# SELECTING THE BEST MODEL TO PREDICT HOUSING PURCHASING AMOUNT USING REGRESSION

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By using the boston dataset from Kagle and we would like to develop a model to predict the total price housing amount that customers are willing to pay given the following attributes:

- · No of bedrooms
- square foot ( living room,lot, above, and basement)
- City
- View
- Condition
- · Year built and renovated
- Bathrooms

The model should predict:

· Price of House

This exercise to find the best regression model based on the

- · Mean square error
- · Mean absolute error
- r2 score

Linear Model are using as follow:

- 1. Linear regression as baseline
- 2. Ridge
- 3. Lasso
- 4. KNN
- 5. Decission Tree
- 6. Random Forrest
- 7. Support Vector

#### Import the library

```
In [1]:
        import matplotlib as mp
        import sklearn
        import pandas as pd
        import numpy as np
        import matplotlib.pyplot as plt
        import seaborn as sns
        from sklearn.linear_model import LinearRegression, Ridge, Lasso
        from sklearn.ensemble import RandomForestRegressor
        from sklearn.model selection import cross val score, train test split, GridSea
        rchCV
        from sklearn.metrics import mean squared error as mse
        from sklearn.metrics import r2_score as rs
        from sklearn.metrics import mean_absolute_error as mae
        import category encoders as ce
        from math import sqrt
        from sklearn.svm import SVR # Support Vector Regressor
        from sklearn.ensemble import RandomForestRegressor
        from sklearn.neighbors import KNeighborsRegressor
        from sklearn.model selection import cross val score
        from sklearn.tree import DecisionTreeRegressor
        from sklearn.svm import LinearSVR
        # to perform hyperparameter tuning
        from sklearn.model selection import GridSearchCV
        from sklearn.model selection import RandomizedSearchCV
```

```
In [2]: %matplotlib inline
```

#### Using data download from Kagle for Boston Housing dataset - Read using panda

```
In [3]: df = pd.read_csv('data.csv')
```

In [4]: df

Out[4]:

	date	price	bedrooms	bathrooms	sqft_living	sqft_lot	floors	waterfront	vie
0	2014- 05-02 00:00:00	3.130000e+05	3.0	1.50	1340	7912	1.5	0	
1	2014- 05-02 00:00:00	2.384000e+06	5.0	2.50	3650	9050	2.0	0	
2	2014- 05-02 00:00:00	3.420000e+05	3.0	2.00	1930	11947	1.0	0	
3	2014- 05-02 00:00:00	4.200000e+05	3.0	2.25	2000	8030	1.0	0	
4	2014- 05-02 00:00:00	5.500000e+05	4.0	2.50	1940	10500	1.0	0	
4595	2014- 07-09 00:00:00	3.081667e+05	3.0	1.75	1510	6360	1.0	0	
4596	2014- 07-09 00:00:00	5.343333e+05	3.0	2.50	1460	7573	2.0	0	
4597	2014- 07-09 00:00:00	4.169042e+05	3.0	2.50	3010	7014	2.0	0	
4598	2014- 07-10 00:00:00	2.034000e+05	4.0	2.00	2090	6630	1.0	0	
4599	2014- 07-10 00:00:00	2.206000e+05	3.0	2.50	1490	8102	2.0	0	
4600 rows × 18 columns									
10001									

# **Explarotary Data Analysis**

```
In [5]: df.describe()
```

# Out[5]:

	price	bedrooms	bathrooms	sqft_living	sqft_lot	floors	wate
cour	t 4.600000e+03	4600.000000	4600.000000	4600.000000	4.600000e+03	4600.000000	4600.C
mea	n 5.519630e+05	3.400870	2.160815	2139.346957	1.485252e+04	1.512065	0.0
st	<b>d</b> 5.638347e+05	0.908848	0.783781	963.206916	3.588444e+04	0.538288	0.0
mi	n 0.000000e+00	0.000000	0.000000	370.000000	6.380000e+02	1.000000	0.0
259	6 3.228750e+05	3.000000	1.750000	1460.000000	5.000750e+03	1.000000	0.0
509	4.609435e+05	3.000000	2.250000	1980.000000	7.683000e+03	1.500000	0.0
759	6.549625e+05	4.000000	2.500000	2620.000000	1.100125e+04	2.000000	0.0
ma	x 2.659000e+07	9.000000	8.000000	13540.000000	1.074218e+06	3.500000	1.0
4							

# In [6]: df.info()

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 4600 entries, 0 to 4599
Data columns (total 18 columns):

#	Column	Non-Null Count	Dtype
0	date	4600 non-null	object
1	price	4600 non-null	float64
2	bedrooms	4600 non-null	float64
3	bathrooms	4600 non-null	float64
4	sqft_living	4600 non-null	int64
5	sqft_lot	4600 non-null	int64
6	floors	4600 non-null	float64
7	waterfront	4600 non-null	int64
8	view	4600 non-null	int64
9	condition	4600 non-null	int64
10	sqft_above	4600 non-null	int64
11	sqft_basement	4600 non-null	int64
12	yr_built	4600 non-null	int64
13	yr_renovated	4600 non-null	int64
14	street	4600 non-null	object
15	city	4600 non-null	object
16	statezip	4600 non-null	object
17	country	4600 non-null	object
<pre>dtypes: float64(4),</pre>		int64(9), object	t(5)

memory usage: 647.0+ KB

```
In [7]: df.isnull().sum()
Out[7]: date
                           0
         price
                           0
         bedrooms
                           0
         bathrooms
                           0
         sqft_living
         sqft_lot
         floors
                           0
         waterfront
                           0
         view
                           0
         condition
                           0
         sqft_above
         sqft_basement
         yr built
                           0
         yr_renovated
                           0
         street
                           0
         city
                           0
                           0
         statezip
         country
                           0
         dtype: int64
```

