

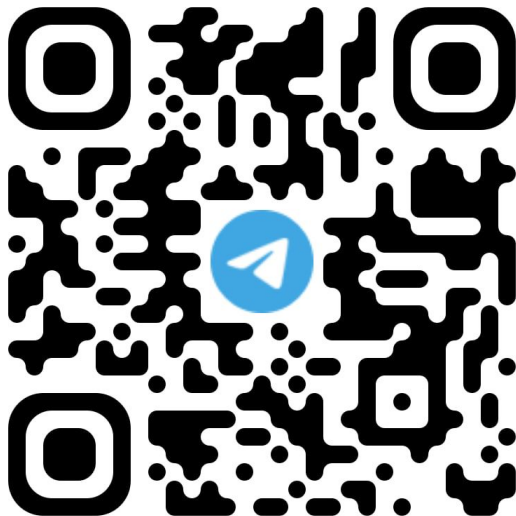
Burrows-Wheeler Transform

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MIPT

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Telegram Chat



- Alphabet $\{a_1, a_2, \dots, a_A\}$
- String $S: s_1 s_2 \dots s_k$
- Substring $S[i : j]: s_i s_{i+1} \dots s_{j-1}$
- Prefix $S[: j]: s_1 s_2 \dots s_j$
- Suffix $S[j :]: s_j s_{j+1} \dots s_k$

Pattern Matching Task

Input:

- String $S : s_1 s_2 \dots s_n$
- String P (pattern): $p_1 p_2 \dots p_m, m \leq n$

Output:

- Substring $S[i : j]$: $S[i, j] = P$.

Suffix Tree

index	suffix
6	\$
5	A\$
2	AABA\$
3	ABA\$
0	ABAABA\$
4	BA\$
1	BAABA\$

Suffix Tree



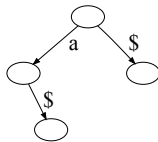
index	suffix
6	\$
5	A\$
2	AABA\$
3	ABA\$
0	ABAABA\$
4	BA\$
1	BAABA\$

Suffix Tree



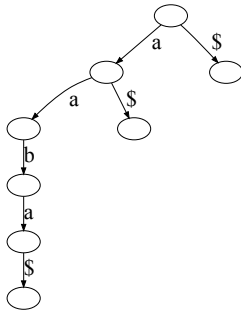
index	suffix
6	\$
5	A\$
2	AABA\$
3	ABA\$
0	ABAABA\$
4	BA\$
1	BAABA\$

Suffix Tree



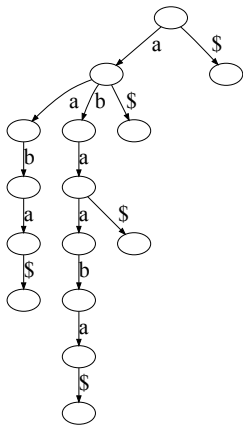
index	suffix
6	\$
5	A\$
2	AABA\$
3	ABA\$
0	ABAABA\$
4	BA\$
1	BAABA\$

Suffix Tree



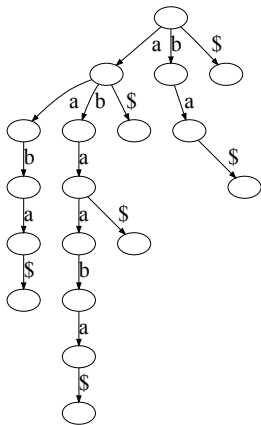
index	suffix
6	\$
5	A\$
2	AABA\$
3	ABA\$
0	ABAABA\$
4	BA\$
1	BAABA\$

Suffix Tree



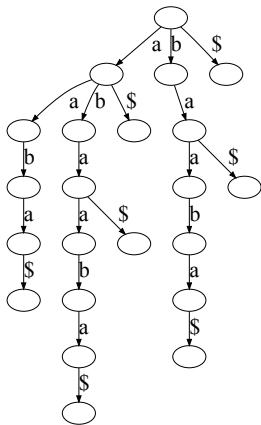
index	suffix
6	\$
5	A\$
2	AABA\$
3	ABA\$
0	ABAABA\$
4	BA\$
1	BAABA\$

