

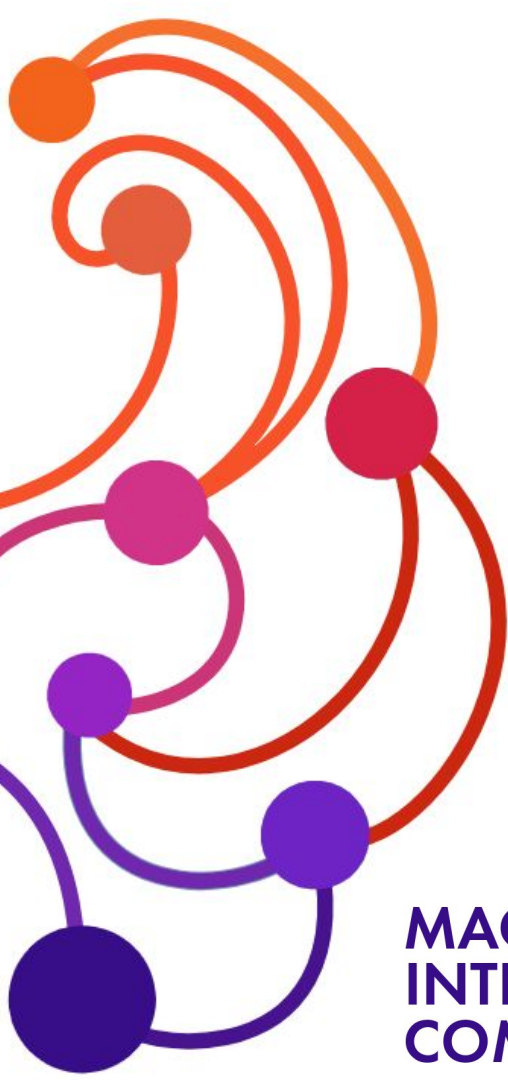
**MACHINE  
INTELLIGENCE  
COMMUNITY**

# ML Series

Part 1

Sign-in Sheet with links to ML worksheet  
[bit.ly/bumicspring2019ws02](https://bit.ly/bumicspring2019ws02)

2/13/2019



**MACHINE  
INTELLIGENCE  
COMMUNITY**

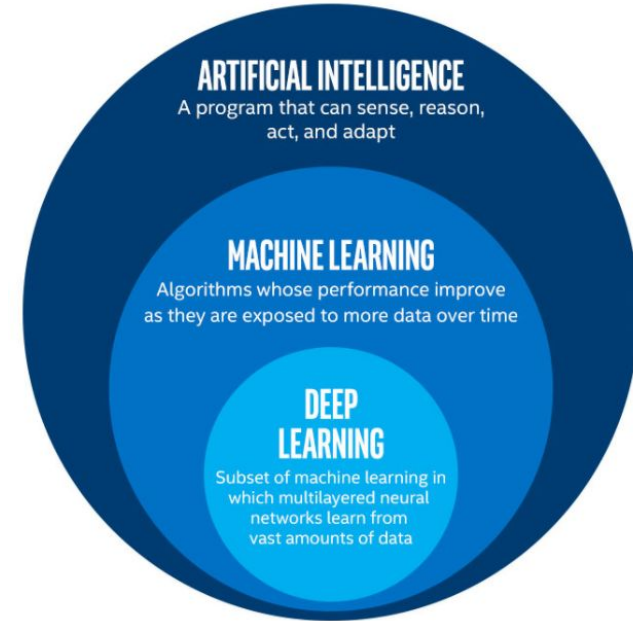
# ML Series

Part 1

Darcy, Duy, Zack

# Traditional machine learning

- Traditional machine learning offer an alternative to the data-and computation-hungry deep learning.
- Traditional machine learning can offer a more interpretable model.





