

1ST YEAR EVEN SEM.
Assignment
ECE 1201



ECE 1201
1201
1201

Safa

University



ZAFEEEM TASNIM BEGUM

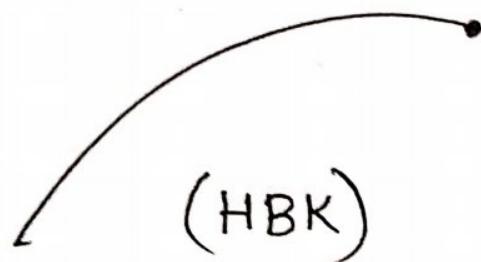
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Dreambird

ECE 3119

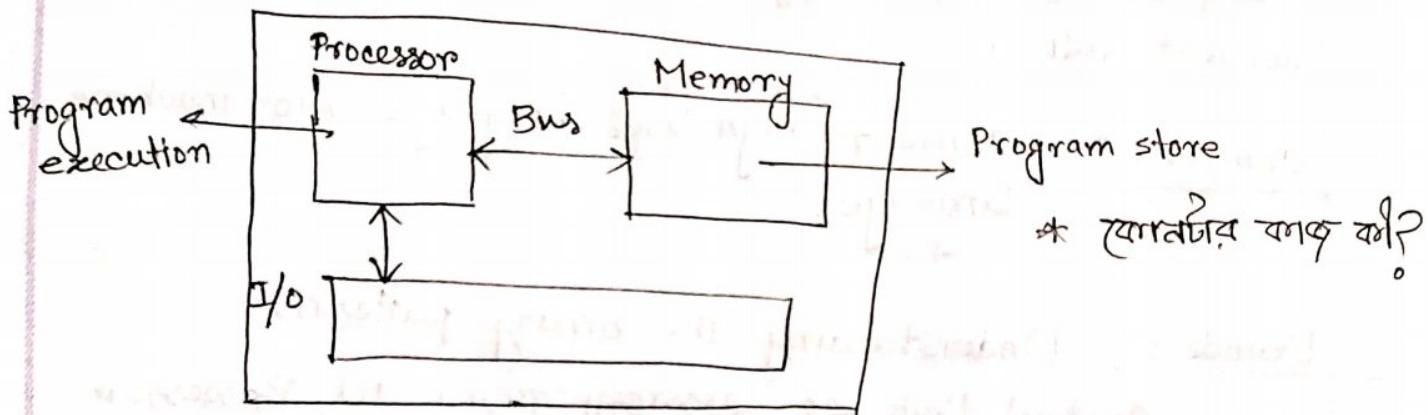
Computer Architecture and
Design

Credit : 3.00



Computer → compute or executing program

processor's job



Input & output Device

↓
Keyboard, mouse ↓
Monitor, Printer

Memory

* Program → a set of instruction

* Bus → connect করে রাখ

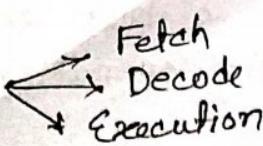
Processor এর ক্ষেত্রে আছে :

→ Control Unit → Fetch decode

→ Execution Unit → Execution

Memory থেকে Bus এর মাধ্যমে Fetch এবং decode রাখে program executed হয়।

* Processor এর কাজ কী ?



* What is Decode? → Convert এর পুর অর্থাৎ instruction - কৃতি decode.
 → Machine Learning মানেই 0 and 1.

Compiler এর কাজ program রে machine language র
 convert করা।

Compiler: convert high level language into machine language.

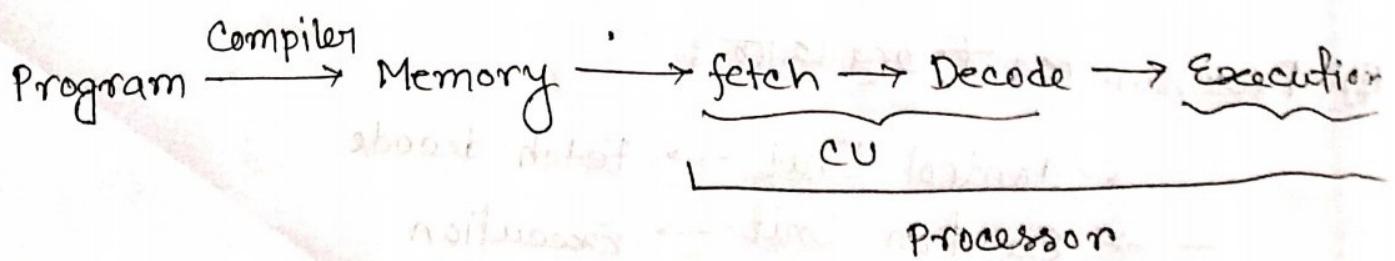
Decode: Understanding the binary pattern.

Control Unit এই কানিগুলো করে। CU, Processor
 এর অংশ।

Assembler:

Converting to assembly language into machine language.

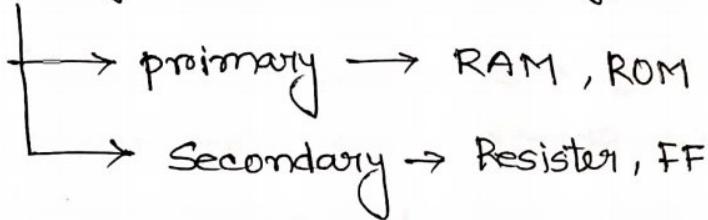
Opt Code:



ALU: Arithmetic Logic Unit:

execution → help করি
 Arithmetic operation

Memory : stores the program



Cache → independent memory

How to Represent Number

→ Signed Number (can be + & -)

→ Unsigned Number (always +)

* How to represent negative number?

→ 2's complement वे यहाँ देखें।

* कैसे 2's complement use करें अतः method use किसका?

→ 3bit method of number representation →

① Sign Magnitude

3 bit = $2^3 = 8$ combinations

Half positive Half negative numbers

$$+3 \rightarrow 011$$

$$+2 \rightarrow 010$$

$$+1 \rightarrow 001$$

$$0 \rightarrow 000$$

$$-1 \rightarrow 101$$

$$-2 \rightarrow 110$$

$$-3 \rightarrow 111$$

(-) sign (-) magnitude

① Sign Magnitude

② 1's compliment

③ 2's compliment

sign magnitude 11100 represent കുറഞ്ഞ എന്നോ ഒരു സംഖ്യയെ പ്രതിനിധിപ്പിക്കുന്നതുമല്ല. it denotes negative zero which is impossible.

So, it's a drawback.

■ 1's compliment :

011

010

001

000

110

101

100

ഏകദേശം,

111 missing.

ഏകദേശം, negative number നു sign position വാലെ magnitude എന്ന പിണ്ഠായും 0 മാറ്റണം 1 ഹൈ, 1 മാറ്റണം 0, 0, 0.

so,

$$111 \rightarrow 100 = -0$$

\swarrow ഏടി negative zero denote കുറഞ്ഞ
which is impossible.

* 2's compliment :

(1's compliment + add 1) \rightarrow negative number হলে
positive number always unchanged.

$$\begin{array}{rcl} +3 & \longrightarrow & 011 \\ +2 & \longrightarrow & 010 \\ +1 & \longrightarrow & 001 \\ 0 & \longrightarrow & 000 \\ -1 & \longrightarrow & 111 \\ -2 & \longrightarrow & 110 \\ -3 & \longrightarrow & 101 \end{array}$$

$$\begin{array}{rcl} -3 & \rightarrow & 011 \\ & & \overline{\underline{+1}} \\ & & 100 \\ & & +1 \\ & & \hline 101 \end{array}$$

* short cut way for 2's compliment :

From the right hand side, copy the number as it is, till you get first 1, then invert everything.

first 1-টি বস্তু, এর পর যেকোনো স্থানে তা invert হবে।

এমানে,
100 missing.

After checking,

$\begin{array}{r} 100 \\ \swarrow \\ \text{negative, so 100 is 2's compliment কাহুর} \end{array}$
 $100 = 4 \rightarrow$ এখন 100, 4 কে represent কৰিঃ

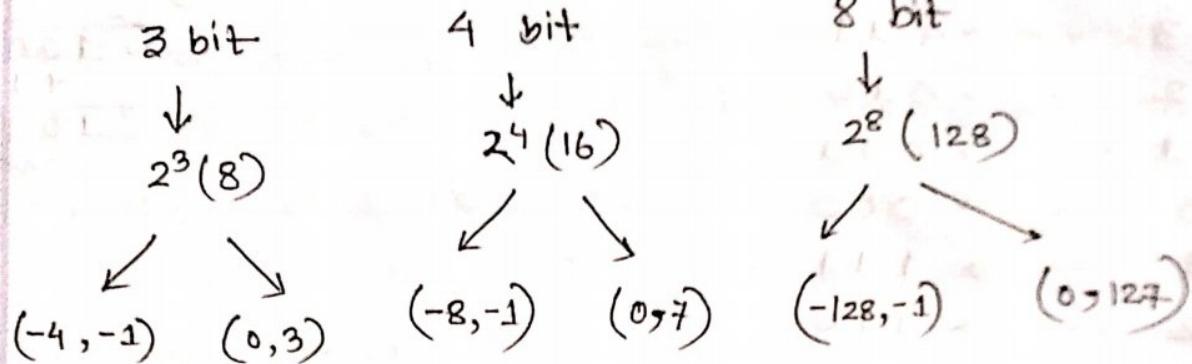
2's compliment \cong কোনো negative
zero নাই, অথবা কেবল unique
combination কাহুর কাহুর 2's
compliment কৰিঃ

$$\begin{array}{rcl} 011 \\ +1 \\ \hline 100 = 4 \text{ (Binary)} \end{array}$$

Binary Number :

16	8	4	2	1
----	---	---	---	---

2^4	2^3	2^2	2^1	2^0
-------	-------	-------	-------	-------



$$5 \xrightarrow{\quad} +5 \rightarrow 0101$$

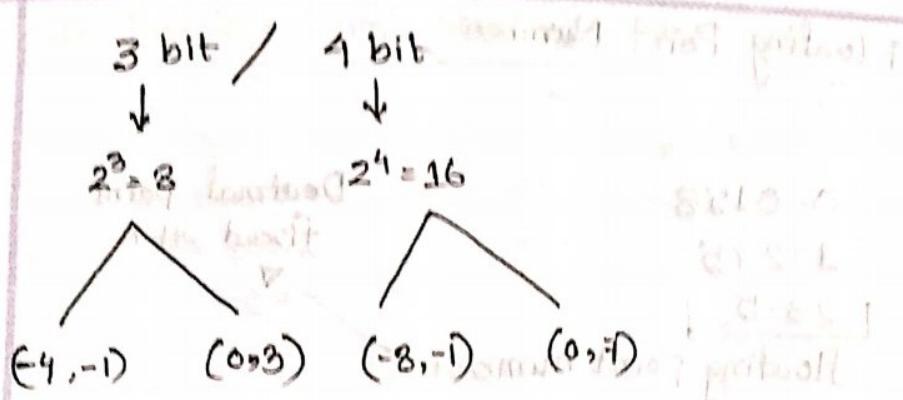
$$5 \xrightarrow{\quad} -5 \rightarrow 1011$$

101 → 101 2's compliment ଏହି ତଥା
ଏହି କିମ୍ବା
sign (negative)

$$101 \Rightarrow \begin{array}{r} 010 \\ +1 \\ \hline 011 = +3 \end{array}$$

ଅର୍ଥାତ୍, 101 ହଳ (-3).

0 0 0 0 0 0 1 → positive number is
finite leading zero ଅଛି
in a same way,
1 1 1 1 1 1 0 1 → negative number is finite
leading 1 ଅଛି



$$5 \rightarrow +5 = 01010$$

$$5 \rightarrow -5 = 10111$$

* $7 \rightarrow +7 = 0111$ $-7 \rightarrow 1001$

$$67 \rightarrow +67 = 01000011$$

$$67 \rightarrow -67 = 10111101$$

$$85 \rightarrow +85 = 01010101$$

$$85 \rightarrow -85 = 10101011$$

प्रथम 4 जी ना पिछे अच्छे
पिछे इष्ट।

128 64 32 16 8 4 2 1

1 0 0 0 0 1 1

2.5

0.5

0.5

0.5

second position

जोड़ तो यहाँ करना है एक बिंदु

50 x 50 → 2500

50 x 50 → 2500

50 x 50 → 2500

Floating Point Number

fixed position number
 56.7
 78.2
 42.5

0.0158
 1.275
 23.5
 floating point number

Decimal point fixed

* Any number where the position of the number is not fixed is called floating point number.

