

KNAPSACK PROBLEM

Project Report

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Problem Statement 1:

Knapsack Problem:

(Fractional Greedy Algorithm Approach)

A thief finds much more loot than his bag can fit. Help him to find the most valuable combination

Of items assuming that any fraction of a loot item can be put into his bag.

Problem Description:

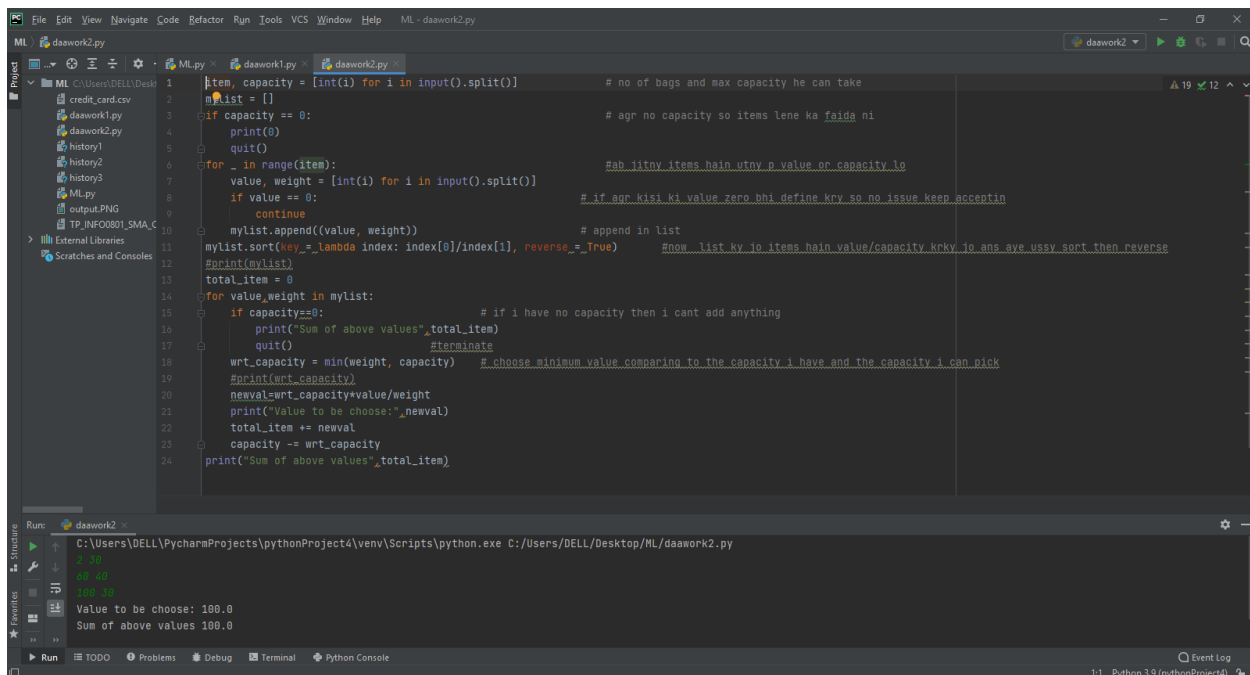
Goal: To implement an algorithm for the fractional knapsack problem

Input: First line of input contains the number of items and the capacity of bag. On behalf of number of inputs the next lines contains the value and weight from which the thief need to find the most valuable combination.

Tool: PyCharm

Language: Python

Code and Output:



```
1 item, capacity = [int(i) for i in input().split()] # no of bags and max capacity he can take
2 myList = []
3 if capacity == 0: # agr no capacity so items lene ka faida ni
4     print(0)
5     quit()
6 for _ in range(item): # ab jitni items hain unki p value or capacity le
7     value, weight = [int(i) for i in input().split()]
8     if value == 0: # if agr kisi ki value zero hui define krky so no issue keep acceptin
9         continue
10    myList.append((value, weight)) # append in list
11    myList.sort(key=_lambda index: index[0]/index[1], reverse_=True) #now list ky jo items hain value/capacity krky jo ans aye ussy sort then reverse
12    print(myList)
13    total_item = 0
14    for value,weight in myList:
15        if capacity==0: # if i have no capacity then i cant add anything
16            print("Sum of above values",total_item)
17            quit() #terminate
18        wrt_capacity = min(weight, capacity) # choose minimum value comparing to the capacity i have and the capacity i can pick
19        #print(wrt_capacity)
20        newval=wrt_capacity*value/weight
21        print("Value to be choose:",newval)
22        total_item += newval
23        capacity -= wrt_capacity
24    print("Sum of above values",total_item)
```

Run: daawork2

C:\Users\DELL\PycharmProjects\pythonProject4\venv\Scripts\python.exe C:/Users/DELL/Desktop/ML/daawork2.py