# k Nearest Neighbor (kNN)

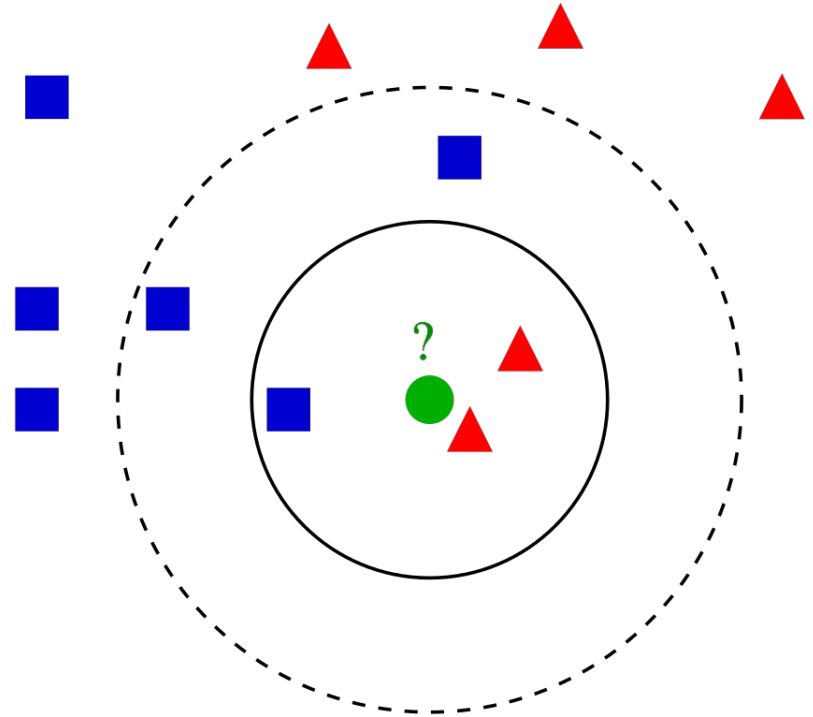
# What's kNN

- Classify based on the k-nearest neighbor to the value in question.
- K-nearest neighbor doesn't really need "training", the classification is left until the value in question need to be classify.
- kNN is parametrized by k (the number of neighbor we need to consider for each value).
  - The smaller k is, the more prone to overfitting.
  - The larger k is, the more smoothing.



# kNN in action

- k number of neighboring data point around is selected.
- These k-nearest neighbors vote on the class of the data point being classify.



# Distance metrics

- Minkowski ( $L^p$ )  $D(\mathbf{x}, \mathbf{y}) = \left( \sum_{i=1}^n |x_i - y_i|^p \right)^{\frac{1}{p}}$

- Manhattan ( $L1$ )  $D(\mathbf{x}, \mathbf{y}) = \sum_{i=1}^n |x_i - y_i|$

- Euclidian ( $L2$ )  $D(\mathbf{x}, \mathbf{y}) = \sqrt{\sum_{i=1}^n (x_i - y_i)^2}$