Computer এ আর্থে ফেরতে পদ্ধতির represent কৃত্ব এটি রূপাত্ত floating point নামে।

73.2
 649
 .847
 5.63

convert the floating point into
 fixed point

Normalization process

fixed point এ প্রোগ বিহুলী কৃত্ব easy.

$$73.2 \rightarrow 7.32 \times 10^1$$

$$649 \rightarrow 6.49 \times 10^2$$

$$.847 \rightarrow 8.47 \times 10^{-1}$$

$$5.63 \rightarrow 5.63 \times 10^0$$

একটি list দিয়ে
 কম্ব এনুলোড
 Normalization কৃত,

Floating Point Numbers:

73.2	7.32×10^4
649	6.49×10^2
• 847	8.47×10^{-1}
5.63	5.63×10^0

point কথামা pc তে store কৃত হয়ে না, এটি register এ অন্যথের stored হয়।

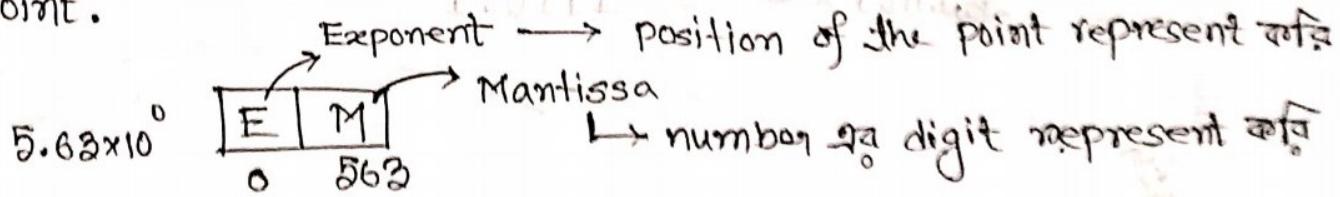
fixed point এর জন্যে 1st এ point ignore করে then ^{last} এ বসাও।

But floating point এর জন্যে point store কৃত হয়ে না। আব ignore করলে পালব না, তাই floating point কে fixed point এ convert কৃত হয়, এরে Normalization বলে।

Normalization :

Rule ইল just দশমিকে left side এ only one non-zero number পালব।

There should be only one non-zero digit to the left of the point.



$$0.101.001 = 0.101001 \times 2^2$$

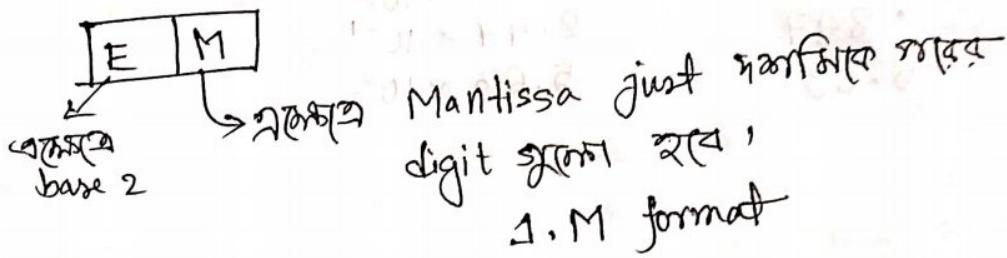
$$11111.01 = 1.111101 \times 2^4$$

$$0.0010 = 0.0010 \times 2^0$$

$$-10.01 \Rightarrow = (-1) \times 1.001 \times 2^1$$

ক্ষেত্রে base
 2.
 সূচিত পুরো
 কর্তৃত অস্বার,
 left এ (+),
 right এ (-)

Binary normalization এর অসমিক্ষের অংশ ১
যাকে, তাই এটা extra করে store করি না,



Negative value প্রক্রিয়া জ্ঞানের different problem:

ex pc টেক hyphen set রয়ে থাকে না।

একজুড়ে,

$(-1)^s$ একজুড়ে s=0 positive
s=1 negative

q) S.E.M (digit of the number without 1.8e.)

$$(-1)^s \times 1.M \times 2^E$$

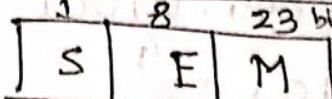
ex: M=1101

Normalize form for the binary pattern.

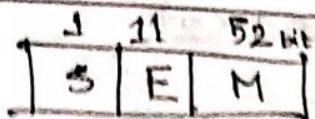
E=3

$$1.1101 \times 2^3 = 1110.1$$

IEEE - 754 - 32 bit format (single precision)



IEEE - 754 - 64 format (Double precision)



Prob যদি exponent ৷ minus আছে?

$$\begin{array}{r} 3 \times 10^3 \\ (+) 2 \times 10^3 \\ \hline 5 \times 10^3 \end{array}$$

$$\begin{array}{r} 3 \times 10^3 \\ 2 \times 10^4 \\ \hline \end{array}$$

extra রাখি করা লাগবে exponent এর জন্য যদি neg হয়,
এই prob solve কুমুবে।

Biased exponent :

এখানেও অক্ষয় কাটা But কোথা
অক্ষয় করা লাগে কেন?

↳ এখানে অক্ষয় করে change কর
then \Rightarrow change করে আব দাফত্ত করা
হবে।

Biased Exponent = True Exponent + Bias

$$BE = TE + Bias$$

Bias কিসবে করা নিব।

Bias যদি 200 হয় negative side এ তাহলে পোজিটিভ
number করা নিতে হবে।

For 32 bit case: 8 bit

$$2^8 = 256$$

$$200 + 56$$

↖
neg

↓
pos করা হবে

Single Precision

1.27 Bias

Bias selection support equal number of positive & negative

Q) 64-bit:

Double Precision

11 bit exponent

$$2^{11} =$$

1023 Bias

Q: Why we use bias?

Q: Bias 127 কো লেন?

* Q: Convert $(14.125)_D \rightarrow$ single precision

Step:

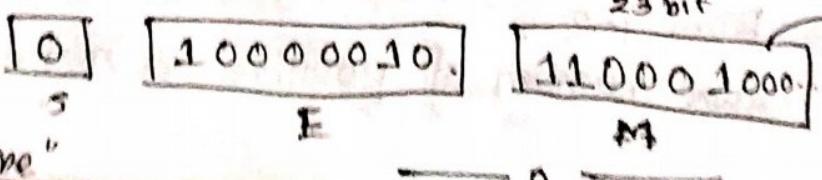
- ① convert Binary
- ② Normalization
- ③ Take the bias
- ④ Convert Bias exponent into binary
- ⑤ Substitute into required format

1110.001

$$1.110001 \times 2^3$$

$$BE = 3 + 127 = 130$$

$$(130)_D = (100000010)_B$$



$$\begin{aligned}
 0.125 \times 2 &= 0.25 \\
 0.25 \times 2 &= 0.5 \\
 0.5 \times 2 &= 1
 \end{aligned}
 \quad \downarrow 0 \quad \downarrow 0 \quad \downarrow 1$$

গুরুত্ব 23 পদটি
অবস্থানিত
গড়ে স্বত্ত্ব
যোগ কোষ এসমূহ

Floating Point Numbers:

S	E	M
1	2	563

$$\Rightarrow -5.63 \times 2^2 = -5.63 \times 10^2$$

$$\Rightarrow -563$$

S	E	M
1	1	001

$$\Rightarrow -10.01.$$

$$\Rightarrow \text{Normalize form} \Rightarrow (-1)^1 \times 1.001 \times 2^1$$

exponent এ neg sign দিলে- extra work করতে হবে- anti-calculation

Q. এটি solve করতে Bias কৈমা হয়ে-

Q. Bias কৈমা হয় ?

→ To make the calculation faster. কেন?

exponent এ minus sign দিলে- addition করার প্রয়োজন নেই

প্রতিবারু compare করতে হবে, এক্ষেত্রে extra steps আছে।

অরু addition এর extra step মানে multiplication, divide
etc অথ ক্লিপেট 10 ঘূর্ণ or extra steps আছে।

Q: Biasing পদ্ধতি number কৈমা হয়?

Q: single precision 127 কৈমা?

BE = 127 & BE = 1023 (Double precision)

$$\text{Exp: } 8, 2^8 = \frac{256}{2} = 127.5$$

So that it can support equal number of positive and negative.

Q: 0.00101 represent the number in double precision.

$$0.00101 = 1.01 \times 2^{-3} = (-1)^0 \times 1.01 \times 2^{-3}$$

S	E	M
0	3	01

2 expo ১০ কাহার
দ্বারা বিনামূলে
করা হয়।

$$\text{Bias exponent} = 1023 - 3 = 1020$$

$$(1020)_D = \begin{array}{r} 10000000010 \\ 1111111100 \end{array}$$

right side ১০
পুরোটা নিলে
minus হবে।
left এ নিলে
plus হবে।

S	E	M
0	1111111100	01000000000000000000000

- * Mantissa এর আনন্দের পরে C2 mantissa, decimal point এর পরের সংখ্যা represent করে, তাই এর right এর শৈলীতে value change হবে না,
- * Exponent এর প্রথম left এ zero যাওয়ার হবে, bit fill up করার জন্য।

Q: 0.101.001 → single precision,

$$\Rightarrow (-1)^0 \times 1.01001 \times 2^2 \Rightarrow \text{Normalized form}$$

$$BE = 127 + 2 = 129$$

S	E	M
0	10000001	01001000 → 0

Mantissa always
single precision
এ 23 bit পরিষে
represented
হবে।

ज्ञान always 0 हो परिवर्तन Bias का काम नहीं neg फला होता है।
तो हमें 1 रखते हैं।

Book : William Stallings → W

Q: convert (-14.125) → single precision

$$\rightarrow (-1^0 \times 1.110001 \times 2^3)$$

$$BE = 130$$

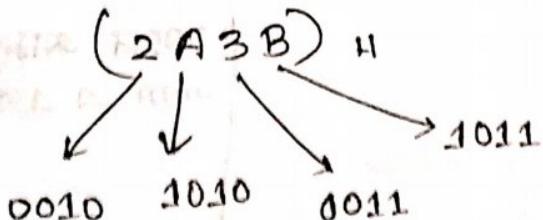
0	10000010	110001 → 0
---	----------	------------

Q: (-14.125)

$$\rightarrow (-1^1 \times 1.110001 \times 2^3)$$

S	E	M
1	10000010	110001 → 0

Q: $(2A3B)_{16}$



$$\Rightarrow (0010101000111011) = (1.0101000111011)$$

$$= (-1^0 \times 0101000111011 \times 2^{13})$$

$$BE = 13 + 127 = 140$$

1 bit	10001100	23 bit 0101000111011 → 0
0		

Adder Circuit :

ପ୍ରକଳ୍ପମାତ୍ର : Half Adder
Full Adder

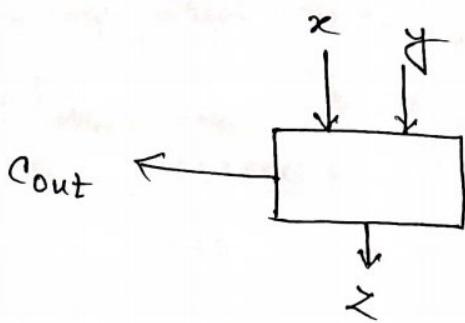
$$\begin{array}{r}
 3 \\
 + 2 \\
 \hline
 0 \ 1 \ 0 \ 1
 \end{array}$$

4 bit addition

4 bit Adder

n bit adder for
n bit addition

Half Adder : (1 bit Adder)



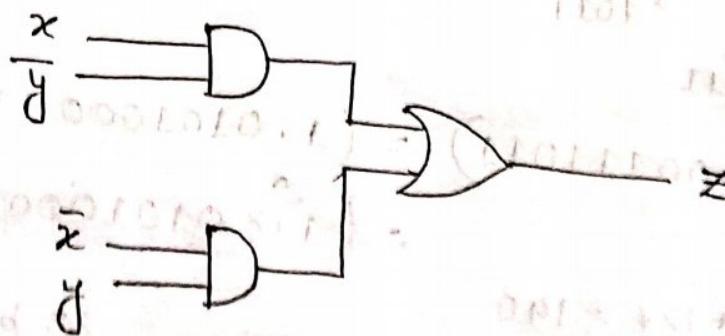
I/P $\rightarrow x, y$)

O/P $\rightarrow \text{sum}(z),$
carry (Cout)

ଏ ଦ୍ୱାରା ମାନ,

$$z = x \cdot \bar{y} + \bar{x} \cdot y \quad (\text{sum } 1 \text{ ପାଇ})$$

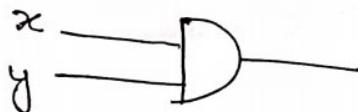
Gate Design :



କିମ୍ବା ଆମୁଖୀ
sum ଏ ଏ ପାଇ?

carry = 1 সৃষ্টিমাত্র যখন $x=1, y=1$

$$C_{out} = x \cdot y$$

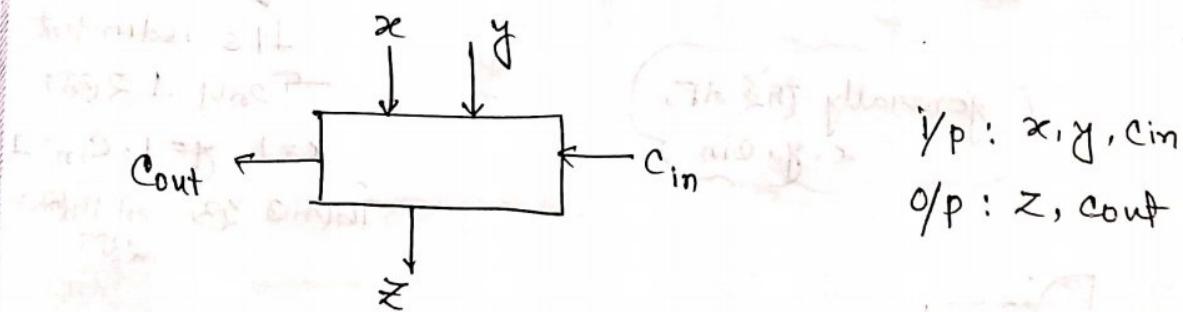


* কখন Half Adder কাটি বলো?

It can add two 1 bit number independently, but it can't be used in a circuit with a series of numbers.

