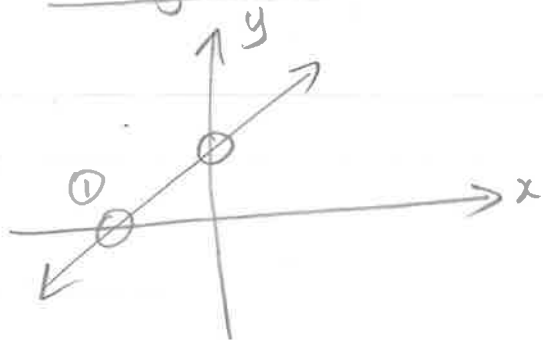


Graphs

Straight line - linear equation $y = mx + b$

need at least two points



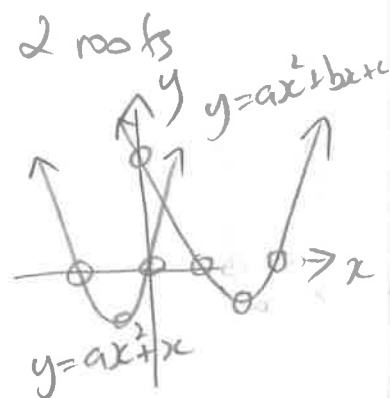
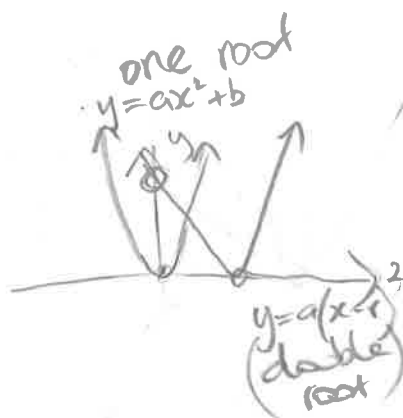
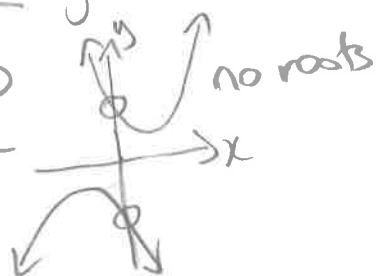
① $y = 0$ - crosses the x-axis

② $x = 0$ - crosses the y-axis (the y-intercept)

Parabola

$$y = ax^2 + bx + c$$

① $y = 0$
roots of the equation



② $x = 0$ - finds the y-intercept (always the constant value)

③ find the axis of symmetry - the average of the roots
or $\rightarrow x = -\frac{b}{2a}$

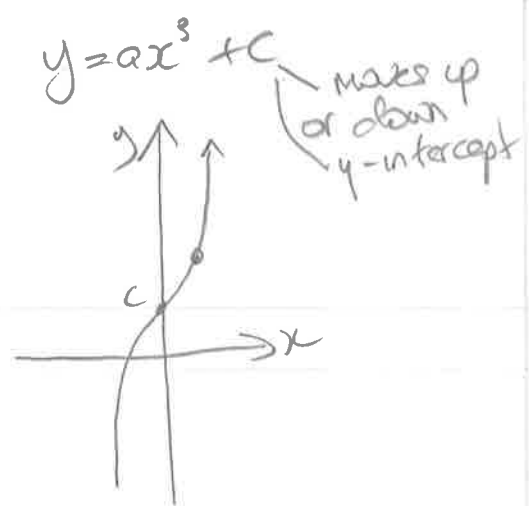
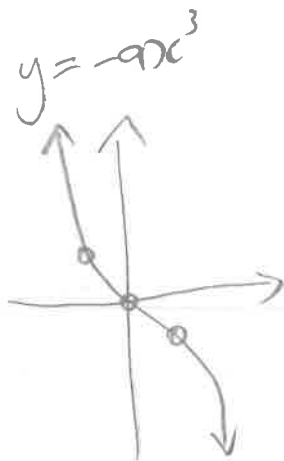
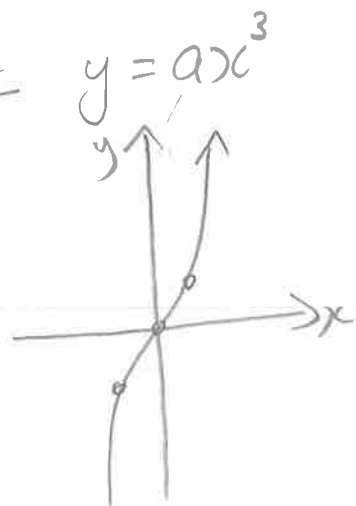
④ find the vertex (point $\rightarrow (x, y)$) sub ③ x value into the equation to find the y-value