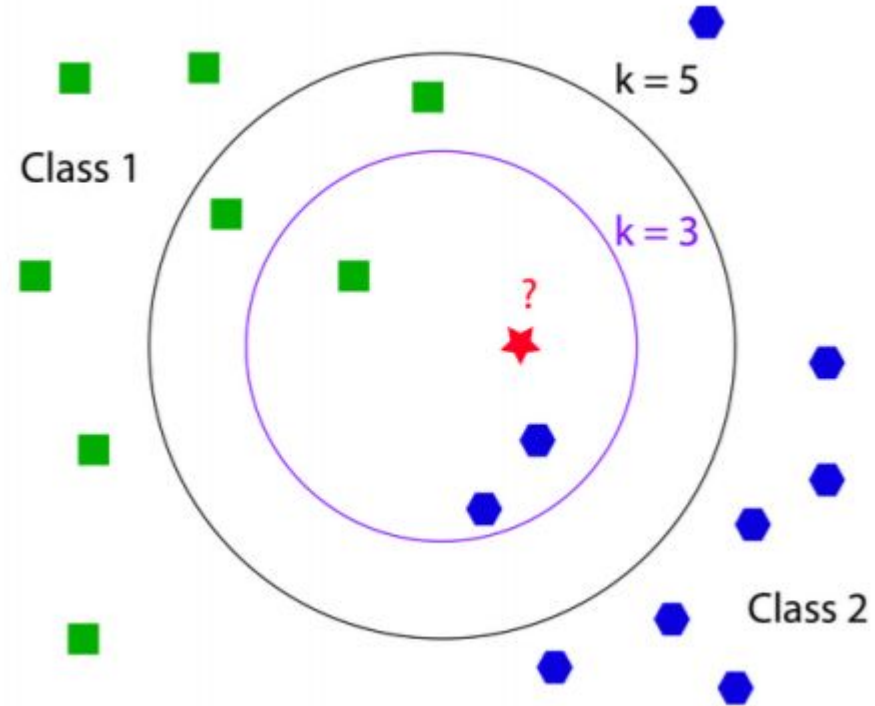
- Cosine

$$D(\mathbf{x}, \mathbf{y}) = ||\mathbf{x}|| ||\mathbf{y}|| \cos(\theta)$$

$$\cos(\theta) = \frac{\mathbf{x} \cdot \mathbf{y}}{||\mathbf{x}|| ||\mathbf{y}||}$$

# Choosing k

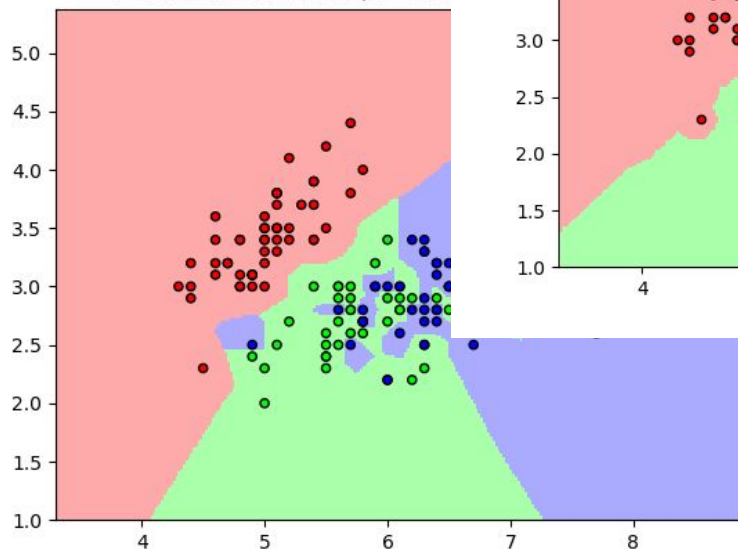
- k is a parameter that we need to tune.
- In the example, the example to be classified could be either a blue hexagon or a green square depends on how large k is.



