# MDRefine Documentation

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## Module MDRefine

A package to perform refinement of MD simulation trajectories.

Source code is on GitHub<sup>1</sup>. A test pdf manual is available here<sup>2</sup>.

## Examples

In the examples<sup>3</sup> directory you can find a number of notebooks that can be used as a source of inspiration.

## **Sub-modules**

- MDRefine.MDRefinement
- MDRefine.bayesian
- MDRefine.data\_loading
- MDRefine.hyperminimizer
- MDRefine.loss and minimizer

#### **Functions**

```
Function get_version
    def get_version()
```

## Module MDRefine.MDRefinement

Main tool: MDRefinement(). It refines MD-generated trajectories with customizable refinement.

## **Functions**

#### Function MDRefinement

```
def MDRefinement(
   data,
   regularization: dict = None,
   stride: int = 1,
   starting_alpha: float = inf,
   starting_beta: float = inf,
   starting_gamma: float = inf,
   random states=5,
   which_set: str = 'validation',
   gtol: float = 0.5,
   ftol: float = 0.05,
   results_folder_name: str = 'results',
   n_parallel_jobs: int = None,
   id_code: str = None
```

<sup>&</sup>lt;sup>1</sup>https://github.com/bussilab/MDRefine

<sup>&</sup>lt;sup>2</sup>../MDRefine.pdf <sup>3</sup>../examples

)

This is the main tool of the package: it loads data, searches for the optimal hyperparameters and minimizes the loss function on the whole data set by using the opimized hyperparameters. The output variables are then saved in a folder; they include input values, min\_lambdas (optimal lambda coefficients for Ensemble Refinement, when performed), result, hyper\_search (steps in the search for optimal hyperparameters) (.csv files) and the .npy arrays with the new weights determined in the refinement.

#### Parameters

data: class instance The data set: an instance of the data\_loading.my\_data class or split\_dataset.my\_data\_trainvalic class (in the case with test observables). It can also be infos, a dictionary of information used to load data with load\_data (see in the Examples directory).

regularization: dict A dictionary which can include two keys: force\_field\_reg and forward\_model\_reg, to specify the regularizations to the force-field correction and the forward model, respectively; the first key is either a string (among plain l2, constraint 1, constraint 2, KL divergence) or a user-defined function which takes as input pars\_ff and returns the regularization term to be multiplied by the hyperparameter beta; the second key is a user-defined function which takes as input pars\_fm and forward\_coeffs\_0 (current and refined forward-model coefficients) and returns the regularization term to be multiplied by the hyperparameter gamma.

stride: int The stride of the frames used to load data employed in search for optimal hyperparameters (used only when passing infos rather than data). In order to reduce the computational cost, at the price of a lower representativeness of the ensembles.

starting\_alpha, starting\_beta, starting\_gamma: floats Starting values of the hyperparameters (np.inf by default, namely no refinement in that direction).

random\_states: int or list of integers Random states (i.e., seeds) used to split the data set in cross validation (if integer, then random\_states = np.arange(random\_states).

which\_set: str String chosen among 'training', 'valid\_frames' or 'validation', which specifies how to determine optimal hyperparameters: if minimizing the (average) chi2 on the training set for 'training', on training observables and validation frames for 'valid\_frames', on validation observables and validation frames for 'validation', on validation observables and all frames for 'valid\_obs'.

gtol: float Tolerance gtol (on the gradient) of scipy.optimize.minimize (0.5 by default).

ftol: float Tolerance ftol of scipy.optimize.minimize (0.05 by default).

results\_folder\_name: str String for the prefix of the folder where to save results; the complete folder name is results\_folder\_name + '\_' + time where time is the current time when the algorithm has finished, in order to uniquely identify the folder with the results.

n\_parallel\_jobs: int How many jobs are run in parallel (None by default).

id\_code: None or str Identificative code (suffix) of the folder name where output data (result) will be saved. If None, then the current date will be used.

#### Function compute chi2 test

```
def compute_chi2_test(
    data_test,
    regularization,
    pars_ff: jax.Array = None,
    pars_fm: jax.Array = None,
    lambdas: dict = None,
    which_set: str = 'validation'
)
```

Compute the chi2 on the test set, after the optimal solution has been found.

Parameters —= data\_test: object Object for the test dataset, as returned by split\_dataset. pars\_ff: np.ndarray Numpy 1d array for the force-field correction parameters. pars\_fm: np.ndarray Numpy 1d array for the forward model parameters. lambdas: dict Dictionary for the lambda coefficients (of ensemble refinement). which\_set: str String variable, if 'validation' compute the chi2 on validation observables and validation frames.

Return —= red chi2: float Reduced chi2 (chi2 / n. of observables)

#### Function save\_txt

```
def save_txt(
    input_values,
    Result,
    coeff_names,
    folder_name='Result',
    id_code: str = None
)
```

This is an internal tool of MDRefinement() used to save input\_values and output Result as csv and npy files in a folder whose name is folder\_name + '\_' + date where date is the current time when the computation ended (it uses date\_time to generate unique file name, on the assumption of a single folder name at given time).

#### Parameters

input\_values : dict Dictionary with input values of the refinement, such as stride, starting values of
the hyperparameters, random\_states, which\_set, tolerances (see MDRefinement()).

**Result : class instance** Class instance with the results of minimizer and the search for the optimal hyperparameters.

coeff\_names : list List with the names of the coefficients (force-field and forward-model corrections).
folder\_name : str String for the prefix of the folder name (by default, 'Result').

id\_code : None or str Identificative code (suffix) of the folder name where output data (result) will be saved. If None, then the current date will be used.

#### Function unwrap\_2dict

```
def unwrap_2dict(
    my_2dict
)
```

Tool to unwrap a 2-layer dictionary my\_2dict into list of values and list of keys.

#### Function unwrap\_dict

```
def unwrap_dict(
     d
)
```

## Module MDRefine.bayesian

Tools for the sampling of the posterior distribution, defined over a set of ensembles, by using a suitable uninformative prior (namely, a prescription on the counting of the ensembles).

#### **Functions**

## Function block\_analysis

```
def block_analysis(
    x,
    size_blocks=None,
    n_conv=50
)
```

This function performs the block analysis of a (correlated) time series x, cycling over different block sizes. It includes also a numerical search of the optimal estimated error epsilon, by smoothing epsilon and searching for the first time it decreases, which should correspond to a plateau region.

It returns an instance of the Block analysis Result class.

#### **Parameters**

- x: numpy.ndarray Numpy array with the time series of which you do block analysis.
- size\_blocks : list, int or None The list with the block sizes used in the analysis; you can either
  pass an integer value, in this case the list of sizes is given by np.arange(1, np.int64(size/2)
  + size\_blocks, size\_blocks); further, if size\_blocks is None, the list of sizes is np.arange(1,
  np.int64(size/2) + 1, 1).
- n\_conv : int Length (as number of elements in the block-size list) of the kernel used to smooth the
  epsilon function (estimated error vs. block size) in order to search for the optimal epsilon, corresponding to the plateau.