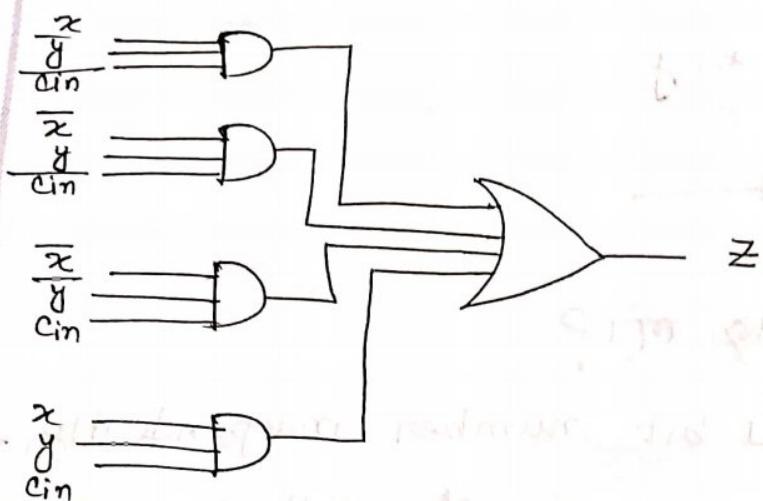
এগুজ Half adder থেকে full adder এ switch করো,

Full Adder : (1 bit Full Adder)



Sum ১ পাব যখন, যেগোনো একটি ১ হবে provided by the others zero, তিনটি input এর মধ্যে, আবার তিনটি ১ হলেও আবার sum ১ পাব।

$$\therefore Z = x \cdot \bar{y} \cdot \bar{C}_{in} + \bar{x} \cdot y \cdot \bar{C}_{in} + \bar{x} \cdot \bar{y} \cdot C_{in} + x \cdot y \cdot C_{in}$$

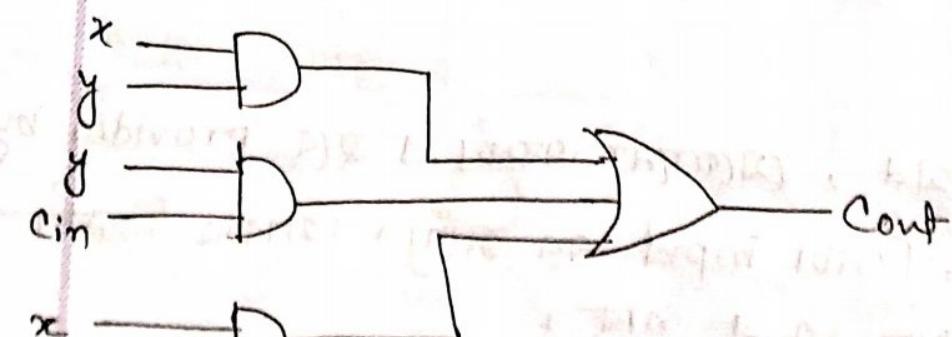


* $C_{out} = 1$ পাব তখনই- যেখেনসে দুইটি 1 হলে। একজন
third টা দেখা লাগে না,

$$C_{out} = x \cdot y + y \cdot cin + x \cdot cin + x \cdot y \cdot cin$$

generally হচ্ছে না,
 $x \cdot y \cdot cin$

It's redundant
তিনটা 1 রয়ে
 $x = 1, y = 1, cin = 1$
দিয়েও হব্ব , না দিলও
হব্ব;



4 bit Full Adder :

$$\text{I/p} \quad \begin{cases} x = x_0 \ x_1 \ x_2 \ x_3 \\ y = y_0 \ y_1 \ y_2 \ y_3 \end{cases} \quad \& \quad c_{in}$$

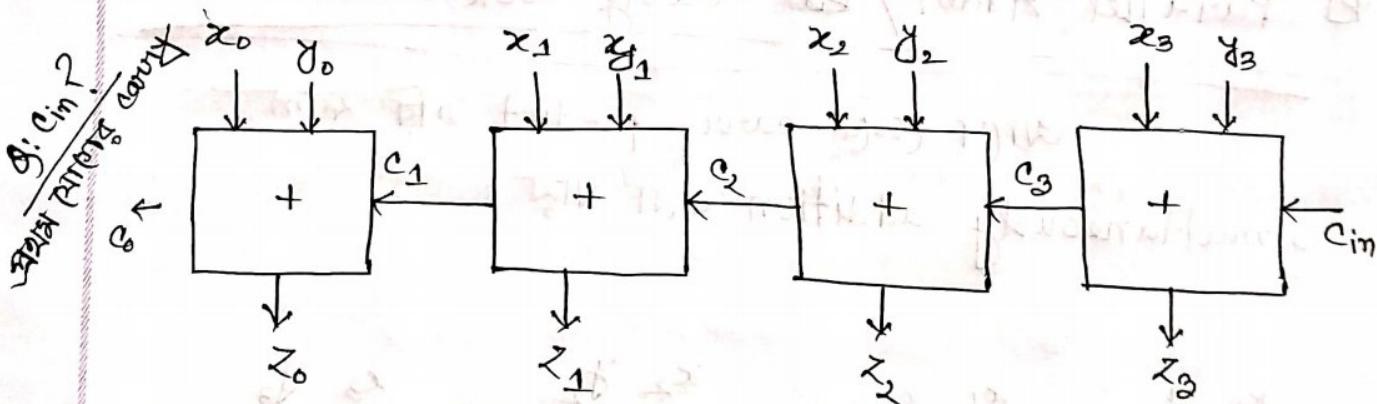
$$\text{O/p} \quad z = z_0 \ z_1 \ z_2 \ z_3 \quad \& \quad c_o$$

$$x = 0010$$

$$y = 10011$$

Addition :

Serial /Slow/ripple carry Adder:



প্রথম ক্ষেত্রে $c_{in} = 0$ হিস্তি, এবং তখন কোনো carry থাকবে।

একে একে addition serially হচ্ছে। serially হল দোধে
It's slow & একে একে carry টা- ripple হচ্ছে।

অসুবিধা: একটি addition আরেকটির ফলের dependent so
একটি না হলে- অন্যটি হবে না।

এমন্তে, LSB টা গুরুত্ব রাখবে, এটা change করালে
Figure change হবে।

1 bit এর জন্য 4 cycle, n bit এর জন্য n cycle হবে; time consuming.

Ripple-হস্ত অঘোষ করে এবং তাতে কান্তি pass হয়,
একেন্দ্র এই adder use করা হয় না। Computer fast
calculation করে।

একেন্দ্র parallel adder এ switch করি।

62 bit 62 cycle

1 cycle 2 sec সামান্য

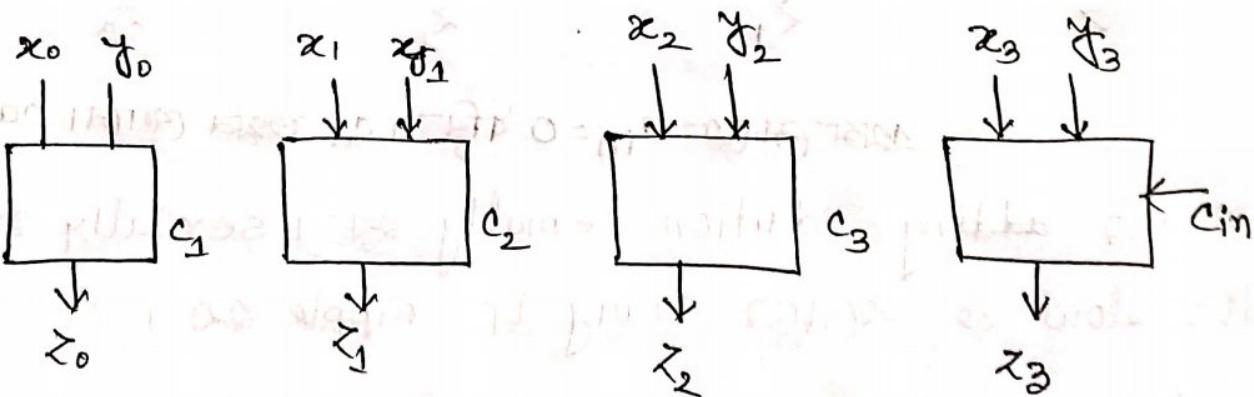
$62 \times 2 \text{ sec}$

for serial adder

□ Parallel Adder / ~~or~~ Carry look ahead adder:

যাতে যোকে carry predict করি ফল

simultaneously addition করা যায়।



generate, $g = x \cdot y$

propagate, $p = x + y$

$$c_3 = x_3 \cdot y_3 + y_3 \cdot c_{in} + x_3 \cdot c_{in}$$

$$= x_3 y_3 + c_{in} (y_3 + x_3)$$

$$= g_3 + c_{in} p_3$$

input প্রেসেছি C_3 generate করা যাবে,

$$C_2 = q_2 + P_2 \quad C_3 = q_2 + P_2(q_3 + C_{in} P_3)$$

$$C_1 = q_1 + P_1 \quad C_2 = q_1 + P_1(q_2 + P_2(q_3 + C_{in} P_3))$$

C_3 -ৰা C_2 এবং তন্মুক্ত অন্তর্ভুক্তির লিএ dependent খালি জাগে না, C_{in} দিয়ে আব �input দিয়েছি কর্তৃত যাবো।

$$\therefore C_0 = q_0 + P_0 C_1$$

$$= q_0 + P_0 [q_1 + P_1 \{q_2 + P_2 (q_3 + C_{in} P_3)\}]$$

একজোত একটি আন্তর্ভুক্তির লিএ dependency নেই, তাহু' 1 cycle এই carry generate হল্ট যাবে, calculation fast

হবে।

* অনেক bit একচাইম calculation করা prb না, prb হল wait কৰে একটি আন্তর্ভুক্তির লিএ depend কৰে calculate কৰুন, so, parallel Adder effective.

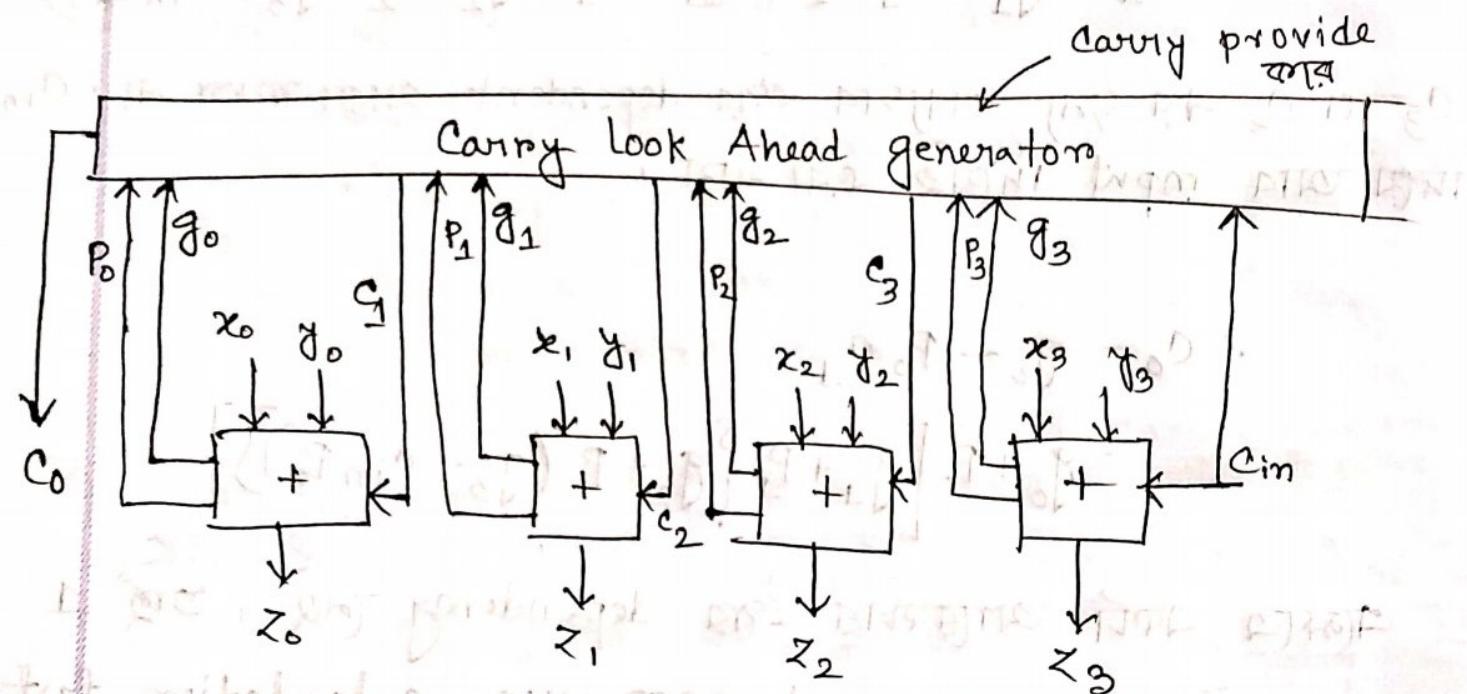
* 1st cycle এ generate & propagate produce কৰবো।
2nd cycle এ carry produce কৰবো।
3rd cycle এ addition কৰবো।

