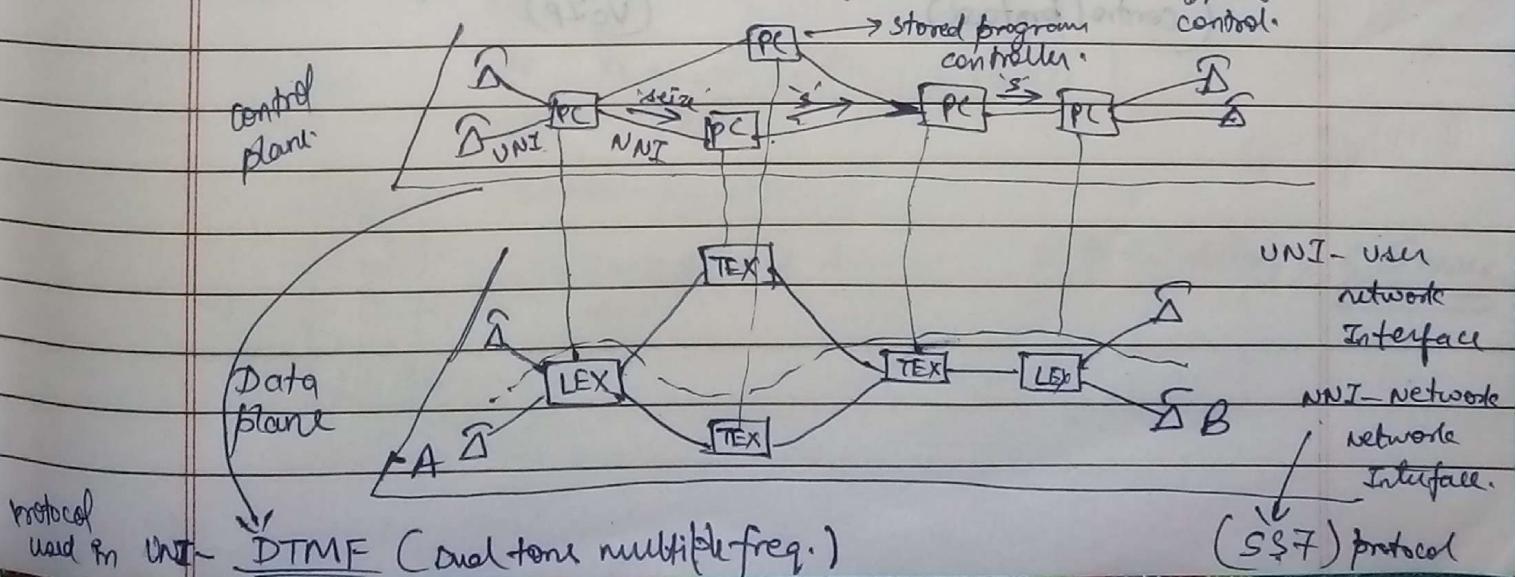


(for PSTN, B.W saving)