#### Function energy\_fun

```
def energy_fun(
    x,
    data,
    regularization,
    alpha=inf,
    beta=inf,
    which_measure='uniform'
)
```

This is the energy function defined for running the usual sampling algorithms, corresponding to -log of the posterior distribution (a part from a normalization factor and with the optional inclusion of the entropic contribution, as prescribed by which\_measure). Depending on which hyperparameter is infinite (alpha or beta), it corresponds either to ensemble refinement or force-field fitting.

#### Parameters

- x: numpy.ndarray Numpy array with the lambda coefficients (for ensemble refinement) or the force-field correction coefficients (for force-field refinement), in the same order required by loss and minimizer.loss function.
- data: data\_loading.my\_data An instance of the class data\_loading.my\_data class, with all the data for the molecules of interest.
- regularization: dict Dictionary for the regularization (None for ensemble refinement), as described for MDRefinement.
- alpha, beta: float Values of the hyperparameters alpha (ensemble refinement) or beta (force-field fitting): either one of them must be infinite (the sampling has been implemented either for ensemble or force-field refinement).

#### Returns

energy: float Float value for the energy used in the sampling, as defined by the input variables.

**qs:** MyQuantities An instance of the 'MyQuantities class containing loss, average observables and regularization values.

## Function langevin\_sampling

```
def langevin_sampling(
    energy_fun,
    starting_x,
    n_iter: int = 10000,
    gamma: float = 0.1,
    dt: float = 0.005,
    kT: float = 1.0,
    seed: int = 1,
    if_tqdm: bool = True
```

)

A function to perform a Langevin sampling of energy\_fun() at temperature kT (with the Euler-Maruyama scheme).

#### Parameters

energy\_fun : function The energy function, written with jax.numpy in order to do automatic differentiation through jax.grad (this requires energy\_fun() to return a scalar value and not an array, otherwise you should use jax.jacfwd for example; to this aim, you can do jnp.sum(energy\_fun()(x))).
starting\_x : numpy.ndarray The starting configuration of the Langevin sampling.
n\_iter : int Number of iterations.
gamma : float Friction coefficient.
dt : float Time step.
kT : float The temperature.
seed : int Integer value for the seed.
if\_tqdm : Bool Boolean variable, if True use tqdm (default choice).

#### Returns

```
traj : np.ndarray Numpy array with the trajectory.
ene : np.ndarray Numpy array with the energies.
force_list : list List with the forces.
check : dict Dictionary with 'dif' for np.ediff1d(traj), together with its mean and standard deviation.
```

#### Function local density

```
def local_density(
    variab,
    weights,
    which_measure='jeffreys'
)
```

This function computes the local density of ensembles in the cases of ensemble refinement or force-field fitting.

This density can be defined through the Jeffreys "uninformative" prior (which\_measure = 'jeffreys'): in these two cases, the Jeffreys prior is given by the square root of the determinant of the covariance matrix (of the observables in Ensemble Refinement or the generalized forces in Force-Field Fitting, where the generalized forces are the derivatives of the force-field correction with respect to the fitting coefficients).

It includes also the possibility for the computation of the local density of ensembles with plain Dirichlet if which\_measure = 'dirichlet', or with the variation of the average observables if which\_measure = 'average'.

Since we are anyway dealing with a real-value, symmetric and semi-positive definite matrix, its determinant is computed through the Cholesky decomposition (which is faster for big matrices): triang is such that metric = triang \* triang.T, so sqrt(det metric) = det(triang).

#### Parameters

variab: numpy.ndarray, dict or tuple For Ensemble Refinement, variab is either the dictionary data.mol[name\_mol].g to be unwrapped or directly the numpy array with the observables defined in each frame.

For Force-Field Fitting and which\_measure == 'jeffreys' or 'dirichlet', variab is the tuple (fun\_forces, pars, f) where: -fun\_forces is the function for the gradient of the force-field correction with respect to pars (defined through Jax as fun\_forces = jax.jacfwd(ff\_correction, argnums=0) where ff\_correction = data.mol[name\_mol].ff\_correction; you can compute it just once at the beginning of the MC sampling); - pars is the numpy.ndarray of parameters for the force-field correction; - f is the numpy.ndarray data.mol[name\_mol].f with the terms required to compute the force-field correction. If which\_measure = 'average', then the observables are required, too, and variab is the tuple (fun\_forces, pars, f, g).

See documentation of MDRefine at https://www.bussilab.org/doc-MDRefine/MDRefine/index.ht ml for further details about the data object.

weights: numpy.ndarray Numpy array with the normalized weights of each frame; this is the probability distribution at which you want to compute the Jeffreys prior, corresponding to the local density of ensembles.

which\_measure: str String variable, chosen among: jeffreys, dirichlet or average, indicating the prescription for the local density of ensembles (Jeffreys prior, plain Dirichlet, average observables).

Returns

measure: float The local density of ensembles at the given distribution weights, computed as specified by which\_measure (Jeffreys prior by default).

cov : numpy.ndarray The metric tensor for the chosen metrics defined by which\_measure if
 which\_measure = 'jeffreys' or 'dirichlet'; the covariance matrix if which\_measure =
 'average'.

## Function posterior\_sampling

```
def posterior_sampling(
    starting_point,
    data,
    regularization=None,
    alpha: float = inf,
    beta: float = inf,
    which_measure=MDRefine.bayesian.Which_measure,
    proposal_move='default',
    n_steps_MC: int = 10000,
    seed: int = 1
```

Main function of the bayesian module, it is the algorithm that samples from the posterior distribution  $\exp(-L(P))$  with the specified uninformative prior, either in the case of ensemble refinement or force-field refinement.

#### Parameters

#### starting\_point

data: data\_loading.my\_data An instance of the class data\_loading.my\_data class, with all the data for the molecules of interest.

regularization: dict Dictionary for the regularization to the force-field correction.

proposal\_move : str or function or float or tuple Variable used to specify the move employed in
 the Metropolis algorithm, as indicated in run\_Metropolis(); if it is 'default', then a Gaussian
 move is used with standard deviation proposal\_move = 0.1.

 ${\tt n\_steps\_MC}$  : int Integer for the number of steps in the Metropolis algorithm.

seed: int Integer for the random state (seed) used in the Metropolis algorithm.

#### Returns

sampling: Result\_MyQuantities An instance of the Result\_MyQuantities class, which merges the quantities returned by each step of the MCMC sampling (as indicated in MyQuantities).

#### Function run\_Metropolis

```
def run_Metropolis(
```

```
x0,

proposal,

energy_function,

quantity_function=None,

*,

kT=1.0,

n_steps=100,

seed=1,

i_print=10000,

if_tqdm=True,

saving=None
```

This function runs a Metropolis sampling algorithm.