#### Drop unnecessary column

In [8]:

```
df2
In [9]:
Out[9]:
                          price
                                 bedrooms
                                             bathrooms
                                                          sqft_living sqft_lot floors
                                                                                       waterfront view
                                                                                                          conditi
                  3.130000e+05
                                         3.0
                                                    1.50
                                                                1340
                                                                         7912
                                                                                   1.5
                                                                                                0
                                                                                                       0
               1
                  2.384000e+06
                                         5.0
                                                    2.50
                                                                3650
                                                                         9050
                                                                                  2.0
                                                                                                0
                                                                                                       4
                  3.420000e+05
                                         3.0
                                                    2.00
                                                                1930
                                                                        11947
                                                                                   1.0
                                                                                                0
                                                                                                       0
                  4.200000e+05
                                         3.0
                                                    2.25
                                                                2000
                                                                         8030
                                                                                   1.0
                                                                                                0
                                                                                                       0
                  5.500000e+05
                                         4.0
                                                    2.50
                                                                        10500
                                                                                                0
                                                                1940
                                                                                   1.0
                                                                                                       0
                                         ...
                                                      ...
                                                                                    ...
                                                                                                      ...
                  3.081667e+05
                                                                1510
            4595
                                         3.0
                                                    1.75
                                                                         6360
                                                                                   1.0
                                                                                                0
                                                                                                       0
            4596 5.343333e+05
                                                                                                       0
                                         3.0
                                                    2.50
                                                                1460
                                                                         7573
                                                                                   2.0
                                                                                                0
            4597 4.169042e+05
                                         3.0
                                                    2.50
                                                                3010
                                                                         7014
                                                                                   2.0
                                                                                                       0
            4598 2.034000e+05
                                         4.0
                                                    2.00
                                                                2090
                                                                         6630
                                                                                   1.0
                                                                                                0
                                                                                                       0
            4599 2.206000e+05
                                         3.0
                                                    2.50
                                                                1490
                                                                         8102
                                                                                   2.0
                                                                                                0
                                                                                                       0
```

df2 = df.drop(['date','street','statezip', 'country'], axis =1)

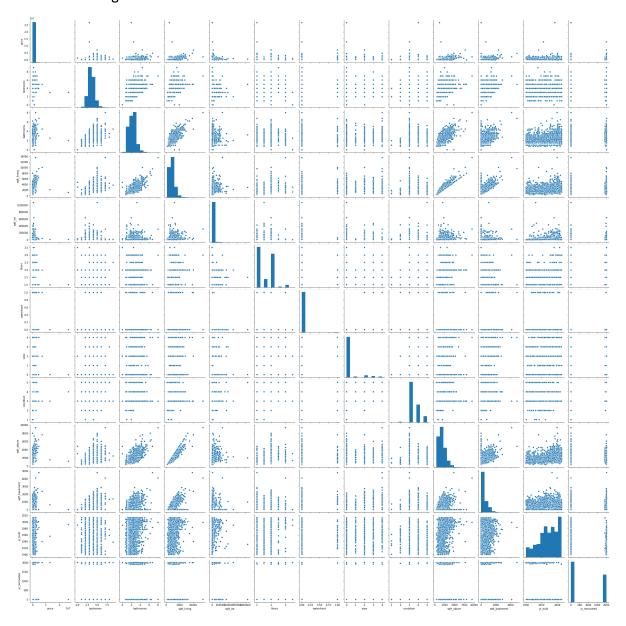
4600 rows × 14 columns

#### Visual the data

## Using pairplot to see the corelation

In [10]: sns.pairplot(df2)

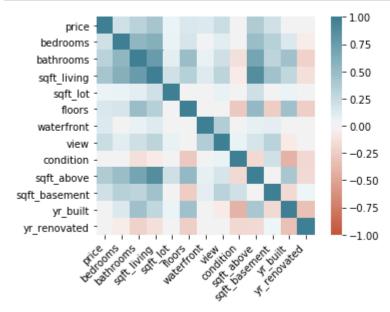
Out[10]: <seaborn.axisgrid.PairGrid at 0x5493dc8>



From the graph, it can seen that there are relation with regression

## Create a correlation heatmap

```
In [11]: corr = df2.corr()
```



#### **Correlation table**

```
In [13]:
        cmap = cmap=sns.diverging palette(5, 250, as cmap=True)
         def magnify():
             return [dict(selector="th",
                         props=[("font-size", "7pt")]),
                    dict(selector="td",
                         props=[('padding', "0em 0em")]),
                    dict(selector="th:hover",
                         props=[("font-size", "12pt")]),
                    dict(selector="tr:hover td:hover",
                         ]
         corr.style.background_gradient(cmap, axis=1)\
             .set_properties(**{'max-width': '80px', 'font-size': '10pt'})\
             .set caption("Correlation Table")\
             .set_precision(2)\
             .set_table_styles(magnify())
```