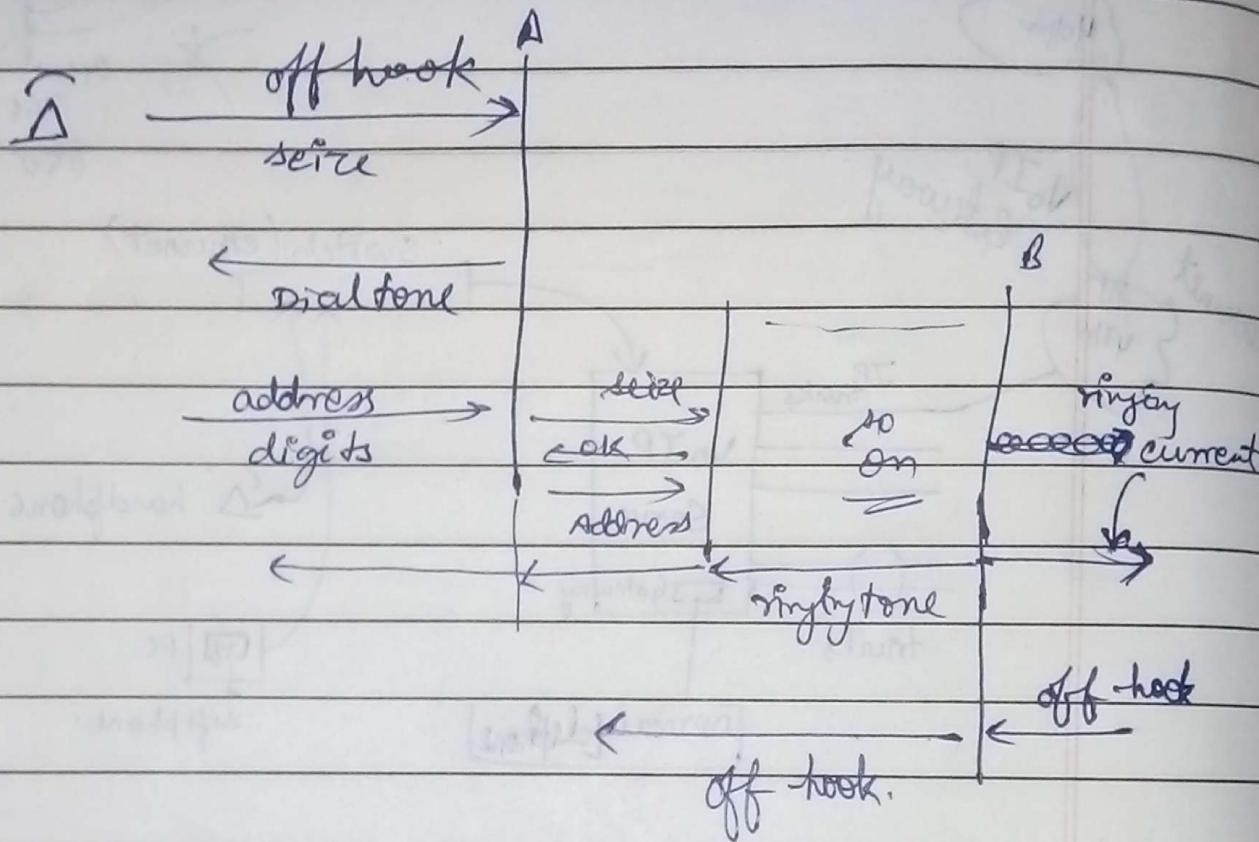
do not imp as circuit switched.
While internet is packet based.
B.W is needed to be saved.



SIP (Session Initiation Protocol) → e.g. of Signalling protocol or control.



pc decides the path and programming of switches is done as instructed.



Correspondingly to every digit \rightarrow 2 freq. are used.

Signalling Info \rightarrow remain in control plane.

Data bits remains in data plane.

SIP \rightarrow analogous to SS7
(control protocol) \hookleftarrow protocol used in (voice) telephone system.
VoIP (VoIP) \rightarrow signalling protocol
(decides the route for)

VoIP (Challenges)

1. Packet Delay
2. Packet Loss
3. Jitter
4. Bandwidth limitation

Sender

- 1) compression / Decompression
(Coding / Decoding : Codec)
- 2) FEC (forward error correction)
- 3) Interleaving
- 4) RTP (Real time transport protocol) / RTCP

Codec

→ waveform codecs (A-law, DPCM, ADPCM).

→ Vcoders (speech coders) : consider special characteristics of speech signal
can't be applied to every other waveform.

e.g. 64 kb/s → PCM

(saves B.W.)