Suffix Tree



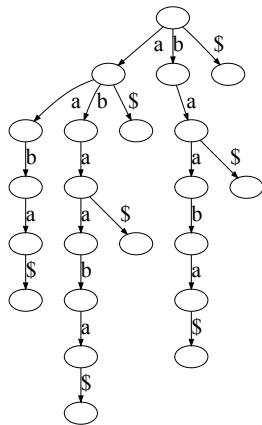
index	suffix
6	\$
5	A\$
2	AABA\$
3	ABA\$
0	ABAABA\$
4	BA\$
1	BAABA\$

Suffix Tree



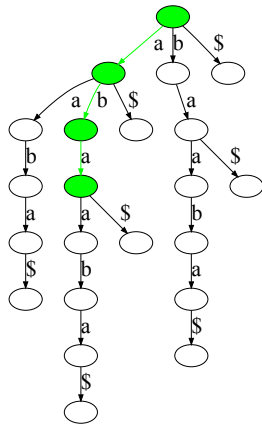
index	suffix
6	\$
5	A\$
2	AABA\$
3	ABA\$
0	ABAABA\$
4	BA\$
1	BAABA\$

Suffix Tree: finding pattern



$P = ABA$

Suffix Tree: finding pattern



$P = ABA$

Burrows-Wheeler Transform

$S : ABAABA\$$ (\$ - end of string)

Burrows-Wheeler Transform

\$ A B A A B A

$S : ABAABA\$$ (\$ - end of string) $\xrightarrow{\text{Rotations}}$

Burrows-Wheeler Transform

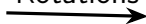
\$	A	B	A	A	B	A
A	\$	A	B	A	A	B

$S : ABAABA\$$ (\$ - end of string) $\xrightarrow{\text{Rotations}}$

Burrows-Wheeler Transform

$S : ABAABA\$$ (\$ - end of string)

Rotations

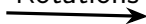


\$	A	B	A	A	B	A
A	\$	A	B	A	A	B
B	A	\$	A	B	A	A

Burrows-Wheeler Transform

$S : ABAABA\$$ (\$ - end of string)

Rotations



\$	A	B	A	A	B	A
A	\$	A	B	A	A	B
B	A	\$	A	B	A	A
A	B	A	\$	A	B	A

Burrows-Wheeler Transform


$S : ABAABA\$$ (\$ - end of string)

Rotations
→

\$	A	B	A	A	B	A
A	\$	A	B	A	A	B
B	A	\$	A	B	A	A
A	B	A	\$	A	B	A
A	A	B	A	\$	A	B

Burrows-Wheeler Transform

$S : ABAABA\$$ (\$ - end of string)

Rotations


\$	A	B	A	A	B	A
A	\$	A	B	A	A	B
B	A	\$	A	B	A	A
A	B	A	\$	A	B	A
A	A	B	A	\$	A	B
B	A	A	B	A	\$	A

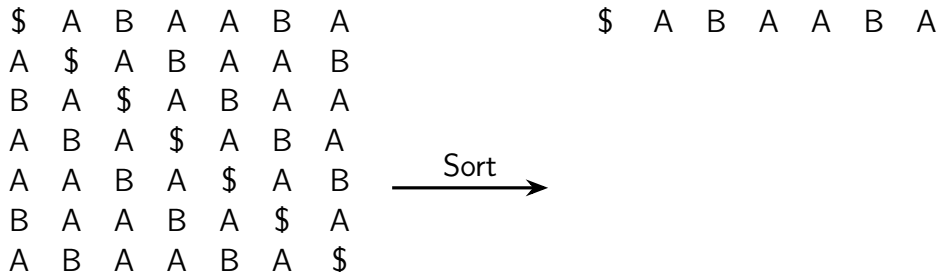
Burrows-Wheeler Transform

$S : ABAABA\$$ (\$ - end of string)