#### Out[13]:

Correlation Table

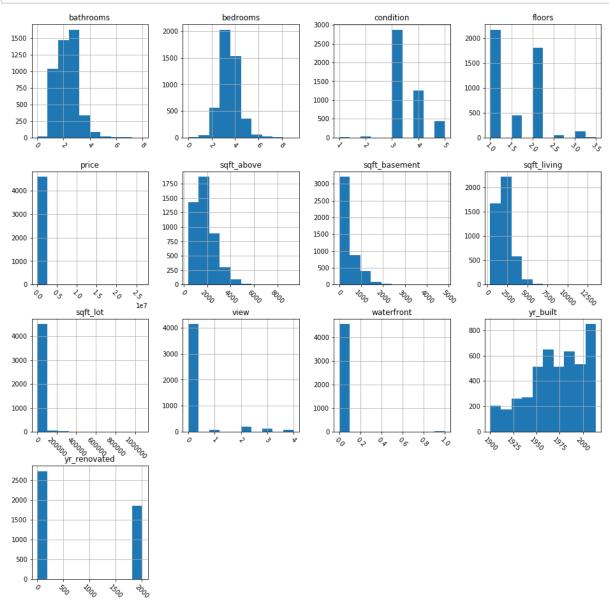
	price	bedrooms	bathrooms	sqft_living	sqft_lot	floors	waterfront	view	condition	sqft_above	sqft_baseı
price	1.00	0.20	0.33	0.43	0.05	0.15	0.14	0.23	0.03	0.37	
bedrooms	0.20	1.00	0.55	0.59	0.07	0.18	-0.00	0.11	0.03	0.48	
bathrooms	0.33	0.55	1.00	0.76	0.11	0.49	0.08	0.21	-0.12	0.69	
sqft_living	0.43	0.59	0.76	1.00	0.21	0.34	0.12	0.31	-0.06	0.88	
sqft_lot	0.05	0.07	0.11	0.21	1.00	0.00	0.02	0.07	0.00	0.22	
floors	0.15	0.18	0.49	0.34	0.00	1.00	0.02	0.03	-0.28	0.52	-
waterfront	0.14	-0.00	0.08	0.12	0.02	0.02	1.00	0.36	0.00	0.08	
view	0.23	0.11	0.21	0.31	0.07	0.03	0.36	1.00	0.06	0.17	
condition	0.03	0.03	-0.12	-0.06	0.00	-0.28	0.00	0.06	1.00	-0.18	
sqft_above	0.37	0.48	0.69	0.88	0.22	0.52	0.08	0.17	-0.18	1.00	-
sqft_basement	0.21	0.33	0.30	0.45	0.03	-0.26	0.10	0.32	0.20	-0.04	
yr_built	0.02	0.14	0.46	0.29	0.05	0.47	-0.02	-0.06	-0.40	0.41	-
yr_renovated	-0.03	-0.06	-0.22	-0.12	-0.02	-0.23	0.01	0.02	-0.19	-0.16	
4											•

There are correlation for price to all columns with positive correlation and negative with year renovated

#### Plot histogram

In [14]: # Plot histogram grid
 df2.hist(figsize=(16,16), xrot=-45) ## Display the labels rotated by 45 degres
 s

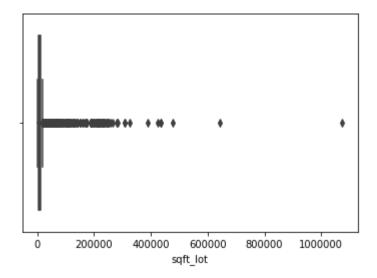
# Clear the text "residue"
 plt.show()



Using boxplot to see the outliers

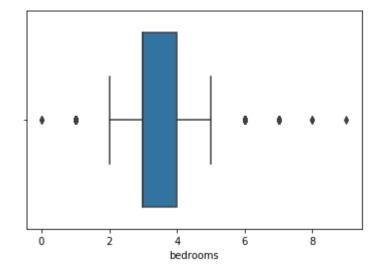
In [15]: sns.boxplot(df2.sqft\_lot)

Out[15]: <matplotlib.axes.\_subplots.AxesSubplot at 0x15f6c348>



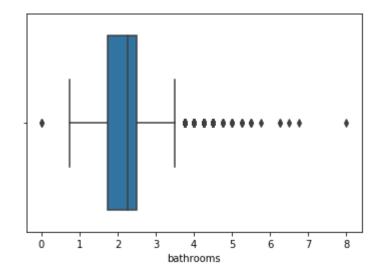
In [16]: sns.boxplot(df2.bedrooms)

Out[16]: <matplotlib.axes.\_subplots.AxesSubplot at 0x16e7c688>



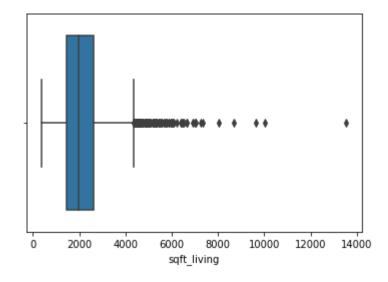
```
In [17]: sns.boxplot(df2.bathrooms)
```

Out[17]: <matplotlib.axes.\_subplots.AxesSubplot at 0x16ed2848>



```
In [18]: sns.boxplot(df2.sqft_living)
```