⑤ Min or max value is the y-value of the vertex

$y = ax^2 + b$
↑
narrower or broader
↑
up or down the y-axis

$y = a(x-r)^n$
↑
narrow or broader
↑
translates r units right or left

Cubic



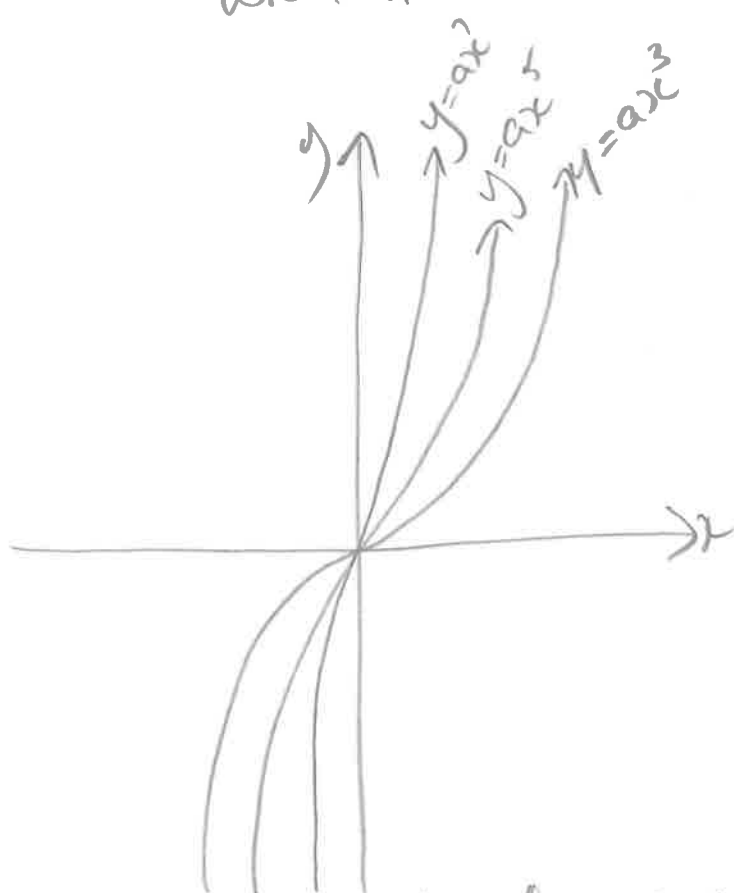
$y = ax^n$

when n is even



The higher the power, n ,
the narrower the graph

When n is odd



The higher the power n ,
the narrower the graph

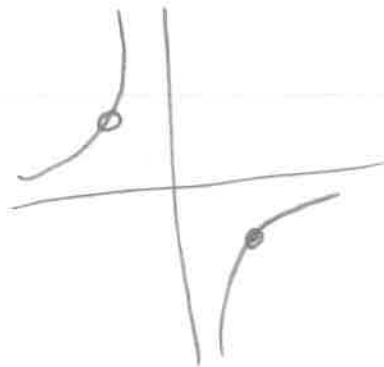
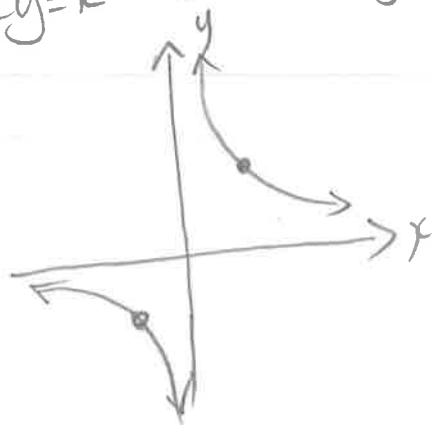
Hyperbola