16 kbps → waveform codes

G.729 → 8 kbps

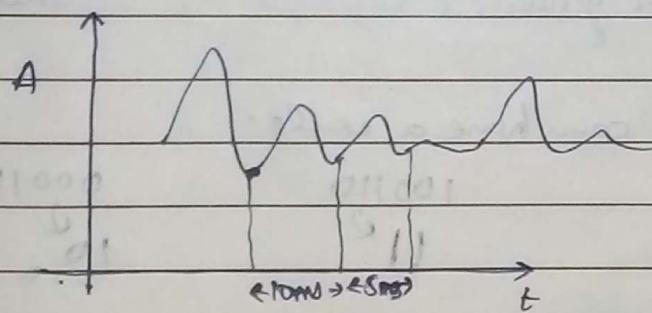
Vocoder

10ms / 10Byte

Vcoders → English 44 phonemes → ^{each phonem} 10ms

∴ sample at 10ms

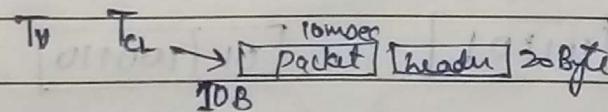
∴ saves B.W.



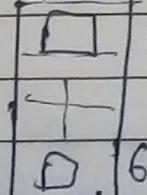
Voice signals are delay sensitive

∴ UDP is used

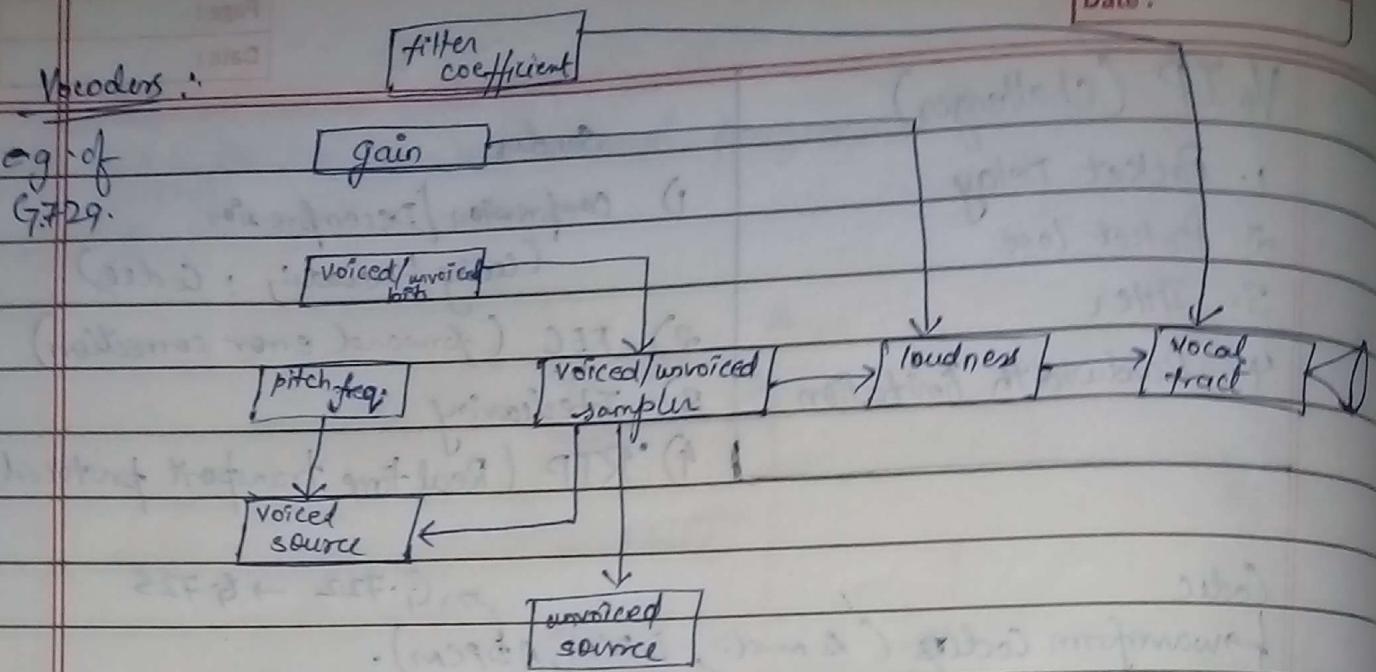
UDP use 20 bytes header



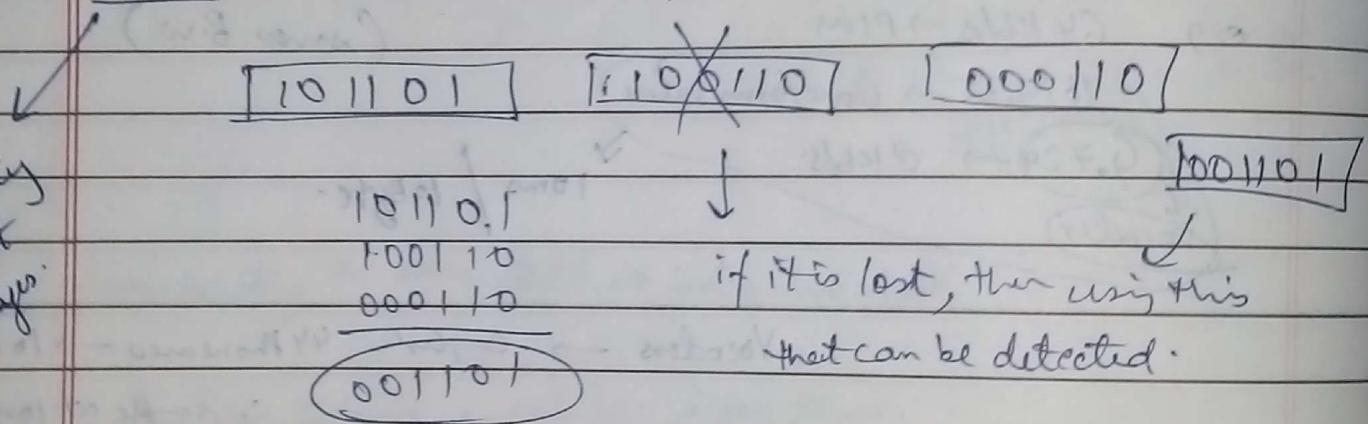
→ header by UDP.



6 packets are send. ∴ total delay ≥ 65 msec



FEC :- here it is used for detecting packets.



lost packet can be generated by XOR'ing detected 3 packets

for each packet, we can have a code.

FEC
another way

101101	100110	000110
01 ²	11 ²	10 ²

101101	01 (100110)	11 000110
--------	-------------	-----------

[10B] → packet

Interleaving :- packets are send in interleaved manner through defined standards.

1 2 3 ~~4 5 6~~ 7 8 9 10

1 ~~2~~ 3 4 ~~5~~ 6 7 8 ~~9~~ 10 better

1 10 7 9 ~~8 2~~ 9 6 5 3

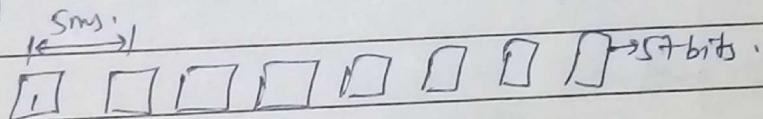
s. QoS is better.

GSM

Coder: 13 Kbps

260 bits + 196 bits of overhead
 20ms \Rightarrow 456 bits
 \Rightarrow 22.8 Kbps.