Rotations
→

\$	A	B	A	A	B	A
A	\$	A	B	A	A	B
B	A	\$	A	B	A	A
A	B	A	\$	A	B	A
A	A	B	A	\$	A	B
B	A	A	B	A	\$	A
A	B	A	A	B	A	\$

Burrows-Wheeler Transform: how to build



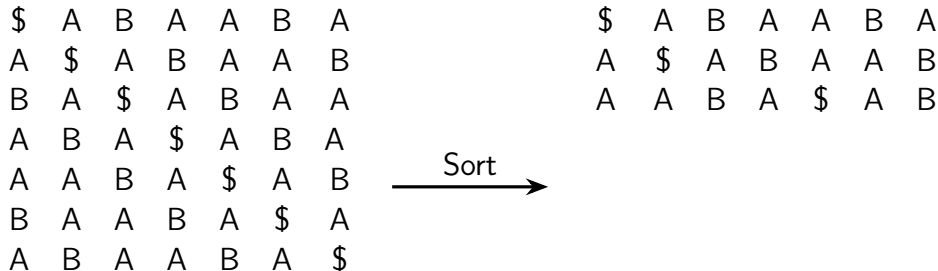
Burrows-Wheeler Transform: how to build

\$	A	B	A	A	B	A
A	\$	A	B	A	A	B
B	A	\$	A	B	A	A
A	B	A	\$	A	B	A
A	A	B	A	\$	A	B
B	A	A	B	A	\$	A
A	B	A	A	B	A	\$

Sort
→

\$	A	B	A	A	B	A
A	\$	A	B	A	A	B

Burrows-Wheeler Transform: how to build



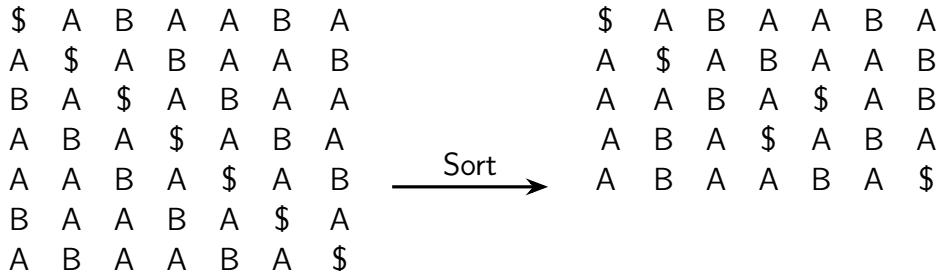
Burrows-Wheeler Transform: how to build

\$	A	B	A	A	B	A
A	\$	A	B	A	A	B
B	A	\$	A	B	A	A
A	B	A	\$	A	B	A
A	A	B	A	\$	A	B
B	A	A	B	A	\$	A
A	B	A	A	B	A	\$

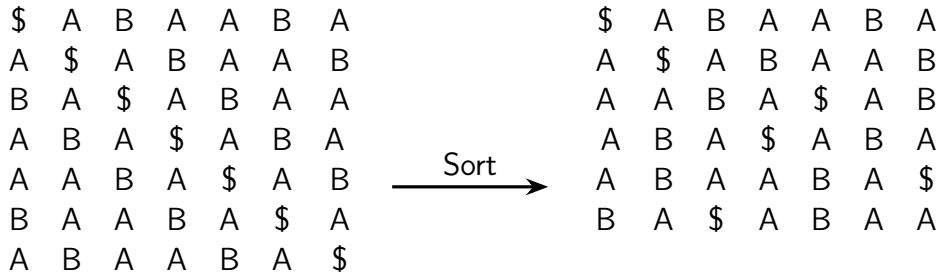
Sort
→

\$	A	B	A	A	B	A
A	\$	A	B	A	A	B
A	A	B	A	\$	A	B
A	B	A	\$	A	B	A

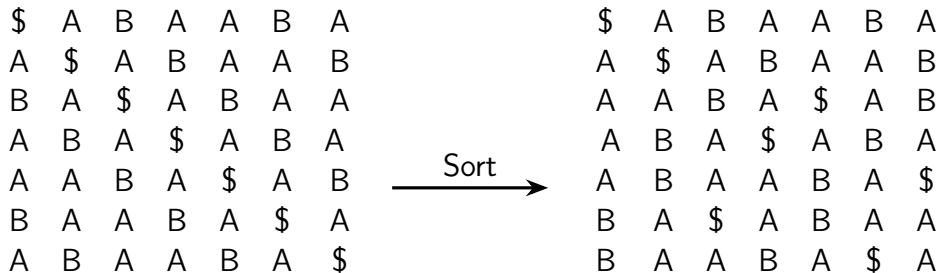
Burrows-Wheeler Transform: how to build



Burrows-Wheeler Transform: how to build



Burrows-Wheeler Transform: how to build



Burrows-Wheeler Transform: how to build

\$	A	B	A	A	B	A