Out[18]: <matplotlib.axes.\_subplots.AxesSubplot at 0x167b54c8>



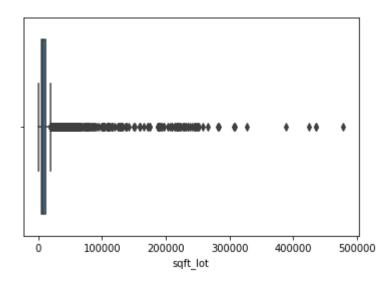
From the above it was seen that the sqft lot have so many outliers, so we need to do the cleaning by using filtering the data

#### Filtering the data and select the sqf lot below 500,000

It was seen that there are range so high

```
In [20]: df2 = df2[df.sqft_lot <= 500000]
    df2.shape
Out[20]: (4598, 14)
In [21]: sns.boxplot(df2.sqft_lot)</pre>
```

Out[21]: <matplotlib.axes.\_subplots.AxesSubplot at 0x16bd3948>



Now the outliers has reduced

### One hot encoder for category data

```
In [22]: import category_encoders as ce
    # create an object of the OneHotEncoder
    OHE = ce.OneHotEncoder(cols=['city'],use_cat_names=True)
    # encode the categorical variables
    df3 = OHE.fit_transform(df2)
```

In [23]: df3.info()

<class 'pandas.core.frame.DataFrame'>
Int64Index: 4598 entries, 0 to 4599
Data columns (total 57 columns):

# 	Columns (total 5/ columns	Non-Null Count	Dtype
0	price	4598 non-null	float64
1	bedrooms	4598 non-null	
2	bathrooms	4598 non-null	float64
3	sqft_living	4598 non-null	int64
4	sqft_lot	4598 non-null	int64
5	floors	4598 non-null	
6	waterfront	4598 non-null	
7	view	4598 non-null	
8	condition	4598 non-null	
9	sqft_above	4598 non-null	int64
10	sqft_basement	4598 non-null	int64
11	yr_built	4598 non-null	int64
12	yr_renovated	4598 non-null	
13	city_Shoreline	4598 non-null	
14	city_Seattle	4598 non-null	
15	city_Kent	4598 non-null	
16	city Bellevue	4598 non-null	int64
17	city_Redmond	4598 non-null	int64
18	city_Maple Valley	4598 non-null	int64
19	city_North Bend	4598 non-null	int64
20	city_Lake Forest Park	4598 non-null	int64
21	city_Sammamish	4598 non-null	
22	city_Auburn	4598 non-null	
23	city_Des Moines	4598 non-null	
24	city_Bothell	4598 non-null	
25	city_Federal Way	4598 non-null	int64
26	city_Kirkland	4598 non-null	int64
27	city_Issaquah	4598 non-null	int64
28	city_Woodinville	4598 non-null	
29	city_Normandy Park	4598 non-null	
30	city_Fall City	4598 non-null	int64
31	city_Renton	4598 non-null	int64
32	city_Carnation	4598 non-null	int64
33	city_Snoqualmie	4598 non-null	int64
34	city_Duvall	4598 non-null	int64
35	city_Burien	4598 non-null	int64
36	city_Covington	4598 non-null	int64
37	city_Inglewood-Finn Hill	4598 non-null	int64
38	city_Kenmore	4598 non-null	int64
39	city_Newcastle	4598 non-null	int64
40	city_Mercer Island	4598 non-null	int64
41	city_Black Diamond	4598 non-null	int64
42	city_Ravensdale	4598 non-null	int64
43	city_Clyde Hill	4598 non-null	int64
44	city_Algona	4598 non-null	int64
45	city_Skykomish	4598 non-null	int64
46	city_Tukwila	4598 non-null	int64
47	city_Vashon	4598 non-null	int64
48	city_Yarrow Point	4598 non-null	int64
49	city_SeaTac	4598 non-null	int64
50	city_Medina	4598 non-null	int64
51	city_Enumclaw	4598 non-null	int64

memory usage: 2.0 MB

```
52 city_Snoqualmie Pass
                               4598 non-null
                                               int64
53 city_Pacific
                               4598 non-null
                                               int64
54 city_Beaux Arts Village
                               4598 non-null
                                               int64
55 city_Preston
                               4598 non-null
                                               int64
56 city Milton
                               4598 non-null
                                               int64
dtypes: float64(4), int64(53)
```

#### Select the X and Y

```
In [24]: df3.iloc[:,:12].describe()
```

#### Out[24]:

	price	bedrooms	bathrooms	sqft_living	sqft_lot	floors	wat
count	4.598000e+03	4598.000000	4598.000000	4598.000000	4598.000000	4598.000000	4598.
mean	5.519002e+05	3.400826	2.160613	2139.127012	14485.896694	1.511962	0.
std	5.639402e+05	0.908505	0.783783	963.328580	30962.062220	0.538357	0.
min	0.000000e+00	0.000000	0.000000	370.000000	638.000000	1.000000	0.
25%	3.226250e+05	3.000000	1.750000	1460.000000	5000.250000	1.000000	0.
50%	4.604435e+05	3.000000	2.250000	1980.000000	7683.000000	1.500000	0.
75%	6.547125e+05	4.000000	2.500000	2620.000000	11000.000000	2.000000	0.
max	2.659000e+07	9.000000	8.000000	13540.000000	478288.000000	3.500000	1.
4							<b>•</b>

