0.1 Model: $\Xi^{ch}K^{ch}$

The two-particle correlation function may be written as:

$$C(\mathbf{k}^*) = \sum_S \rho_S \int S(\mathbf{r}^*)|\Psi^S_{\mathbf{k}^*}(\mathbf{r}^*)|^2 d^3\mathbf{r}^* \tag{1}$$

where ρ_S is the normalized emission probability of particles in a state with spin S, $S(\mathbf{r}^*)$ is the pair emission source distribution (assumed to be Gaussian), and $\Psi^S_{\mathbf{k}^*}(\mathbf{r}^*)$ is the two-particle wave-function including both strong and Coulomb interactions [**?**]:

$$\Psi_{\mathbf{k}^*}(\mathbf{r}^*) = e^{i\delta_c}\sqrt{A_c(\eta)}[e^{i\mathbf{k}^*\cdot\mathbf{r}^*}F(-i\eta,1,i\xi) + f_c(k^*)\frac{\tilde{G}(\rho,\eta)}{r^*}] \tag{2}$$

where $\rho = k^*r^*$, $\eta = (k^*a_c)^{-1}$, $\xi = \mathbf{k}^*\cdot\mathbf{r}^* + k^*r^* \equiv \rho(1+\cos\theta^*)$, and $a_c = (\mu z_1 z_2 e^2)^{-1}$ is the two-particle Bohr radius (including the sign of the interaction). δ_c is the Coulomb s-wave phase shift, $A_c(\eta)$ is the Coulomb penetration factor, $\tilde{G} = \sqrt{A_c}(G_0 + iF_0)$ is a combination of the regular (F_0) and singular (G_0) s-wave Coulomb functions. $f_c(k^*)$ is the s-wave scattering amplitude:

$$f_c(k^*) = [\frac{1}{f_0} + \frac{1}{2}d_0k^{*2} - \frac{2}{a_c}h(\eta) - ik^*A_c(\eta)]^{-1} \tag{3}$$

where, the "h-function", $h(\eta)$, is expressed through the digamma function, $\psi(z) = \Gamma'(z)/\Gamma(z)$ as:

$$h(\eta) = 0.5[\psi(i\eta) + \psi(-i\eta) - \ln(\eta^2)] \tag{4}$$

In this case, the λ parameter may be included as:

$$C(\mathbf{k}^*) = (1-\lambda) + \lambda\sum_S \rho_S \int S(\mathbf{r}^*)|\Psi^S_{\mathbf{k}^*}(\mathbf{r}^*)|^2 d^3\mathbf{r}^* \tag{5}$$