A	\$	A	B	A	A	B
B	A	\$	A	B	A	A
A	B	A	\$	A	B	A
A	A	B	A	\$	A	B
B	A	A	B	A	\$	A
A	B	A	A	B	A	\$

Sort
→

\$ A B A A B A

Burrows-Wheeler Transform: how to build

\$	A	B	A	A	B	A
A	\$	A	B	A	A	B
B	A	\$	A	B	A	A
A	B	A	\$	A	B	A
A	A	B	A	\$	A	B
B	A	A	B	A	\$	A
A	B	A	A	B	A	\$

Sort
→

\$	A	B	A	A	B	A
A	\$	A	B	A	A	B

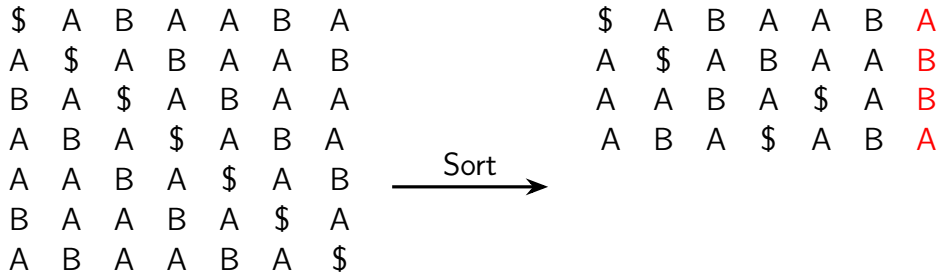
Burrows-Wheeler Transform: how to build

\$	A	B	A	A	B	A
A	\$	A	B	A	A	B
B	A	\$	A	B	A	A
A	B	A	\$	A	B	A
A	A	B	A	\$	A	B
B	A	A	B	A	\$	A
A	B	A	A	B	A	\$

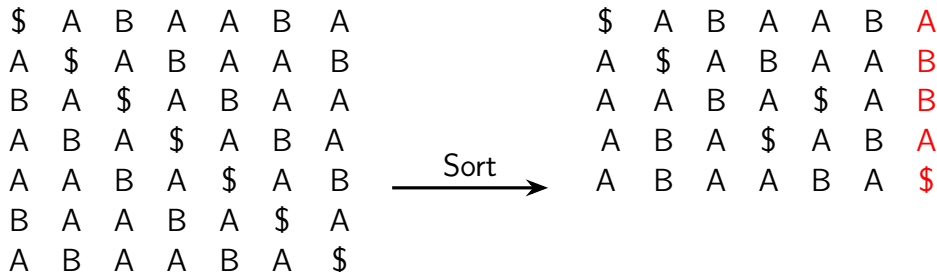
Sort
→

\$	A	B	A	A	B	A
A	\$	A	B	A	A	B
A	A	B	A	\$	A	B

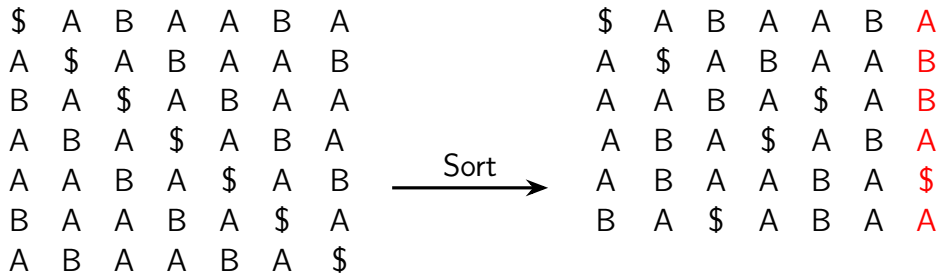
Burrows-Wheeler Transform: how to build



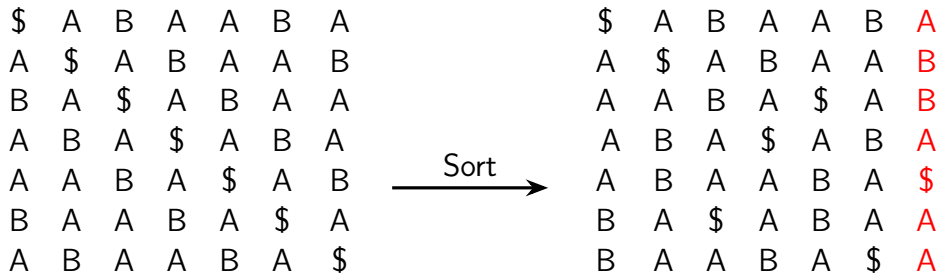
Burrows-Wheeler Transform: how to build



Burrows-Wheeler Transform: how to build



Burrows-Wheeler Transform: how to build



BWT compressing

$S = ABAABA\$$

$BWT(S) = ABBA\$AA$

BWT compressing

$S = ABAABA\$$

$BWT(S) = ABBA\$AA$

Let us code with RLE:

- 1 A
- 2 B
- 1 \$
- 2 A

BWT compressing

$S = ABAABA\$$

$BWT(S) = ABBA\$AA$

Let us code with RLE:

- 1 A
- 2 B
- 1 \$
- 2 A

We will get string:

1A2B1\$2A

BWT: reversing: T ranking

Enumerate letters in the word S :

$$S = A_0B_0A_1A_2B_1A_3\$$$

BWT with T ranking

$S = A_0B_0A_1A_2B_1A_3\$$

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
B ₁	A	\$	A	B	A	A ₂
A ₂	B	A	\$	A	B	A ₁
A ₁	A	B	A	\$	A	B ₀
B ₀	A	A	B	A	\$	A ₀
A ₀	B	A	A	B	A	\$

Sort →

\$ A B A A B A₃

BWT with T ranking

$S = A_0B_0A_1A_2B_1A_3\$$

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
B ₁	A	\$	A	B	A	A ₂
A ₂	B	A	\$	A	B	A ₁
A ₁	A	B	A	\$	A	B ₀
B ₀	A	A	B	A	\$	A ₀
A ₀	B	A	A	B	A	\$

Sort →

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁

BWT with T ranking

$S = A_0B_0A_1A_2B_1A_3\$$

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
B ₁	A	\$	A	B	A	A ₂
A ₂	B	A	\$	A	B	A ₁
A ₁	A	B	A	\$	A	B ₀
B ₀	A	A	B	A	\$	A ₀
A ₀	B	A	A	B	A	\$

Sort →

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
A ₁	A	B	A	\$	A	B ₀

BWT with T ranking

$S = A_0B_0A_1A_2B_1A_3\$$

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
B ₁	A	\$	A	B	A	A ₂
A ₂	B	A	\$	A	B	A ₁
A ₁	A	B	A	\$	A	B ₀
B ₀	A	A	B	A	\$	A ₀
A ₀	B	A	A	B	A	\$

Sort →

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
A ₁	A	B	A	\$	A	B ₀
A ₂	B	A	\$	A	B	A ₁

BWT with T ranking

$S = A_0B_0A_1A_2B_1A_3\$$

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
B ₁	A	\$	A	B	A	A ₂
A ₂	B	A	\$	A	B	A ₁
A ₁	A	B	A	\$	A	B ₀
B ₀	A	A	B	A	\$	A ₀
A ₀	B	A	A	B	A	\$

Sort →

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
A ₁	A	B	A	\$	A	B ₀
A ₂	B	A	\$	A	B	A ₁
A ₀	B	A	A	B	A	\$

BWT with T ranking

$S = A_0B_0A_1A_2B_1A_3\$$

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
B ₁	A	\$	A	B	A	A ₂
A ₂	B	A	\$	A	B	A ₁
A ₁	A	B	A	\$	A	B ₀
B ₀	A	A	B	A	\$	A ₀
A ₀	B	A	A	B	A	\$

Sort →

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
A ₁	A	B	A	\$	A	B ₀
A ₂	B	A	\$	A	B	A ₁
A ₀	B	A	A	B	A	\$
B ₁	A	\$	A	B	A	A ₂

BWT with T ranking

$S = A_0B_0A_1A_2B_1A_3\$$

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
B ₁	A	\$	A	B	A	A ₂
A ₂	B	A	\$	A	B	A ₁
A ₁	A	B	A	\$	A	B ₀
B ₀	A	A	B	A	\$	A ₀
A ₀	B	A	A	B	A	\$

Sort →

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
A ₁	A	B	A	\$	A	B ₀
A ₂	B	A	\$	A	B	A ₁
A ₀	B	A	A	B	A	\$
B ₁	A	\$	A	B	A	A ₂
B ₀	A	A	B	A	\$	A ₀

BWT: LF mapping

$$S = A_0B_0A_1A_2B_1A_3\$$$

\$	A	B	A	A	B	A_3
A_3	\$	A	B	A	A	B_1
A_1	A	B	A	\$	A	B_0
A_2	B	A	\$	A	B	A_1
A_0	B	A	A	B	A	\$
B_1	A	\$	A	B	A	A_2
B_0	A	A	B	A	\$	A_0