So, parallel adder এ 4 bit calculation এর জন্য

৩ টি cycle লাগবে, serial এর জন্য 4 bit এ

4 টি cycle লাগবে, So time save হচ্ছে ।

carry provide
কর্ম



total ৩ parallel Adder

1st cycle : generate & propagate produce

2nd cycle : carrying

3rd cycle : Addition

$$i/p : z = z_0 \ z_1 \ z_2 \ z_3$$

$$y = y_0 \ y_1 \ y_2 \ y_3 \ \& \ C_{in}$$

$$o/p : z = z_0 \ z_1 \ z_2 \ z_3 \ \& \ C_0$$

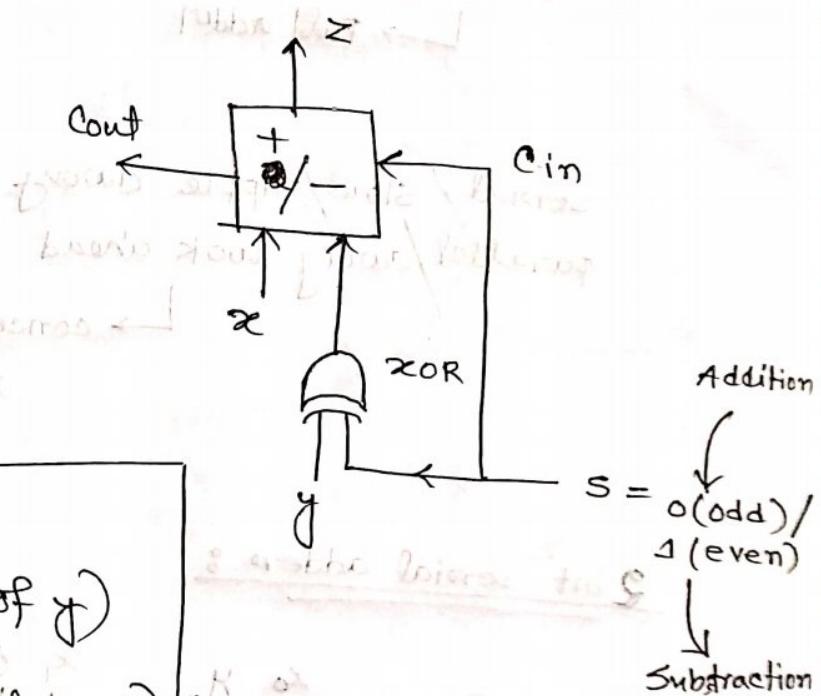
Subtractor :

Adder দিয়েই subtract করা কান্দ হয় - ,

Subtractor এর প্রক্রিয়া
mainly adder এর carry.
carry লাগে না।

4/16 bit এর জন্য
আলগুলি এইচিপি
এসেছে just
describe করে \Rightarrow
দিব।

$$\begin{aligned} x - y &= x + (-y) \\ &= x + (2's \text{ complement of } y) \\ &= x + (1's \text{ complement of } y + 1) \end{aligned}$$



XOR	
0	0
0	1
1	0
1	1

Subtractor এর জন্য
আলগুলি ফেন্স কীভুলি
নেই। Adder দিয়েই কারি।

- * $S = 1$ হলে subtraction হবে। কিভাবে?
- * $S = 0$, হলে Addition হবে,

কোনো num কে 0 এর সাথে XOR কুরলে \Rightarrow num এর
পার আর 1 এর সাথে XOR কুরলে inverse পাব।

"Week 2 Done"

Q: Half Adder এবং তেন Full adder এ switch করি।

Q: X number কে Half adder ব্যবহার করে পারবে? না পারলে—
কী কারণ?

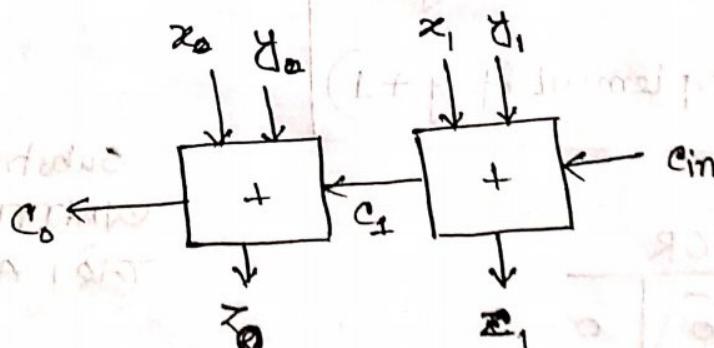
↳ Full adder

serial / slow / ripple carry

parallel / carry look ahead

↳ concurrently process কুকুর
পাই,

2 bit serial adder :



i/p : $x_1, y_1, \text{cin}, x_0, y_0$

O/p : z_0, z_1

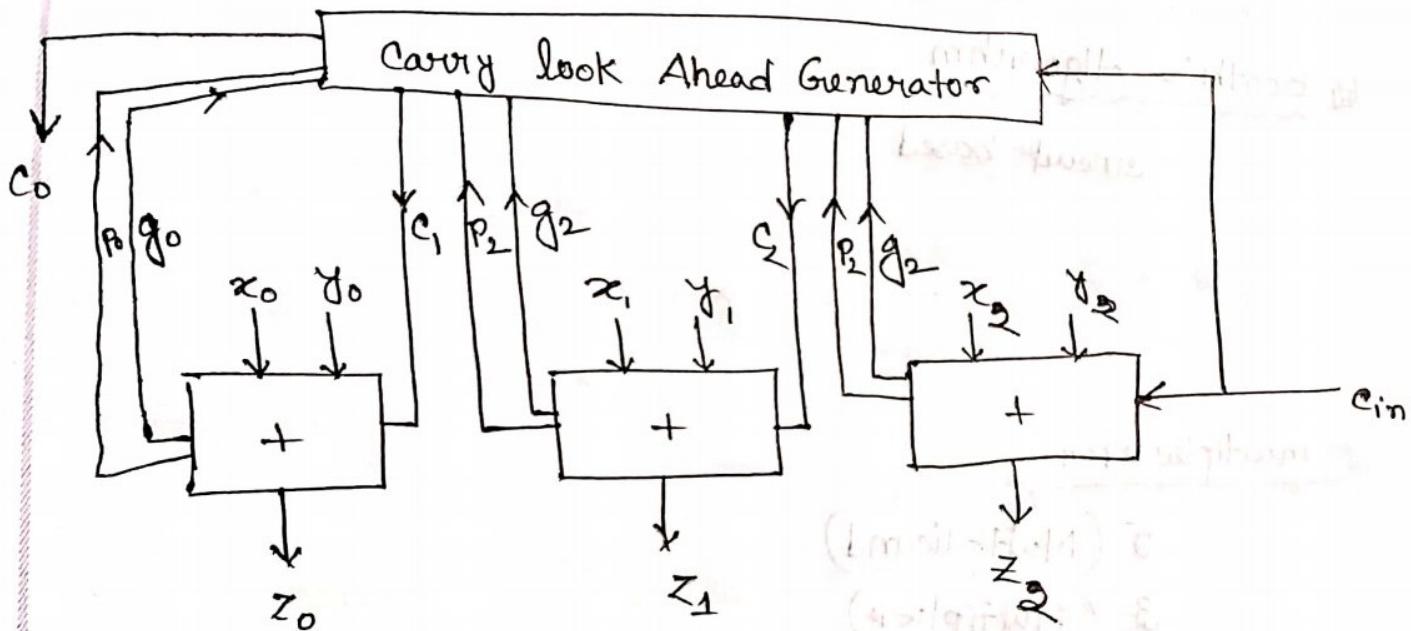
$$i/p : x = x_0 \ x_1$$

$$y = y_0 \ y_1 \quad \text{Be } \text{cin}$$

$$O/p : z = z_0 \ z_1 \quad \text{Be } c_0$$

Subject: _____
Date: _____
Time: _____

3 bit Parallel adder :



CL "Most important"

$$i/p : z = z_0 \quad z_1 \quad z_2$$

$$y = y_0 \quad y_1 \quad y_2$$

& c_{in}

$$o/p : z = z_0 \quad z_1 \quad z_2 \quad \& \quad c_o$$

MSB ~~75%~~ operation
start ~~75%~~

L0L0

LL00

L0L0

LL00

XX00

XX00

30.03.2022

Wed

Date: Lec-7 Time:

Multiplication :

Booth's Algorithm

circuit based

multiplication :

5 (Multiplicand)

3 (Multiplier)

15

255×255

255 কে 255 বায়ু যোগ করা which is
is step consuming.

এই নিম্নমত্ত্ব বলে Repeated addition.
প্রতি time consuming

To solve this, Basic Multiplication :

$$\begin{array}{r}
 & 0101 \\
 \times & 0011 \\
 \hline
 & 0101 \\
 & 0101x \\
 & 0000xx \\
 & 0000xxx \\
 \hline
 & 0001111 (15)
 \end{array}$$

partial product

একটি 4 step

ভর্তি হয়ে যায়,

আলকা বড় নয়ে

এবং স্থানে এটি

calculation easy.

* এখানে mainly addition
হচ্ছে !!

$2^8 \rightarrow 8$ steps

$2^4 \rightarrow 4$ steps

$2^n \rightarrow n$ steps

Addition + Shifting + Addition + ...

* steps of Basic Multiplication,

Steps

1. Num of steps = bit of multiplier
2. Check the bit of multiplier from LSB.
3. Multiplier = 1 \rightarrow Multiplicand Itself
Multiplier = 0 \rightarrow 0
4. Add all partial products.

partial product
(যাদি ক্ষেত্র
মাধ্যমিক
আনন্দ পদ্ধতি
result পদ্ধতি)

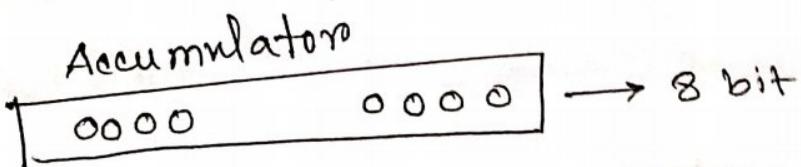
Register required :

We don't store partial product in register.

Q: $2^3 \times 2^5$ গুণের জন্য accumulator size কত হবে?

$$\rightarrow 2^3 \times 2^5 \Rightarrow 5+3=8$$

store করা



প্রতিটি step এ store করে add করুন, এই storing procedure এর প্রক্রিয়া একটি বলে accumulator.

Accumulator

0	0	0	0	0	0	0	0
---	---	---	---	---	---	---	---

$$\begin{array}{r}
 & + \\
 & 0101 \\
 \hline
 & 0101 \\
 & + 0101 \\
 \hline
 & 0010 \quad 1000 \\
 & + 0101 \\
 \hline
 & 0111 \quad 1000 \\
 & + 0101 \\
 \hline
 & 0011 \quad 1100 \\
 & - 001 \\
 \hline
 & 000 \quad 111
 \end{array}$$

একটি right shift

Step 1 Step 2 Step 3 Step 4

(15)

zero
 শূন্য
 add
 যোগ
 just
 shift
 পুরুষ

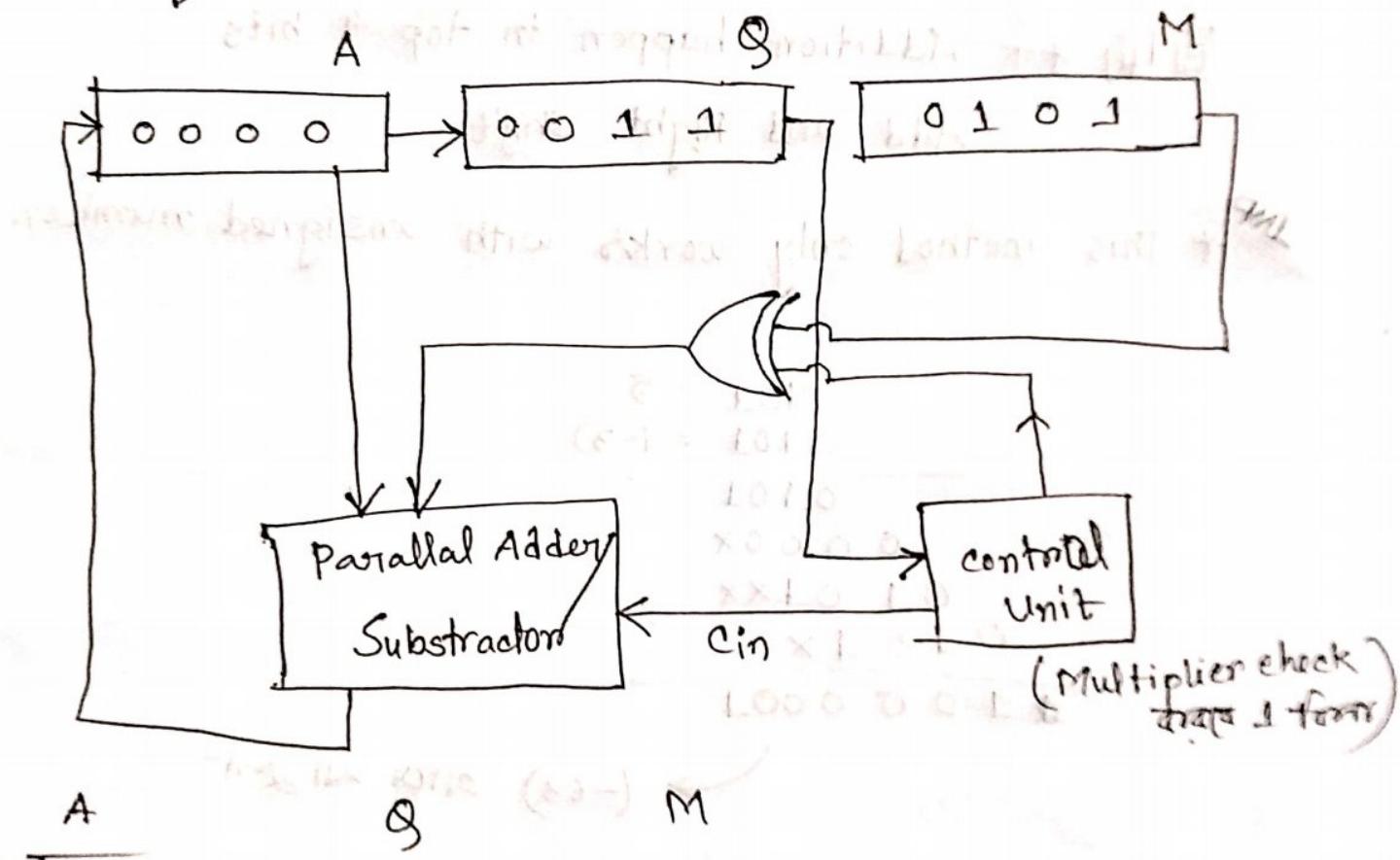
- Q:
- Reg 1⁶ → 4 bit → Addition
 - Reg 1⁶ → 4 bit → Multiplication
 - " 1⁷ → 8 bit → Accumulator

Circuit

4bit +
4bit
= 8 bit
last step ए
A & Q मिले
result पाएँ

एकान्त 8 bit ना निये
9 bit क्यों लें?