$$y = \frac{k}{x}$$

$$xy = k$$

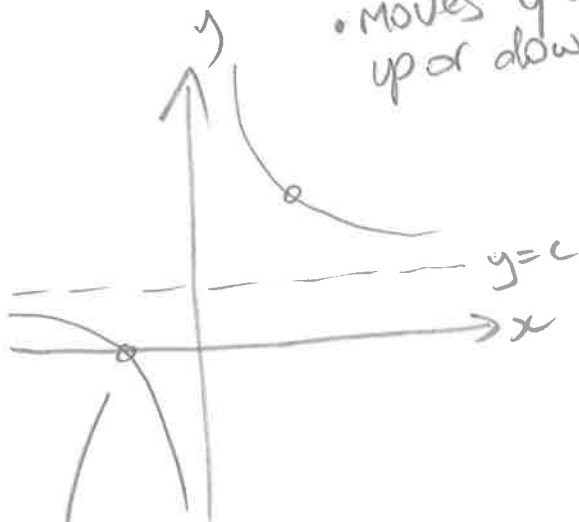
asymptotes $x \approx 0$
 $y \approx 0$
 $y = -\frac{k}{x}$

Label at least one point on each branch



$$y = \frac{k}{x} + c$$

• moves graph up or down,
 • moves y asymptotes up or down



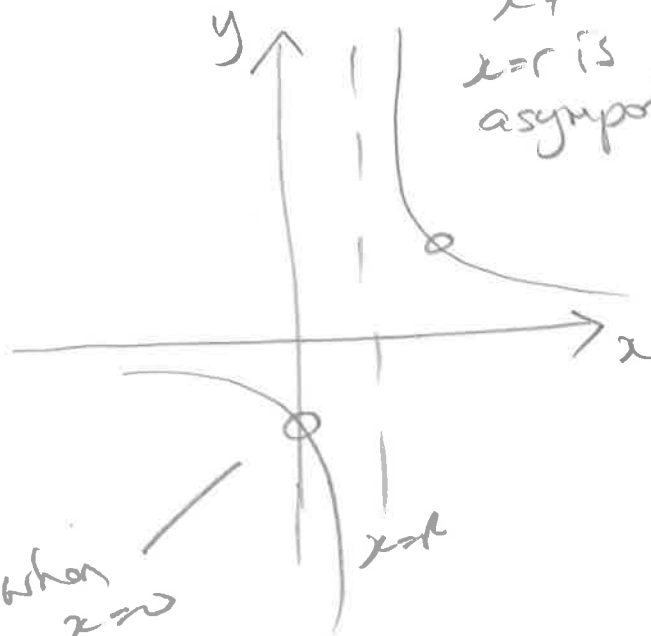
when $y = 0$

$$y = \frac{k}{x-r}$$

$$x-r \neq 0$$

$$x \neq r$$

$x=r$ is asymptote



when $x = 0$

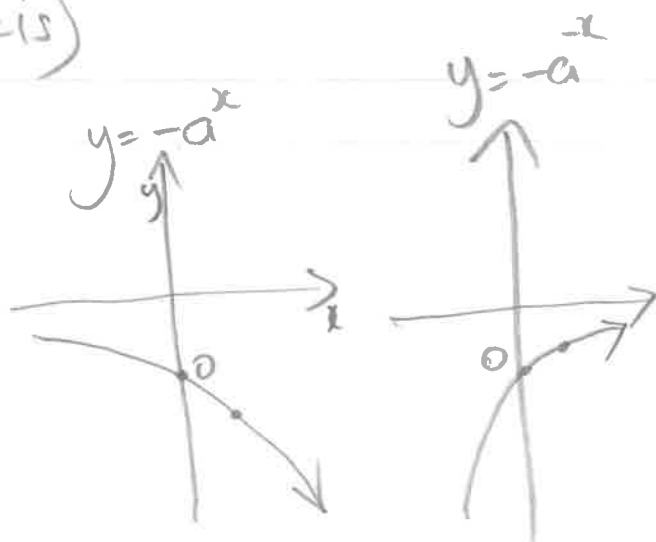
