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cvx_solver sdpt3

% 1
cvx_begin
    variables x(4) y z(5) p(2)
    minimize y + abs(x(3)-x(4)+7)
    subject to
        [z(2), x(2)-5; x(2)-5, 1] == semidefinite(2);
        p(1) >= abs(x(3) - 1);
        p(1) >= 0;
        [z(3), p(2); p(2), p(1)] == semidefinite(2);
        [p(2), p(1); p(1), 1] == semidefinite(2);
        [z(4), x(4)+1; x(4)+1, 1] == semidefinite(2);
        [z(5), z(4); z(4), 1] == semidefinite(2);
        y >= 0;
        [[y, x(1), z(2), z(3), z(5), sqrt(2)];[x(1); z(2); z(3); z(5); sqrt(2)],
eye(5)*y]] == semidefinite(6);
        x(1)^2 + x(2)^2 + x(4)^2 <= 2;
cvx_end

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Calling SDPT3 4.0: 53 variables, 16 equality constraints  
For improved efficiency, SDPT3 is solving the dual problem.

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num. of constraints = 16
dim. of sdp    var = 22,    num. of sdp blk = 9
dim. of socp   var = 4,    num. of socp blk = 2
dim. of linear var = 4
*****
SDPT3: Infeasible path-following algorithms
*****
version predcorr gam expon scale_data
HKM      1      0.000 1      0
it pstep dstep pinfeas dinfeas gap      prim-obj      dual-obj      cputime
-----
0|0.000|0.000|3.6e+01|4.2e+00|2.8e+03| 9.0000000e+01  0.0000000e+00| 0:0:00| chol 1 1
1|0.731|0.743|9.7e+00|1.1e+00|9.1e+02| 5.595032e+01 -2.080973e+01| 0:0:00| chol 1 1
2|0.785|0.778|2.1e+00|2.5e-01|2.3e+02| 1.917985e+01 -2.627226e+01| 0:0:00| chol 1 1
3|0.589|0.844|8.6e-01|3.9e-02|1.4e+02| 2.420214e+01 -3.676013e+01| 0:0:00| chol 1 1
4|0.916|1.000|7.2e-02|4.3e-05|2.1e+01| -1.139205e+01 -2.872880e+01| 0:0:00| chol 1 1
5|1.000|1.000|9.5e-08|8.5e-03|8.5e+00| -1.479733e+01 -2.255509e+01| 0:0:00| chol 1 1
6|0.949|0.943|1.9e-08|4.8e-04|9.5e-01| -1.931226e+01 -2.021769e+01| 0:0:00| chol 1 1
7|1.000|1.000|5.2e-09|4.6e-08|1.6e-01| -1.973566e+01 -1.989173e+01| 0:0:00| chol 1 1
8|0.978|0.980|3.1e-09|6.1e-09|3.3e-03| -1.982081e+01 -1.982415e+01| 0:0:00| chol 1 1
9|0.985|0.987|8.9e-10|7.1e-10|4.7e-05| -1.982267e+01 -1.982272e+01| 0:0:00| chol 1 1
10|0.962|0.975|3.4e-11|2.0e-10|1.6e-06| -1.982270e+01 -1.982270e+01| 0:0:00| chol 2 2
11|1.000|1.000|1.3e-12|6.8e-12|1.7e-07| -1.982270e+01 -1.982270e+01| 0:0:00|
stop: max(relative gap, infeasibilities) < 1.49e-08
-----

number of iterations = 11
primal objective value = -1.98227009e+01
dual objective value = -1.98227011e+01
gap := trace(XZ) = 1.74e-07
relative gap = 4.27e-09
actual relative gap = 4.26e-09
rel. primal infeas (scaled problem) = 1.33e-12
rel. dual " " " = 6.79e-12

