

Term	Definition
Key	<b>Minimal</b> set of attributes that uniquely identifies the entity
Superkey	A subset of attributes that uniquely identifies its tuples
Candidate Key	Relation could have multiple keys called candidate keys
Primary Key	One of the candidate key chosen
Cardinality	
Degree	

## Entity-Relationship Model

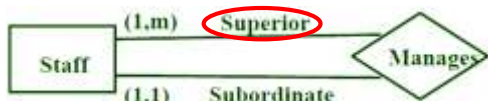
### Weak Entities

Relationship must exist and be unique for each entity in the set. Weak entities can only be defined for a participation constrained by (1,1) cardinality

### Hierarchies:

- Subclass and Superclass e.g. Person → Student
- Inheritance: subclass inherits attributes of superclass
- Specialization: subclass as its own attributes

### Recursive Relationship Sets and Roles in Relationships



## The Relational Model

No. of columns = Degree

No. of rows = Cardinality

A subset of attributes relation A is a foreign key if it is the primary key relation B

Options if tuple  $t$  in Courses is to be deleted:

- Disallow deletion if some rows in Enrolls refers to  $t$
- Delete all rows in Enrolls that refer to  $t$
- For each row in Enrolls that refer to  $t$ , replace  $cid$  value with DEFAULT
- For each row in Enrolls that refer to  $t$ , replace  $cid$  value with NULL, provided  $cid$  is not a primary key attribute in Enrolls

## Structured Query Language

DDL – Data Definition Language		
CREATE TABLE	CREATE TABLE <i>name</i> ( ... )	Creates table for <i>name</i>
DEFAULT	<i>name</i> CHAR(24) DEFAULT 'some name'	Default value
PRIMARY KEY	PRIMARY KEY ( <i>name</i> , <i>name</i> ) OR <i>name</i> CHAR(24) PRIMARY KEY	
REFERENCES	FOREIGN KEY ( <i>attribute</i> )	Where to get the attribute
FOREIGN KEY	REFERENCES <i>Staff</i> ( <i>name</i> )	
DROP TABLE	DROP TABLE <i>name</i>	Delete table
ALTER TABLE	ALTER TABLE <i>name</i> ADD <i>attribute+domain</i> OR ALTER TABLE <i>name</i> DROP <i>attribute</i>	Edit columns
UNIQUE	<i>name</i> CHAR(24) UNIQUE	For Candidate key
NOT NULL	<i>name</i> CHAR(24) NOT NULL	
CHECK	<i>age</i> NUMERIC CHECK ( <i>age</i> > <= <i>value</i> )	Check value
CREATE VIEW	CREATE VIEW <i>NewName</i> AS ( <i>some query you want in NewName</i> )	

