# Lecture 13 Query processing

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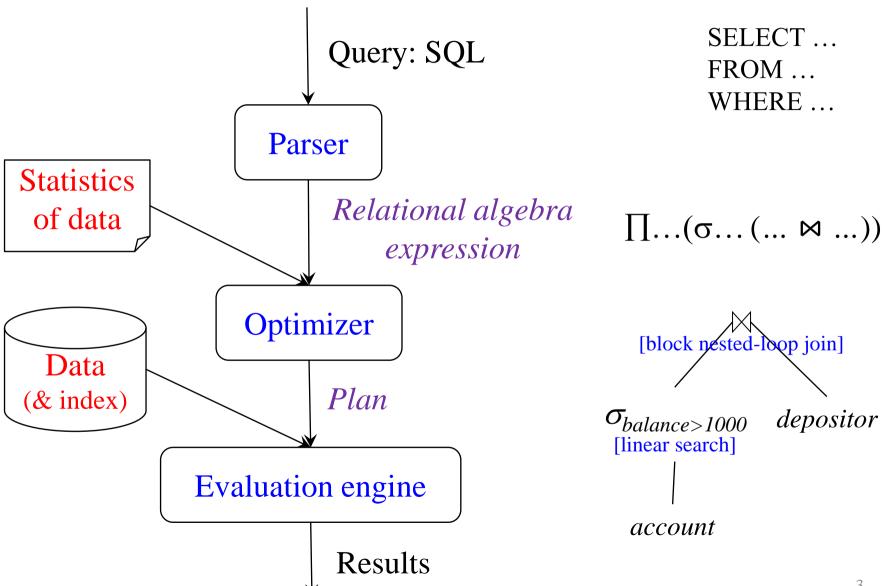
Acknowledgement: Slides were offered from Prof. Ken Yiu. Some parts might be revised and indicated.

#### Outline



- Basic concepts for query processing
- How to process a selection?
- How to process a join?
- How to execute a plan?

# How to process a query?



# How to process a query?

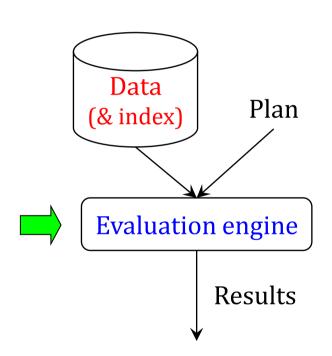
- Optimizer
  - Find the evaluation plan with the lowest estimated cost
    - We skip this issue in this course
- Evaluation engine
  - Call an algorithm to evaluate a relational algebra operation
  - Combine individual operations to evaluate a complete plan

#### Evaluation engine: How to execute a plan?

• How to measure the cost of a plan?

- Some methods (physical operators) for executing
  - The selection operation
  - The join operation

How to execute a plan?

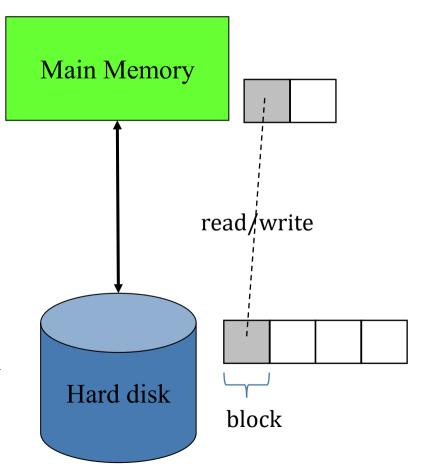


#### Cost

Cost = the number of disk block transfers



- Assumptions in RDBMS
  - Ignore CPU costs
  - Ignore the cost of writing the final output to disk
- Extra assumption in this lecture
  - Ignore the disk seek time, because the number of disk block transfers is much larger than the number of disk seeks



#### Outline

Basic concepts for query processing



- How to process a selection?
- How to process a join?
- How to execute a plan?

