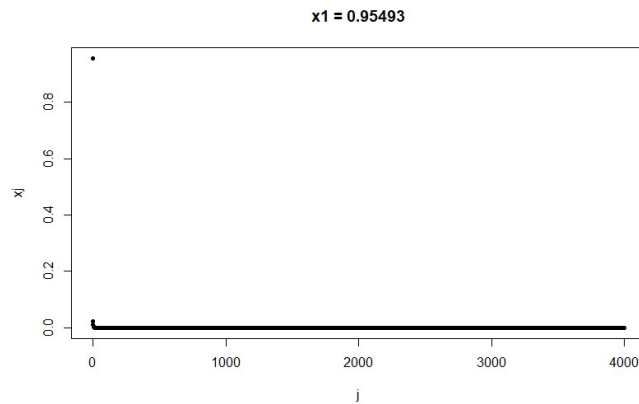
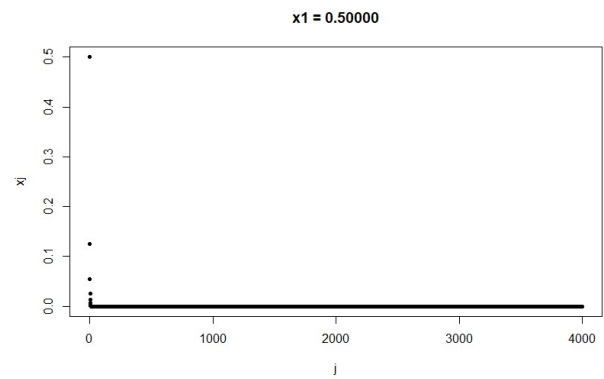
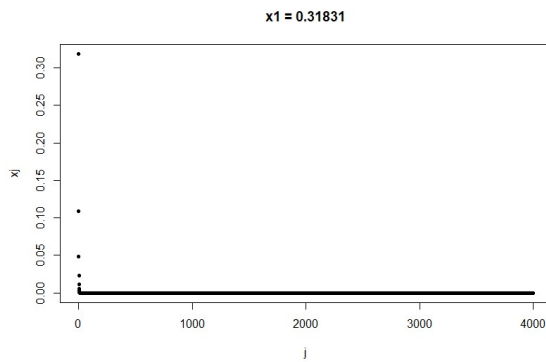


Lab-Test

Student id: 1291822

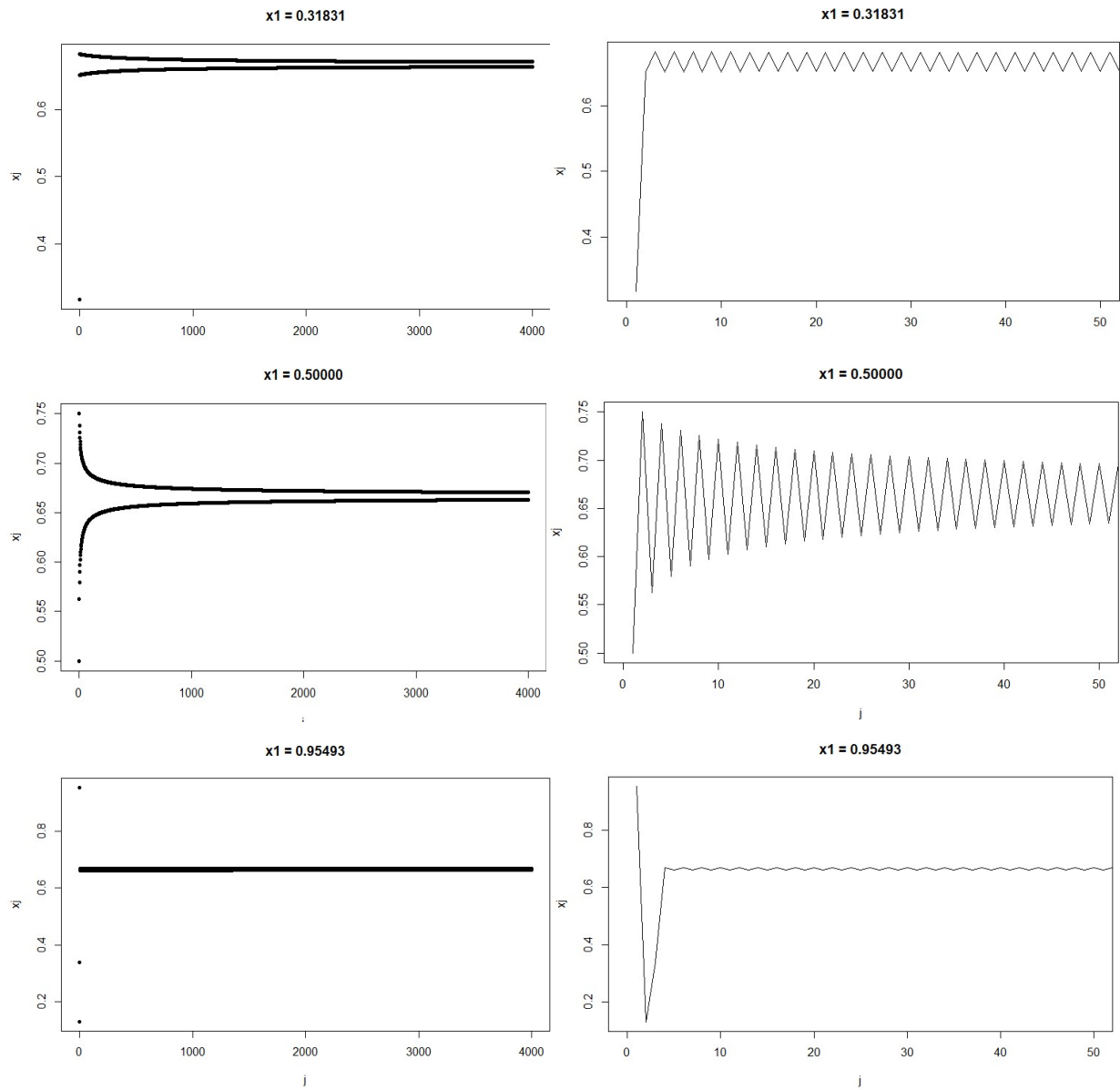
1.