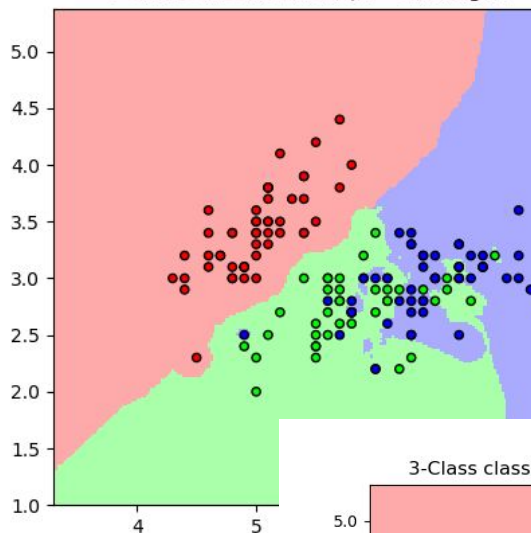


# Choosing k

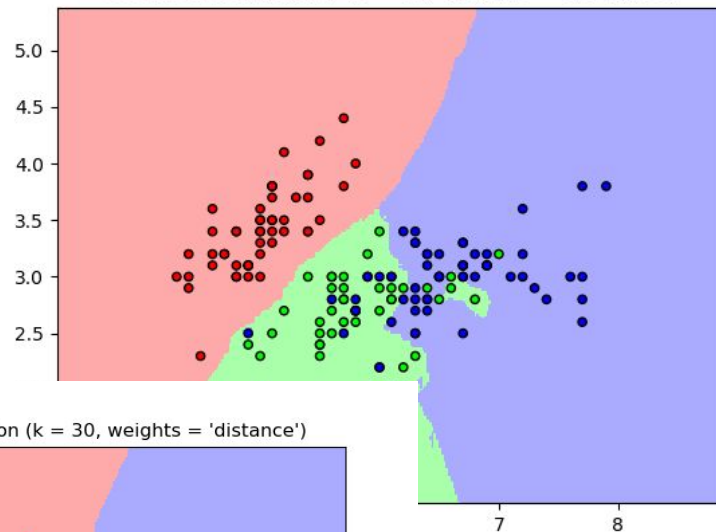
3-Class classification (k = 1, weights = 'distance')



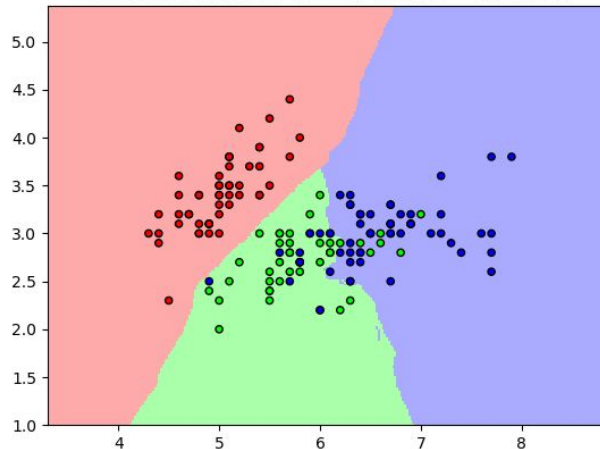
3-Class classification (k = 5, weights = 'distance')



3-Class classification (k = 15, weights = 'distance')



3-Class classification (k = 30, weights = 'distance')



# Pros/Cons of kNN

- Intuitive and simple to understand
- Doesn't require training
- Easy to build online classifier: we can just classify new data as it comes
- Computationally intensive for large number of data points: fast for
- Sensitive to outliers
- Sensitive to un-balance dataset



# Linear Classification

# Linear Classification is not Linear Regression

Linear Classification: Given a training example, decide which of a finite number of classes it belongs to

- e.g. is this a dog, a cat, or a bird?

Linear Regression: Given a training example, estimate some continuous value

- e.g. what is the price of this house?

# Linear Classification

1. Input training data

2. Make predictions

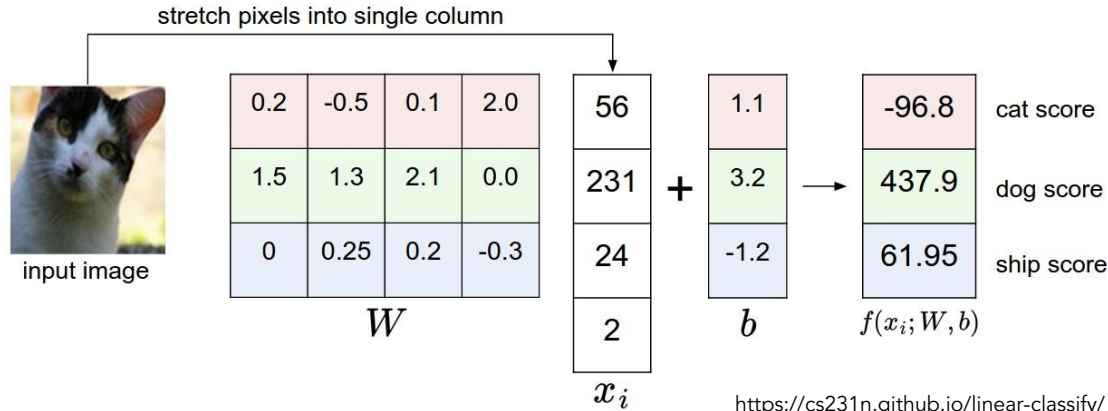
$$\longrightarrow f(x_i, W, b) = Wx_i + b$$