Multiplicand $\rightarrow M$
Multiplier $\rightarrow Q$
Accumulator $\rightarrow A$



A	Q	M
0000	0011	0101
0101		
0010	1.001	
0111		
0011	1100	
0001	1110	
0000	1111	

$$5 = 0101$$

$$3 = 0011$$

Accumulator Calculation

** Addition happen in top 4 bits

Add and Right Shift

~~IMP~~ * This method only works with unsigned number.

$$\begin{array}{r}
 0101 = 5 \\
 1101 = (-3) \\
 \hline
 0101
 \end{array}$$

Partial product
 First
 0 0.0 X
 0.1 0.1 XX
 0 1 0 1 X 0 0
 \hline
 1 0 0 0 0 0 1

Most significant bit
 Most significant bit
 Most significant bit

Partial product
 Partial product
 Partial product

→ (-63) আরও সাইজ

negative number এবং partial product ও negative বিষয়।

বিক্রিয় অসম্ভব partial product এ zero এনিমাত্র।

এখন mainly one use কৃত্য হয় প্রাপ্ত প্রক্রিয়া
 partial product এবং MSB বাত-। যদি 1 হয় তখন
 shifting এবং time এ 1 (কো মেয়ে)

Q: Why fail?

= Why fail ?

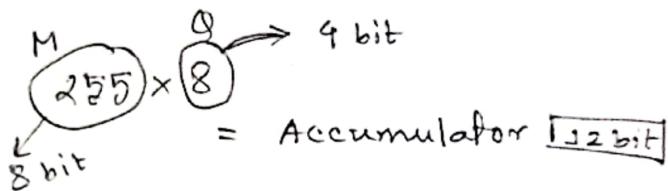
→ When you multiply neg number, your partial product will be negative.

negative number has infinite leading 1.

After Eid-ul-Fitr Vacation.

5 → Multiplicand (M)
 3 → Multiplier (Q)

$$\begin{array}{r}
 0101 = 5 \\
 0011 = 3 \\
 \hline
 0101 \\
 0101 \times \\
 0000 \times x \\
 \hline
 0000 x \\
 \hline
 0001111 = \text{Accumulator}
 \end{array}$$



III] Steps of Booth's Algorithm:

1. Number of steps = Number of bits in multiplier.
2. At each step, examine two consecutive bits of multiplier from LSB.
3. if transition $0 \rightarrow 1$ (Subtract M)
 $1 \rightarrow 0$ (Add M)

for step & Right Shift 2(3),

Subject.....
Date:..... Time:.....

Booth's Algorithm

$$(5 \times 7)$$

$$+5 : 0101$$

$$-5 : \cancel{1101}$$

$$7 : 0111$$

$$-7 : 1001$$

	A(0) Accumulator	Q(7) Multiplier	Q-1	M(5) Multiplicand
	0000	0111	0	0101
0 to 1 Sub M RS	1011	1011	1	
1 to 1 RS	1110	1101	1	
1 to 1 RS	1111	0110	1	
1 to 0 Add M RS	+0101	0110	0	
	0100	0011		
	0010			

Annotations:

- right shift এবং ১ রেখা
- carry ignore করা ক্ষেত্রে কেন?
- Why? কেন?
- কাউন্ট স্টেপ রেখা
or depend রেখা
- Multiplier এর
bit ২৩।
- মাত্রা ২৩
মাত্রা ২২
মাত্রা ২১
Positive
Number
- মাত্রা ২০ থেকে ২২
মাত্রা ২১

Subject... Lee - ⑨
 Date: ... 16.05.22 Time:
 Mon

$$\boxed{Q} \quad 5 \times -7 = ?$$

$$+ 5 = 0101 \quad + 7 = 0111$$

$$- 5 = 1011 \quad - 7 = 1001$$

steps	$A(0)$	$Q(7)$	$Q(-1)$	$M(5)$
	0000	1001	0	0101
0 to 1	1011			
Sub M	1011	1001		
RS	1101	1100	1	
1 to 0	0101			
Add M	0010	1100	1	
RS	0001	0110	0	
0 to 0	0000	1011	0	
RS				
0 to 1	1011			
Sub M	1011	1011		
RS	1101	1101	1	

Answer
Accumulator : 1101 1101 = -35 → (Ans)

A^2 (or) 2's compliment
 ans (Ans)

$$00100011 = 35$$

Ques: $14 \times 7 = ?$ by Booth's algo.

↓ ↓
5 bit 4 bit

Steps = num. of bits in Multiplier

যদি, Multiplier 7 এর 4 টি 5 bit র প্রতিটি,

So, step 5 টি।

Example: $(-5 \times 7) = ?$

~~Booth's Devision~~ → Restoring
→ Non-Storing

Dividend → 00
Divisor $\leftarrow 6 \begin{array}{r}) 25 \\ 24 \end{array}$ (4 → Quotient
→ Remainder

We don't use repeated subtraction, as ~~slow~~ slow.

(Left shift)

Exam Important
MUST \Rightarrow Booth's Algo

STORING
When step successful or unsuccessful.

$$\begin{array}{c}
 4 \Big| \overbrace{\quad}^{\text{LS}} & 3 & 2 & 0 \\
 & 4 & & \\
 \hline
 & -1 & & \\
 & +4 & & \\
 \hline
 & 3 & &
 \end{array}$$

Sub \rightarrow +ve, S > Q = 1
 $= \rightarrow$ -ve, US, Q = 0

Time loss হয়ে, Q স্টোর করা আবশ্যিক (for case 43)
 unsuccessful হয়ে,

Steps of Booth's Division Restoring:

i) Step = bit num of Dividend

Number of steps = Num. of bits in Dividend

ii) At each step, Left Shift the Dividend and then
 subtract the Divisor.

$$\begin{array}{c}
 4 \Big| \overbrace{\quad}^{\text{LS}} & 6 & 4 & 1 \\
 & \cancel{4} & & \\
 \hline
 & 2 & &
 \end{array}$$

$$\begin{array}{c}
 4 \Big| \overbrace{\quad}^{\text{LS}} & 6 & 4 & 1 \\
 & 0 & & \\
 \hline
 & & &
 \end{array}$$

If, R = (+ve), Successful : Quotient = 1	Restoration required, by adding back the divisor.
R = (-ve), Unsuccessful : Quotient = 0	

Microprocessor add back

Ex: $7 \div 3 = ?$

$$+ 7 = 0111 \quad + 3 = 0011$$

$$- 7 = 1001 \quad - 3 = 1101$$

ক্ষেত্র করবে?

- overwrite
- ক্ষেত্র করবে
- add back করা
- restore করা
- প্রতি এককে
- time করণ
- করা

	Accumulator A (0)	Dividend Q(7)	Divisor M(3)
	0000	0111	0011
LS	0000	111-	
Sub (Divisor) M	1101	1110	
	1101		
$\therefore \text{MSB} = 1, -\text{ve}$ unsuccessful			
Restoration	0000	1110	
LS	0001	110-	
Sub M	1101		
	1110		
$\therefore \text{MSB} = 1, -\text{ve}$ unsuccessful			
Restore	0001	1100	
LS	0011	100-	
Sub M	1101		
	0000		
$\therefore \text{MSB} = 0, +\text{ve}$ successful			
LS	0000	1001	
Sub M	1101	001-	
	1110	001-	
$\therefore \text{MSB} = 1, -\text{ve}$ unsuccessful			
Restore	0001	0010	
			corrected Q
			corrected R

Wed

Subject..... Lec - 10

Date:.... 18.05.2022 Time:

Week-4

Re-storeing division :

By the time procedure is over, the dividend will be empty,
 at every step, we start filling the quotient over here
 at last, the reg itself will be quotient.

By the time procedure is over,
 → sum is completely out, if anything remains
 there it will be remainder.

$$\begin{array}{r} 5 \mid 6 \mid 1 \\ \underline{-} \quad \underline{-} \\ 5 \quad \underline{1} \end{array}$$

Q: $6 \div 2 = ?$

Ans: Accumulator = 0000 → Remainder
 Dividend : 0011 → Quotient

P.T.O →

W.M.
2.2.2021

Subject.....
Date:..... Time:.....

④ $6 \div 2 = ?$

$$+6 = 0\ 110$$

$$-6 = 1\ 010$$

$$+2 : 0010$$

$$-2 : 1110$$

	<u>Accumulation</u> $A(0)$	<u>Dividend</u> $\Theta(6)$	

Non Restoring Division

1. Num of bit steps = num. of bits in dividend
2. Left shift & subtract M (divisor).
3. SubM: +ve, Success, Q=1
-ve, Unsuccessful, Q=0, Next step, Add M
4. for last step,
-ve, Unsuccessful, Q=0, Restore

ex: $7 \div 3 = ?$

$$\begin{array}{r} 7 : 0111 \\ 3 : 0011 \\ -7 : 1001 \\ -3 : 1100 \end{array}$$

Accumulator A(0)	Dividend : 7 Q (0XXXX)	Divisor (3) (M)	
0000	0 111	00 11	
0000	1 11—		LS Sub M
1101			MSB = -ve, Unsuccessful
1101	1 110		Next Add M
1011	1 011 111—		LS
0011	0 011 1100		Add M
1110			MSB = -ve, Unsuccessful
0011			Next Add M
0000	1 00—		LS
	.		Add M
	1001		MSB = -ve, Successful

	A	Q	Result
LS	0001	000	
Sub M	1101	001	
	<hr/>		
	1110		
MSB = -ve, unsuccessful Restore	0001	0010	
	<hr/>	<hr/>	
	1	2	
	Remainder	Quotient	

এগুলো অব unsigned . Signed রয়ে না কে division এর
ক্ষেত্রে sign number এর algorithm different.
// এখন না পড়ে পড়াব "।

এই প্রক্রিয়া process is only for unsigned number.

Non-Restoring:

$$6 \div 2 = ?$$

$$+6 = 0110$$

$$-6 = 1010$$

$$+2 = 0010$$

$$-2 = 1110$$

Mon

Subject..... Lec - (12)

Date:.... 23.05.22 Time:

Algorithm for adding floating Point Number

$$010110 \rightarrow 1.01 \times 2^6$$

② E
M
Borrowing
Ans.