#### Parameters

x0: numpy.ndarray Numpy array for the initial configuration.

proposal: function or float or tuple Function for the proposal move, which takes as input variables just the starting configuration x0 and returns the new proposed configuration (trial move of Metropolis algorithm). Alternatively, float variable for the standard deviation of a (zero-mean) multi-variate Gaussian variable representing the proposed step (namely, the stride). Another possibility is the tuple ('one-by-one', step) where step is a float or int variable; in this case, the proposal is done on each coordinate one at a time, following a cycle.

energy\_function : function Function for the energy, which takes as input variables just a configuration (x0 for instance) and returns its energy; energy\_function can return also some quantities
of interest, defined on the input configuration. If your energy function energy\_fun() has more
than one input variables, just redefine it as energy\_function = lambda x : energy\_fun(x,
simple\_model, 'dirichlet') before passing energy function to run Metropolis().

quantity\_function: function Function used to compute some quantities of interest on the initial configuration. If energy\_function has more than one output, quantity\_function is ignored and the quantities of interest are the 2nd output of energy\_function (in this way, they are computed together with the energy, avoiding the need for running twice the same function). Notice that quantity\_function does not support other input parameters beyond the configuration; otherwise, you can use energy function.

kT: float Temperature of the Metropolis sampling algorithm.

n steps: int Number of steps of Metropolis.

seed: int Seed for the random generation.

i\_print: int How many steps to print an indicator of the running algorithm (current n. of steps).

if\_tqdm: Bool Boolean variable, if True then use tqdm.

saving: None or float or Saving\_function An instance of the Saving\_function class, used to save the results during Metropolis run (or in the end). If saving is None do not save, if it is 'yes' use default object of class Saving\_function.

#### Returns

obj\_result: Result\_run\_Metropolis An instance of the Result\_run\_Metropolis class with trajectory, energy, average acceptance and computed quantities.

#### Classes

Class Block\_analysis\_Result

```
class Block_analysis_Result(
   mean: float,
   std: float,
   opt_epsilon: float,
   epsilons: numpy.ndarray,
   epsilons_smooth: numpy.ndarray,
   n_blocks: numpy.ndarray,
```

```
size_blocks: numpy.ndarray
)
```

Result of a block\_analysis() calculation.

#### Ancestors (in MRO)

- MDRefine.bayesian.Result
- builtins.dict

#### Instance variables

Variable epsilons list with the associated error epsilon for each block size.

Variable epsilons\_smooth list with the associated error epsilon for each block size (smooth time series).

Variable mean float with the mean value of the time series.

Variable n\_blocks list with the number of blocks in the time series, for each analysed block size.

Variable opt\_epsilon float with the optimal estimate of the associated error epsilon.

Variable size\_blocks list with the block sizes initially defined.

Variable std float with the standard deviation of the time series (assuming independent frames).

## Class MyQuantities

```
class MyQuantities(
    loss,
    reg,
    avs
)
```

Class with the evaluated quantities for each step of the MCMC sampling, beyond energy and trajectory.

## Instance variables

Variable avs float with the average values.

Variable loss float with the loss value (excluding the entropic contribution).

Variable reg float with the regularization value.

#### Static methods

## Method merge

```
def merge(
    instances
)
```

Function to merge multiple instances of MyQuantities in a single one (to be run in the end of the MCMC sampling to collect quantities).

### Class Proposal\_onebyone

```
class Proposal_onebyone(
    step_width=1.0,
    index=0,
    rng=None
)
```

Class for a proposal move which updates one coordinate per time (it includes the attribute index to take in memory which coordinate to update)

#### Class Result

```
class Result(
    *args,
    **kwargs
)
```

Base class for objects returning results.

It allows one to create a return type that is similar to those created by scipy.optimize.minimize. The string representation of such an object contains a list of attributes and values and is easy to visualize on notebooks.

**Examples** The simplest usage is this one:

```
from bussilab import coretools
```

```
class MytoolResult(coretools.Result):
    """Result of a mytool calculation."""
    pass

def mytool():
    a = 3
    b = "ciao"
    return MytoolResult(a=a, b=b)

m=mytool()
print(m)
```

Notice that the class variables are dynamic: any keyword argument provided in the class constructor will be processed. If you want to enforce the class attributes you should add an explicit constructor. This will also allow you to add pdoc docstrings. The recommended usage is thus:

from bussilab import coretools

```
class MytoolResult(coretools.Result):
    """Result of a mytool calculation."""
    def __init__(a, b):
        super().__init__()
        self.a = a
        """Documentation for attribute a."""
        self.b = b
        """Documentation for attribute b."""

def mytool():
    a = 3
    b = "ciao"
    return MytoolResult(a=a, b=b)

m = mytool()
print(m)
```

## Ancestors (in MRO)

• builtins.dict

#### **Descendants**

- $\bullet \;\; {\rm MDRefine.bayesian.Block\_analysis\_Result}$
- MDRefine.bayesian.Result\_MyQuantities
- $\bullet \quad MDRefine.bayesian.Result\_run\_Metropolis$

## ${\bf Class} \ {\tt Result\_MyQuantities}$

```
class Result_MyQuantities(
    my_quantities_concat: MDRefine.bayesian.MyQuantities)
```

Class with the merged quantities from MyQuantities (MyQuantities.merge()).

## Ancestors (in MRO)

- MDRefine.bayesian.Result
- builtins.dict

## Class Result\_run\_Metropolis

```
class Result_run_Metropolis(
    traj,
    ene,
    av_acceptance,
    quantities=None
)
```

Result of a run\_Metropolis() calculation.

## Ancestors (in MRO)

- MDRefine.bayesian.Result
- builtins.dict

## Instance variables

Variable av\_acceptance Float value for the average acceptance

```
Variable ene Energy
```

Variable traj Trajectory

## Class Saving\_function

```
class Saving_function(
   values: dict = {},
   t0: float = 0.0,
   date: str = '',
   path: str = '.',
   i_save: int = 10000
)
```

#### Class Which\_measure

```
class Which_measure(
    *args,
    **kwds
)
```

Class with the strings for which measure variable.

## Ancestors (in MRO)

• enum.Enum

Class variables

Variable AVERAGE

Variable DIRICHLET

Variable FLAT

Variable JEFFREYS

## Module MDRefine.data\_loading

Tools n. 1: data loading. It loads data into the data object.

#### **Functions**

## Function check\_and\_skip

```
def check_and_skip(
    data,
    *,
    stride=1
)
```

This function is an internal tool used in load\_data() to modify input data:

- weights are normalized;
- it appends observables computed through forward models (if any) to data.mol[name\_sys].g;
- if hasattr(data.mol[name\_sys], 'selected\_obs'): it removes non-selected observables from data.mol[name\_sys].forward\_qs;
- select frames with given stride;
- $\bullet \ \ count \ n. \ experiments \ and \ n. \ frames \ (data.mol[name\_sys].n\_frames \ and \ data.mol[name\_sys].n\_experiments) \\ and \ check \ corresponding \ matching.$

## Function load\_data

```
def load_data(
    infos,
    *,
    stride=1
)
```

This tool loads data from specified directory as indicated by the user in infos to a dictionary data of classes, which includes data.properties (global properties) and data[system\_name]; for alchemical calculations, there is also data[cycle\_name].

## Classes

#### Class data\_class

```
class data_class(
    info,
    path_directory,
    name_sys
)
```

Data object of a molecular system.