Need to do scaling the data using data scaler due to different in standard deviation and mean

```
In [25]: y = df3['price']
In [26]: X=df3.iloc[:, 1:57]
In [27]: X.shape
Out[27]: (4598, 56)
In [28]: y.shape
Out[28]: (4598,)
```

#### Use the datascaler

```
In [29]: from sklearn.preprocessing import StandardScaler
    scaler_x = StandardScaler()
    X_scaled = scaler_x.fit_transform(X)
```

```
In [30]: print(X scaled)
         [[-0.44124149 -0.84294362 -0.82963793 ... -0.01474901 -0.02086051
           -0.02086051]
          [ 1.76041708  0.43305795  1.56855858  ... -0.01474901 -0.02086051
           -0.020860511
          [-0.44124149 -0.20494284 -0.21711155 ... -0.01474901 -0.02086051
           -0.02086051]
          [-0.44124149 0.43305795 0.90412319 ... -0.01474901 -0.02086051
           -0.02086051]
          [ 0.6595878 -0.20494284 -0.0510027 ... -0.01474901 -0.02086051
           -0.02086051]
          [-0.44124149 0.43305795 -0.67391088 ... -0.01474901 -0.02086051
           -0.02086051]]
In [31]: X_scaled.shape
Out[31]: (4598, 56)
In [32]:
         y.shape
Out[32]: (4598,)
In [33]: y = y.values.reshape(-1,1)
In [34]: | scaler y = StandardScaler()
         y_scaled = scaler_y.fit_transform(y)
```

## Split the dataset

```
In [35]: X_train, X_test, y_train, y_test = train_test_split(X_scaled, y_scaled, test_s
ize = .25, random_state = 3)
```

## **Regression Model**

#### 1. Linear Regression as baseline

```
In [36]: from sklearn.linear_model import LinearRegression
    regressor = LinearRegression()
    regressor.fit(X_train, y_train)

Out[36]: LinearRegression(copy_X=True, fit_intercept=True, n_jobs=None, normalize=Fals
    e)

In [37]: y_pred_lin = regressor.predict(X_test)
```

```
In [38]: y train lin = regressor.predict(X train)
In [39]: | y_predict_lin = scaler_y.inverse_transform(y_pred_lin)
In [40]:
        y train linear = scaler y.inverse transform(y train lin)
In [41]:
        y_test_orig = scaler_y.inverse_transform(y_test)
In [42]: | y_train_orig = scaler_y.inverse_transform(y_train)
In [43]:
         print("Train Results for Linear regression:")
         print("*****************************")
         print("Root mean squared error: ", sqrt(mse(y_train_orig, y_train_linear)))
         print("R-squared: ", rs(y_train_orig, y_train_linear))
         print("Mean Absolute Error: ", mae(y_train_orig, y_train_linear))
         Train Results for Linear regression:
         **********
         Root mean squared error: 543776.6926778575
         R-squared: 0.23306523863088413
         Mean Absolute Error: 143356.0830687553
In [92]: RMSE_lin = sqrt(mse(y_train_orig, y_train_linear))
         R_square_lin = rs(y_train_orig, y_train_linear)
         MAE_lin = mae(y_train_orig, y_train_linear)
In [44]:
         print("Test Results for Linear regression:")
         print("*************************")
         print("Root mean squared error: ", sqrt(mse(y_test_orig, y_predict_lin)))
         print("R-squared: ", rs(y_test_orig, y_predict_lin))
         print("Mean Absolute Error: ", mae(y_test_orig, y_predict_lin))
         Test Results for Linear regression:
         **********
         Root mean squared error: 217349.7619004028
         R-squared: 0.5892605775944486
         Mean Absolute Error: 129180.659933383
```

## **Ridge Regression**

```
In [45]:
        000001}
        model Ridge = GridSearchCV(Ridge(), tuned params, scoring = 'neg mean absolute
         error', cv=10, n jobs=-1)
        model_Ridge.fit(X_train, y_train)
Out[45]: GridSearchCV(cv=10, error_score=nan,
                    estimator=Ridge(alpha=1.0, copy_X=True, fit_intercept=True,
                                   max iter=None, normalize=False, random state=Non
        e,
                                   solver='auto', tol=0.001),
                    iid='deprecated', n jobs=-1,
                    0,
                                        10000, 100000]},
                    pre_dispatch='2*n_jobs', refit=True, return_train_score=False,
                    scoring='neg mean absolute error', verbose=0)
In [46]: model Ridge.best estimator
Out[46]: Ridge(alpha=1000, copy X=True, fit intercept=True, max iter=None,
              normalize=False, random_state=None, solver='auto', tol=0.001)
In [47]: | ## Predict Train results
        y_train_ridge = model_Ridge.predict(X_train)
In [48]:
        ## Predict Test results
        y pred ridge = model Ridge.predict(X test)
In [49]:
        y_predict_ridge = scaler_y.inverse_transform(y_pred_ridge)
In [50]: y_train_ridg = scaler_y.inverse_transform(y_train_ridge)
In [51]:
        print("Train Results for Ridge regression:")
        print("*****************************")
        print("Root mean squared error: ", sqrt(mse(y_train_orig, y_train_ridg)))
        print("R-squared: ", rs(y train orig, y train ridg))
        print("Mean Absolute Error: ", mae(y_train_orig, y_train_ridg))
        Train Results for Ridge regression:
        **********
        Root mean squared error: 545922.5975553852
        R-squared: 0.22700018871270244
        Mean Absolute Error: 140999.8893371432
        RMSE_ridge = sqrt(mse(y_train_orig, y_train_ridg))
In [93]:
        R_square_ridge = rs(y_train_orig, y_train_ridg)
        MAE ridge = mae(y train orig, y train ridg)
```

```
In [52]: print("Test Results for Ridge regression:")
    print("******************************
    print("Root mean squared error: ", sqrt(mse(y_test_orig, y_predict_ridge)))
    print("R-squared: ", rs(y_test_orig, y_predict_ridge))
    print("Mean Absolute Error: ", mae(y_test_orig, y_predict_ridge))
```