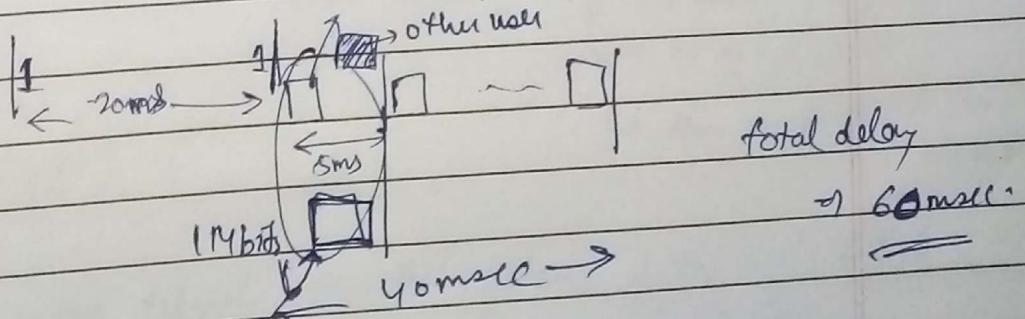
This information is divided into 8 blocks.



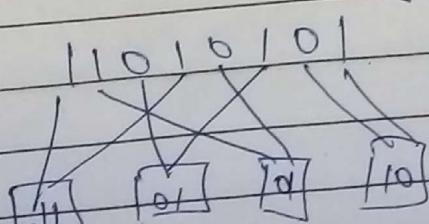
Block from neighboring chl.

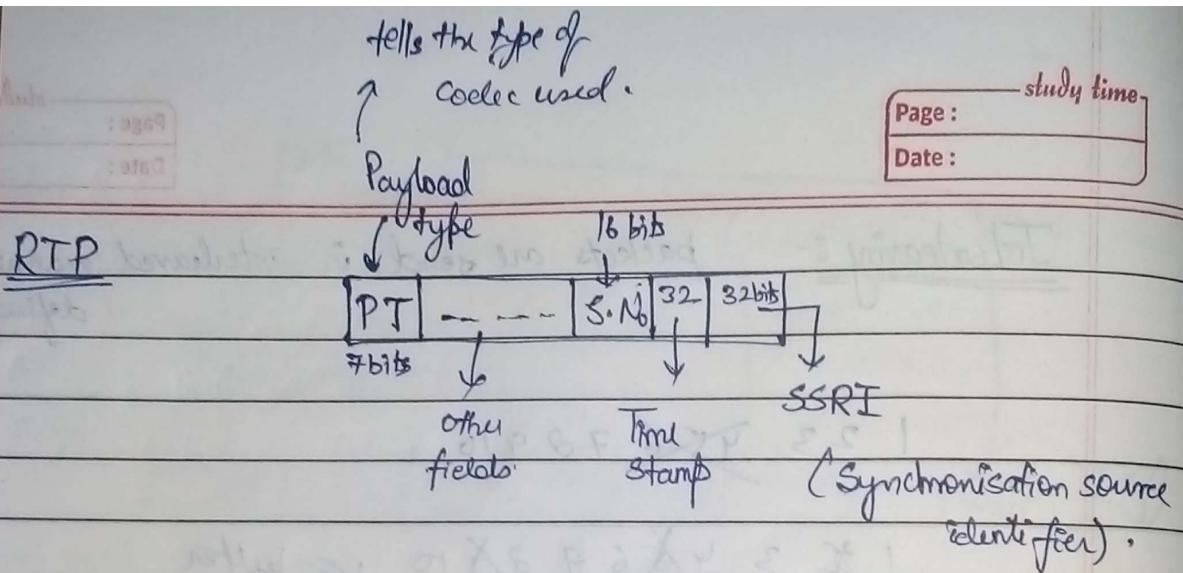
they are interleaved & fwd.

not the first 7 bits (they are also interleaved)



for e.g



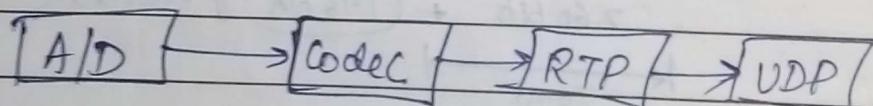


S.N. → seq. no. of packet

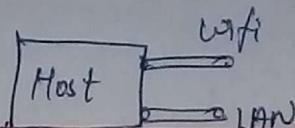
T.S. → time stamp of when packets are fed

SSRI → tells the identification of the source

These fields are not in UDP.