# **Selection** Operation

- Example:  $\sigma_{\text{balance} < 2500}(account)$
- Several different algorithms to implement selections
  - Usually choose the cheapest available one

Algorithm / physical operator	Cost (# disk blocks)	
Linear search	$b_r$	
Primary index, equality on key	$h_r + 1$	
Primary index, equality on non-key	$h_r + b_{results}$	
Secondary index, equality	$h_r + n_{results}$	



 $b_r$ : size of r in blocks

 $h_r$ : height of B<sup>+</sup>-tree on r

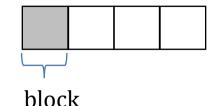
 $n_{results}$ : # of results

 $b_{results}$ : result size in blocks

For simplicity, we measure the cost as the number of disk block transfers. When using an index other than  $B^+$ -tree, replace the term  $h_r$  by the index lookup cost.

## Selection

(1) Linear search:



Scan each file block and test all tuples

- Applicable to any type of comparison condition
- Cost =  $b_r$  blocks

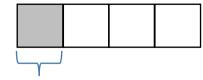
 $(\frac{b_r}{c})$ : number of blocks occupied by relation r)

(2) Primary index on candidate key, equality:

Retrieve a single tuple that satisfies the equality condition

- $\diamond$  Cost =  $h_r + 1$  blocks
  - B+-tree height  $\frac{h_r}{h_r} = \lceil \log_{\lceil f/2 \rceil} n_r \rceil$
  - $n_r$ : number of records in relation r
  - f: max. number of children in a node

### Selection



(3) Primary index on nonkey, equality:

Retrieve multiple (consecutive) tuples that satisfies the equality condition

- $\diamond$  Cost =  $h_r + b_{match}$  blocks
  - This requires estimating  $b_{match}$ : number of blocks containing matching tuples
- (4) Secondary index on nonkey, equality:

Retrieve multiple tuples that satisfies the equality condition

- $\diamond$  Cost =  $h_r + n_{match}$  blocks
  - $n_{match}$  denotes the number of matching records

#### Outline

- Basic concepts for query processing
- How to process a selection?



- How to process a join?
- How to execute a plan?

# Join Operation

Example:

- *customer* ⋈ *depositor*
- Several different algorithms to implement joins
  - Usually choose the cheapest available one

Algorithm / physical operator	Cost (# disk blocks)
Nested-loop join	$n_r * b_s + b_r$ [worst case]
Block nested-loop join	$\lceil b_r / (M-2) \rceil * b_s + b_r$
Indexed nested-loop join	$n_r * (h_s + 1) + b_r$
Merge-join	$b_r + b_s$
	$+b_r \left(2 \lceil \log_{M-1}(b_r/M) \rceil + 1\right) +b_s \left(2 \lceil \log_{M-1}(b_s/M) \rceil + 1\right)$
	$+b_{s}(2 \log_{M-1}(b_{s}/M) +1)$
<mark>Hash-join</mark>	$3(b_r + b_s)$
	if no recursive partitioning required

For simplicity, we measure the cost as the number of disk block transfers.

# Nested-Loop Join

- $\begin{array}{c|c} & & & \\ \hline & t_{r1} & & \\ \hline & t_{r2} & & \\ \hline \end{array}$
- for each tuple  $t_r$  in r do

  for each tuple  $t_s$  in s do

  if pair  $(t_r, t_s)$  satisfies the join condition
  - if pair  $(t_r, t_s)$  satisfies the join condition then add  $(t_r, t_s)$  to the result

- $\begin{array}{c|c}
  \underline{Disk} \\
  B_{r1} & t_{r1} \\
  \hline
  t_{r2} & B_{s1} & t_{s1} \\
  \hline
  t_{s2} & \\
  B_{r2} & t_{r3} & \\
  \hline
  B_{s2} & t_{s3} & \\
  \hline
  \end{array}$
- Applicable to any join condition, index not required

 $B_{s3}$ 

Cost of nested-loop join:

$$n_r * b_s + b_r$$
 blocks



Assume the worst case: only one memory buffer block for each relation

The sequence of blocks read from the disk

 $B_{r1} \mid B_{s1} \mid B_{s2} \mid B_{s3} \mid B_{s1} \mid B_{s2} \mid B_{s3} \mid B_{r2} \mid B_{s1} \mid B_{s2} \mid B_{s3} \mid B_{s1} \mid B_{s2} \mid B_{s3}$ 