#### **Parameters**

info: dict Dictionary for the information about the data of name\_sys molecular system in path directory.

path\_directory : str String for the path of the directory with data of the molecular system name\_sys.
name\_sys : str Name of the molecular system taken into account.

#### Returns

temperature: float Value for the temperature at which the trajectory is simulated.

gexp: dict Dictionary of Numpy 2-dimensional arrays (N x 2); gexp[j,0] is the experimental value of the j-th observable, gexp[j,1] is the corresponding uncertainty; the size N depends on the type of observable.

names: dict Dictionary of Numpy 1-dimensional arrays of length N with the names of the observables of each type.

ref: dict Dictionary of strings with signs "=', '>', '<', '><' used to define the chi2 to compute, depending on the observable type.

 ${\tt g}:$  dict Dictionary of Numpy 2-dimensional arrays (M x N), where g[name][i,j] is the j-th observable of that type computed in the i-th frame.

forward\_qs: dict Dictionary of Numpy 2-dimensional arrays (M x N) with the quantities required for the forward model.

forward\_model: function Function for the forward model, whose input variables are the forward-model coefficients fm\_coeffs and the forward\_qs dictionary; a third optional argument is the selected obs (dictionary with indices of selected observables).

weights: array\_like Numpy 1-dimensional array of length M with the weights (not required to be normalized).

**f**: array\_like Numpy 2-dimensional array (M x P) of terms required to compute the force-field correction, where P is the n. of parameters pars and M is the n. of frames.

ff\_correction: function Function for the force-field correction, whose input variables are the force-field correction parameters pars and the f array (sorted consistently with each other).

## Class data\_cycle\_class

```
class data_cycle_class(
    cycle_name,
    DDGs_exp,
    info
)
```

Data object of a thermodynamic cycle.

#### **Parameters**

cycle\_name: str String with the name of the thermodynamic cycle taken into account.

DDGs\_exp: pandas.DataFrame Pandas.DataFrame with the experimental values and uncertainties of Delta Delta G in labelled thermodynamic cycles.

info: dict Dictionary for the information about the temperature of cycle name thermodynamic cycle.

```
####
{\rm Returns}
####
Returns
system_names
: \ list : \ List
of names of
the
investigated
molecular
systems.
forward_coeffs_0
: list : List
of the
forward-
model
coefficients.
names_ff_pars
: list : List
of names of
the
force-field
correction
parameters.
cycle_names
: \ list : \ List
of names of
the
investigated
thermody-
namic
cycles.
####
Methods
#####
Method
tot_n_experiments
\{\# MDRefine.data\_loading.data properties class.tot\_n\_experiments\}
> def
tot_n_{experiments}
> self, >
data > )
This method
computes
the total
n. of
experiments.
\#\#\# Class
my_data
{\#MDRefine.data\_loading.my\_data}
> class
my_data( >
infos > )
# Module
MDRefine.hyperminimizer
\{ \# MDRefine.hyperminimizer \}
```

```
####
{\rm Returns}
Tools n. 3:
hypermini-
mizer. It
performs the
{\it automatic}
search for
the optimal
hyperparam-
eters.
##
Functions
###
Function
compute_chi2_tot
\{\# MDRefine.hyperminimizer.compute\_chi2\_tot\}
> def com-
pute_chi2_tot(
pars\_ff\_fm,
> lambdas,
> data, >
regulariza-
tion, >
alpha, >
beta, >
gamma, >
which\_set,
data_train
>)
```

####  ${\rm Returns}$ This function is an internal tool used in compute\_hypergradient() and hyper\_minimizer() to compute the total chi2 (float variable) for training or validation data set and its derivatives (with respect  $pars_ff_fm$ and lambdas). The choice of the data set is indicated by  $which\_set$ (which\_set 'training' for chi2 on the training 'valid\_frames' for chi2 on training observablesand validationframes, 'validation' for chi2 on validation observables and validation frames, through validation function). ###### Parameters

#### Returns

# pars\_ff\_fm, lambdas

lambdas: array\_like: Numpy arrays for (force-field + forward-model) parameters and lambdas parameters, respectively. data: dict:

data: dict Dictionary of data set

object.

## regularization

: dict:
Specified regularizations
of force-field
and forwardmodel
corrections
(see in
MDRefinement).

# alpha, beta,

gamma: float: Values ofthe hyperparameters.

## which\_set

: str: String
variable,
chosen
among
'training',
'valid\_frames',
'valid\_obs'
or
'validation'
as explained
above.

```
####
{\rm Returns}
data_train
: dict:
Dictionary
of training
dataset
objects,
required if
which_set
'valid_obs'
to compute
the chi2 on
validating
obvervables\\
including
also training
frames.
###
Function
compute_hyperderivatives
{#MDRefine.hyperminimizer.compute_hyperderivatives}
> def com-
pute_hyperderivatives(
pars_ff_fm,
> lambdas,
> data, >
regulariza-
tion, >
deriva-
tives_funs,
log10_alpha=inf,
\log 10_beta=inf,
\log 10 \_gamma {=} \inf
>)
```

####  ${\rm Returns}$ This is an internal tool of compute\_hypergradient() which computes the derivatives of parameters with respect to hyperparameters, which are going to be used later to compute the derivatives of chi2 w.r.t. hyperparameters. It returns an instance of the class derivatives, which includes as attributesthe numerical values of the derivatives dlamb $das\_dlogalpha,$ dlambdas\_dpars,  $dpars\_dlogalpha,$  $dpars\_dlogbeta,$  $dpars\_dloggamma.$ ###### Parameters pars\_ff\_fm : array\_like : Numpy

array for force-field and forward-model coefficients.

#### Returns lambdas : array like : Numpy array for lambdascoefficients (those for ensemble refinement). data : dict : The data object. regularization : dict : The regularization of force-field and forwardmodelcorrections (see in MDRefinement). derivatives\_funs : class instance: Instance of the derivatives\_funs\_class class of derivatives functions computed by Jax. log10\_alpha, log10\_beta,  $log10_gamma$  $: \ {\rm floats}:$  ${\bf Logarithms}$ (in base 10) of the corresponding hyperparameters alpha, beta, gamma (np.inf by

default). ### Function

compute\_hypergradient

{#MDRefine.hyperminimizer.compute\_hypergradient}

```
####
Returns
> def com-
pute_hypergradient(
pars\_ff\_fm,
> lambdas,
log10_alpha,
log10_beta,
log10\_gamma,
data_train,
> regulariza-
tion, >
which\_set,
data_valid,
> deriva-
tives\_funs >
This is an
internal tool
mini_and_chi2_and_grad(),
which
employs
previously
defined
functions
(com-
pute_hyperderivatives(),
pute_chi2_tot(),
put_together())
to return
selected chi2
and its
gradient
w.r.t hyper-
parameters.
######
Parameters
pars_ff_fm
: array_like
: Numpy
array of
(force-field
and forward-
model)
parameters.
```

####  ${\rm Returns}$ 

## lambdas

: dict: Dictionary of

dictionaries

with lambda coefficients

(correspond-

ing to

Ensemble

Refinement).

log10\_alpha,

log10\_beta,

## log10\_gamma

: floats:

Logarithms

(in base 10)

of the hyper-

parameters

alpha, beta,

gamma.