BWT: LF mapping

$$S = A_0B_0A_1A_2B_1A_3\$$$

\$	A	B	A	A	B	A_3
A_3	\$	A	B	A	A	B_1
A_1	A	B	A	\$	A	B_0
A_2	B	A	\$	A	B	A_1
A_0	B	A	A	B	A	\$
B_1	A	\$	A	B	A	A_2
B_0	A	A	B	A	\$	A_0

Last-First mapping

BWT: LF mapping: ordering

$$S = A_0B_0A_1A_2B_1A_3\$$$

\$	A	B	A	A	B	A_3
A_3	\$	A	B	A	A	B_1
A_1	A	B	A	\$	A	B_0
A_2	B	A	\$	A	B	A_1
A_0	B	A	A	B	A	\$
B_1	A	\$	A	B	A	A_2
B_0	A	A	B	A	\$	A_0

BWT: LF mapping: ordering

$$S = A_0B_0A_1A_2B_1A_3\$$$

\$	A	B	A	A	B	A_3
A_3	\$	A	B	A	A	B_1
A_1	A	B	A	\$	A	B_0
A_2	B	A	\$	A	B	A_1
A_0	B	A	A	B	A	\$
B_1	A	\$	A	B	A	A_2
B_0	A	A	B	A	\$	A_0

Same ordering!

BWT: LF mapping: ordering

$$S = A_0B_0A_1A_2B_1A_3\$$$

\$	A	B	A	A	B	A ₃
A ₃	\$	A	B	A	A	B ₁
A ₁	A	B	A	\$	A	B ₀
A ₂	B	A	\$	A	B	A ₁
A ₀	B	A	A	B	A	\$
B ₁	A	\$	A	B	A	A ₂
B ₀	A	A	B	A	\$	A ₀

Same ordering!

BWT: LF mapping: B-ranking

$$S = A_0B_0A_1A_2B_1A_3\$$$

\$	A	B	A	A	B	A_0
A_0	\$	A	B	A	A	B_0
A_1	A	B	A	\$	A	B_1
A_2	B	A	\$	A	B	A_1
A_3	B	A	A	B	A	\$
B_0	A	\$	A	B	A	A_2
B_1	A	A	B	A	\$	A_3

Sort letters by ascending order in First column.

Important remark!

We have built the FM index!

BWT: reversing from Fm index

$$S = A_0B_0A_1A_2B_1A_3\$$$

Idea

For each letter in F column we can get the previous letter in corresponding L column.

Question?

What is the last letter in S?

BWT: reversing

Starting from \$.

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

How to get string row with A_0 ?

BWT: reversing

Starting from \$.

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

How to get string row with A_0 ?

Answer

Rows in F are sorted in lexicographical order.

$Index(A_0) = 1 + 0$

- 1 - for \$
- 0 - index of A_0

BWT: reversing - Step 2

$\$A_0.$

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

How to get string row with B_0 ?

BWT: reversing - Step 2

$\$A_0.$

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

How to get string row with B_0 ?

Answer

$$\text{Index}(B_0) = 1 + 4 + 0 = 5$$

- 1 - for \$
- 4 - number of A-s
- 0 - index of B_0

BWT: reversing - Step 2

$\$A_0B_0.$

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

How to get string row with A_2 ?

BWT: reversing - Step 2

$\$A_0B_0.$

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

How to get string row with A_2 ?

Answer

$Index(A_2) = 1 + 2 = 3$

- 1 - for \$
- 2 - index of A_2

BWT: reversing - Step 3

$\$A_0B_0A_2.$

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

How to get string row with A_1 ?

BWT: reversing - Step 3

$\$A_0B_0A_2.$

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

How to get string row with A_1 ?

Answer

$Index(A_1) = 1 + 1 = 2$

- 1 - for \$
- 1 - index of A_1

BWT: reversing - Step 4

$\$A_0B_0A_2A_1.$

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

How to get string row with B_1 ?

BWT: reversing - Step 4

$\$A_0B_0A_2A_1.$

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

How to get string row with B_1 ?

Answer

$$\text{Index}(A_1) = 1 + 4 + 1 = 6$$

- 1 - for \$
- 4 - number of A-s
- 1 - index of B_1

BWT: reversing - Step 5

$\$A_0B_0A_2A_1B_1.$

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

How to get string row with A_3 ?

