Table of Contents

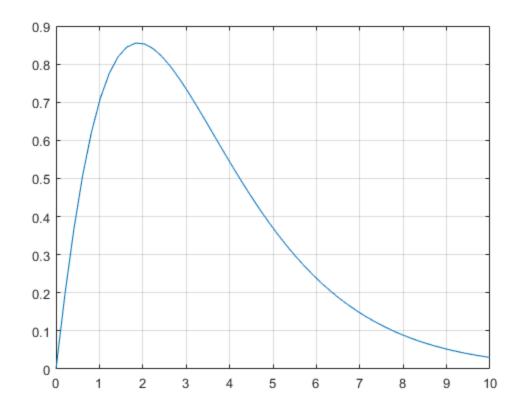
Solution - Problem 1 (do not modify this line)

Solution - Problem 2 (do not modify this line)

```
func2 = @(x)(x.*exp(-0.7.*x).*sqrt(1+x));
func2(8)
x = linspace(0,10,50); % your turn
y = func2(x);
```

```
plot(x,y); % your turn
grid on;

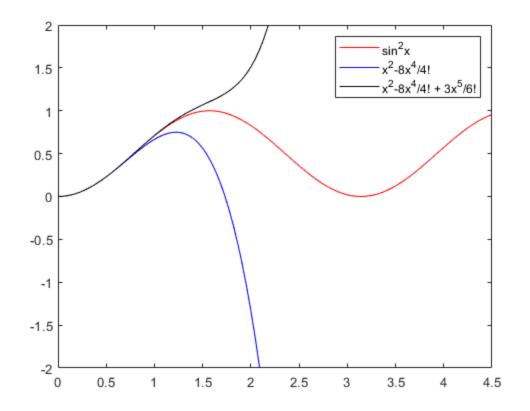
ans =
    0.088748729195590
```



Solution - Problem 3 (do not modify this line)

```
x = linspace(0,4.5,100);
y1 = sin(x).^2;
y2 = x.^2-2^3*x.^4/factorial(4);
y3 = x.^2-2^3*x.^4/factorial(4) + 2^5*x.^6/factorial(6);

plot(x,y1,'r'); hold on;
plot(x,y2,'b');
plot(x,y3,'k'); hold off;
ylim([-2 2]);
legend('sin^2x', 'x^2-8x^4/4!','x^2-8x^4/4! + 3x^5/6!')
```



Solution - Problem 4 (do not modify this line)

```
A = [];
rows = 4; cols =6;
for i = 1:rows
    for j = 1:cols
        A(i,j) = 2*i-3*j;
end
Α
A =
    -1
          -4
                -7
                     -10
                           -13
                                 -16
         -2
                -5
                     -8
                           -11
                                 -14
                -3
                      -6
                           -9
                                 -12
                -1
                      -4
                            -7
                                 -10
```

Solution - Problem 5 (do not modify this line)

```
% part b(i)
```

```
myfunc = @(x)(x^3);
x0 = 0.6; h = x0/100;
dfdx2pt = twoptderi(myfunc,x0,h);
fprintf('Approximate derivative of x^3 at x = 0.6 is 4.4f n',
dfdx2pt)
% part b(ii)
myfunc = @(x)(x^3*exp(2*x));
x0 = 2.5; h = x0/100;
dfdx2pt = twoptderi(myfunc,x0,h);
fprintf('Approximate derivative of x^3exp(2x) at x=2.5 is %4.6f \n',
dfdx2pt)
function dfdx2pt = twoptderi(myfunc,x0,h)
% dfdx2pt approximates the derivative using
% the two-point central difference formula
% x0 is the point where the derivative is calculated
% h is a number relative to x0
dfdx2pt = (myfunc(x0+h)-myfunc(x0-h))/(2*h);
end
Approximate derivative of x^3 at x=0.6 is 1.0800
Approximate derivative of x^3 \exp(2x) at x = 2.5 is 7427.554645
```

Published with MATLAB® R2018a