Root mean squared error: 216476.82764744837

R-squared: 0.5925532289854684

Mean Absolute Error: 126089.03185500484

#### **Suport Vector**

```
In [53]:
         ## Building the model again with the best hyperparameters
         model_SVR = SVR(kernel='linear')
         model SVR.fit(X train, y train)
         C:\Users\BIrawan\Anaconda3\lib\site-packages\sklearn\utils\validation.py:760:
         DataConversionWarning: A column-vector y was passed when a 1d array was expec
         ted. Please change the shape of y to (n_samples, ), for example using ravel
         ().
           y = column or 1d(y, warn=True)
Out[53]: SVR(C=1.0, cache size=200, coef0=0.0, degree=3, epsilon=0.1, gamma='scale',
             kernel='linear', max_iter=-1, shrinking=True, tol=0.001, verbose=False)
In [54]:
         ## Predict Train results
         y train SVR = model SVR.predict(X train)
In [55]:
         ## Predict Test results
         y pred SVR = model SVR.predict(X test)
In [56]:
         y_predict_SVR= scaler_y.inverse_transform(y_pred_SVR)
In [57]: | y_trainSVR = scaler_y.inverse_transform(y_train_SVR)
In [58]:
         print("Train Results for Support Vector regression:")
         print("**********************************
         print("Root mean squared error: ", sqrt(mse(y_train_orig, y_trainSVR)))
         print("R-squared: ", rs(y_train_orig, y_trainSVR))
         print("Mean Absolute Error: ", mae(y_train_orig, y_trainSVR))
         Train Results for Support Vector regression:
         **********
         Root mean squared error: 548026.8147132694
         R-squared: 0.22102976653869932
         Mean Absolute Error: 131408.60806086232
```

#### **Random Forest**

```
tuned params = {'n estimators': [100, 200, 300, 400, 500], 'min samples split'
         : [2, 5, 10], 'min samples leaf': [1, 2, 4]}
         model RF = RandomizedSearchCV(RandomForestRegressor(), tuned params, n iter=20
         , scoring = 'neg mean absolute error', cv=5, n jobs=-1)
         model_RF.fit(X_train, y_train)
         C:\Users\BIrawan\Anaconda3\lib\site-packages\sklearn\model selection\ search.
         py:739: DataConversionWarning: A column-vector y was passed when a 1d array w
         as expected. Please change the shape of y to (n samples,), for example using
         ravel().
           self.best_estimator_.fit(X, y, **fit_params)
Out[60]: RandomizedSearchCV(cv=5, error_score=nan,
                            estimator=RandomForestRegressor(bootstrap=True,
                                                             ccp alpha=0.0,
                                                             criterion='mse',
                                                             max depth=None,
                                                             max features='auto',
                                                             max leaf nodes=None,
                                                             max samples=None,
                                                             min impurity decrease=0.0,
                                                             min_impurity_split=None,
                                                             min samples leaf=1,
                                                             min samples split=2,
                                                             min weight fraction leaf=
         0.0,
                                                             n estimators=100,
                                                             n_jobs=None, oob_score=Fal
         se,
                                                             random state=None, verbose
         =0,
                                                             warm start=False),
                            iid='deprecated', n iter=20, n jobs=-1,
                             param_distributions={'min_samples_leaf': [1, 2, 4],
                                                   'min_samples_split': [2, 5, 10],
                                                  'n estimators': [100, 200, 300, 400,
                                                                   500]},
                            pre_dispatch='2*n_jobs', random_state=None, refit=True,
                            return train score=False, scoring='neg mean absolute erro
         r',
                            verbose=0)
In [61]:
         model RF.best estimator
Out[61]: RandomForestRegressor(bootstrap=True, ccp alpha=0.0, criterion='mse',
                                max_depth=None, max_features='auto', max_leaf_nodes=Non
         e,
                                max samples=None, min impurity decrease=0.0,
                                min impurity split=None, min samples leaf=1,
                                min samples split=10, min weight fraction leaf=0.0,
                                n estimators=100, n jobs=None, oob score=False,
                                random_state=None, verbose=0, warm_start=False)
In [62]:
         ## Predict Train results
         y_train_RF = model_RF.predict(X_train)
```

```
In [63]: | ## Predict Test results
         y pred RF = model RF.predict(X test)
In [64]: y predict RF= scaler y.inverse transform(y pred RF)
In [65]: y trainRF = scaler y.inverse transform(y train RF)
In [66]: | print("Train Results for Random Forrest regression:")
         print("*************************")
         print("Root mean squared error: ", sqrt(mse(y_train_orig, y_trainRF)))
         print("R-squared: ", rs(y_train_orig, y_trainRF))
         print("Mean Absolute Error: ", mae(y_train_orig, y_trainRF))
         Train Results for Random Forrest regression:
         **********
         Root mean squared error: 359409.76897367387
         R-squared: 0.6649597381787381
         Mean Absolute Error: 83788.20857374588
In [95]: RMSE rf = sqrt(mse(y train orig, y trainRF))
         R_square_rf = rs(y_train_orig, y_trainRF)
         MAE rf = mae(y train orig, y trainRF)
In [67]: | print("Test Results for Random Forrest regression:")
         print("*************************")
         print("Root mean squared error: ", sqrt(mse(y_test_orig, y_predict_RF)))
         print("R-squared: ", rs(y_test_orig, y_predict_RF))
         print("Mean Absolute Error: ", mae(y test orig, y predict RF))
         Test Results for Random Forrest regression:
         **********
         Root mean squared error: 301957.37700281135
         R-squared: 0.20724436301074567
         Mean Absolute Error: 130711.47366073588
```

