LAPORAN PRAKTIKUM 5 Analisis Algoritma



Disusun oleh:

Asep Budiyana Muharam 140810180029

PROGRAM STUDI S1 TEKNIK INFORMATIKA FAKULTAS MATEMATIKA DAN ILMU PENGETAHUAN ALAM UNIVERSITAS PADJADJARAN 2020

Studi Kasus 5: Mencari Pasangan Titik Terdekat (Closest Pair of Points)

1. Buatlah program untuk menyelesaikan problem closest pair of points menggunakan algoritma divide & conquer yang diberikan. Gunakan bahasa C++.

*closest-pair-of-points.cpp

```
#include <iostream>
#include <float.h>
#include <math.h>
using namespace std;
struct Point
int compareX(const void* a, const void* b)
int compareY(const void* a, const void* b)
   return sqrt(pow(p1.x-p2.x, 2) + pow(p1.y-p2.y, 2));
float bruteForce(Point P[], int n)
            if (distance(P[i], P[j]) < min)</pre>
                min = distance(P[i], P[j]);
```

```
float stripClosest(Point strip[], int size, float d)
       for (int j = i+1; j < size && (strip[j].y - strip[i].y) < min; ++j)
            if (distance(strip[i], strip[j]) < min)</pre>
               min = distance(strip[i], strip[j]);
float closestUtil(Point Px[], Point Py[], int n)
   int mid = n/2;
   Point mid point = Px[mid];
       if (Py[i].x <= mid_point.x)</pre>
           Pyl[li++] = Py[i];
            Pyr[ri++] = Py[i];
   Point strip[n];
       if (abs(Py[i].x-mid_point.x) < d)</pre>
            strip[j] = Py[i], j++;
   return min(d, stripClosest(strip, j, d));
```

```
Tugas 5
```

```
float closest(Point P[], int n)
{
    Point Px[n];
    Point Py[n];
    for (int i = 0; i < n; i++) {
        Px[i] = P[i];
        Py[i] = P[i];
    }

    qsort(Px, n, sizeof(Point), compareX);
    qsort(Py, n, sizeof(Point), compareY);

    return closestUtil(Px, Py, n);
}

int main()
{
    Point P[] = {{4, 1}, {15, 20}, {30, 40}, {8, 4}, {13, 11}, {5, 6}};
    int n = sizeof(P)/sizeof(P[0]);
    cout<< "Jarak terkecil adalah "<<closest(P, n);
    return 0;
}</pre>
```

2. Tentukan rekurensi dari algoritma tersebut, dan selesaikan rekurensinya menggunakan metode recursion tree untuk membuktikan bahwa algoritma tersebut memiliki Big-O (n lg n)

```
(5) Closest Phir of Points whenhys; summer the deliver dun set 1

Algorithma closest payor of points' whenhys; summer the deliver dun set 1

Ann social returbly minimaged dun set ... 2 T (N/2)

Missionation array Stop ... O(n)

Michiganithma array Stop ... O(n)

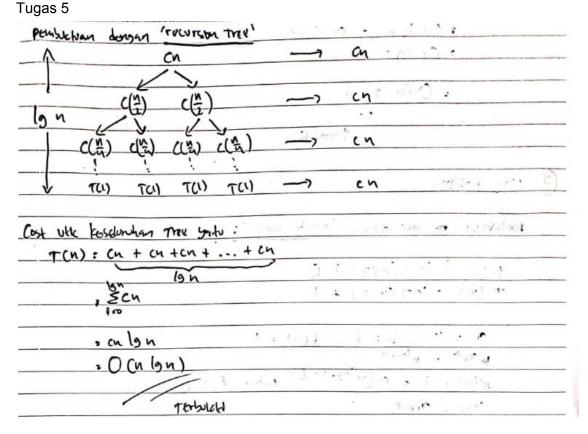
Michiganithma title desputest deliver gray stop ... O(n)

Moreover returns: dair algorithma title cardiali:

T(n): 2T(n/2) + O(n) + O(n) + O(n)

T(n): 2T(n/2) + O(n)

+ (n): 2T(n/2) + O(n)
```



Studi Kasus 6: Algoritma Karatsuba untuk Perkalian Cepat

 Buatlah program untuk menyelesaikan problem fast multiplication menggunakan algoritma divide & conquer yang diberikan (Algoritma Karatsuba). Gunakan bahasa C++