## ${\tt data\_train}$

: class

in stance:

The training

data set

object,

which is

anyway

required to

compute the

derivatives

of

parameters

w.r.t. hyperparameters.

## regularization

 $: \ \mathrm{dict}:$ Specified

regulariza-

tions (see in MDRefine-

ment).

## which\_set

 $: \, \operatorname{str} : \operatorname{String}$ 

indicating which set

defines the

chi2 to

minimize in

order to get

the optimal

hyperparam-

eters (see in

com-

pute\_chi2\_tot()).

```
####
{\rm Returns}
data_valid
: class
instance:
The
validation
data set
object,
which is
required to
compute the
chi2 on the
validation
set (when
which_set
'valid_frames'
'validation';
otherwise, if
which_set
'training',
it is useless,
so it can be
set to None).
derivatives_funs
: class
instance:
Instance of
the deriva-
tives\_funs\_class
class of
derivatives
functions
computed by
Jax Autodiff
(they include
those
employed in
com-
pute_hyperderivatives()
and
dchi2\_dpars
and/or
dchi2_dlambdas).
If None
(default
value), do
not compute
the
derivatives
of chi2.
###
Function
hyper_function
{#MDRefine.hyperminimizer.hyper_function}
```

```
####
{\rm Returns}
> def hy-
per_function(
\log 10 \_hyperpars,
map\_hyperpars,
> data, >
regulariza-
tion, >
valid_obs, >
valid_frames,
> which_set,
> deriva-
tives\_funs,
> start-
ing\_pars, >
n\_parallel\_jobs
>)
This
function is
an internal
tool of hy-
per_minimizer()
which
determines
the optimal
parameters
by
minimizing
the loss
function at
given hyper-
parameters;
then, it
computes
chi2 and its
gradient
w.r.t hyper-
parameters
(for the
optimal
parameters).
######
Parameters
log10_hyperpars
: array_like
: Numpy
array for
log10 hyper-
parameters
alpha, beta,
gamma (in
this order,
when
present).
```

####

 ${\rm Returns}$ 

## map\_hyperpars

: list :

Legend for

 $\log 10 \_hyperpars$ 

(they refer to

alpha, beta,

gamma in

this order,

but some of

them may

not be

present, if

fixed to

+np.inf).

 ${\tt data}: \ {\rm class}$ 

in stance:

Class

instance for

data object.

## regularization

: dict:

Dictionaries

for regular-

ization

object.

valid\_obs,

## $valid\_frames$

: dicts:

Dictionaries

for

validation

observables

and

validation

frames,

indicized by

seeds.

## which\_set

 $: \, \operatorname{str}:$ 

String, see

for com-

pute\_chi2\_tot().

## derivatives\_funs

: class

in stance:

 ${\bf Derivative}$ 

functions

computed by

Jax and

employed in

com-

pute\_hypergradient().

####

Returns

## starting\_pars

: float :

Starting

values of the

parameters,

if

user-defined;

None

otherwise.

#### n\_parallel\_jobs

: int :

Number of

parallel jobs.

## Returns

tot\_chi2: float Float value of total chi2.

tot\_gradient : array\_like Numpy array for gradient of total chi2 with respect to the hyperparame-

ters.

Results: class instance Results given by minimizer.

Global

variable:

hv-

per\_intermediate,

in order to

follow steps

of mini-

mization.

######

Returns

out : class

instance:

Class

instance

whose

 ${\it attributes}$ 

 ${\rm can\ include}$ 

 $dchi2\_dlogalpha,$ 

 $dchi2\_dlogbeta,$ 

dchi2\_dloggamma,

depending

on which

hyperpa-

rameters

are not

fixed to

+np.inf.

# Module

MDRefine.loss\_and\_minimizer

 $\{\# MDRefine.loss\_and\_minimizer\}$ 

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
Tools n. 2:
loss\_and\_minimizer.
It defines
the loss
functions
and
minimizes
it. It
includes
also
split_dataset()
and valida-
tion().
##
Functions
###
Function
compute_D_KL
{#MDRefine.loss_and_minimizer.compute_D_KL}
> def com-
pute_D_KL(
>
weights_P: numpy.ndarray,
> correc-
tion_ff: numpy.ndarray,
> tempera-
ture: float,
logZ_P: float
> )
```

Global variable: hyper\_intermediate, in order to follow steps of minimization. This tool computes the Kullback-Leibler divergence of P(x) =1/Z P\_0 (x) e^(-V(x)/Twith respect to  $P_0$  as av(V)/T +log Z where av(V) is the average value of the potential V(x) over P(x). ###### Parameters weights\_P : 1-D array-like : Numpy 1- ${\it dimensional}$ array for the  ${\it normalized}$ weights P(x). correction\_ff : 1-D array-like : Numpy 1- ${\it dimensional}$ array for the

reweighting potential V(x).

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
temperature
: float :
The value
of tempera-
ture T, in
measure
units con-
sistently
with V(x),
namely,
such that
V(x)/T is
adimen-
sional.
logZ_P
: float :
The value
of log Z.
###
Function
{\tt compute\_DeltaDeltaG\_terms}
\{\# MDRefine.loss\_and\_minimizer.compute\_DeltaDeltaG\_terms\}
pute\_DeltaDeltaG\_terms(
> data, >
log Z_P >
This tool
computes
the chi2 for
Delta
Delta G
(free-energy
differences
from ther-
modynamic
cycles),
contribut-
ing to the
loss
function \\
with
alchemical
calcula-
tions.
######
Parameters
```

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
data
: class
instance:
Object
data; here,
data.properties
has the
attribute
cy-
cle\_names
(list of
names of
the thermo-
dynamic
cycles); for
data.properties.cycle\_names:
data.cycle[s]
has
attributes
tempera-
ture (of the
cycle) and
gexp_DDG;
for s in
my_list
(where
my\_list is
the list of
system
names
associated \\
to a ther-
modynamic
cycle
my_list =
[x2 for x
list(data.properties.cycle_names.values())
for x2 in
x]):
data.mol[s]
has
attributes
tempera-
ture (of the
system)
and log Z.
```

Global variable: hyper\_intermediate, in order to follow steps of minimization. logZ\_P : dict: Dictionary logarithmof the partition function Z\_P, namely, average value of exp(-V\_phi(x)/temperature) ###### over the original ensemble; its keys are the selectedsys $tem\_names.$ ###### Returns new\_av\_DG : dict: Dictionary ofreweightedaverages of Delta G.  ${\tt chi2}: \, {\rm dict}$ Dictionary of chi2 (one for each thermodynamic

cycle).

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
loss
: float :
Total con-
tribution
to the loss
function
from
free-energy
\operatorname{differences}
Delta
Delta G,
given by
1/2 of the
total chi2.
###
Function
compute_chi2
{#MDRefine.loss_and_minimizer.compute_chi2}
> def com-
pute_chi2(
> ref, >
weights, >
g, > gexp,
>
if\_separate = False
>)
This tool
computes
the chi2
(for a given
molecular
system:
the input
dictionaries
are
structured
as the
attributes
data.mol[mol\_name]).
######
Parameters
```

Global
variable:
hyper\_intermediate,
in order to
follow steps
of minimization.

ref: dict:
Dictionary
for
references
(=, >, <, ><)
used to
compute
the appropriate chi2.
weights
: 1-D

array-like

: Numpy 1-dimensional array of weights.

g : dict :
Dictionary
of
observables
specific for
the given

the given molecular system.

gexp: dict

Dictionary of experimental values specific for the given molecular system (coherently with g).