1 10
2 10
3 100 100
4 100 100

Value to be choose: 100.0
Sum of above values 100.0

Working for the test cases

value, weight

Test Case 1

mylist = ((60, 20), (100, 50), (120, 30))

11

4	120	20
3	60	20
2	100	50

mylist → ((120, 30), (60, 20), (100, 50))

18 Capacity = 50, value = 120, weight = 30 → total item = 0.

wt Capacity = 30

numval = wt Capacity * value / weight → $30 * 20 / 30 = 120$

total item = 120

Capacity = Capacity - wt Capacity = 20 = 50 - 30

14 value = 60, weight = 20, capacity = 20

wt Capacity = 20

numval = $20 * 60 / 20 = 60$

total item = 120 + 60 = 180

Capacity = Capacity - wt Capacity = 0 = 20 - 20

Now the Capacity is 0, so → 120 and 60

total item = 180 (Sum)

input

3	50
60	20
100	50
120	30

Output: 60 and 120

Sum: 180

Knapsack problem (greedy app)

20 → 30 → 50 in range

Test Case 2:

1	20
400	40

40/20 = 2

400/2 = 200

Output: 200

mylist = (400, 40)

Capacity = 20

value = 400

weight = 40

wt Capacity = 20

numval = $20 * 400 / 40 = 200$

total item = 200

Capacity = 20 - 20 = 0

Output = 200

Problem Statement 2:

Knapsack Problem:

(Dynamic Programming)

You are given a set of bars of gold and your goal is to take as much gold as possible into your bag. There is just one copy of each bar and for each bar you can either take it or not (hence you cannot take a fraction of a bar).

Problem Description:

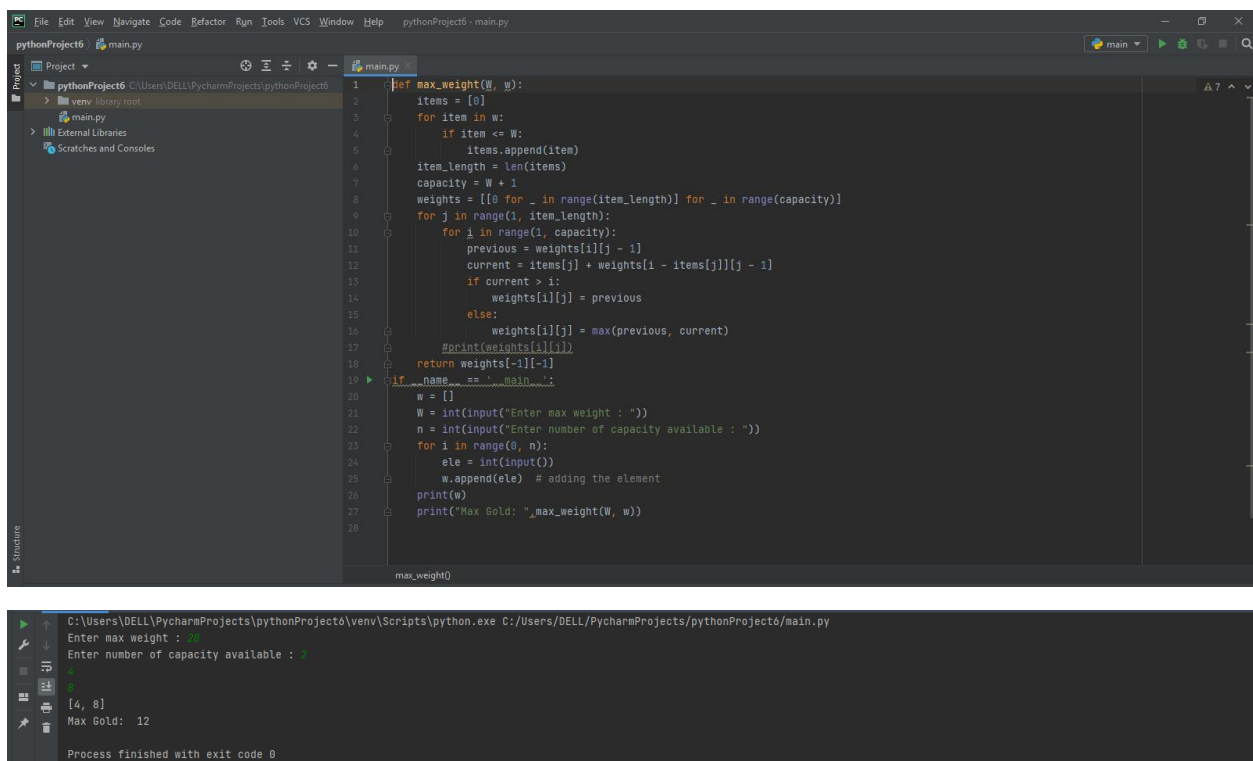
Goal: To implement an algorithm for the maximum weight of gold that fits into a bag of capacity.

