

Λ K Femtoscopy in Pb-Pb collisions at 2.76 TeV

λ parameters

- Not all particles in pairs are primary
- Measured CF is combination of primary signal and transformed residuals
- λ parameters control strength of contribution

➤ Modeling parent CF

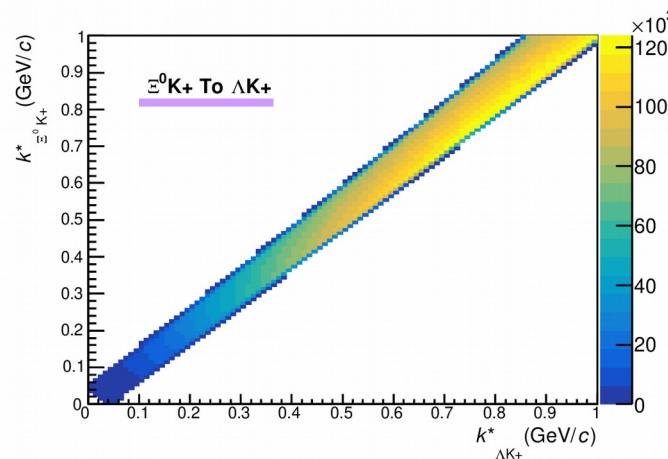
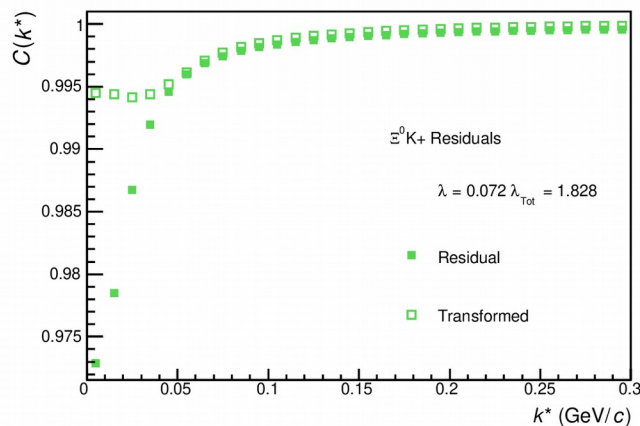
- ◆ Assume same source size and scattering parameters as primary (daughter) system
- ◆ Ξ -K data
- ◆ Coulomb-only simulation

$$C_{\text{measured}}(k_{\Lambda K}^*) = \mathcal{N} \left(1 + \lambda'_{\Lambda K} [C_{\Lambda K}(k_{\Lambda K}^*) - 1] + \sum_{i,j} \lambda'_{ij} [C_{ij}(k_{\Lambda K}^*) - 1] \right)$$

$$\lambda'_{ij} = \lambda_{\text{Fit}} \lambda_{ij}$$

$$\sum_{i,j} \lambda'_{ij} = \lambda_{\text{Fit}} \sum_{i,j} \lambda_{ij} = \lambda_{\text{Fit}}$$

$$C_{ij}(k_{\Lambda K}^*) \equiv \frac{\sum_{k_{ij}^*} C_{ij}(k_{ij}^*) T(k_{ij}^*, k_{\Lambda K}^*)}{\sum_{k_{ij}^*} T(k_{ij}^*, k_{\Lambda K}^*)}$$