b) For all the values of x_1 , the sequences converge to zero.



The plots show that the sequence converges to zero very quickly.

c) For $r=3$, the sequences seem to converge to a different point while also oscillating.



The sequence is called a logistic map and for values $r > 3.5$, the sequence seems to show chaotic behaviour.

2.

a) Used the algorithm given in the lecture slides, full implementation in R-code.

Generating one sample (repeat 100000 times for the question given).

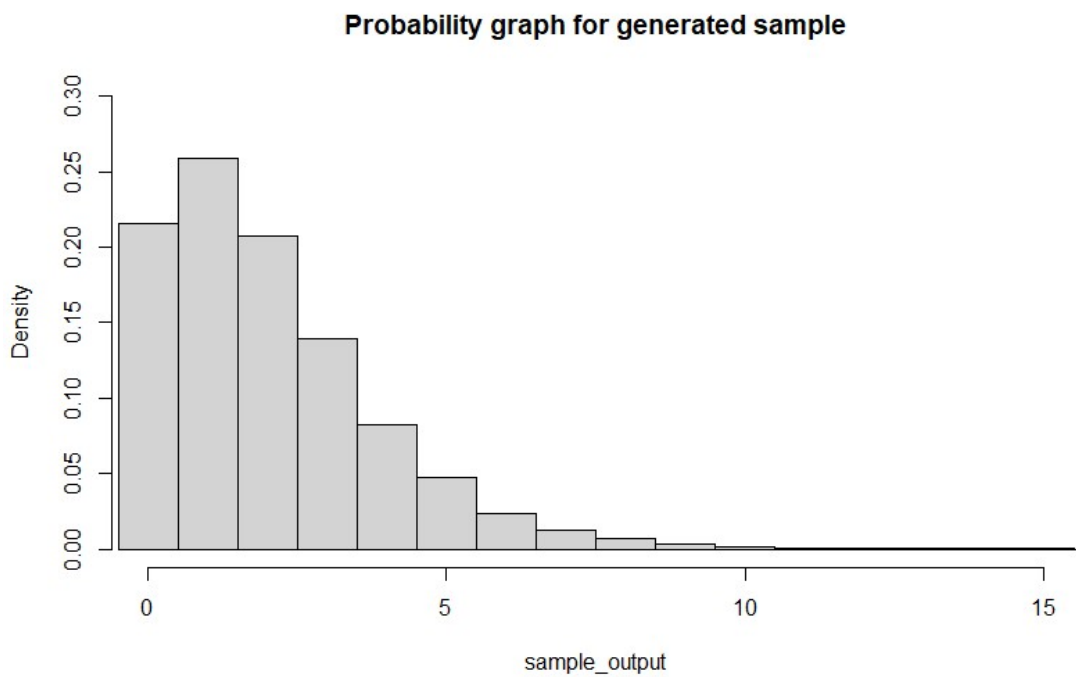
$U \sim U(0,1)$

$X \leftarrow 0$

while ($F(X) < U$) { $X \leftarrow X + 1$ }

Using sample function would be faster if allowed to be used.

b) Mean=1.99993



c) P values from $i = 0$ to 10 are given below in order.

0.21604, 0.25849, 0.20757, 0.13917, 0.08278, 0.04725, 0.02347, 0.01273, 0.00665, 0.00302, 0.00140

3.

a)

```
> print(model$coefficients)
```

(Intercept)	age	anaemia	creatinine_phosphokinase	diabetes
1.018493e+01	4.741907e-02	-7.470452e-03	2.222294e-04	1.451498e-01
ejection_fraction	high_blood_pressure	platelets	serum_creatinine	serum_sodium
-7.666250e-02	-1.026794e-01	-1.199624e-06	6.660933e-01	-6.698107e-02
sex	smoking	time		
-5.336580e-01	-1.349222e-02	-2.104463e-02		

Residual deviance: 219.55 on 286 degrees of freedom.

b) For interaction between diabetes and serum_creatinine.

Residual deviance: 217.91 on 285 degrees of freedom.

c) Deviance difference in two models will follow chi-square distribution with $df=1$.

We get test-statistic=1.6421, p-value=0.20032. Since the p-value is large enough, we can ignore the interaction term and choose common slope.

d) Significant parameters: age, ejection_fraction, serum_creatinine, serum_sodium, time.

e) probability of death = 0.62538, eta = 0.51245

f) Here false negative means prediction is one (i.e., person has died) while true value is zero (person is alive). False -ve rate = 0.03448.