DML – Data Definition Language		
INSERT INTO... VALUES...	INSERT INTO <i>name</i> ( <i>relation_attributes</i> ) VALUES ('value1', 'value2', ...)	
DELETE FROM	DELETE FROM <i>name</i> [WHERE...]	
UPDATE... SET...	UPDATE <i>name</i> SET <i>attribute</i> = <i>value</i> [WHERE ...]	
ORDER BY	<i>name</i> DESC OR <i>name</i> ASC	
SELECT... AS...	SELECT <i>name</i> AS <i>newName</i>	Rename
GROUP BY	Usually models the 'each' noun e.g. <i>each</i> director, in the qn and is similar to what you are SELECT-ing	
HAVING	SELECT <i>a</i> FROM <i>Acts</i> <i>a</i> GROUP BY <i>a.Actor</i> HAVING COUNT (*) > ( SELECT COUNT ( <i>m.title</i> ) FROM <i>Movies</i> <i>m</i> WHERE <i>qualifier</i> )	
Arithmetic	WHERE <i>assets</i> * 1.7 < 17 OR SELECT ( <i>rating</i> + 0.2) * 10	
Logical Connectors	WHERE <i>qualifier</i> 1 AND <i>qualifier</i> 2	AND, OR, NOT
LIKE	WHERE <i>title</i> LIKE 'W_%S' Symbol '_' stands for single arbitrary char Symbol '%' stands for 0 or more arbitrary char	
UNION	SELECT <i>a</i> FROM <i>Acts</i> <i>a</i> WHERE <i>a.b</i> > 0	
INTERSECT	UNION / INTERSECT / EXCEPT	
EXCEPT	SELECT <i>b</i> FROM <i>Acts</i> <i>b</i> WHERE <i>b.a</i> > 0	
Aggregation operators	COUNT ([DISTINCT] <i>A</i> ) → Number of [unique] values in <i>A</i> col COUNT ([DISTINCT] *) → Number of (unique) rows SUM ([DISTINCT] <i>A</i> ) → Sum of all (unique) values in <i>A</i> column AVG ([DISTINCT] <i>A</i> ) → Average of all (unique) values in <i>A</i> col SUM, AVG, MIN, MAX often appear in SELECT statement	
Set	<ul style="list-style-type: none"> <li>– <math>v</math> IN <i>Q</i> is true iff value <math>v</math> is in the set returned by <i>Q</i></li> <li>– <math>v</math> NOT IN <i>Q</i> is true iff value <math>v</math> is not in the set returned by <i>Q</i></li> <li>– EXISTS <i>Q</i> is true iff the result of <i>Q</i> is non-empty</li> <li>– NOT EXISTS <i>Q</i> is true iff the result of <i>Q</i> is empty</li> <li>– UNIQUE <i>Q</i> is true iff the result of <i>Q</i> has no duplicates</li> <li>– <math>v</math> op ANY <i>Q</i> is true iff there exists some <math>v'</math> in result of <i>Q</i> s.t. <math>v</math> op <math>v'</math> is true</li> <li>– <math>v</math> op ALL <i>Q</i> is true iff for each <math>v'</math> in result of <i>Q</i>, <math>v</math> op <math>v'</math> is true</li> <li>– op ∈ { =, &lt;&gt;, &lt;, &lt;=, &gt;, &gt;= }</li> </ul>	

## Relational Algebra

$\sigma_c(R)$	Select tuples of relation <i>R</i> that satisfy condition <i>c</i>
$\pi_L(R)$	List attributes <i>L</i> of relation <i>R</i>
$\rho(R'(N_1 \rightarrow N'_1, \dots), R)$	Rename. Can also do with $\rho(R', R)$
$R \cup S / R \cap S / R - S$	
$R_1 \times R_2 / R \otimes_c S$	
$R/S$	<i>R/S</i> contains all <i>A</i> tuples s.t. for every <i>B</i> tuple in <i>S</i> there is a <i>AB</i> tuple in <i>R</i>

## Armstrong Axioms

Reflexivity: if  $Y \subseteq X$ , then  $X \rightarrow Y$   
Augmentation: if  $X \rightarrow Y$ , then  $XZ \rightarrow YZ$   
Transitivity: if  $X \rightarrow Y$  and  $Y \rightarrow Z$ , then  $X \rightarrow Z$   
Union: if  $X \rightarrow Y$  and  $X \rightarrow Z$ , then  $X \rightarrow YZ$   
Decomposition: if  $X \rightarrow YZ$ , then  $X \rightarrow Y$  and  $X \rightarrow Z$

## Functional Dependency

Define $X \rightarrow Y$ $\forall t_1, t_2 \in R$ $t_1.X = t_2.X \Rightarrow t_1.Y = t_2.Y$	Trivial FD: sid, sname → sid Non-trivial { completely non-trivial: totally do NOT share attributes non-completely non-trivial: share SOME attributes }
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### Minimal Cover

Given a relation R(A,B,C,D,E,F). The following set F of FDs hold for this table.

$$F = \{AB \rightarrow CD, C \rightarrow CE, C \rightarrow F, F \rightarrow E, CDF \rightarrow E, DFE \rightarrow A\}$$

#### Step 1: Decompose FDs

$$F = \{AB \rightarrow C, AB \rightarrow D, C \rightarrow C, C \rightarrow E, C \rightarrow F, F \rightarrow E, CDF \rightarrow E, DFE \rightarrow A\}$$

#### Step 2: Eliminate redundant attributes from LHS of FDs: CHECK CLOSURE

If we replaced  $DFE \rightarrow A$  with  $DF \rightarrow A$ , then we get  $DF^+ = \{D, F, A, E\}$

$$F = \{AB \rightarrow C, AB \rightarrow D, C \rightarrow F, F \rightarrow E, DF \rightarrow A\}$$