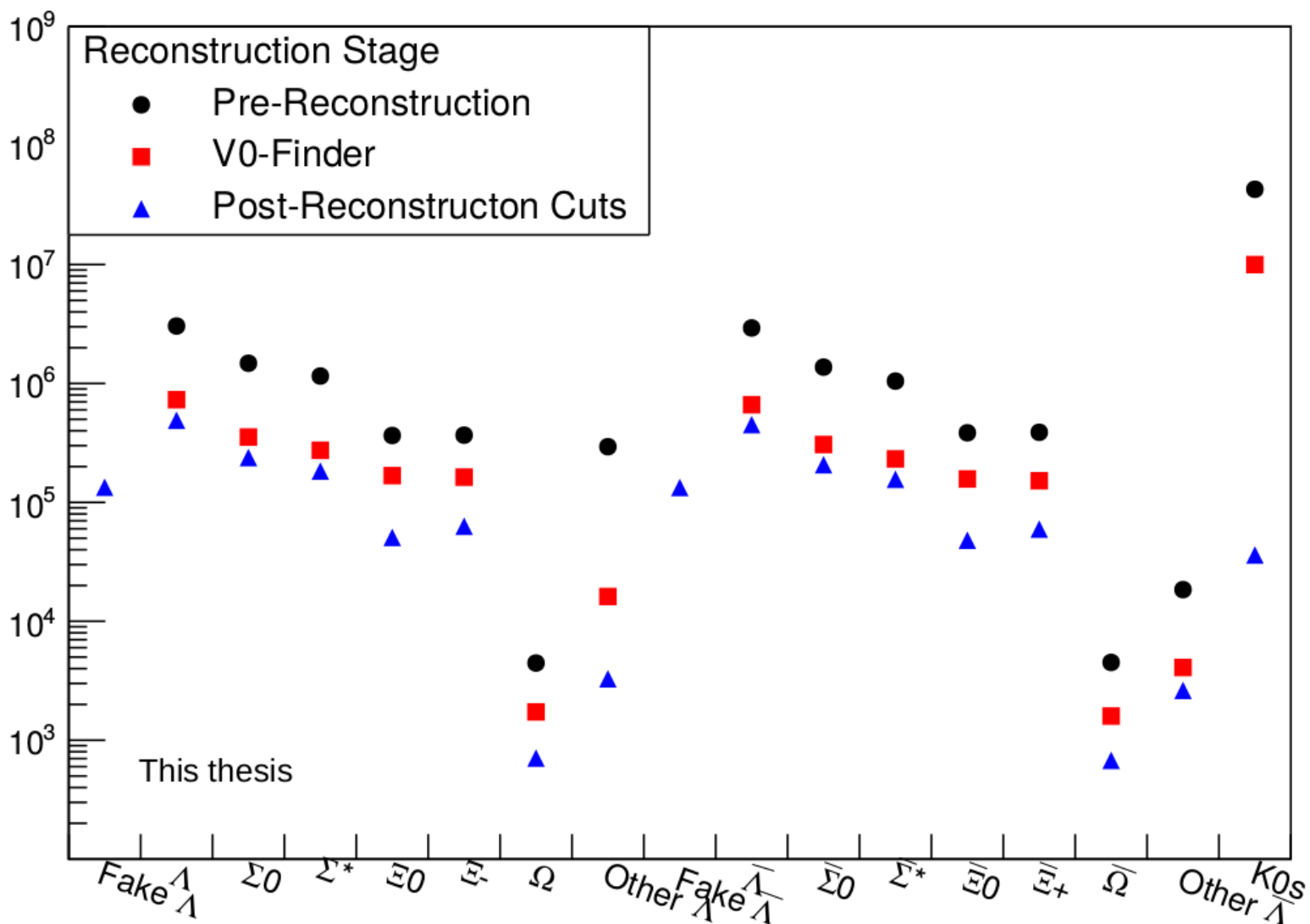


Pair System λ -factor

ΛK^+	0.154
$\Sigma^0 K^+$	0.099
$\Xi^0 K^+$	0.072
Ξ -K+	0.069
Other	0.558
Fakes	0.048

Jai's Rec. Efficiency

MC Truth Yields of Λ by Parent Type



➤ Previously, assumed reconstruction efficiency (R) was equal for all contributors

- Good approximation EXCEPT possibly for “Other” category

- Confusing results in Jai’s thesis

- Currently, trying to reproduce myself

➤ IF “Other Λ ” from previous slide is correct

- R_{other} is an order of magnitude smaller than all other contributors

- This would effectively increase the λ parameters of all other contributors, while reducing that of “Other”

- L_{fit} (i.e. scale factor) naturally decreases

- All other parameters remain approximately the same

➤ IF “Other $\bar{\Lambda}$ ” from previous slide is correct

- Method previously used, assuming equal reconstruction efficiencies, is mostly correct

➤ Is it possible reconstruction efficiency for “Other Λ ” vs “Other $\bar{\Lambda}$ ” differ by order of magnitude?