BWT: reversing - Step 5

$\$A_0B_0A_2A_1B_1.$

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

How to get string row with A_3 ?

Answer

$Index(A_1) = 1 + 3 = 4$

- 1 - for \$
- 3 - index of A_3

BWT: reversing - Step 5

$\$A_0B_0A_2A_1B_1A_3.$

$\$ \quad A_0$

$A_0 \quad B_0$

$A_1 \quad B_1$

$A_2 \quad A_1$

$A_3 \quad \$$

$B_0 \quad A_2$

$B_1 \quad A_3$

Question

Have we finished?

BWT: reversing - Step 5

$\$A_0B_0A_2A_1B_1A_3.$

\$	A_0
A_0	B_0
A_1	B_1
A_2	A_1
A_3	\$
B_0	A_2
B_1	A_3

Question

Have we finished?

Answer

Not yet!

We should reverse string:

$A_3B_1A_1A_2B_0A_0\$$

BWT: pattern search with FM-indexing

$S = ABAABA\$$

$P = ABA$

$\$$ A_0

A_0 B_0

A_1 B_1

A_2 A_1

A_3 $\$$

B_0 A_2

B_1 A_3

Question

How to go next?

BWT: pattern search with FM-indexing

$S = ABAABA\$$

$P = ABA$

$\$$ A_0

A_0 B_0

A_1 B_1

A_2 A_1

A_3 $\$$

B_0 A_2

B_1 A_3

Question

How to go next?

Answer

Watch for the previous letter! B .

BWT: pattern search with FM-indexing

$S = ABAABA\$$

$P = ABA$

$\$$ A_0

A_0 B_0

A_1 B_1

A_2 A_1

A_3 $\$$

B_0 A_2

B_1 A_3

Question

Why B are stored sequentially?

BWT: pattern search with FM-indexing

$S = ABAABA\$$

$P = ABA$

$\$$ A_0

A_0 B_0

A_1 B_1

A_2 A_1

A_3 $\$$

B_0 A_2

B_1 A_3

Question

Why B are stored sequentially?

Answer

Because in row we find strings, started with BA !

BWT: pattern search with FM-indexing

$S = ABAABA\$$

$P = ABA$

$\$$ A_0

A_0 B_0

A_1 B_1

A_2 A_1

A_3 $\$$

B_0 A_2

B_1 A_3

Question

How to go next?

BWT: pattern search with FM-indexing

$S = ABAABA\$$

$P = ABA$

$\$$ A_0

A_0 B_0

A_1 B_1

A_2 A_1

A_3 $\$$

B_0 A_2

B_1 A_3

Question

How to go next?

Answer

Watch for the previous letter! A.

BWT: pattern search with FM-indexing

$S = ABAABA\$$

$P = \mathbf{ABA}$

$\$$ A_0

A_0 B_0

A_1 B_1

A_2 A_1

A_3 $\$$

B_0 A_2

B_1 A_3

BWT: any problems?

- Scanning in last column L is slow

BWT: any problems?

- Scanning in last column L is slow
 - Store prefix sums of As and Bs in L

F	L	N(A)	N(B)
\$	A ₀	1	0
A ₀	B ₀	1	1
A ₁	B ₁	1	2
A ₂	A ₁	2	2
A ₃	\$	2	2
B ₀	A ₂	3	2
B ₁	A ₃	4	2

BWT: any problems?

We need space to store ranks

- Store "checkpoints"

F	L	N(A)	N(B)
\$	A ₀	-	-
A ₀	B ₀	1	1
A ₁	B ₁	-	-
A ₂	A ₁	-	-
A ₃	\$	-	-
B ₀	A ₂	3	2
B ₁	A ₃	-	-

BWT: any problems?

We need space to store ranks

- Store "checkpoints"

F	L	N(A)	N(B)
\$	A ₀	-	1-1
A ₀	B ₀	1	1
A ₁	B ₁	-	-
A ₂	A ₁	-	-
A ₃	\$	-	2-0
B ₀	A ₂	3	2
B ₁	A ₃	-	-

BWT: any problems?

We want to get positions of P in T string

- Naive solution: Add suffix array

SA	F	L
6	\$	A ₀
5	A ₀	B ₀
2	A ₁	B ₁
3	A ₂	A ₁
0	A ₃	\$
4	B ₀	A ₂
1	B ₁	A ₃

BWT: any problems?