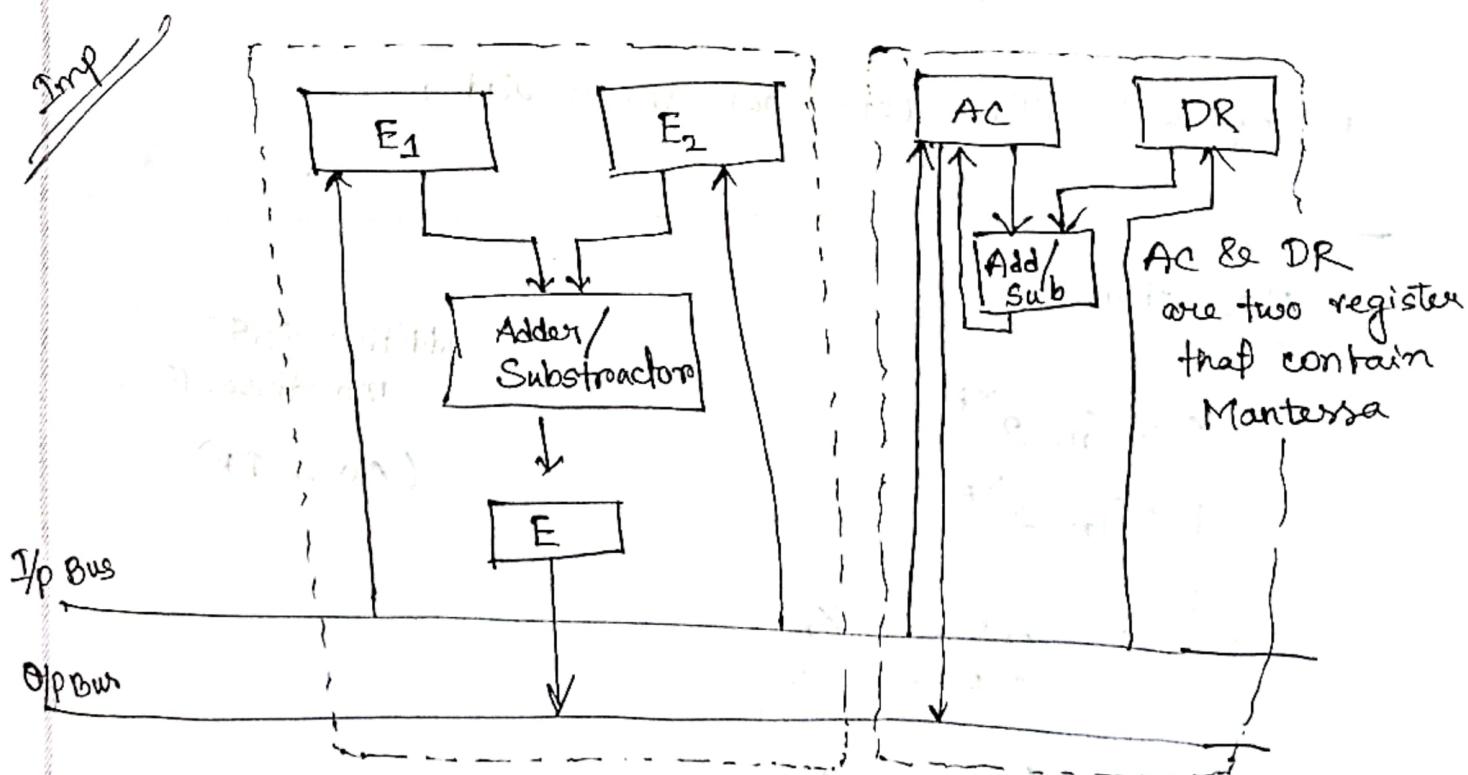
S | M | E

S | M | E

$$\begin{array}{r} 101 \\ 010 \\ \hline 111 \end{array}$$

$$(-1)^S \times 1.M \times 2^E$$

$$\begin{array}{r} 4 \times 10^2 \\ 4.0 \times 10^4 \\ \hline 8.2 \times 10 \end{array}$$



Algorithm : Decimal

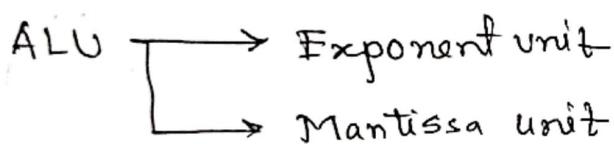
$$\begin{array}{r} 4 \times 10^3 \\ 2 \times 10^4 \\ \hline \end{array}$$

$$\begin{array}{r} 4 \times 10^3 \\ 2 \times 10^4 \\ \hline 2.4 \times 10^4 \end{array}$$

$$\begin{array}{r} 4 \times 10^3 \\ 20 \times 10^3 \\ \hline 24 \times 10^3 \end{array}$$

Normalized
form
(better)

* Always get the lower one high. ??



* exponent যেটোকি হোব আমি lower এন্টি

Algorithm :

$$X = X_m 2^{x_E}$$

$$Y = Y_m 2^{y_E}$$

addition করবো
mantissa T^m

(AC & DR)

Input : AC $\leftarrow X_m$
 DR $\leftarrow Y_m$

$$E_1 \leftarrow x_E$$

$$E_2 \leftarrow y_E$$

$$AC \cdot \text{overflow} \leftarrow 0$$

$$\text{Error} \leftarrow 0$$

Compare : $E \leftarrow E_1 - E_2$

Equalize : If ($E < 0$) then

$$\{ AC \leftarrow RS(AC)$$

$$E \leftarrow E + 1$$

go to equalize

} if ($E > 0$) then

$$\{ DR \leftarrow RS(DR)$$

$$E \leftarrow E - 1$$

go to equalize

RS = Right shift

We store the position of the point.

$$9 \times 10^3$$

$$2 \times 10^5$$

$$4 \times 10^5$$

$$E = 2$$

$$E = -1$$

Add :

$$AC \leftarrow AC + DR$$

$$E \leftarrow \max(E_1, E_2)$$

Overflow : If (AC overflow = 1) then

{ if ($E = E_{\max}$) then goto Error

$$AC \leftarrow RS(AC)$$

$$E \leftarrow E + 1$$

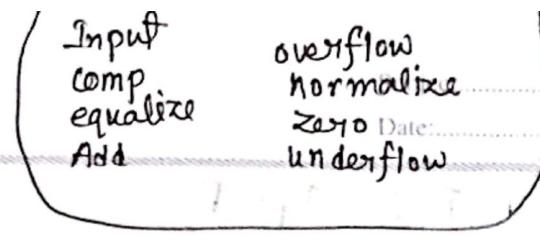
go to End

}

Definition of Ac

overflow :

it is a flag that will automatically set by ALU as 1 if there are more than one digits to the left of the point



E can only become $E+1$, if there is room for E to become $E+1$.

Normalize : (If AC normalized) then
go to End

Zero : If ($AC=0$), then $E \leftarrow 0$ 1
error flag

Result = 0

Normalize form

Underflow : $E > E_{\min}$
if (~~AC = 0~~) then
 $\{ AC \leftarrow L.S(AC)$
 $E \leftarrow E-1$
go to Normalize
 $\}$

1.01

$E = \text{Error flag}$.
We can't represent 0 in normalized form as in this form there should be at least one point to the left of the point.
→ decimal

Error : Error $\leftarrow 1$

End : End of process

6
(Dmp Topic) ~~2.2~~

0.2×10^3
 2.0×10^4
numbers left shift 2.2

Q: 0.00062×10
 5.4×10^5

Floating point number add=?
& print in every steps.

$X = 6.2 \times 10^3$

$Y = 5.4 \times 10^5$

Hyp: AC $\rightarrow 6.2$ $E_1 \rightarrow 3$
DR $\rightarrow 5.4$ $E_2 \rightarrow 5$

AC overflow $\leftarrow 0$
Error $\leftarrow 0$

Compare: $-2 \leftarrow 3-5$

Equalize: $(-2 < 0)$

$0.62 \leftarrow RS(6.2)$

$E = -1$

$0.062 \leftarrow RS(0.62)$

$E = 0$

Add: $AC + DR \rightarrow AC \leftarrow AC + DR$

$$\begin{array}{r}
 0.062 \\
 5.4 \\
 \hline
 5.462
 \end{array}$$

$E \leftarrow 5$

Normalize:

End

result: 5.462×10^5

CT-4

Microprocessor এবং পার্স

Q's C

floating point (Representation, ...) Normalization

floating point Algorithm

(Lec \Rightarrow 1-4, 12)

- Q: What are the error conditions?
- Q: Write the O/p of the algo for the addition of two floating points & Justify your answer. [more marks]
- Q: Write the only necessary parts of the algo for adding the given float floating point number & explain your ans.

Q: Discuss the overflow / underflow happen with example.
এখন মুক্তির পয়ে করা হবে overflow/zero etc ফিল,

overflow এবং উন্ন

E_{max} লাগাব।

ফিল না দেওয়া

মানের বির নিব।

S/P : --

point()

compare :

--

point()

equalize :

--

zero টে floating point এ represent করা শাখুনা তাহে, zero
আজলি error flag ও হবে, অর্থাৎ $E=1$ হবে।

#

Ans:

O/p:

AB
CD

(compare) Ans

$$4 \times 10^2$$

$$2 \times 10^3$$

where the print function is?

Now Justify

→ calculation কৈথাতে হবে " " ?

Example - 1 :

$$4 \times 10^2 \text{ } E_1$$

$$2 \times 10^3 \text{ } E_2$$

$$E = E_1 - E_2 = 2 - 3 = -1$$

print i/p

- " compare
- " equalize
- " Add

End

$E < 0$ {

i/p

Compare
equalize

Add

End

Yp :

print ("Yp")

Compute :

print ("compute")

Equalise :

if ($E < 0$) {

print ("EA") ;
go to Equalise

$(E > 0)$

{ print ("E2") ;
go to equalise }

Algorithm

Yp

Compute

E4

EA

E2

E1

E0

E-1

E-2

E-3

E-4

E-5

E-6

E-7

E-8

E-9

E-10

E-11

E-12

E-13

E-14

E-15

E-16

E-17

E-18

E-19

E-20

E-21

E-22

E-23

E-24

E-25

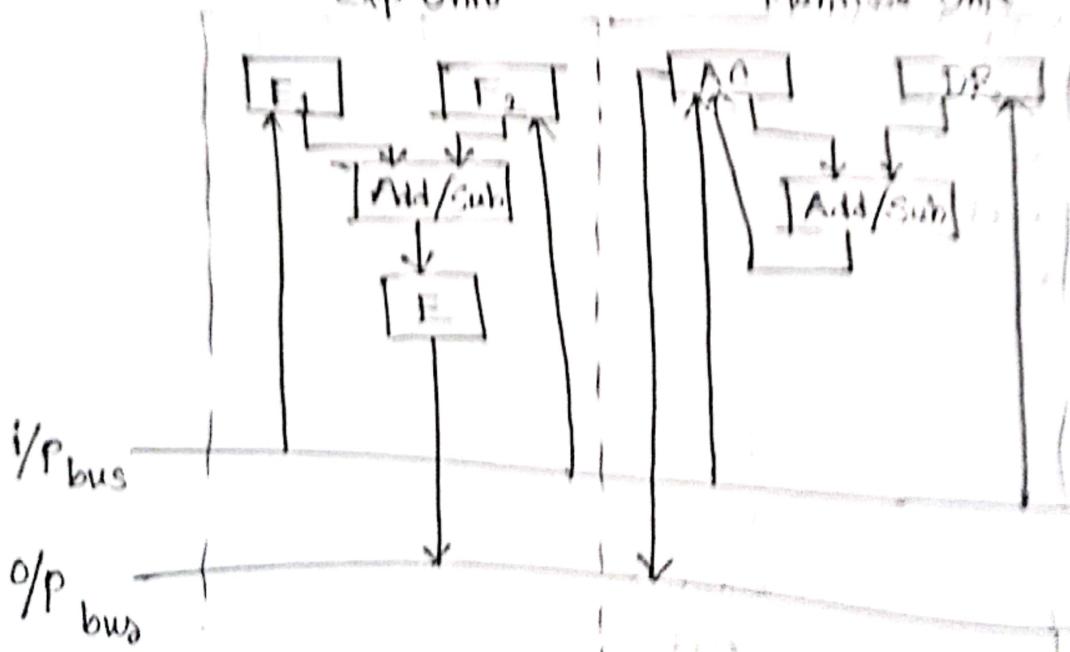
E-26

E-27

E-28

Exp Unit

Mantissa Unit



COA & CV
Execution Unit
प्रोसेसर का इकाई

Subject: _____
Date: _____ Time: _____



COA + CV Instruction Pipelining

one of the reason why processor works fast.

COA → Computer Organization Architecture

CV → Control Unit (Processor पर्सर की unit)

Fetch & Decode

Q: Why processor becomes so fast?

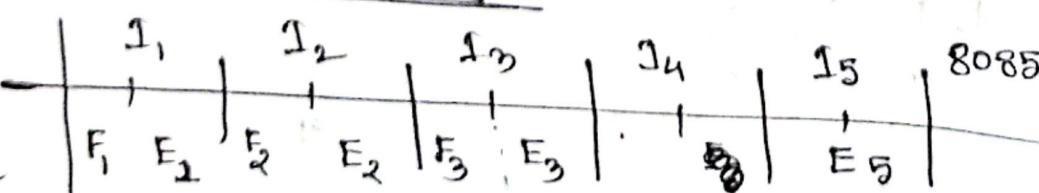
- Increase data bus size (Now 64 bit is used)
- Increase clock frequency / Trigger
- Pipelining

8085 → Non pipelined

8086 → Pipelined

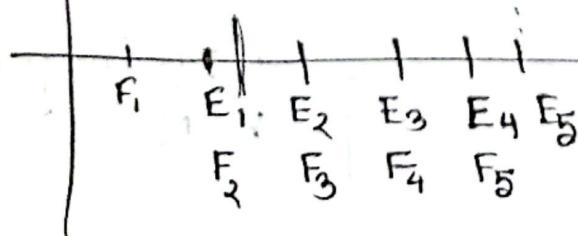
2 stage Pipelining:

figure



Decode का वक्ता
कम से कम 5 सेकंड
So
लिखि जा।

$$\text{time} = 5 \times 2 = 10 \text{ cycle}$$

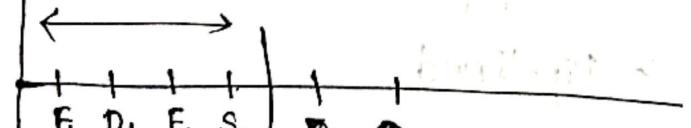
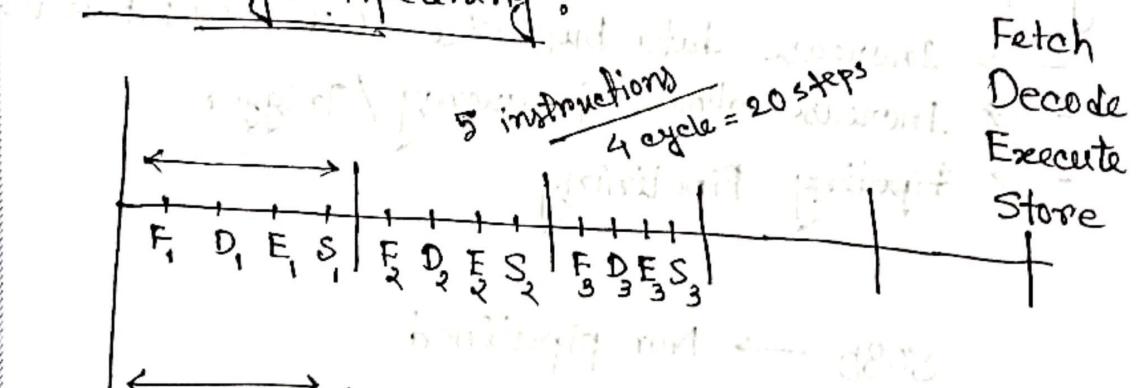


at a time a दृष्टि करा रहे
(time: 5 cycle)

As we are fetching two main process of an instructions & working on the two instructions at the same time, so it becomes fast, this process is called pipelining.