#### Step 3: Eliminate redundant FDs

Remove  $C \rightarrow E$  since  $C^+ = \{C, F, E\}$ . Hence, we are left with:

$$F = \{AB \rightarrow C, AB \rightarrow D, C \rightarrow F, F \rightarrow E, CDF \rightarrow E, DFE \rightarrow A\}$$

$CDF^+ = \{C, D, F, E, A\}$  If we removed  $CDF \rightarrow E$ ,  $CDF^+ = \{C, D, F, E, A\}$ .

So, we can remove this f.d.

$$F = \{AB \rightarrow C, AB \rightarrow D, C \rightarrow F, F \rightarrow E, DFE \rightarrow A\}$$

## Decompositions

Decompositions have to be:

- Lossless: When you  $\otimes$  them back, the original is subset of the result  
To be lossless, attributes common between two relations must functionally determine all attributes in ONE of the two relations
- Dependency preserving:  $\{A \rightarrow B, B \rightarrow C, A \rightarrow C\} \rightarrow \{A \rightarrow B, B \rightarrow C\}$

Computing FD Projections

- For  $F_{XY}$
- Compute  $X^+ = X..$ , we have  $X \rightarrow X.. \cap XY$
  - Compute  $Y^+ = Y..$ , we have  $Y \rightarrow Y.. \cap XY$
  - So,  $F_{XY} = \{X \rightarrow xyz, Y \rightarrow xyz\}$
  - $xyz$  is the common attribute of  $X.. \cap XY$

## Normal Forms

3NF	BCNF
1. Trivial	1. Trivial
2. LHS is a superkey	2. LHS is a superkey
3. RHS is a prime attribute (appear in at least one key)	

Decomposition into **BCNF** (only guarantees lossless)

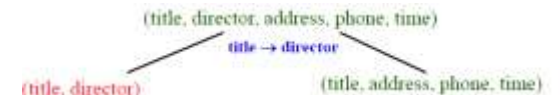
- Let  $X \rightarrow A$  be an FD in *F* that violates BCNF
- Decompose *R* into

$$R_1 = XA$$

$$R_2 = R - A$$

- If  $R_1$  or  $R_2$  is not in BCNF, decompose further

E.g.



Decomposition into **3NF** (lossless and dependency preserving)

- Compute minimal cover of *R*
- Create schema for each FD in minimal cover
- Choose a key and create  $i + 1^{th}$  schema
- Remove redundant schema if one is a subset of another

E.g. Minimal cover of  $F = \{AC \rightarrow E, E \rightarrow D, A \rightarrow B\}$ , key is *AC*

Schema created:  $R_1(A, C, E), R_2(E, D), R_3(A, B), R_4(A, C)$

3NF decomposition is  $R_1(A, C, E), R_2(E, D), R_3(A, B)$

SQL

Find names of suppliers that supplies at least two parts and average cost of it

SELECT P.sname, AVG(P.cost)  
FROM Part P

GROUP BY P.sname  
HAVING COUNT(\*) >1

Find names of suppliers who supply at least 5 parts with price > 1000

SELECT S.name  
FROM Part P, Supplier S, PartSupp PS  
WHERE P.price > 1000 AND P.partkey = PS.partkey AND PS.supkey = S.supkey  
GROUP BY S.name  
HAVING COUNT ( DISTINCT P.partkey) > 4

Find Dept\_no where the avg salary of emp in that dept is > the avg emp

SELECT E.dept\_no  
FROM Employee E  
GROUP BY E.dept\_no  
HAVING AVG(E.salary) > ( SELECT AVG ( T1.salary) FROM Employee T1)

Find names of required courses for ‘CS’ curriculum that ‘Smith’ did not take

SELECT C.course\_name  
FROM Couse C, Required R  
WHERE R.curriculum = ‘CS’ AND R.CID = C.CID  
AND C.CID NOT IN ( SELECT T.CID  
FROM Student S, Take T  
WHERE S.student\_name = ‘Smith’ AND S.SID = T.SID)