# Index Nested-Loop Join

#### for each tuple $t_r$ in r do

search the index on s to find tuples that match with  $t_r$  for each matching tuple  $t_s$  in s do

if pair  $(t_r, t_s)$  satisfies the join condition
then add  $(t_r, t_s)$  to the result

- Requires an index, applicable to equality condition only
- Cost of indexed nested-loop join:  $n_r * \frac{(h_s + 1)}{(h_s + 1)} + b_r$  blocks

#### $\diamond$ **Exercise**: customer $\bowtie$ depositor

- Number of tuples:  $n_{customer} = 10000$   $n_{depositor} = 5000$
- Number of blocks:  $b_{customer}$ =400  $b_{depositor}$ =100
- Suppose that *customer* has a primary B⁺-tree index on the join attribute *customer-name*, which contains 20 child pointers per index node.
- Cost of nested-loop join

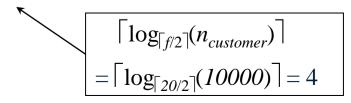
If outer relation = depositor

If outer relation = *customer* 

Cost of indexed nested-loop join

E.g., the tree height (for *customer*) is 4, so the cost is:

$$5000*(4+1)+100 = 25100$$
 blocks



\* Try to find "log(10000)/log(10)"

How to compute this in calculator?

\* Type "10000" "log" "/" "10" "log"

# **Block Nested-Loop Join**

- Variant of nested-loop join
- Pair every block of the inner relation with every block of the outer relation
  - $\bullet$  In this method, the relation s is scanned \_\_\_\_ times

for each block  $B_r$  of r do

for each block  $B_s$  of s do

for each tuple  $t_r$  in  $B_r$  do

for each tuple  $t_s$  in  $B_s$  do

if pair  $(t_r, t_s)$  satisfies the join condition

then add  $(t_r, t_s)$  to the result

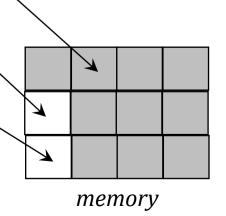
 $t_{r1}$ Disk  $B_{s1}$  $t_{r3}$  $t_{r4}$ 

Memory

The sequence of blocks read from the disk

# Block Nested-Loop Join (Cont.)

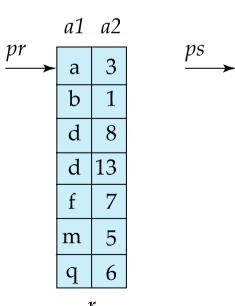
- More memory blocks may be used to reduce the cost of block nested-loop join
- ♦ If the memory has *M* blocks, use them as follows:
  - M-2 memory blocks to buffer the outer relation
  - 1 block to buffer the inner relation
  - 1 block to buffer the output



# Merge-Join

- 1. Sort both relations on their join attribute (to discuss soon)
- 2. Merge the sorted relations to join them
  - a. This step is like the merge stage of the sort-merge algorithm.
  - b. The difference is to handle duplicate values in join attribute
    - every pair with same value on join attribute must be matched
- Applicable to equi-joins and natural joins
- Each block is only read once
  - assuming all tuples for any given value of the join attributes fit in memory
- Cost of merge join =  $b_r + b_s$  blocks

+ the sorting cost (if relations are unsorted)



a1 a3

В

m

S

# Sorting: External Sort-Merge

- Use it when the relation is larger than the main memory, i.e.,  $b_r > M$
- External sort-merge algorithm
  - 1. Create sorted runs
    - Read consecutive M blocks into memory, sort it, then write to a run
  - 2. Merging until only 1 run remains
- Cost:  $b_r \left( 2 \lceil \log_{M-1}(b_r/M) \rceil + 1 \right)$ 
  - Number of merge passes required:  $\lceil \log_{M-1}(b_r/M) \rceil$
  - $\bullet$  Block transfers for initial run and in each pass is  $2b_r$