Global variable: hyper\_intermediate, in order to follow steps of minimization. if\_separate : bool: Boolean variable, True if you are distinguishing between LOWER and UPPER bounds  $(name\_type$ + ' LOWER' ###### or  $name\_type$ + ' UPPER'), needed for minimizations with double bounds. ###### Returns This tool returns 4 variables: dictionaries (with keys running over different kinds of observables) and 1 float: :  ${\tt av\_g}:\, {\rm dict}$ Dictionary of average values of the observables

34

g.

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
{\tt chi2}: \, {\rm dict}
Dictionary
of chi2.
rel_diffs
: \ \mathrm{dict} :
Dicionary
of relative
{\it differences}.
tot_chi2
: float :
Total\ chi2
for the
given
molecular
system.
###
Function
compute_details_ER
\{\# MDRe fine.loss\_and\_minimizer.compute\_details\_ER\}
> def com-
pute_details_ER(
>
weights_P,
> g, >
data, >
lambdas, >
alpha > )
```

Global
variable:
hyper\_intermediate,
in order to
follow steps
of minimization.
This is an
internal

internal tool of

loss\_function()

which computes explicitely the contri-

bution to

the loss function

due to

 ${\bf Ensemble}$ 

Refinement (namely,

1/2 chi2 +

alpha

 $\begin{array}{c} {\rm D\_KL}) \\ {\rm and} \end{array}$ 

compare

this value

with -

alpha\*Gamma

(they are equal in

the

minimum:

check). It

cycles over

different

systems. It

 ${\it acts\ after}$ 

the mini-

mization of

the loss

function

inside

loss\_function()

(not for the

minimiza-

 $tion\ itself,$ 

since we

exploit the Gamma

function).

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
Be careful
to use
either:
normalized
values for
lambdas
and g (if
hasattr(data.mol[name_mol],'normg_mean'))
or non-
{\it normalized}
ones (if not
hasattr(data.mol[name_mol], 'normg_mean')).
######
Parameters
weights_P
: dict:
Dictionary
of Numpy
arrays,
namely,
the weights
on which
Ensemble
Refinement
acts (those
with
force-field
correction
in the fully
combined
refine-
ment).
g: dict:
Dictionary
of dictio-
naries, like
for
data.mol[name_mol].g,
correspond-
ing to the
observables\\
(computed
with
updated
forward-
model
coeffi-
cients).
```

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
data: dict
: The
original
data
object.
lambdas
: dict:
Dictionary
of Numpy
arrays, cor-
responding
to the
coefficients
for
Ensemble
Refine-
ment.
alpha
: \ {\bf float}:
The alpha
hyperpa-
rameter,
for
Ensemble
Refine-
ment.
###
Function
compute_js
\{\# MDRe fine.loss\_and\_minimizer.compute\_js\}
> def com-
pute\_js(\,>\,
n_experiments
```

>)

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
This tool
computes
the indices
js (defined
by
cumulative \\
sums) for
lambdas
correspond-
ing to
different
molecular
systems
and types
of observ-
ables. Be
careful to
follow
always the
same order:
let's choose
it as that of
data.n experiments,
which is a
dictionary
n\_experiments[name\_mol][name].
###
Function
compute_new_weights
\{\# MDRefine.loss\_and\_minimizer.compute\_new\_weights\}
> def com-
pute_new_weights(
weights: numpy.ndarray,
> correc-
tion: numpy.ndarray\\
>)
```

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
This tool
computes
the new
weights as
weights*exp(-
correction).
It modifies
Parameters
weights are
normalized
and
correction
is shifted
by
correction
-= shift,
where
shift =
np.min(correction).
It returns
two
variables: a
Numpy
array
new\_weights
and a float
logZ.
###
Function
deconvolve_lambdas
\{\# MDRe fine.loss\_and\_minimizer.deconvolve\_lambdas\}
> def
decon-
volve\_lambdas(
> data, >
lamb-
das: numpy.ndarray,
if\_denormalize: bool = True
>)
```

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
This tool
decon-
volves
lambdas
from
Numpy
array to
dictionary
of
\operatorname{dictionaries}
(corre-
sponding
data.mol[name_mol].g);
if_denormalize,
then
lambdas
has been
computed
with
normalized
data, so use
data.mol[name\_mol].normg\_std
data.mol[name_mol].normg_mean
in order to
go back to
correspond-
ing
lambdas
for non-
normalized
data. The
order of
lambdas is
the one
described
in com-
pute_js().
###
Function
gamma_function
\{\# MDRefine.loss\_and\_minimizer.gamma\_function\}
```

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
> def
gamma_function(
> lamb-
das: numpy.ndarray,
g: numpy.ndarray,
gexp: numpy.ndarray,
weights: numpy.ndarray,
alpha: float,
if_gradient: bool = False
This tool
computes
gamma
function
and (if
if\_gradient)
its
derivatives
and the
average
values of
the
observables
av_g.
Make sure
that
lambdas
follow the
same order
as g, gexp
(let's use
that of
data.n_experiments).
######
Parameters
```

### lambdas

: 1-D

array-like

: Numpy 1-

dimensional

array of

length N,

where

lambdas[j]

is the

lambda

value for

the j-th

observable.

**g**: 2-D

## array-like

: Numpy 2-

 ${\it dimensional}$ 

array (M x

N); g[i,j] is

the j-th

observable

computed

in the i-th

frame.

gexp: 2-D

array-like

: Numpy 2- ${\it dimensional}$ 

array (N x

2);

gexp[j,0] is

the experi-

mental

value of

the j-th

observable,

gexp[j,1] is

the

associated

experimen-

tal

uncer-

tainty.

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
weights
: 1-D
array-like
: Numpy 1-
dimensional
array of
length M;
w[i] is the
weight of
the i-th
{\rm frame}
(possibly
non-
normalized).
alpha
: float :
The value
of the
alpha
hyperpa-
rameter.
if_gradient
: bool : If
true,
return also
the
gradient of
the gamma
function.
###
Function
12_regularization
\{\# \mathrm{MDRefine.loss\_and\_minimizer.l2\_regularization}\}
l2_regularization(
pars: numpy.ndarray,
{\it choice: str = `plain}
12' > )
```

This tool computes the L2 regularization for the force-field correction coefficients pars as specified by choice. It includes: - 'plain 12' (plain L2 regularization of pars);

Global variable: hyper\_intermediate, in order to follow steps of minimization. - L2 regularization for alchemical calculations with charges (as  $\operatorname{described}$ by Valerio Piomponi et al., see main paper): pars[:-1] are the charges and pars[-1] is V\_eta; there is the constrainton the total charge, and there are 3pars[4] charges in the molecule; 'constraint 1' is the L2 regularization on charges, while 'constraint 2' is the L2 regularization on charges and on V\_eta. Output

values: lossf\_reg and gradient (floats).