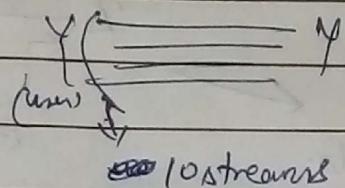
IP Address or



↳ address of its interface (Ports).

All ports have their separate IP's.

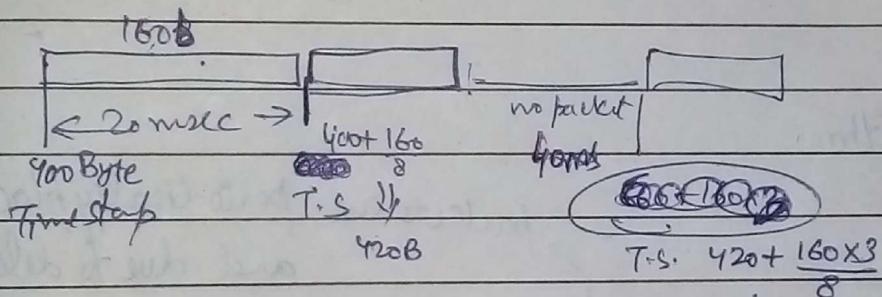
RINA (Recursive Internet Architecture) ↳ every host will have 1 IP address.



SSRI denotes the address of each stream.

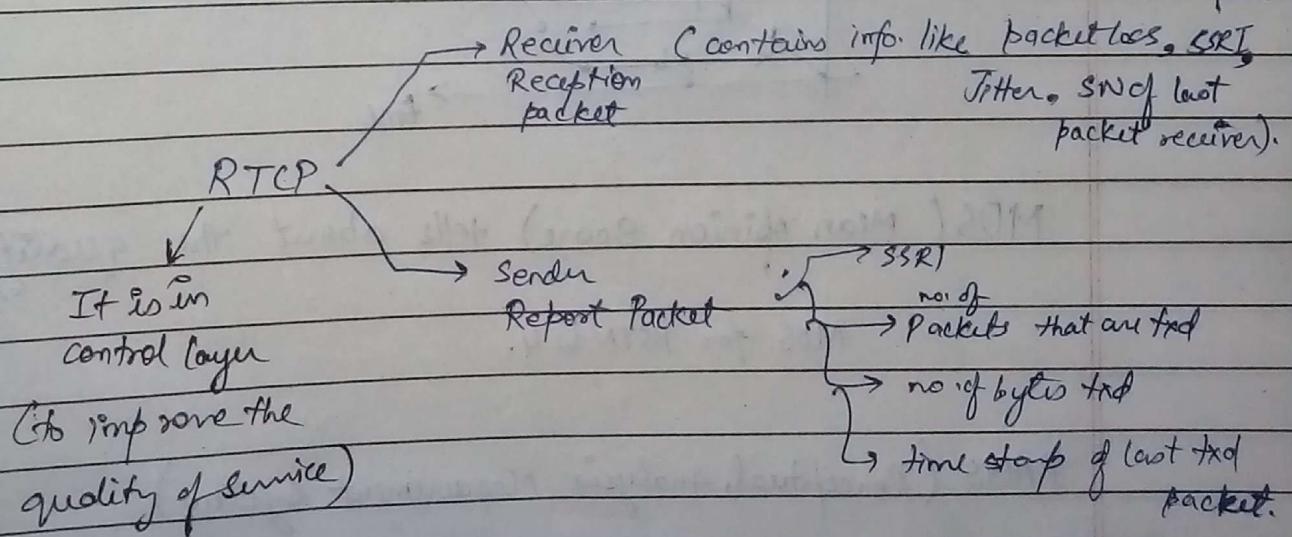
e.g. Video stream will have diff. SSRI.
Voice stream " " " SSRI.