*Example*: M = 3 memory blocks

			<u> </u>			
5	24		d	31		
ì	19		g	24		
1	31					
-	33		b	14		
_			С	33		
)	14			00		
Š	16		e	16		
•	16		d	21		
1	21		m	3		
n	3			1/		
			r	16		
)	2					
1	7		a	14		
ì	14		d	7		
		'	р	2		

initial relation

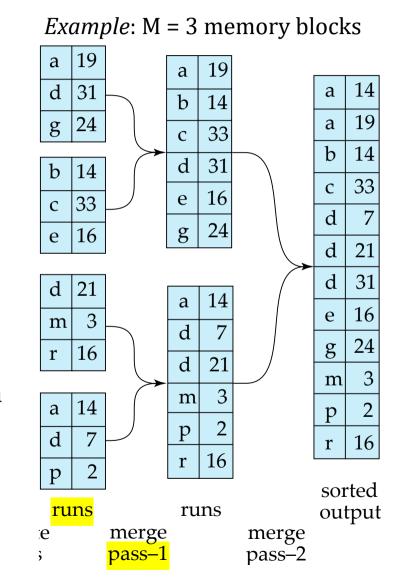
create runs

runs

#### Sorting: External Sort-Merge

- How to merge "sorted runs"?
- ◆ 2. Merging (for every M−1 runs)

  - Move the smallest tuple from its input buffer to the output buffer
  - ♦ An input block empty → fill it with the next disk block from its input run
  - An output block full → flush the block to its output run
- Repeat until only 1 run remains



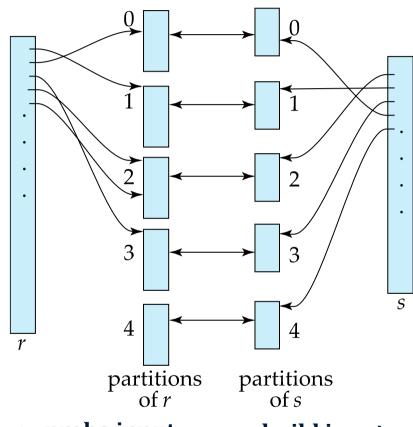
#### Hash-Join

*Example*:  $n_h = 5$  partitions

**Observation**: if two records have the same key value (on the join attribute), then those two keys must have the same hash value

Idea of hash-join: use a hash function *h* to hash records into partitions

Hash-join is applicable to equi-joins and natural joins



r : probe input

s: build input

# **Hash-Join**

*Example*:  $n_h = 5$  partitions

Call the smaller relation *s* as build input

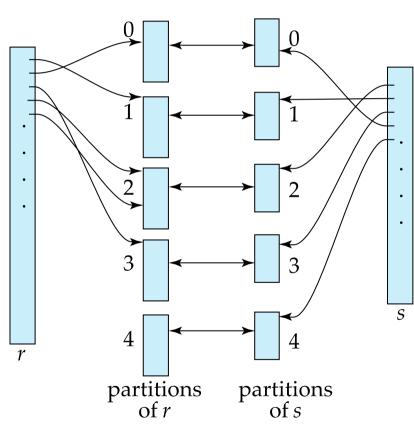
Step 1. Partition the relation s using a hash function h (into  $n_h$  partitions)

\* note that  $n_h$  must be smaller than M

Step 2. Partition r similarly



**Requirement**: in step 1, we require that each partition of *s* must have at most M–2 blocks (i.e., can fit in memory)



r : probe input

s: build input

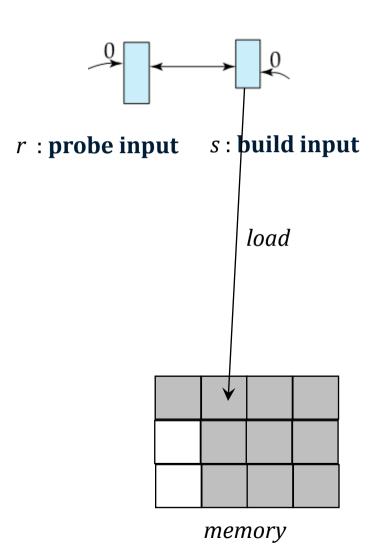
#### Hash-Join

*Example*:  $n_h = 5$  partitions

Step 3. For each partition value *i* 

- (a) Create another hash function h'
- (b) Load the entire  $s_i$  into memory. Build an in-memory hash index on it by the join attribute (by using h').
- (c) Read the tuples in  $r_i$ . For each tuple  $t_r$ , find each matching tuple  $t_s$  in  $s_i$  from in-memory hash index. Output the result.