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rel. primal infeas (unscaled problem) = 0.00e+00
rel. dual      "      "      "      "      = 0.00e+00
norm(X), norm(y), norm(Z) = 1.6e+01, 2.0e+01, 4.4e+01
norm(A), norm(b), norm(C) = 8.1e+00, 2.4e+00, 1.2e+01
Total CPU time (secs) = 0.09
CPU time per iteration = 0.01
termination code      = 0
DIMACS: 1.6e-12  0.0e+00  9.4e-12  0.0e+00  4.3e-09  4.3e-09
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Status: Solved
Optimal value (cvx_optval): +19.8227

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% disp(x);
% disp(cvx_optval);

% 2
A = [1, 5/2, -1/2; 5/2, 8, 0; -1/2, 0, 9];
cvx_begin
    variables x(3) y
    minimize quad_form(x, A) + ...
        8*(abs(x(1)-1) + abs(x(2)+3) + abs(x(3)-5))
    subject to
        [5, y; y, x(2)+1] == semidefinite(2);
        [y, x(3); x(3), 1] == semidefinite(2);
cvx_end

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Calling SDPT3 4.0: 17 variables, 8 equality constraints
For improved efficiency, SDPT3 is solving the dual problem.
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num. of constraints = 8
dim. of sdp var = 4, num. of sdp blk = 2
dim. of socp var = 11, num. of socp blk = 4
*****
SDPT3: Infeasible path-following algorithms
*****
version predcorr gam expon scale_data
HKM 1 0.000 1 0
it pstep dstep pinfeas dinfeas gap prim-obj dual-obj cputime
-----
0|0.000|0.000|1.9e+00|2.1e+00|1.3e+03| 1.040000e+02 0.000000e+00| 0:0:00| chol 1 1
1|0.670|0.983|6.3e-01|5.9e-02|3.4e+02| 5.267571e+01 -2.004260e+02| 0:0:00| chol 1 1
2|0.857|0.981|9.0e-02|3.4e-03|3.7e+01| -4.648898e+01 -7.648869e+01| 0:0:00| chol 1 1
3|0.967|0.663|2.9e-03|9.3e-03|1.7e+01| -5.382118e+01 -6.862934e+01| 0:0:00| chol 1 1
4|1.000|0.852|4.1e-08|2.0e-03|5.3e+00| -6.021653e+01 -6.522092e+01| 0:0:00| chol 1 1
5|0.830|1.000|8.3e-09|2.3e-06|1.2e+00| -6.269617e+01 -6.386102e+01| 0:0:00| chol 1 1
6|1.000|0.852|3.3e-09|5.4e-07|3.0e-01| -6.325815e+01 -6.356090e+01| 0:0:00| chol 1 1
7|0.942|0.981|6.3e-10|3.3e-08|1.5e-02| -6.345607e+01 -6.347155e+01| 0:0:00| chol 1 1
8|0.884|1.000|6.2e-10|2.4e-09|2.0e-03| -6.346699e+01 -6.346899e+01| 0:0:00| chol 1 1
9|0.983|0.984|1.0e-10|1.6e-10|6.8e-05| -6.346870e+01 -6.346876e+01| 0:0:00| chol 1 1
10|0.989|0.989|1.1e-12|2.2e-11|7.5e-07| -6.346875e+01 -6.346875e+01| 0:0:00|
stop: max(relative gap, infeasibilities) < 1.49e-08
-----
number of iterations = 10
primal objective value = -6.34687494e+01

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dual    objective value = -6.34687501e+01
gap := trace(XZ)        = 7.51e-07
relative gap          = 5.87e-09
actual relative gap   = 5.85e-09
rel. primal infeas (scaled problem) = 1.12e-12
rel. dual    "        "        "    = 2.20e-11
rel. primal infeas (unscaled problem) = 0.00e+00
rel. dual    "        "        "    = 0.00e+00
norm(X), norm(y), norm(Z) = 2.3e+01, 7.2e+00, 8.9e+00
norm(A), norm(b), norm(C) = 5.1e+00, 1.9e+01, 1.2e+01
Total CPU time (secs) = 0.06
CPU time per iteration = 0.01
termination code      = 0
DIMACS: 1.7e-12  0.0e+00  4.0e-11  0.0e+00  5.8e-09  5.9e-09
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Status: Solved
Optimal value (cvx_optval): +57.4688