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
###
Function
loss_function
{#MDRefine.loss_and_minimizer.loss_function}
> def
loss_function(
pars_ff_fm: numpy.ndarray,
data: dict,
regulariza-
tion: dict,
> al-
pha: float = inf,
beta: float = inf,
gamma: float = \inf,
fixed\_lambdas: numpy.ndarray = None,
gtol\_inn: float = 0.001,
if_save: bool = False,
bounds: dict = None
>)
This tool
computes
the fully-
combined
loss
function
(to
minimize),
taking
advantage
of the inner
minimiza-
tion with
Gamma
function.
If not
np.isinf(alpha):
```

- if fixed\_lambdas == None, then do the inner minimization of Gamma (in this case, you have the global variablelambdas, corresponding to the starting point of the minimization; it is a Numpyarray sorted as in com $pute_js()).$ 

- else:

lambdas is

fixed

(fixed lambdas

is not

None) and

the

 $\operatorname{Gamma}$ 

function is

evaluated

at this

value of

lambda,

which must

 ${\it correspond}$ 

to its point

of

minimum,

otherwise

there is a

mismatch

between

the

 $\operatorname{Gamma}$ 

 $\quad \text{function} \quad$ 

and the

 ${\bf Ensemble}$ 

Refinement

loss.

The order

followed for

lambdas is  $\frac{1}{2}$ 

the one of

com-

 $pute\_js(),$ 

which is

 $\operatorname{not}$ 

modified in

any step.

If if\_save:

loss\_function()

returns

Details

class

instance

with the

detailed

results;

otherwise,

it returns

just the

loss value.

The input

data are

not

modified by

loss\_function()

(neither

explicitely

by

 $loss\_function()$ 

nor by its

inner

functions):

for forward-

model

updating,

loss\_function()

defines a

new

variable g

(through

copy.deepcopy).

######

Parameters

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
pars_ff_fm
: 1-D
array-like
: Numpy 1-
dimensional
array with
parameters
for
force-field
corrections
and/or
forward
models.
These
parameters
are sorted
as: first
force-field
correction
(ff), then
\quad \text{forward} \quad
model (fm);
order for ff:
names_ff_pars
= []; for
k in
system_names:
[names_ff_pars.append(x)
\quad \text{for } x \text{ in } \quad
data[k].f.keys()
\quad \text{if } x \ \text{not} \\
in
names_ff_pars];
order for
fm: the
same as
data.forward\_coeffs\_0.
{\tt data}:\, {\rm dict}
Dictionary
of class
instances
as
{\rm organised}
in
load_data,
which
constitutes
the data
object.
```

regularization : dict: Dictionary for the force-field and forwardmodel correctionregularizations (see MDRefinement). alpha, beta, gamma : floats: The hyperparameters of the three  ${\bf refinements}$ (respectively, to: the ensemble, the force-field, the forwardmodel);

(+np.inf by default, namely no refinement in that direction).

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
fixed_lambdas
: 1-D
array-like,
optional:
Numpy 1-
\operatorname{dimensional}
array of
fixed values
of lambdas
(coefficients
for
Ensemble
Refine-
ment,
organized
as in com-
pute_js()).
(None by
default).
gtol_inn
: \ {\bf float}:
Tolerance
gtol for the
inner mini-
mization of
Gamma
function
(1e-3 by
default).
if_save
: bool:
Boolean
variable
(False by
default).
bounds
: \ \mathrm{dict} :
Dictionary
of
boundaries
for the
inner mini-
mization
(None by
default).
###
Function
loss_function_and_grad
```

 $\{\# \mathrm{MDRefine.loss\_and\_minimizer.loss\_function\_and\_grad}\}$ 

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
> def
loss\_function\_and\_grad(
pars: numpy.ndarray,
>
data: dict,
regulariza-
tion: dict,
alpha: float,
beta: float,
gamma: float,
gtol\_inn: float,
> bound-
aries: dict,
> gradi-
ent\_fun, >
if\_print : bool = False
>)
```

Global variable: hyper\_intermediate, in order to follow steps of minimization. This tool returns loss\_function() and its gradient; the gradient function, which is going to be evaluated, computedby Jax and passed as input variable gradi $ent\_fun.$  If  $\operatorname{not}$ np.isinf(alpha), it appends also loss and lambdas to intermediates.loss and intermediates.lambdas, respectively. Global variable: intermediates (intermediate values during the minimization steps of  $loss\_function()).$ ######

Parameters

pars: 1-D array-like : Numpy array of parameters for force-field correction and  $\quad \text{forward} \quad$ model, re-

## data,

spectively.

## regularization

: dicts : Dictionaries for data object and regularizations (see inMDRefinement). alpha, beta,

## gamma

: floats: Values of the hyperparameters. gtol\_inn

: float : Tolerance gtol for the inner minimization in loss\_function().

### boundaries

 $: \ \mathrm{dict} :$ Dictionary of boundaries for the inner minimization in  $loss\_function().$ 

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
gradient_fun
: function :
Gradient
function of
loss_function(),
computed
by Jax.
###
Function
minimizer
{#MDRefine.loss_and_minimizer.minimizer}
> def
minimizer(
> origi-
nal data,
> *, >
regulariza-
tion: dict = None,
> al-
pha: float = inf,
beta: float = inf,
gamma: float = inf,
gtol: float = 0.001,
gtol_inn: float = 0.001,
data_valid: dict = None,
> start-
ing\_pars: numpy.ndarray = None,
if\_print\_biblio:bool = True
>)
This tool
minimizes
loss\_function
on origi-
nal\_data
and do vali-
dation() on
data_valid
(if not
None), at
given
hyperpa-
rameters.
######
Parameters
```

Global variable: hyper\_intermediate, in order to follow steps of minimization. original\_data : dict: Dictionary for data-like object employed for the minimization of loss\_function(). regularization : dict:Dictionary for the regularizations (see inMDRefinement). alpha, beta, gamma : floats: Values of the hyperparameters for combined refinement(+np.inf by default: no refinementin that direction). gtol, gtol\_inn : floats: Tolerances gtol for the minimizations of loss\_function() and inner

respectively.

gamma\_function(),

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
data_valid
: dict:
Dictionary
for
data-like
object
employed
validation
set (None
by default,
namely no
validation,
just mini-
mization).
starting_pars
: 1-D
array-like
: Numpy 1-
dimensional
array for
pre-defined
starting
point of
loss_function()
minimiza-
tion (None
by
default).
###
Function
normalize_observables
\{\# MDRefine.loss\_and\_minimizer.normalize\_observables\}
> def
normal-
ize\_observables(
> gexp, >
g, >
{\bf weights}{=}{\bf None}
>)
```