Purpose of the in-memory hash index: reduce the computation cost on matching tuples



# Hash-Join algorithm (Cont.)

\* Suppose that number of partitions  $n_h$  is at most number of memory blocks M

Cost of hash join:

$$3(b_r + b_s)$$

Partitioning phase:

$$2(b_r + b_s)$$

- read and write each relation once
- Build and probe phase:

$$b_r + b_s$$
 small compared to other terms, can be ignored

Partially filled blocks:



- Recursive partitioning is not required if  $M > n_h + 1$

#### Exercise: Cost of Hash-Join

#### $customer \bowtie depositor$

- Given that
  - memory size is 20 blocks
  - $b_{depositor} = 100 \text{ and } b_{customer} = 400.$
- Use the smaller relation (depositor) as build input
- How large should a partition be?
  - ♦ To make each partition of *depositor* fit in memory (20 blocks), we can partition it into [100/(20-2)] = 6 partitions
  - $\bullet$  Since <u>6 < 20</u>, this partitioning can be done in <u>one pass</u>
  - $\diamond$  Similarly, we can divide *customer* into <u>6</u> partitions
- The total cost:
  - 3(100 + 400) = 1500 blocks

#### Outline

- Basic concepts for query processing
- How to process a selection?
- How to process a join?



How to execute a plan?

# How to execute a plan?

- Naïve approach: execute physical operators one-by-one
  - First execute "linear search" (for selection)
    - if the intermediate result exceeds the memory size,
       need to write it to the disk → additional I/O cost
  - Then execute "block nested-loop join" (for natural join)

[block nested-loop join]  $\sigma_{balance>1000}$  depositor
[linear search] account

- Drawback
  - We High latency for the first result record
  - Additional I/O cost for writing intermediate result to the disk

# How to execute a plan?

- The iterator approach: each physical operator implements the "Iterator" interface
  - Open(): open the file/index, allocate buffer
  - GetNext(): produce a record as output
  - Close(): close the file/index, deallocate buffer

Obalance>1000
[linear search]

Example: the iterator for linear search



#### <u>Open ( )</u>

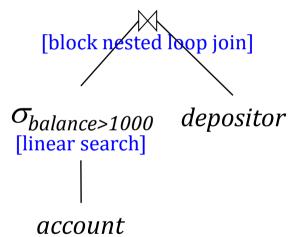
- 1. allocate a memory block *B*
- 2. open the file

#### GetNext()

- 1. repeat
- 2. if *B* is empty, load the next block from disk to *B*
- 3.  $t \leftarrow \text{pop the next tuple from } B$
- 4. until *t* satisfies the predicate
- 5. return *t*

# How to execute a plan?

- Advantages of the iterator approach
  - Low latency for the first result record
  - We can pipeline intermediate results to the next/parent operator, without additional I/O cost
- Iterators incur computational overhead
  - Acceptable in traditional RDBMS



- An issue in query optimization
  - When to allocate/share the memory to different physical operators?

# Summary

- How to process a selection?
  - Linear scan, several types of index scan

- How to process a join?
  - Nested-loop, block nested-loop, block nested-loop, merge-join, hash-join

Query plan execution

# Sample solutions

- Please be reminded to submit
   Assignment 2 on time
- We will post the sample solutions of Quiz 2 and Assignment 2 at least one day before the exam

# Sample types of questions

- Give an example of ... such that ...
- Draw ... such that ...
- Run ... show the steps ...
- Find ... show the steps ...
- Write an algorithm to ...
- Check ... explain ...

# Wish you good luck!