Now given two serone - order filter HA and HB with, 
$$hA = \frac{r_A''}{8in(\omega_0)}$$
 Sin( $\omega_0$ )  $hB = \frac{r_B''}{8in(\omega_0)}$  sin( $\omega_0$ )  $hB = \frac{r_B''}{8in(\omega_0)}$  sin( $\omega_0$ )  $\omega_0$ )

Leave the Oscillation part (for we only care about profile which could indicate the pewerned

profile 
$$n = k_A + k_B$$
  $n > 0 = \int_{-\infty}^{\infty} r_A + k_B$   $n > 0 = \int_{-\infty}^{\infty} r_A + k_B$   $n > 0 = \int_{-\infty}^{\infty} r_A + k_B$   $n > 0 = \int_{-\infty}^{\infty} r_A + r_B$   $n > 0 = \int_{-\infty}^{\infty} r_A + r_B$ 

profile (n) = 
$$r_{A}^{n-1}r_{B} + r_{A}^{n-1}r_{B}^{2} + ...$$

$$t \in TA^{\prime} \cap TB^{n-1} \cdots (n-1)$$
 elements

profile(n-1) = rA", LB + LV\_3 LB + ...+ LY LB ... (n-5) elemente profile (n) - profile (n-1) <0) Then n-1 is the peak we need  $= L_{\nu-1}^{A} L_{\beta} + L_{\nu-2}^{A} \left( L_{\beta}^{B} - L_{\beta} \right) + \cdots + L_{\nu}^{A} \left( L_{\beta}_{\nu-1} - L_{\beta}_{\nu-2} \right)$ 

= rA rB+ (rB-1) (rA -2 rB+ rA rB+ ... + rA rB)

= rA rB+ (rB-1) prof: (& M-1)

In this case Fine N-1 s.t. profilen > profile (N-1) co is not easy, we alternative find n. s.t. | profile In) - profile (n-1) -> 0 or 20.

That is  $profile(N-1) = -\frac{rA^{n-1}rB}{rB-1} = \frac{rA^{n-1}rB}{1-rB}$  and n-1 could be the peak time

There is Fird  $\sum_{k=1}^{N-1} r_A r_B = \frac{r_A^{n*} r_B}{1-r_0}$  where n scritsi-fiel this equation.

However in this question, we specify n, to find suitable rA and to satisfy this

$$\frac{N_{E1}}{\sum_{k=1}^{N_{E1}} r_{A}^{-k} r_{B}^{k} = \frac{r_{A}^{-1} r_{B}}{1 - r_{B}} \dots (1)$$

The next equation comes while setting up decay time

When consider decaying

profile in,) = 
$$\frac{h-1}{2} r_A^{n-1} r_B^n = \frac{1}{100} \cdot \frac{r_A^{n-1} r_B}{1-r_B}$$
 where the right side of equation is peak we got last time.

Solve this equation find to and to. However don't know How to solve ...