3. Compute loss

4. Update the model parameters

# Linear Classification

- Represent input as a vector
- Matrix multiply to get class scores -- highest score wins



- $W$  and  $b$  must be trained



# Support Vector Machine (SVM)

# (Multiclass) SVM = a loss function

Measures incorrectness of the prediction

1. Input training data

2. Make predictions

3. Compute loss

$$L = \frac{1}{N} \sum_i \sum_{j \neq y_i} [\max(0, f(x_i; W)_j - f(x_i; W)_{y_i} + \Delta)]$$

4. Update the model parameters





# Multiclass SVM

$$L_i = \sum_{j \neq y_i} \max(0, s_j - s_{y_i} + \Delta)$$

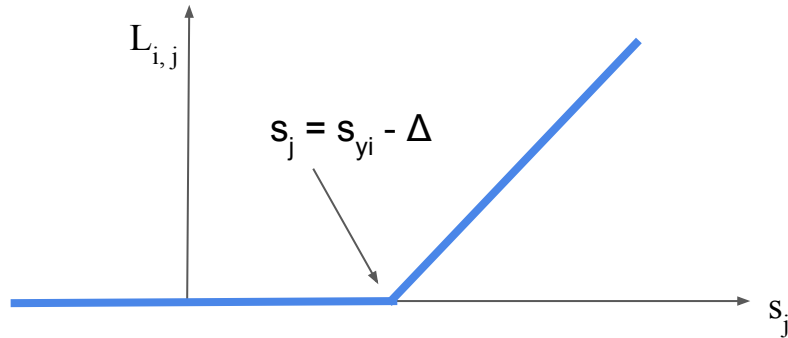
Loss for example  $i$

All classes  $j$  except the class of this example  $i$

Score for class  $j$

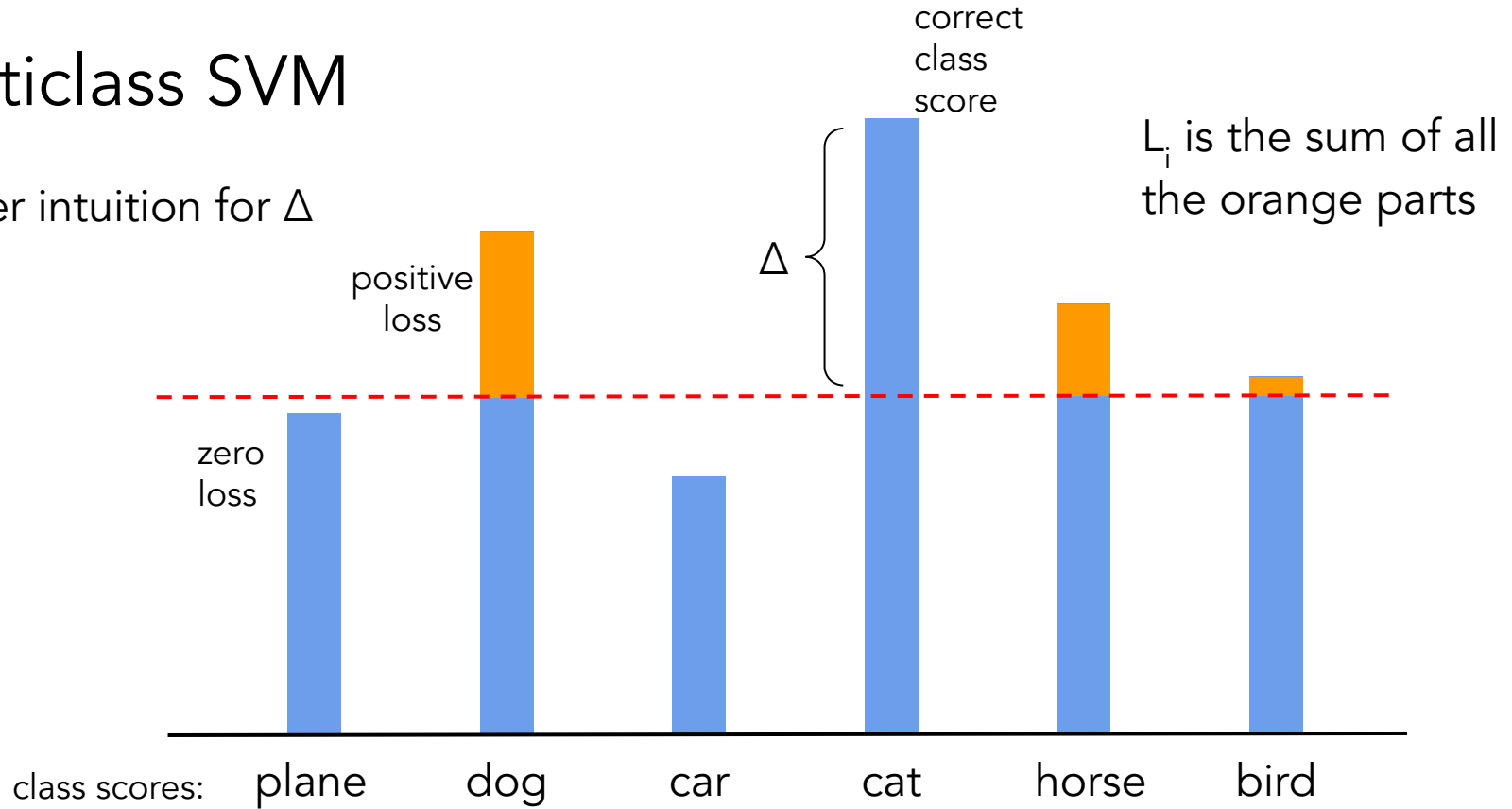
Score for true class  $y_i$  of example  $i$

"Delta"



# Multiclass SVM

Further intuition for  $\Delta$



# Multiclass SVM

$$L = \frac{1}{N} \sum_i L_i$$

Total loss is average loss over all training examples

# Multiclass SVM

## 4. Updating the model parameters...

- Update the parameters such that the loss is minimized

For weights of correct class:

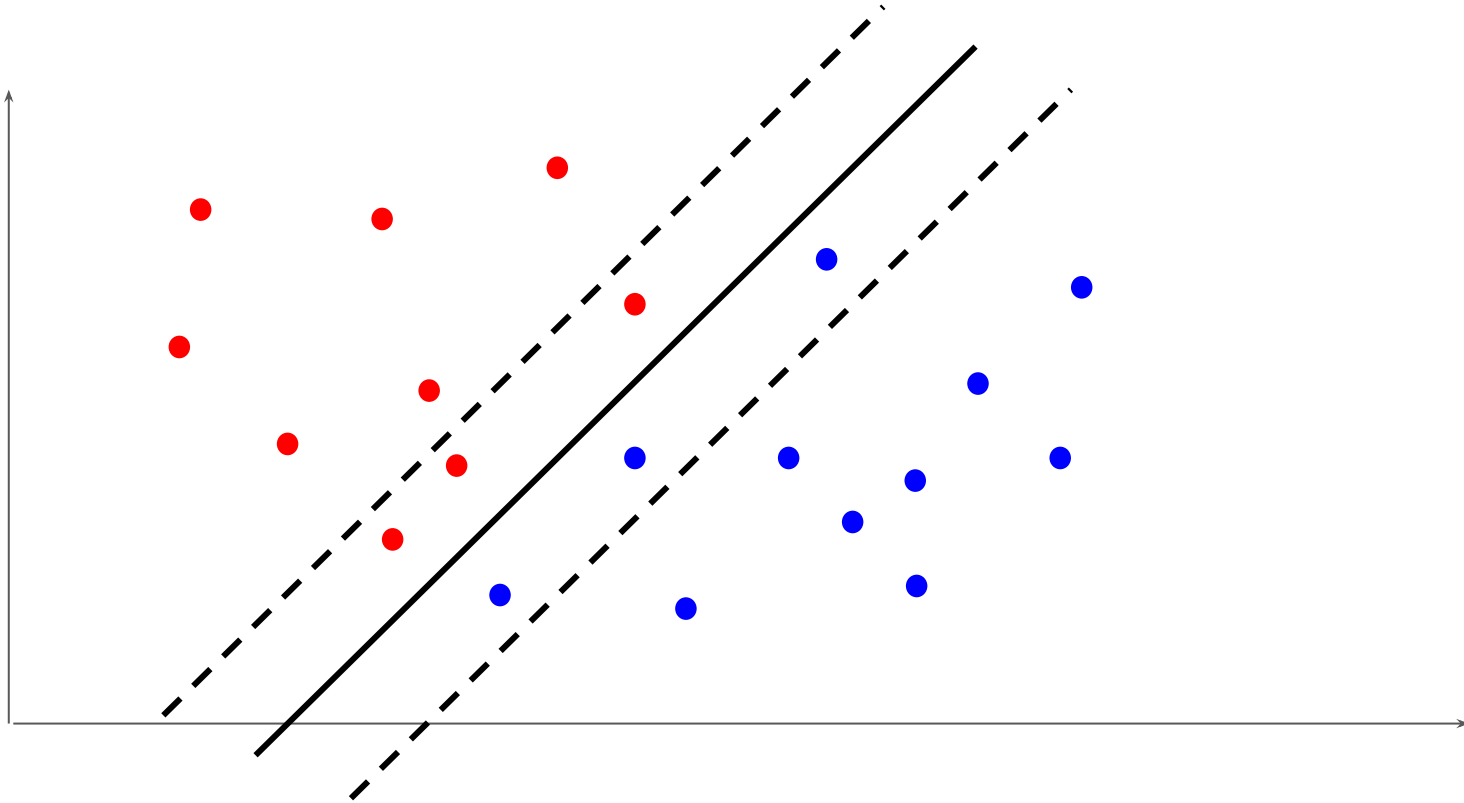
$$\nabla_{w_{y_i}} L_i = - \left( \sum_{j \neq y_i} \mathbb{1}(w_j^T x_i - w_{y_i}^T x_i + \Delta > 0) \right) x_i$$

For weights of incorrect classes:

$$\nabla_{w_j} L_i = \mathbb{1}(w_j^T x_i - w_{y_i}^T x_i + \Delta > 0) x_i$$



# Decision boundary



# Pros/Cons of SVM

- Classification is fast
- Simple to implement
- Training is slow
- Is not sensitive to more complex relationships between variables

# Upcoming Events

- Society and MI Discussion
  - Wed, February 20, 7pm – 8pm, MCS
- First Paper Discussion
  - Tue, February 19, TBD



### Scaffolded kNN Exercise

[http://bit.ly/scaffolded\\_kNN\\_example](http://bit.ly/scaffolded_kNN_example)

### Complete kNN:

[http://bit.ly/complete\\_kNN\\_example](http://bit.ly/complete_kNN_example)

### Regression Example Using SVM:

[http://bit.ly/complete\\_SVM\\_example\\_2](http://bit.ly/complete_SVM_example_2)

1. You can choose to implement the algorithms with a scaffolded version or study the complete version of the code.
2. You would have access to both kNN and SVM solutions.
3. Challenge: extend the code into using one-versus-one multiclass SVM.