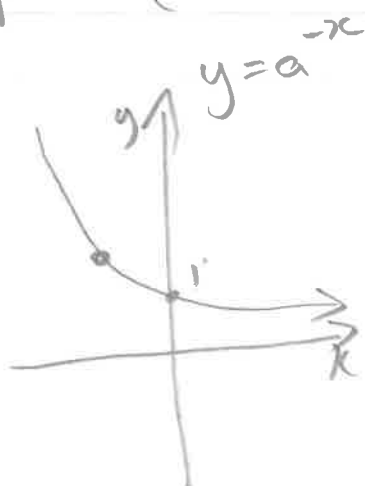
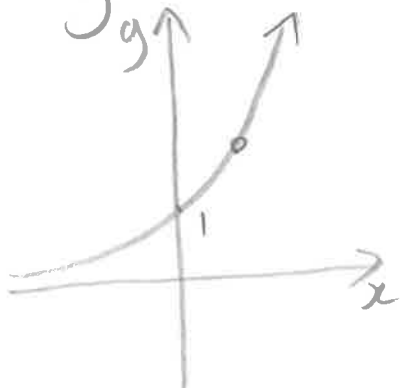
Exponential curves

$$y = a^x$$

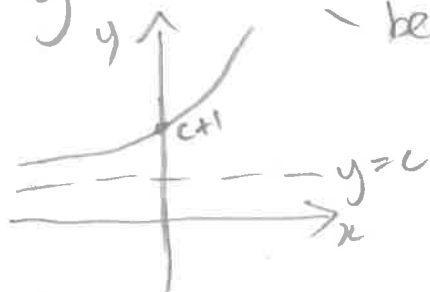
$$x=0, y=1$$

$y=0$ is asymptote (ie x -axis)

$$y = a^x$$



$y = a^x + c$ — moves up or down
— becomes the new asymptote

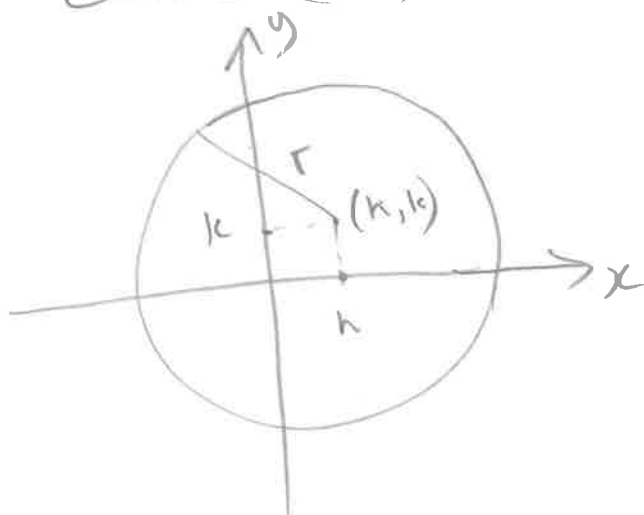


Circles

general formula

$$(x-h)^2 + (y-k)^2 = r^2$$

centre (h, k) radius $= r$



$$x^2 + y^2 = r^2$$

circle with
centre $(0, 0)$
radius $= r$