Q: figure of pipelining and non-pipelining. (exam imp)

4 stage Pipelining :



Pipelined.

$$\boxed{K + (N-1) \times 1} \rightarrow \text{Pipelining eqn}$$

number of Stage number of instructions

$$\boxed{K \times N} \rightarrow \text{Non-pipelining eqn}$$

Advantage & Disadvantage of 4-stage

↓
fast

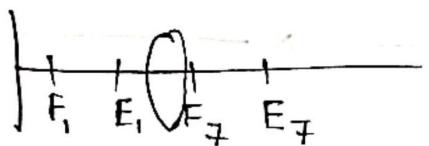
↓

- 1) Control Hazard (Branch Prediction)
- 2) Data Dependency
- 3) Structural hazard

* Control Hazard :

branching

A spam or empty spot was created which is called Pipeline Bubble.



After pipeline failed

By Branch prediction algorithm it was overcome. It 95% accuracy
If stages increased so discard increases.

* Data Dependency :

Destino Destination of first instruction should not be source of second instruction:

INC B
MOV A,B

Before,
 $B = 20$
now,
 $B = 21$

→ Increment अपना कराए लिये जिस पर्ब वाला अपना B source होता होता तो पर्ब भी उत्तम।

Solution :

INC B

NOP → No operation

NOP

Mov A, B

प्रैक्टिक,
fetch, execution
operation prob
होती है।

* Structural Hazard:

ADD A, B

ADD A, [2000]

to solve this
structural
hazard

1. RISC Processor

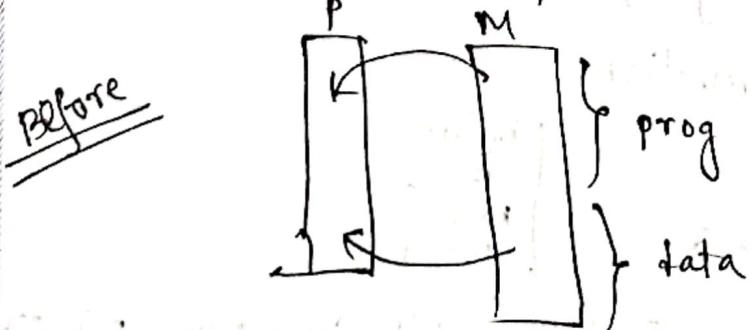
2. PIC

full form

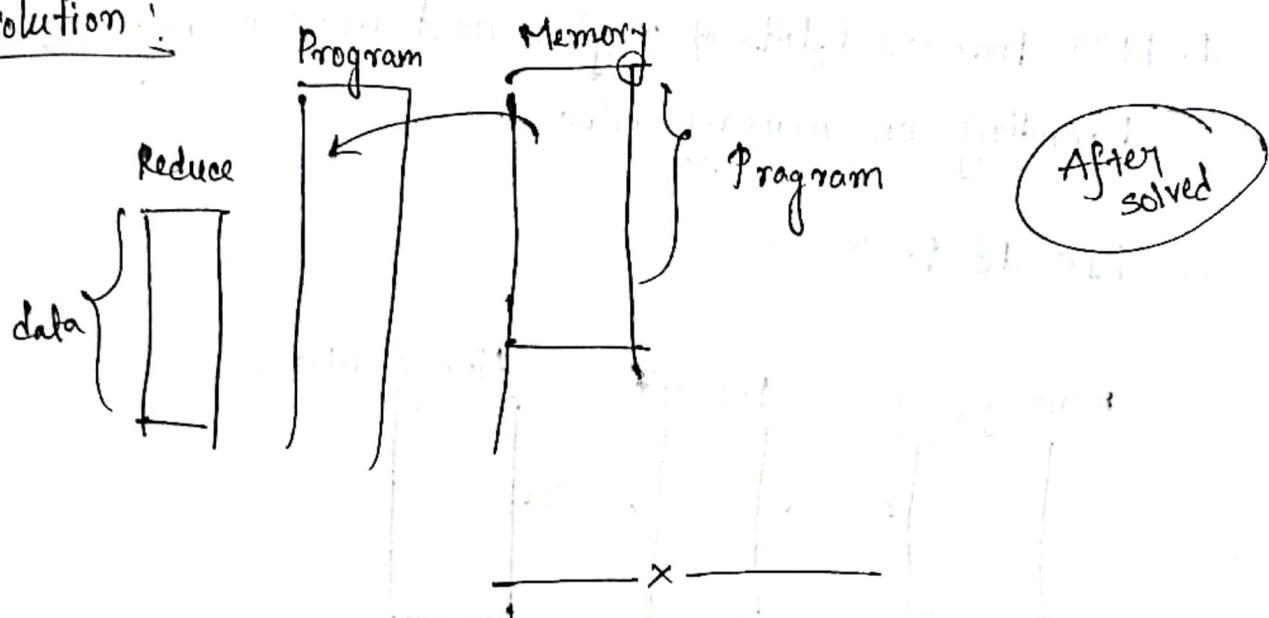
Characteristics :

RISC has more register. It lessen the dependence on memory.

PIC → Peripheral Inter Controller



Solution:

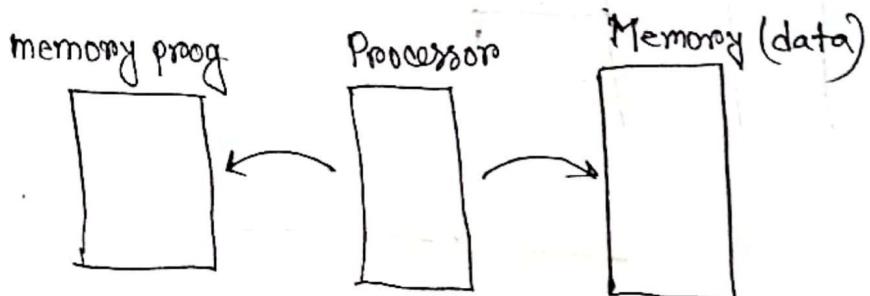


Overlapping of fetching & execution can only happen, if execution doesn't require memory.

Pipelining is imp as it helped to increased the speed of Microprocessor.

1. RISC Processor (lots of reg) so most work in register,
depending on memory reduce.

2. PIC 18 processor



two separated memory for program & data while executing if we need data use other memory, so fetching and executing never clash with each other.

Addressing Mode

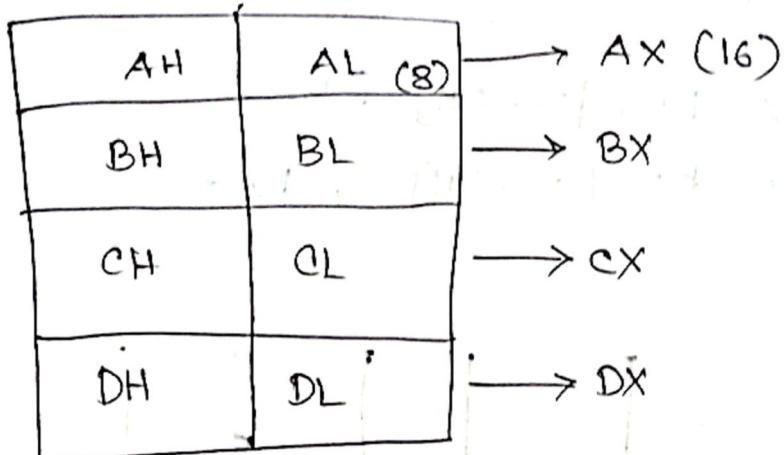
Addressing mode is the manner by which an operand is given to instruction. **operand**: the number on which the operation is done is called operand.

Add, AL 25H
operands

Operation → SUM, MOV, ADD

- Data from immediate Add AL, 25H
- Register Add AL, BL
- Indirect/memory location Add AL

General purpose register :



25 H → 0010 0101

1235 H → 0001 0010 0011 0101

① Immediate Addressing Mode :

Data is given in instruction

MOV BL, 25 H ; BL ← 25 H

MOV BL, 2000 H ; BX ← 2000 H

[To initialize]

এই নির্দেশনা এবং মানের ডেটা প্রেরণ করে সুতরাং এই নির্দেশনা একটি immediate addressing mode নির্দেশনা।

② Register Addressing Mode :

Data is stored in Reg.

MOV BL, CL ; BL ← CL

MOV BX, CX ; BX ← CX

processor এর টিপের কাছে হচ্ছে ॥ It's smaller & faster.

Q: কোন addressing mode কখন use করবে?

III) Direct Addressing Memory:

Address is given in instruction

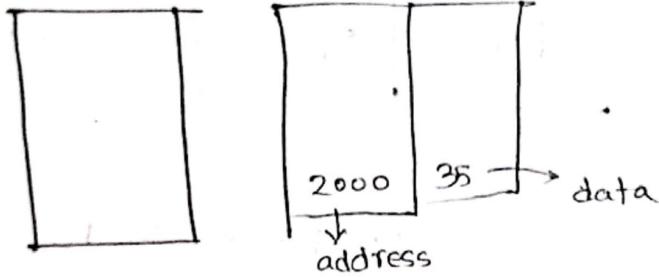
Mov BL, [2000H] ; BL ←

Mov BX, [2000H] ; BX ←

It's
an address
So 16 bit.
though the
Reg is 8 bit.

(BL gets the content of)
2000H

don't



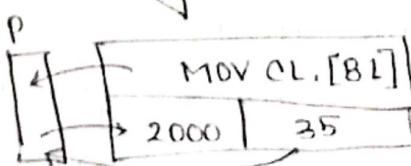
* When we know the data, we use this mode.

IV) Indirect Addressing MODE : (BEST BEST)

Address is given in the register.

1) Register Indirect : addr in register

Mov CL, [BL]



2)

best way because

it's easier to increment & decrement.

Subject.....

Date..... Time.....

* ADD 25 + 35

MOV AL, 25H

MOV BL, 35H

ADD AL, BL

Reg A.M

* [2000H], [3000H]

MOV AL, [2000H]

MOV BL, [3000H]

Add AL, BL

→ Direct Add. M

*

2000 → BL

3000 → CL

BL +

CL

4000 → 155

BL

MOV BL, [2000H]

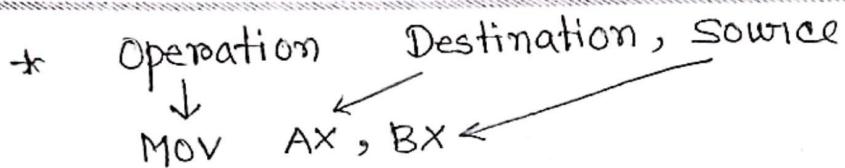
MOV AL, [3000H]

ADD BL, CL

ADD BL, 55H

MOV [4000H], BL

It's also a direct addressing mode as address is given in the ins.

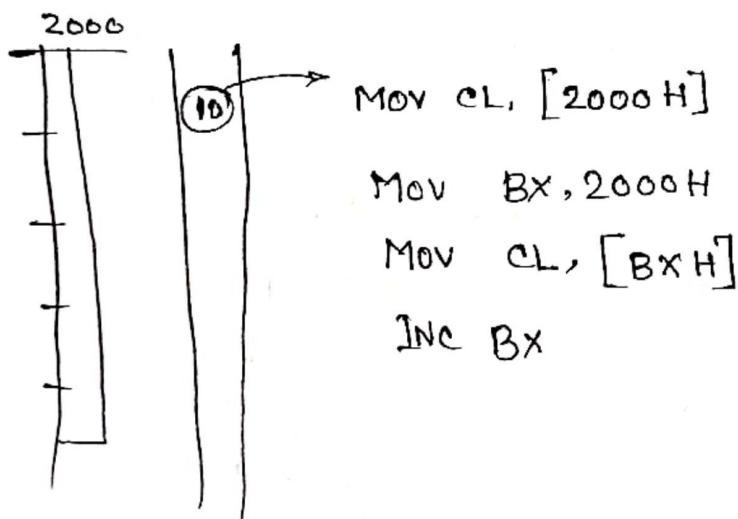


Indirect Addressing Mode:

immediate : initialize

register : move between reg

direct : need to access few memory location



Give next 100 data from 2000 → Indirect

Give the data of 2000 memory location → Direct

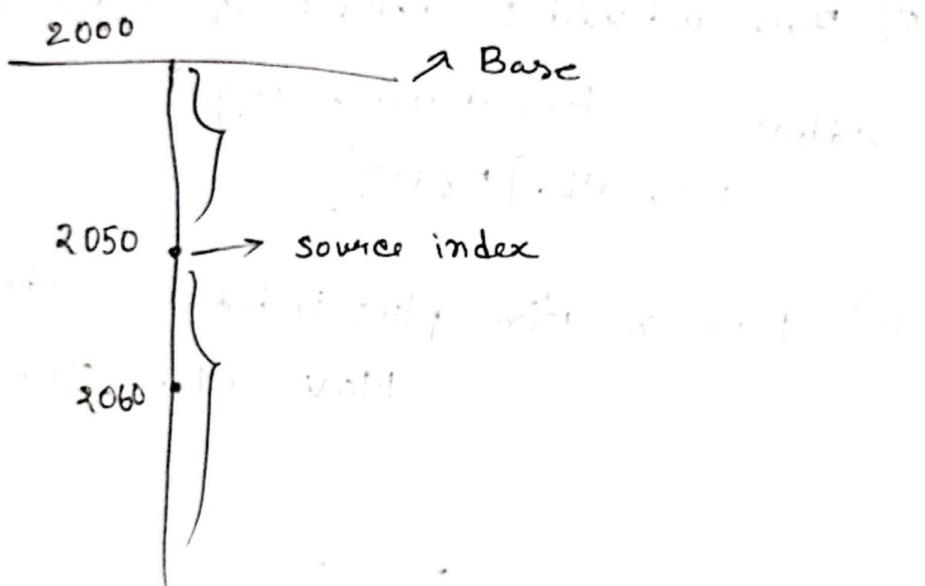
Q: get data from location 2000 in CL.