8Kbps



Data Layer Protocol

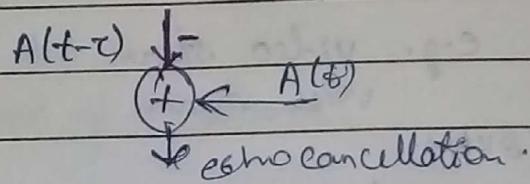
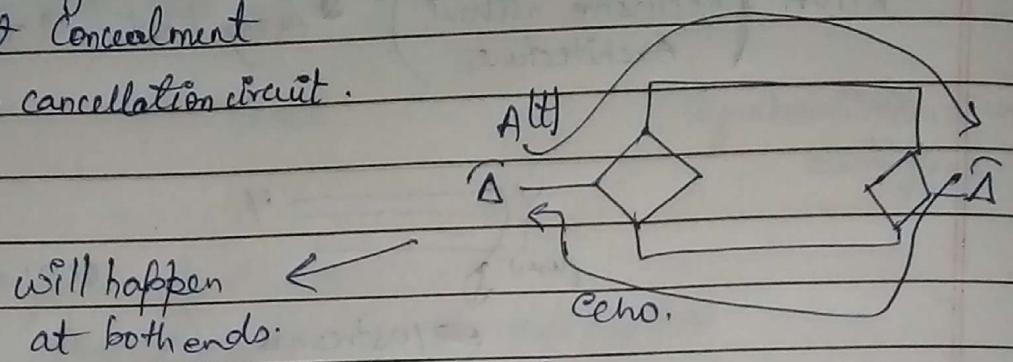
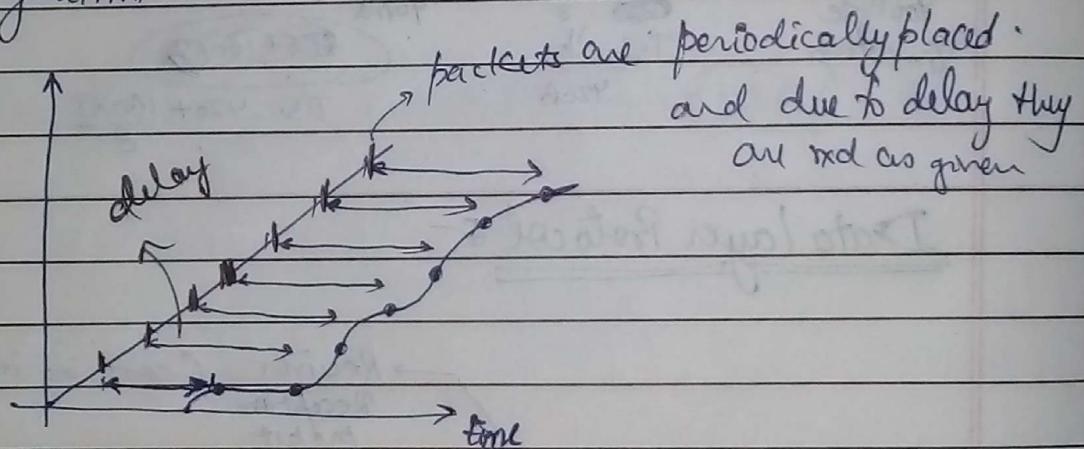
for which stream these parameters form



In VoIP, packets return depends upon the distance of the end of NBR.
(i.e. round trip delay).

Receiver :-

- ① Dejitter algorithm
- ② packet Concealment
- ③ Echo cancellation circuit.

Dejitter algorithm.

MOS (Mean opinion score) tells about the quality of experience.

MOS for PSTN is 4.

PAMS (Perceptual Analysis Measurement system.)

ITU - P.862 (Perceptual Evaluation of speech quality) (PESQ)

ITU - P.861 (Perceptual Quality Speech Measurement)
(PQSM+)