Find identifier of all students who never took the course 101 offered by Dept 11

SELECT S.SID  
FROM Student S  
WHERE NOT EXISTS ( SELECT \*  
FROM Transcript T, Section SE  
WHERE SE.dept\_id = 11 AND SE.course\_no = 101  
AND S.SID = T.SID AND T.SEID = SE.SEID)

Find course number and dept\_id of all course where no student ever got an ‘F’

SELECT C.course\_no, D.dept\_id  
FROM Course C  
WHERE NOT EXISTS ( SELECT \*  
FROM Transcript T, Section S  
WHERE T.grade = ‘F’ AND T.SID = S.SID  
AND C.course\_no = S.course\_no )

Find names of all students who are enrolled two classes at the same timing

SELECT DISTINCT S.name  
FROM Student S  
WHERE S.snum IN ( SELECT E.snum  
FROM Enrolled E1, Enrolled E2, Class C1, Class C2  
WHERE E1.enum = E2.enum AND E1.cname <> E2.cname  
AND E1.cname = C1.cname AND E2.cname = C2.cname  
AND C1.meets\_at = C2.meets\_at )

TRC / DRC

Find the names of pizzas that come in a 10 inch or a 12 inch size.

TRC: {T | ∃P ∈ Pizza ((P.size = 10 ∨ P.size = 12) ∧ T.name = P.name)}  
DRC: {< N > | ∃C, S (< C, N, S > ∈ Pizza ∧ (S = 10 ∨ S = 12))

Find codes of the most expensive pizzas

{T|∃P1 ∈ Pizza∧P2 ∈ Pizza(P1.price ≥ P2.price ∧ P1.code = P2.code)}  
{< C1 > | ∃C1, P1∧C2, P2 (< C1, P1 >  
∈ Pizza ∧ (< C2, P2 > ∈ Pizza → (P1 ≥ P2)))}

Find sids of Suppliers who supply every red part

{T|∃C ∈ Catalog ∨P ∈ Parts(C.pid = P.pid ∧ P.color = red ∧ T.sid  
= C.sid)}  
{< X > | < X, Y, Z > ∈ Catalog ∧ ∀< A, B, C >  
∈ Parts(C = red ∨ ∃< P, Q, R >  
∈ Catalog(Q = A ∧ P = X))}

Find sids of Suppliers who supply some red part

{T|∃C ∈ Catalog∃P ∈ Parts (C.pid = P.pid ∧ P.color = red ∧ T.sid  
= C.sid  
{< X > | < X, Y, Z > ∈ Catalog  
∧ ∃P, Q, R (< P, Q, R > ∈ Parts (Y = P ∧ R = red))}

Find the pids of parts supplied by at least two different suppliers

{T|∃C1 ∈ Catalog ∃C1 ∈ Catalog(C1.sid <> Cs.sid ∧ C1.pid = C2.pid ∧ C1.pid = T.pid)}  
{< Y > | < X, Y, Z > ∈ Catalog ∧ ∃A, B, C (< A, B, C > ∈ Catalog ∧ A <> X ∧ Y = B)}

Relational Algebra

Find sids of Suppliers who supply every red part

$$(\pi_{sid, pid} Catalog) / (\pi_{pid} \sigma_{color = red} Parts)$$

Find sids of Suppliers who supply some red part

$$\pi_{sid} (Catalog \otimes_{pid=pid} (\sigma_{color=red} Parts))$$

List names of suppliers who supply at least two parts

$$\rho(T1, Part) \\ \rho(T2, Part) \\ \pi_{sname} (\sigma_{pno <> pno \wedge sname = sname} (T1 \times T2))$$

List names of suppliers who supply ALL complex parts whose labor cost is > 100

$$\rho(T1, \pi_{pno} (\sigma_{labor > 100} (ComplexPart))) \\ \pi_{sname, pno} (Part / T1)$$

Find the employment numbers of pilots who can fly ALL MD planes

$$\rho \left( B, \pi_{ModelNo} (\sigma_{Maker = MD} (Plane)) \right) \\ \rho(A, Can_Fly) \\ \pi_{Emp\_No}(A) - \pi_{Emp\_no} ((\pi_{Emp\_no}(A) \times B) - A)$$