We want to get positions of P in T string

- Naive solution: Add suffix array
- Build "partial suffix array": randomly select elements of suffix array to save

SA	F	L
6	\$	A ₀
-	A ₀	B ₀
2	A ₁	B ₁
-	A ₂	A ₁
0	A ₃	\$
4	B ₀	A ₂
-	B ₁	A ₃

BWT: vs opponents

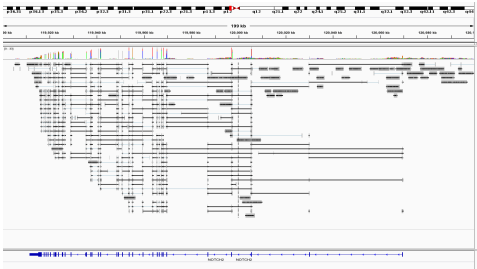
- Suffix Tree: >40 GB
- Suffix Array: >16 GB
- FM-index: <3GB

Burrows-Wheeler Transform

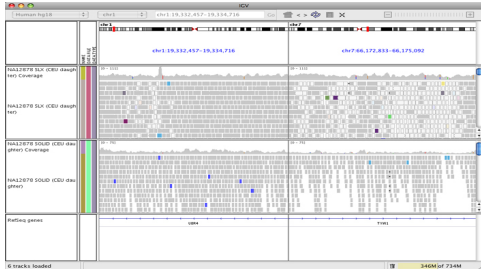
Aligning short-sequencing reads to genome.

- BWA-mem
- Bowtie, Bowtie2 (DNA-seq)
- Tophat, Tophat2, Hisat2 (RNA-seq)

Nucleotide Sequence Alignment



RNA-seq



DNA-seq

Nucleotide Sequence Alignment

```
@HD VN:1.0 SO:coordinate
@SQ SN:chr20 LN:64444167
@PG ID:Tophat VN:2.0.14 CL:/srv/dna_tools/tophat/tophat -N 3 --read-edit-dist 5 --read-realign-edit-dist 2 -i 50 -I 5000 --max-coverage-intron 5000 -M -o out /data/user446/mapping_tophat/index/chr20 /data/user446/mapping_tophat/L6_18 GTGAAA_L007_R1_001.fastq
HWI-ST1145:74:C101DAXX:7:1102:4284:73714 16 chr20 190930 3 100M * 0 0
CCGTGTTTAAAGGTGGATGCGGTCACCTCCAGCTAGGCTTAGGGATTCTAGTTGGCTAGGAAATCCAGCTAGTCTGTCTCTCAGTCCCCCTCT
C BBDCDDDDDDDDDDDDDDCCCBDC?DDDDDDDDDDDDDDDDCCDDDDDDDDDDCCCEDDDC?DDDDDDDDDDDDDDDDDDDDDDHFFFFDCC@
AS:i:-15 XM:i:3 XO:i:0 XG:i:0 MD:Z:55C20C13A9 NM:i:3 NH:i:2 CC:Z:= CP:i:55352714 HI:i:0
HWI-ST1145:74:C101DAXX:7:1114:2759:41961 16 chr20 193953 50 100M * 0 0
TGCTGGATCATCTGTAGTGGCTTCTGACTCAGAGACCTTCGTCCTCGGGCAGTGACCTTCAGTGATTCCTCCGATCAAGGGGCATGGACGA
G DDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDD
AS:i:-16 XM:i:3 XO:i:0 XG:i:0 MD:Z:60G16T18T3 NM:i:3 NH:i:1
HWI-ST1145:74:C101DAXX:7:1204:14760:4030 16 chr20 270877 50 100M * 0 0
GGCTTTATTGGTAAAAAGGAATAGCAGTTAATCAGAAATCCCACTGGCCAGCAGCAACCAAGAGGAAGGAAGCAAGCAAGGAAAAACCA
C DDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDDD
AS:i:-11 XM:i:2 XO:i:0 XG:i:0 MD:Z:0A85G13 NM:i:2 NH:i:1
HWI-ST1145:74:C101DAXX:7:1210:11167:8699 0 chr20 271218 50 50M4700N50M * 0 0
0 GTGGCTCTTCCACAGGAATGTTGAGGATGACATCCATGTCTGGGTGCACTTGGGTCTCCAAGCAGAACATCCTCAAAATGACCTCTCG
accepted hits.sam
```

SAM Format