Q: get data of hundred location starting from 2000.



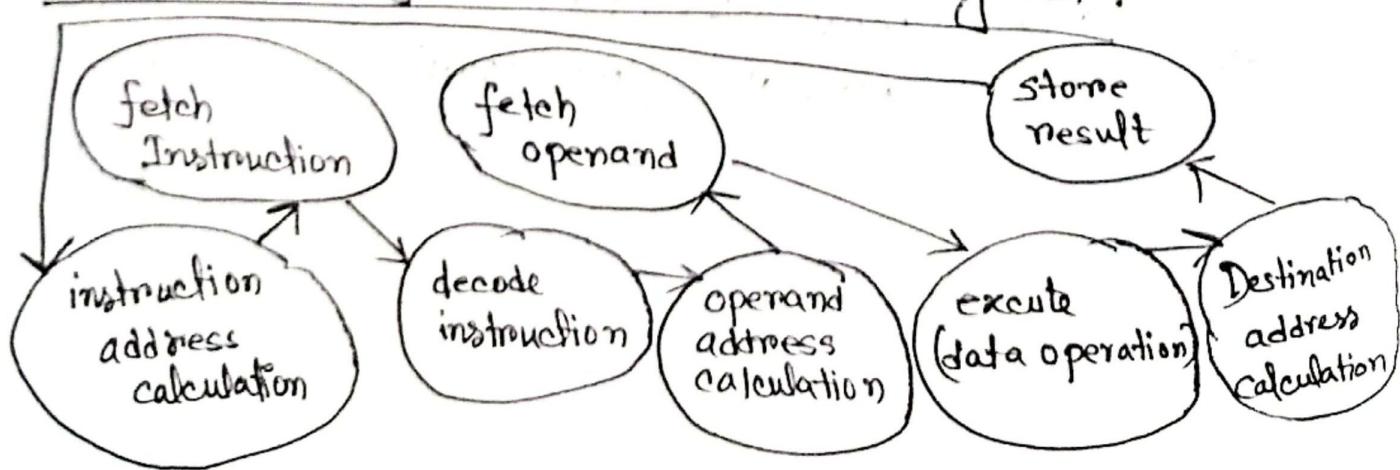
Base indexed :

- i) one register act as a base
- ii) other reg act as an index



Indirect Addressing Mode :

Instruction cycle State; transition diagram :



int main()

{

cin >> a >> b;

c = a + b

cout << "done"; }

a = 2

b = 3

O/P :

done.

* program \rightarrow set of instruction

* To execute these program, tiny operations are need that are called Micro operations.

(each instructions requires tiny tiny operations)

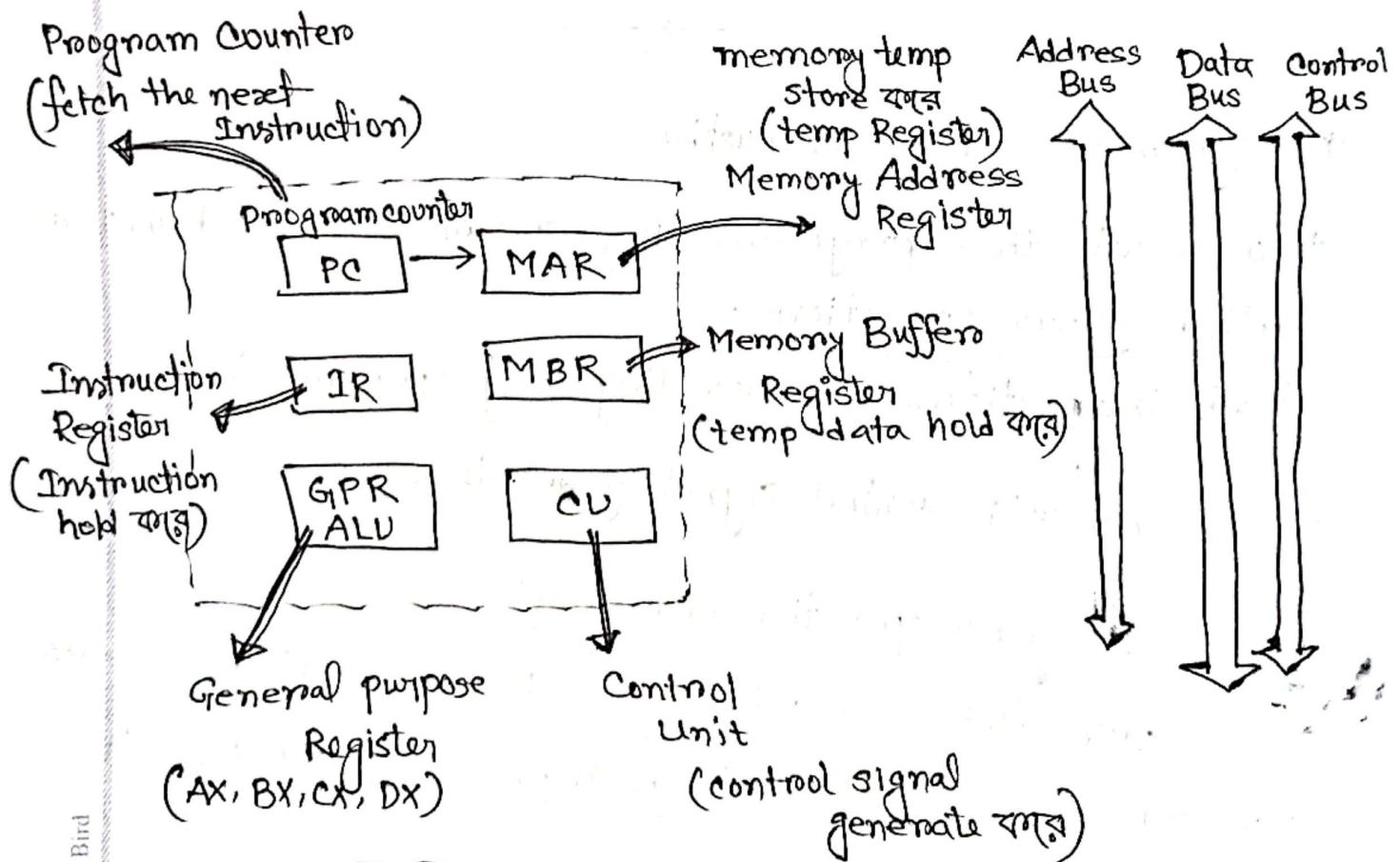
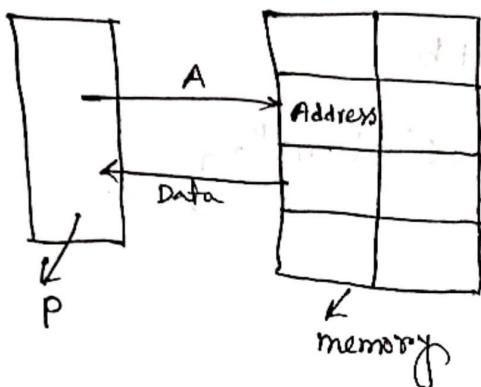
* Control unit control signal generate করে।

Q: একটি micro operation কোন বলে?

\Rightarrow আজৰ clock speed micro sec \Rightarrow দ্বিতীয় পর্যায়ে এই সময়

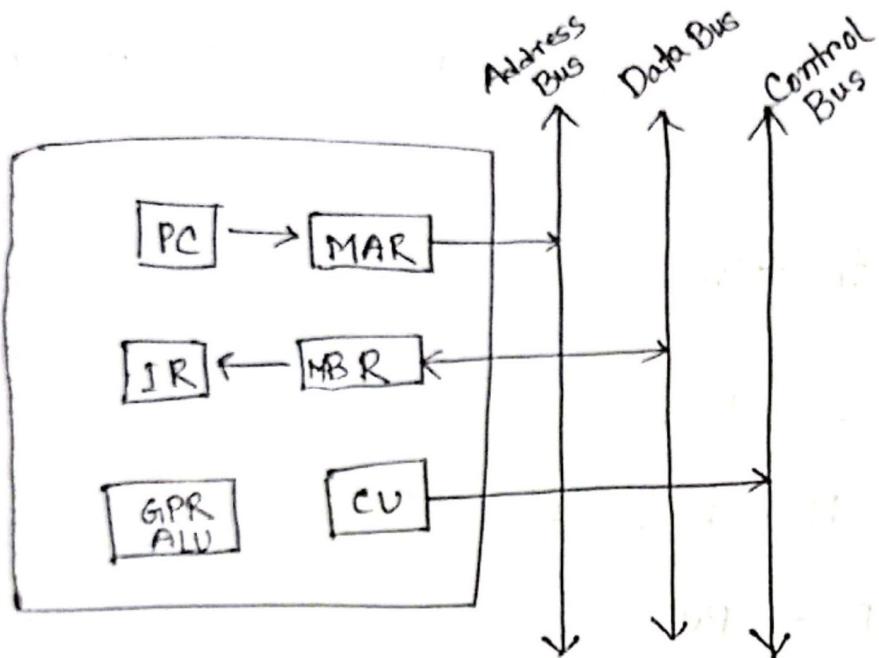
চলে গিয়েছে, এখন technology improve হওয়া, Now it's calculated in nanosec.

System Bus → Address Bus
 → Data Bus
 → Control Bus

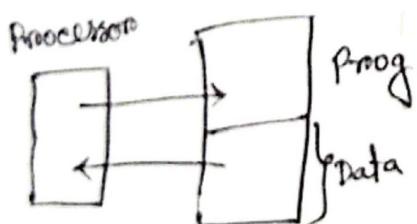


Imp Topic for Marks 4.

Control Unit (micro operations)



Q: What is μ -operations?



Q: Steps of Micro(μ) operations :

* μ -operations for fetching :

$$T_1 : \text{MAR} \leftarrow \text{PC}$$

$$T_2 : \text{MBR} \leftarrow \text{mem (instruction)}$$

$$T_3 : \text{IR} \leftarrow \text{MBR}$$

$$\text{PC} \leftarrow \text{PC} + 1$$

sequentially execute **प्रक्रिया** करेंगे ॥
Independent अंदर 4-5 की लाई करेंगे 3 की Transaction
होती है ॥

clock pulse ने a transaction controlled 22J-"

- * each clock pulse is a trigger to processor to do a new activity.

U-operation instruction :

① Immediate Addressing Mode :

MOV BL, 25H

T₁ : MAR \leftarrow PC

T₂ : MBR \leftarrow mem (inst)

T₃ : IR \leftarrow MBR

PC \leftarrow PC + 1

T₄ : BL \leftarrow 25H (IR)

② Reg Addressing Mode :

MOV BL, CL

T₁ : —

T₂ : —

T₃ : —

T₄ : BL \leftarrow CL

— same as
before

↑
data given in register.

Q: Add BL, 24 H ?

→ T₁:

T₂:

T₃:

T₄: BL → BL + 25 H (IR)

③ Direct Addressing Mode:

MOV BL, [5000H]

address instruction
⇒ इसी प्रक्रिया

T₁: —

T₂: —

T₃: —

T₄: MAR ← IR (address)

T₅: MBR ← mem

T₆: BL ← MBR [5000]

Q: ADD reg, [add] ?

T₁:

T₂:

T₃:

T₄: MAR ← ~~reg~~ (address)
(IR)

T₅: MBR ← mem (data)

T₆: Reg ← Reg + MBR

④ Indirect Addressing Mode:

MOV BL, [CX]

address register
⇒ इसी प्रक्रिया,

T₁: —

T₂: —

T₃: —

T₄: MAR ← CX

ADD, SUB
etc.

T₅: MBR ← mem [CX]

T₆: BL ← MBR [CX]

Subject.....
Date..... Time.....

⑤ Implied Addressing Mode : carry flag 1 ক্ষেত্র হবে,

T₁:

T₂:

T₃:

T₄: CF \leftarrow 1

E_p : STC

↓
set the
carry flag

~~CF-2~~

Booth's Algo
Booth's Multiplication, Division

~~Pipelining~~

Adder, Subtractor

Lec - 5 - 10, Lec - 13, 14



Mid Break starts Here....

Jayyy