#### **Decission Tree**

```
In [68]: | tuned_params = {'min_samples_split': [2, 3, 4, 5, 7], 'min_samples_leaf': [1,
         2, 3, 4, 6], 'max_depth': [2, 3, 4, 5, 6, 7]}
         model DT = RandomizedSearchCV(DecisionTreeRegressor(), tuned params, n iter=20
         , scoring = 'neg mean absolute error', cv=10, n jobs=-1)
         model_DT.fit(X_train, y_train)
Out[68]: RandomizedSearchCV(cv=10, error score=nan,
                             estimator=DecisionTreeRegressor(ccp alpha=0.0,
                                                             criterion='mse',
                                                             max depth=None,
                                                             max_features=None,
                                                             max leaf nodes=None,
                                                             min impurity decrease=0.0,
                                                             min impurity split=None,
                                                             min samples leaf=1,
                                                             min samples split=2,
                                                             min_weight_fraction_leaf=
         0.0,
                                                             presort='deprecated',
                                                             random state=None,
                                                             splitter='best'),
                             iid='deprecated', n iter=20, n jobs=-1,
                             param_distributions={'max_depth': [2, 3, 4, 5, 6, 7],
                                                  'min_samples_leaf': [1, 2, 3, 4, 6],
                                                  'min_samples_split': [2, 3, 4, 5,
         7]},
                            pre_dispatch='2*n_jobs', random_state=None, refit=True,
                            return train score=False, scoring='neg mean absolute erro
         r',
                            verbose=0)
         model DT.best estimator
In [69]:
Out[69]: DecisionTreeRegressor(ccp_alpha=0.0, criterion='mse', max_depth=7,
                                max_features=None, max_leaf_nodes=None,
                                min impurity decrease=0.0, min impurity split=None,
                                min samples leaf=6, min samples split=5,
                                min weight fraction leaf=0.0, presort='deprecated',
                                random state=None, splitter='best')
In [70]: ## Predict Train results
         y train DT = model DT.predict(X train)
         ## Predict Test results
In [71]:
         y pred DT = model DT.predict(X test)
In [72]:
         y predict DT= scaler y.inverse transform(y pred DT)
In [73]: y_trainDT = scaler_y.inverse_transform(y_train_DT)
```

```
In [74]: | print("Train Results for Random Forrest regression:")
         print("***********************************
         print("Root mean squared error: ", sqrt(mse(y_train_orig, y_trainDT)))
         print("R-squared: ", rs(y_train_orig, y_trainDT))
         print("Mean Absolute Error: ", mae(y_train_orig, y_trainDT))
         Train Results for Random Forrest regression:
         **********
         Root mean squared error: 503441.21157148166
         R-squared: 0.3426225951880927
         Mean Absolute Error: 155599.49303935387
In [96]: RMSE_dt = sqrt(mse(y_train_orig, y_trainDT))
         R_square_dt = rs(y_train_orig, y_trainDT)
         MAE dt = mae(y train orig, y trainDT)
In [75]: print("Test Results for Support Vector regression:")
         print("**********************************
         print("Root mean squared error: ", sqrt(mse(y_test_orig, y_predict_DT)))
         print("R-squared: ", rs(y_test_orig, y_predict_DT))
         print("Mean Absolute Error: ", mae(y_test_orig, y_predict_DT))
         Test Results for Support Vector regression:
         Root mean squared error: 367929.44616630883
         R-squared: -0.17700184590625723
         Mean Absolute Error: 169146.10620063593
```

#### **KNN**

```
In [76]: # creating odd list of K for KNW
    neighbors = list(range(1,50,2))
    # empty list that will hold cv scores
    cv_scores = []

# perform 10-fold cross validation
    for k in neighbors:
        knn = KNeighborsRegressor(n_neighbors=k)
        scores = cross_val_score(knn, X_train, y_train, cv=10, scoring='neg_mean_a
    bsolute_error')
    cv_scores.append(scores.mean())

# changing to misclassification error
    MSE = [1 - x for x in cv_scores]

# determining best k
    optimal_k = neighbors[MSE.index(min(MSE))]
    print('\nThe optimal number of neighbors is %d.' % optimal_k)
```