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```

% 3
cvx_begin
    variables x(3)
    minimize 2*x(1) + 3*x(2) - x(3) + ...
            norm([1/sqrt(3)*x(1), x(2)-5, sqrt(6)*(x(3)-1/3*x(1))], 1], 2)
    subject to
        x(1)+x(2)<=2;
        x(3)+x(2)<=2;
        x(1)+x(3)<=2;
        x(1)>=0;
        x(2)>=0;
cvx_end

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Calling SDPT3 4.0: 10 variables, 4 equality constraints
For improved efficiency, SDPT3 is solving the dual problem.
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```

num. of constraints = 4
dim. of socp var = 5,    num. of socp blk = 1
dim. of linear var = 5
*****
SDPT3: Infeasible path-following algorithms
*****
version predcorr gam expon scale_data
NT      1      0.000 1      0
it pstep dstep pinfeas dinfeas gap      prim-obj      dual-obj      cputime
-----
0|0.000|0.000|6.7e+00|2.9e+00|5.1e+02| 1.000000e+01  0.000000e+00| 0:0:00| chol 1 1
1|0.388|0.809|4.1e+00|5.8e-01|2.1e+02| 1.600483e+01 -1.728036e+00| 0:0:00| chol 1 1
2|1.000|1.000|1.4e-06|3.1e-03|2.9e+01| 2.661892e+01 -2.439470e+00| 0:0:00| chol 1 1
3|0.962|0.807|1.0e-07|8.5e-04|5.2e+00| 1.386627e+01  8.729644e+00| 0:0:00| chol 1 1
4|0.902|1.000|1.1e-08|3.1e-05|1.7e+00| 1.104242e+01  9.296406e+00| 0:0:00| chol 1 1
5|1.000|0.917|8.9e-10|5.4e-06|1.9e-01| 1.044389e+01  1.025775e+01| 0:0:00| chol 1 1
6|0.949|0.981|9.9e-11|4.0e-07|6.9e-03| 1.034965e+01  1.034277e+01| 0:0:00| chol 1 1
7|0.960|0.985|6.8e-10|3.6e-08|2.1e-04| 1.034537e+01  1.034516e+01| 0:0:00| chol 1 1
8|0.904|1.000|2.5e-09|3.0e-11|1.4e-05| 1.034526e+01  1.034525e+01| 0:0:00| chol 1 1
9|0.945|0.987|3.2e-10|4.5e-11|7.0e-07| 1.034525e+01  1.034525e+01| 0:0:00| chol 2 2

```

```
10|1.000|1.000|8.5e-14|6.4e-11|3.9e-08| 1.034525e+01 1.034525e+01| 0:0:00|
stop: max(relative gap, infeasibilities) < 1.49e-08
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-----
number of iterations    = 10
primal objective value = 1.03452533e+01
dual  objective value = 1.03452533e+01
gap := trace(XZ)       = 3.85e-08
relative gap           = 1.78e-09
actual relative gap    = 1.73e-09
rel. primal infeas (scaled problem) = 8.53e-14
rel. dual    "        "        "    = 6.45e-11
rel. primal infeas (unscaled problem) = 0.00e+00
rel. dual    "        "        "    = 0.00e+00
norm(X), norm(y), norm(Z) = 3.0e+00, 7.8e+00, 8.3e+00
norm(A), norm(b), norm(C) = 5.4e+00, 5.3e+00, 7.9e+00
Total CPU time (secs) = 0.05
CPU time per iteration = 0.01
termination code      = 0
DIMACS: 1.1e-13 0.0e+00 8.5e-11 0.0e+00 1.7e-09 1.8e-09
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Status: Solved
Optimal value (cvx_optval): +4.65475
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