*karatsuba.cpp

```
#include <iostream>
using namespace std;

int equalyzingLength(string& str1, string& str2)
{
   int len1 = str1.size();
   int len2 = str2.size();
   if (len1 < len2) {
      for (int i = 0; i < len2 - len1; i++)
            str1 = '0' + str1;
      return len2;
   } else if (len1 > len2) {
      for (int i = 0; i < len1 - len2; i++)
            str2 = '0' + str2;
   }
   return len1;
}
string addBit(string first, string second)</pre>
```

Tugas 5

```
int length = equalyzingLength(first, second);
int multiplySingleBit(string a, string b)
.ong int multiply(string X, string Y)
   int n = equalyzingLength(X, Y);
   if (n == 1) return multiplySingleBit(X, Y);
   long int P1 = multiply(X1, Y1);
   long int P2 = multiply(Xr, Yr);
   long int P3 = multiply(addBit(X1, Xr), addBit(Y1, Yr));
```

```
int main()
{
    cout<<multiply("101001", "101010")<<endl;
    return 0;
}</pre>
```

2. Rekurensi dari algoritma tersebut adalah T (n) = 3T (n / 2) + O (n), dan selesaikan rekurensinya menggunakan metode substitusi untuk membuktikan bahwa algoritma tersebut memiliki Big-O (n lg n)

```
From the Potential Copy of Production Copy of Production reference dough sustitution

T(N) = 3T(N/2) + O(N)
T(N) = 3T(N/2) + CN
T(N) \leq 3\left(\frac{N}{2}\right) \cdot 19\left(\frac{N}{2}\right) + CN
\leq 2\left(\frac{N}{2}\right) \cdot 19\left(\frac{N}{2}\right) + CN
= (n \cdot 19 \cdot n - cn \cdot 19 \cdot 2 + CN
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n - cn + CN)
= (n \cdot 19 \cdot n
```

Studi Kasus 7: Permasalahan Tata Letak Keramik Lantai (Tiling Problem)

 Buatlah program untuk menyelesaikan problem tiling menggunakan algoritma divide & conquer yang diberikan. Gunakan bahasa C++ *tiling-problem.cpp

```
#include <iostream>
#include <fstream>
#include <cstdlib>
#include <ctime>
#include <cmath>
#include <climits>
using namespace std;
```

```
int ** tromino_tile;
int power_2(int k)
           tromino tile[i][j] = -1;
           if (tromino tile[i][j] == 100)
               cout<<"\t"<<tromino tile[i][j];</pre>
void free_memory(int n)
```

Tugas 5

```
if (hole_row < x + half && hole_col < y + half) {</pre>
    tromino tile[x + half][y + half - 1] = i;
    tromino tile[x + half][y + half] = i;
    tromino tile[x + half - 1][y + half - 1] = i;
    tromino tile[x + half - 1][y + half] = i;
    tromino tile[x + half][y + half] = i;
    tromino tile[x + half][y + half - 1] = i;
    tromino tile[x + half - 1][y + half - 1] = i;
```

```
trominoTile(half, x + half, y + half, x + half, y + half);
        trominoTile(half, hole row, hole col, x, y + half);
        tromino tile[x + half - 1][y + half] = i;
        tromino tile[x + half - 1][y + half - 1] = i;
        tromino tile[x + half][y + half - 1] = i;
        tromino tile[x + half - 1][y + half - 1] = i;
srand(time(NULL));
```

```
cout<<"\nThe <jumlah baris> dan <jumlah kolom> harus positive

dan integer\n";
    else {
        int n = power_2(k);

        if (n >= hole_row && n >= hole_col) {
            hole_row--;
            hole_col--;

        allocate(n, hole_row, hole_col);

        trominoTile(n, hole_row, hole_col, 0, 0);
        print_tromino(n);
        free_memory(n);
        }
        else
            cout<<"\nBaris dan Kolom tidak boleh lebih dari 2^k\n";
        }
    }
    return 0;
}</pre>
```

2. Relasi rekurensi untuk algoritma rekursif di atas dapat ditulis seperti di bawah ini. C adalah konstanta. T (n) = 4T (n / 2) + C. Selesaikan rekurensi tersebut dengan Metode Master.

```
Pontablican returns; down 'metable master'

t(n) = 4 + (n/2) + C

t(n) = 6 + (n/2)

t(n) = 6 + (n/2)

t(n) = 6 + (n/2)

t(n) = 6 + (n/2)
```