The optimal number of neighbors is 5.

```
model KNN = KNeighborsRegressor(n neighbors = optimal k)
In [77]:
         model KNN.fit(X train, y train)
Out[77]: KNeighborsRegressor(algorithm='auto', leaf size=30, metric='minkowski',
                             metric params=None, n jobs=None, n neighbors=5, p=2,
                             weights='uniform')
In [78]: ## Predict Train results
         y_train_KNN = model_KNN.predict(X_train)
         ## Predict Test results
In [79]:
         y_pred_KNN = model_KNN.predict(X_test)
In [80]:
         y_predict_KNN= scaler_y.inverse_transform(y_pred_KNN)
In [81]: | y_trainKNN = scaler_y.inverse_transform(y_train_KNN)
In [82]:
         print("Train Results for KNN regression:")
         print("************************")
         print("Root mean squared error: ", sqrt(mse(y_train_orig, y_trainKNN)))
         print("R-squared: ", rs(y_train_orig, y_trainKNN))
         print("Mean Absolute Error: ", mae(y_train_orig, y_trainKNN))
         Train Results for KNN regression:
         Root mean squared error: 475448.93609199184
         R-squared: 0.41369310089289824
         Mean Absolute Error: 120781.00356891201
In [97]: RMSE_knn = sqrt(mse(y_train_orig, y_trainKNN))
         R_square_knn = rs(y_train_orig, y_trainKNN)
         MAE_knn = mae(y_train_orig, y_trainKNN)
In [83]:
         print("Test Results for KNN regression:")
         print("*************************")
         print("Root mean squared error: ", sqrt(mse(y_test_orig, y_predict_KNN)))
         print("R-squared: ", rs(y_test_orig, y_predict_KNN))
         print("Mean Absolute Error: ", mae(y_test_orig, y_predict_KNN))
         Test Results for KNN regression:
         ***********
         Root mean squared error: 293743.8430326016
         R-squared: 0.24978525557596376
         Mean Absolute Error: 133455.36335048106
```

# Lasso Regression

```
In [84]:
         model LS = GridSearchCV(Lasso(), tuned params, scoring = 'neg mean absolute er
         ror', cv=20, n_jobs=-1)
         model_LS.fit(X_train, y_train)
Out[84]: GridSearchCV(cv=20, error score=nan,
                     estimator=Lasso(alpha=1.0, copy_X=True, fit_intercept=True,
                                    max_iter=1000, normalize=False, positive=False,
                                    precompute=False, random state=None,
                                    selection='cyclic', tol=0.0001, warm start=Fals
         e),
                     iid='deprecated', n_jobs=-1,
                     0,
                                          10000, 100000]},
                     pre dispatch='2*n jobs', refit=True, return train score=False,
                     scoring='neg mean absolute error', verbose=0)
In [85]: model LS.best estimator
Out[85]: Lasso(alpha=0.01, copy X=True, fit intercept=True, max iter=1000,
               normalize=False, positive=False, precompute=False, random state=None,
               selection='cyclic', tol=0.0001, warm start=False)
In [86]:
         ## Predict Train results
         y train LS = model LS.predict(X train)
In [87]: | ## Predict Test results
          y pred LS = model LS.predict(X test)
In [88]: | y_predict_LS= scaler_y.inverse_transform(y_pred_LS)
In [89]: | y_trainLS = scaler_y.inverse_transform(y_train_LS)
In [98]: | print("Train Results for Lasso regression:")
         print("*****************************")
         print("Root mean squared error: ", sqrt(mse(y train orig, y trainLS)))
         print("R-squared: ", rs(y_train_orig, y_trainLS))
         print("Mean Absolute Error: ", mae(y_train_orig, y_trainLS))
         Train Results for Lasso regression:
         Root mean squared error: 544980.8625046085
         R-squared: 0.22966479040177779
         Mean Absolute Error: 142639.46170476923
In [100]:
         RMSE_ls = sqrt(mse(y_train_orig, y_trainLS))
         R square ls = rs(y train orig, y trainLS)
         MAE_ls = mae(y_train_orig, y_trainLS)
```

#### CREATE TABLE OF COMPARISSON FOR ALL MODELS

```
Model Name
                              RMSE R-Squared
                                                         MAE
  Linear Regression 543776.692678
                                     0.233065 143356.083069
1
   Ridge Regression 545922.597555
                                     0.227000 140999.889337
     Support Vector 548026.814713
                                               131408.608061
2
                                     0.221030
3
     Random Forrest 359409.768974
                                     0.664960
                                               83788.208574
                KNN 475448.936092
                                     0.413693 120781.003569
4
5
                                     0.229665 142639.461705
              Lasso 544980.862505
```

```
In [110]: df_comp.sort_values(by='R-Squared', ascending=False )
```

#### Out[110]:

	Model Name	RMSE	R-Squared	MAE
3	Random Forrest	359409.768974	0.664960	83788.208574
4	KNN	475448.936092	0.413693	120781.003569
0	Linear Regression	543776.692678	0.233065	143356.083069
5	Lasso	544980.862505	0.229665	142639.461705
1	Ridge Regression	545922.597555	0.227000	140999.889337
2	Support Vector	548026.814713	0.221030	131408.608061

#### CONCLUSSION

From the above table it was shown that the Random Forrest is the best regression model on predicting the housing price in Boston dataset, due to :

- 1. highest score in R-squared
- 2. Lowest score in RMSE and MAE

Further improvement:

1. Using L1 and L2

Furthermore, the pipeline model can be made using random forest