Input: Firstly, asking for max weight and number of capacity available and take inputs for the capacity in the form of list.

Tool: PyCharm

Language: Python

Code and Output:



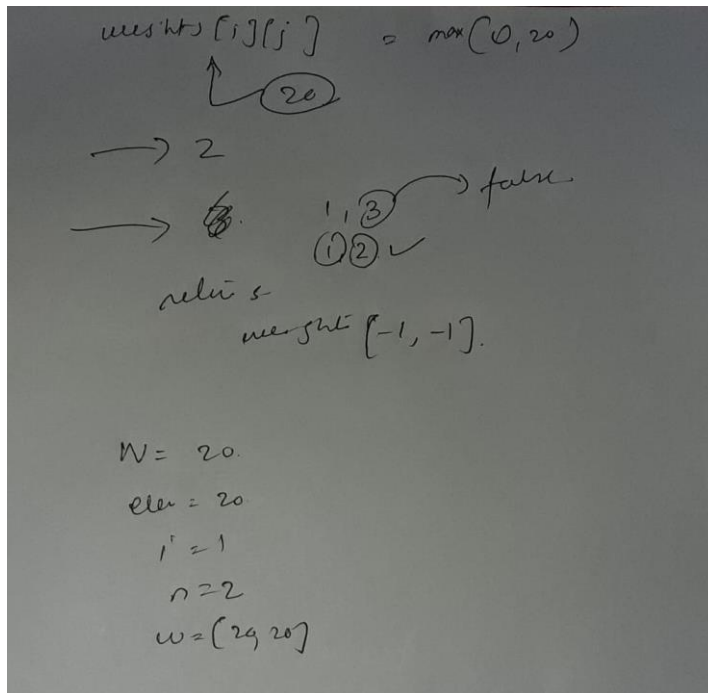
The image shows a PyCharm IDE window with a Python script for the Knapsack Problem. The code defines a function `max_weight(W, w)` that uses dynamic programming to find the maximum weight of gold that fits into a bag of capacity `W`. The input `w` is a list of gold bar weights. The code prompts the user for the maximum weight `W` and the number of capacity available `n`, then takes inputs for the capacity in the form of a list `w`. The output is the maximum weight of gold that fits into the bag.

```
1 def max_weight(W, w):
2     items = [0]
3     for item in w:
4         if item <= W:
5             items.append(item)
6     item_length = len(items)
7     capacity = W + 1
8     weights = [[0 for _ in range(item_length)] for _ in range(capacity)]
9     for j in range(1, item_length):
10        for i in range(1, capacity):
11            previous = weights[i][j - 1]
12            current = items[j] + weights[i - items[j]][j - 1]
13            if current > i:
14                weights[i][j] = previous
15            else:
16                weights[i][j] = max(previous, current)
17        #print(weights[i][j])
18    return weights[-1][-1]
19
20 if __name__ == '__main__':
21     w = []
22     W = int(input("Enter max weight : "))
23     n = int(input("Enter number of capacity available : "))
24     for i in range(0, n):
25         ele = int(input())
26         w.append(ele) # adding the element
27     print(w)
28     print("Max Gold: ", max_weight(W, w))
```

The output of the program is shown in the console:

```
C:\Users\DELL\PycharmProjects\pythonProject6\venv\Scripts\python.exe C:/Users/DELL/PycharmProjects/pythonProject6/main.py
Enter max weight : 12
Enter number of capacity available : 4
[4, 8]
Max Gold: 12
Process finished with exit code 0
```

$W = 20$
 $n = 2$
 $W = [20, 20]$
 4 \rightarrow for item in $W \rightarrow 20$
 item = 20
 item_length = len(item) $\rightarrow 20$
 Capacity = 21
 3
 ↑
 8. mergeSort = [10 for in range(item_length)]
 for in range(Capacity)]
once done
 $W = 20$
 Capacity = 21
 item = 20
 item_length = 3
 items = [0, 20, 20]
 $W = [20, 20]$ 0 - 20
 mergeSort = [[] [] [] - - - -]
 9. \rightarrow for j in range(1, item_length) 1 - 3
 for i in range(1, Capacity) 1 - 20
 previous = mergeSort[j][j-1] $\leftarrow 0$
 current = list[j] + mergeSort[j][j-1]
 \uparrow 20 + 0 [1][0]
 current > i $\rightarrow 20 > 1$ True
 mergeSort[j][j] = 0
 j \rightarrow 20 index \rightarrow [j] \rightarrow (else)



References:

https://www.tutorialspoint.com/data_structures_algorithms/greedy_algorithms.htm

<https://www.hackerearth.com/practice/algorithms/greedy/basics-of-greedy-algorithms/tutorial/>

<https://www.geeksforgeeks.org/dynamic-programming/>

<https://www.geeksforgeeks.org/0-1-knapsack-problem-dp-10/>