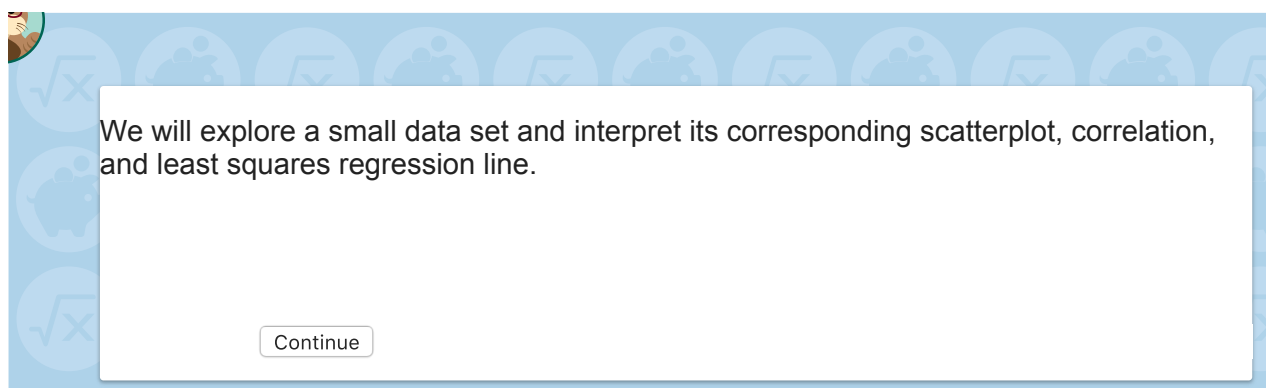
 Lagunita is retiring and will shut down at 12 noon Pacific Time on March 31, 2020. A few courses may be open for self-enrollment for a limited time. We will continue to offer courses on other online learning platforms; visit <http://online.stanford.edu>.

Course > EDA: Examining Relationships > Case Q→Q: Linear Relationships > Linear Relationships: Summary

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## Linear Relationships: Summary

Explore the interactive activity below which synthesizes lessons on scatterplots, correlation and linear regression.



We will explore a small data set and interpret its corresponding scatterplot, correlation, and least squares regression line.

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## Let's Summarize

- A special case of the relationship between two quantitative variables is the **linear** relationship. In this case, a straight line simply and adequately summarizes the relationship.
- When the scatterplot displays a linear relationship, we supplement it with the **correlation coefficient ( $r$ )**, which measures the **strength** and direction of a linear relationship between two quantitative variables. The correlation ranges between -1 and 1. Values near -1 indicate a strong

negative linear relationship, values near 0 indicate a weak linear relationship, and values near 1 indicate a strong positive linear relationship.

- The correlation is only an appropriate numerical measure for linear relationships, and is sensitive to outliers. Therefore, the correlation should only be used as a supplement to a scatterplot (after we look at the data).
- The most commonly used criterion for finding a line that summarizes the pattern of a linear relationship is "least squares." The **least squares regression line** has the smallest sum of squared vertical deviations of the data points from the line.
- The slope of the least squares regression line can be interpreted as the average change in the response variable when the explanatory variable increases by 1 unit.
- The least squares regression line predicts the value of the response variable for a given value of the explanatory variable. **Extrapolation** is prediction of values of the explanatory variable that fall outside the range of the data. Since there is no way of knowing whether a relationship holds beyond the range of the explanatory variable in the data, extrapolation is not reliable, and should be avoided.

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