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
This tool
normalizes
g and gexp.
Since ex-
perimental
observables
have
different
units, it is
better to
normalize
them, in
order that
varying any
lambda
coefficient
by the
same value
epsilon
would
result in
comparable
effects to
the
ensemble.
This
results to
be useful in
the mini-
mization of
{\tt gamma\_function}().
######
Parameters
gexp, g
: dicts:
Dictionar-
ies
correspond-
ing to
data.mol[name\_mol].gexp
data.mol[name\_mol].g.
weights
: 1-D
array-like
```

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
######
Numpy 1-
dimensional
array, by
default
None
(namely,
equal
weight for
each
frame).
######
Returns
norm_g,
norm_gexp
: dict:
Dictionar-
ies for
normalized
g and gexp.
norm_gmean,
norm_gstd
: dict:
Dictionar-
ies for the
reference
values for
normaliza-
tion
(average
and
\operatorname{standard}
deviation).
###
Function
print_references
{#MDRefine.loss_and_minimizer.print_references}
> def
print\_references(
> alpha, >
beta, >
gamma, >
if_ddg > 
###
Function
split_dataset
{\#MDRefine.loss\_and\_minimizer.split\_dataset}
```

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
> def
split_dataset(
> data, >
*, >
frames_fraction: float = 0.2,
obs_fraction: float = 0.2,
> ran-
dom\_state: int = None,
valid\_frames: dict = None,
valid\_obs: dict = None,
if all frames: bool = False,
{\it replica\_infos: dict} = {\it None},
if\_verbose:bool = True
>)
This tool
splits the
data set
into
training
and
validation
(or test)
set. You
can either
randomly
select the
frames
and/or the
observables
(accord-
ingly to
frames_fraction,
obs\_fraction,
ran-
dom_state)
or pass the
dictionaries
valid\_obs
and/or
valid frames.
They refer
to
validation /
test set.
```

Global

variable:

hy-

 $per\_intermediate,$ 

in order to

follow steps

of mini-

mization.

######

Parameters

### data

: class

instance:

Class

instance for

the data

object.

# ${\tt frames\_fraction},$

### obs\_fraction

: float :

Values for

the

fractions of

frames and

observables

for the

validation /

test set, re-

spectively.

Each of

them is a

number in

(0,1) (same

fraction for

every

system), by

default 0.2.

## random\_state

: int :  $\overline{The}$ 

 $\operatorname{random}$ 

state (or

seed), used

to make

the same

choice for

different

hyperpa-

rameters; if

None, it is

randomly

taken.

## ${\tt valid\_frames},$ valid\_obs

: dicts:

Dictionar-

ies for the

validation

frames and

observ-

ables.

## if\_all\_frames

: bool:

Boolean

variable,

False by

default; if

True, then

use all the

frames for

the

validation

observables

in the

validation

set,

otherwise

just the

validation

frames.

## replica\_infos

: dict : Dictionary of information used to select frames based on continuous trajectories("demuxing"), by default None (just randomly select frames). It includes: n\_temp\_replica, path\_directory, stride. If not None, split\_dataset() will read replica\_temp.npy files with shape (n\_frames, n\_replicas) containing numbers from 0 to n\_replicas - 1 which indicate corresponding temperatures (for each replica ###### index in axis=1). #######

Returns

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
data_train,
data_valid
: class
instances:
Class
instances
for training
and
validation
data;
data_valid
includes:
trained
observables
and non-
trained
(validation)
frames
(where it is
not
specified
new); non-
trained
(validation)
observables
and non-
trained/all
(accord-
ingly to
if_all_frames)
frames
(where
specified
new).
valid_obs,
valid_frames
: dicts :
Dictionar-
ies for the
observables\\
and frames
selected for
the
validation
set.
###
Function
validation
\{\# MDRefine.loss\_and\_minimizer.validation\}
```

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
> def
validation(
>
pars\_ff\_fm,
> lambdas,
data_valid, > *, >
regulariza-
tion{=}None,
>
alpha=inf,
> beta=inf,
{\rm gamma}{=}{\inf},
{data\_train}{=}None,
which_return='details'
>)
This tool
evaluates
loss_function()
in detail
over the
validation
set; then,
```

- if which\_return == 'chi2 valid.  ${\tt frames'},\, it$ returns the total chi2 on the 'valid. frames'  ${\it data} \, \, {\it set}$ (training observ-

ables, validation frames);

this is  $\frac{1}{2}$ required to

compute the  ${\it derivatives}$ 

of the chi2

in

'validation' with Jax;

- elif
which\_return
== 'chi2
validation',
it returns
the total
chi2 on the
'validation'
data set
(validation
observables,
validation
frames or
all frames

 $\begin{array}{c} \text{if} \\ \text{data\_train} \end{array}$ 

is not

None); this

is required

to compute

the

 ${\it derivatives}$ 

of the  ${\rm chi}2$ 

in

'validation'

with Jax;

- else, it

 ${\rm returns}$ 

Valida-

tion\_values

class

instance, with all the

computed

values

(both chi2

and

regularizations).

######

Parameters

1 01011100010

## pars\_ff\_fm

: 1-D

array-like

: Numpy 1-

 $\operatorname{dimensional}$ 

array for

the

force-field

and

forward-

model

coefficients.

### lambdas

: 1-D

## array-like

: Numpy 1-

 ${\it dimensional}$ 

array of

lambdas

coefficients

(those for

ensemble

refine-

ment).

## data\_valid

: dict:

Dictionary

for the

validation

data set,

data-like

object, as

returned

by

split\_dataset().

## regularization

: dict:

Dictionary

for the

regulariza-

tions (see

in

MDRefine-

ment), by

default,

None.

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
alpha,
beta,
gamma
: floats:
Values for
the hyper-
parameters
(by default,
+np.inf,
namely, no
refine-
ment).
data_train
: dict:
Dictionary
for the
training
data set,
data-like
object, as
{\it returned}
by
split_dataset()
(None by
default,
namely use
only
validation
frames for
new observ-
ables).
which_return
: str:
String
described
above (by
default
'details').
##
{\it Classes}
\#\#\# Class
class_test
{\#MDRefine.loss\_and\_minimizer.class\_test}
> class
class_test(
data\_mol,
test\_obs\_mol
>)
```

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
Class for
test data
set, with
similar
structure
as
data\_class.
\#\#\# Class
class_train
\{\# MDRefine.loss\_and\_minimizer.class\_train\}
> class
class_train(
data_mol,
valid\_frames\_mol,
valid\_obs\_mol
>)
Class for
training
data set,
with
similar
structure
as
data_class.
\#\#\# Class
class_validation
{\#MDRefine.loss\_and\_minimizer.class\_validation}
> class
class_validation(
>
data_mol,
valid\_frames\_mol,
valid\_obs\_mol,
if\_all\_frames,
data\_train\_mol
>)
```

```
Global
variable:
hy-
per_intermediate,
in order to
follow steps
of mini-
mization.
Class for
validation
data set,
with
similar
structure
as
data_class.
\#\#\# Class
\verb|intermediates_class||
\{\# {\rm MDRefine.loss\_and\_minimizer.intermediates\_class}\}
> class
intermedi-
ates_class(
> alpha >
Class for
the inter-
mediate
steps of the
minimiza-
tion of the
loss
function.
```

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