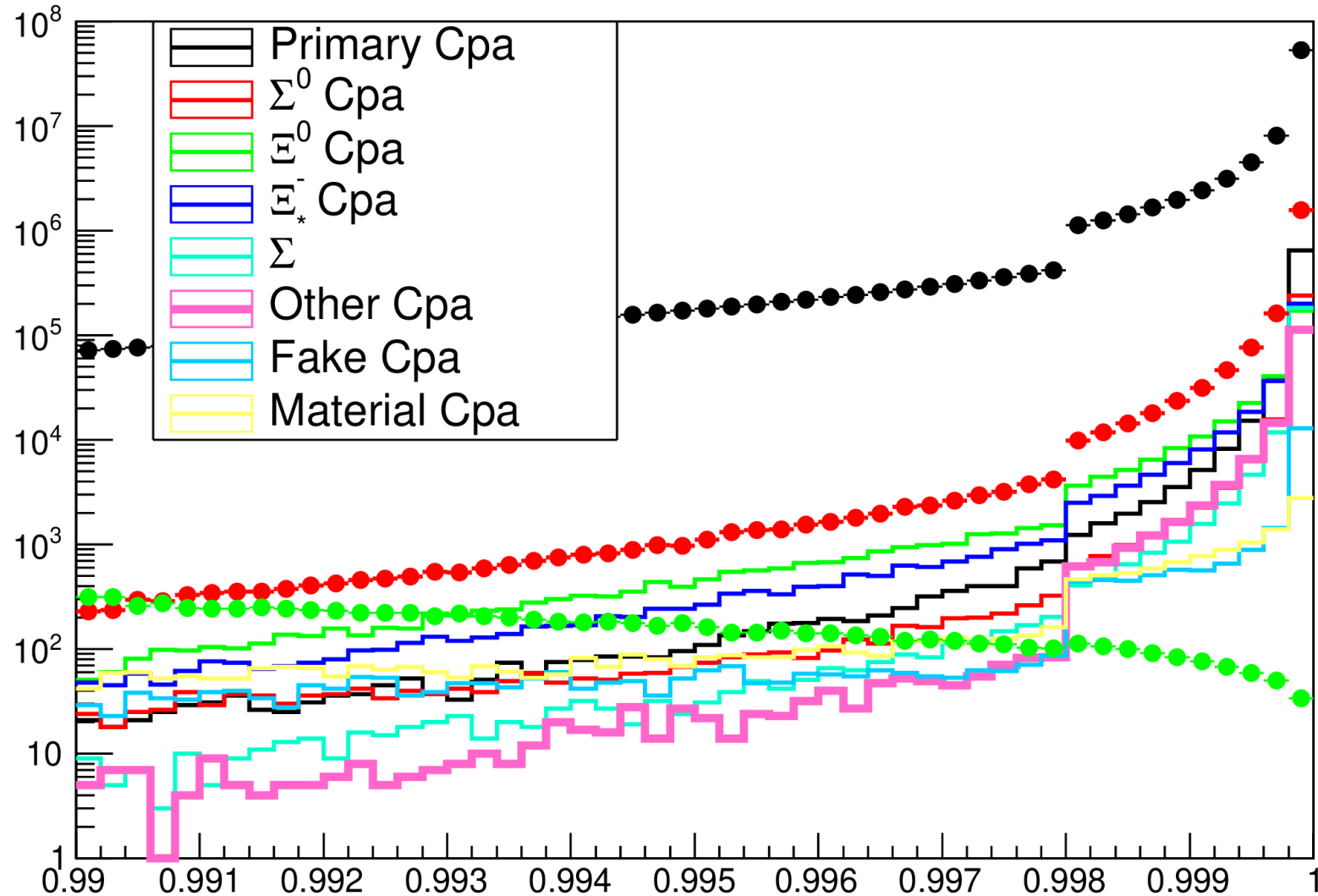
- Probably not...

$$\lambda_{AB} = \frac{N_{AB}}{N_{\text{Tot}}} = \frac{N_{\text{THERM}, AB} \cdot R_{AB}}{\sum N_{\text{THERM}, AB} \cdot R_{AB}}$$

Pair System	<u>λ-factor</u>	<u>λ-factor</u>
ΛK^+	0.154	0.371
$\Sigma^0 K^+$	0.099	0.239
$\Xi^0 K^+$	0.072	0.107
$\Xi^- K^+$	0.069	0.145
Other	0.558	0.090
Fakes	0.048	0.048

My CPA for Λ

Cosinus Pointing Angle



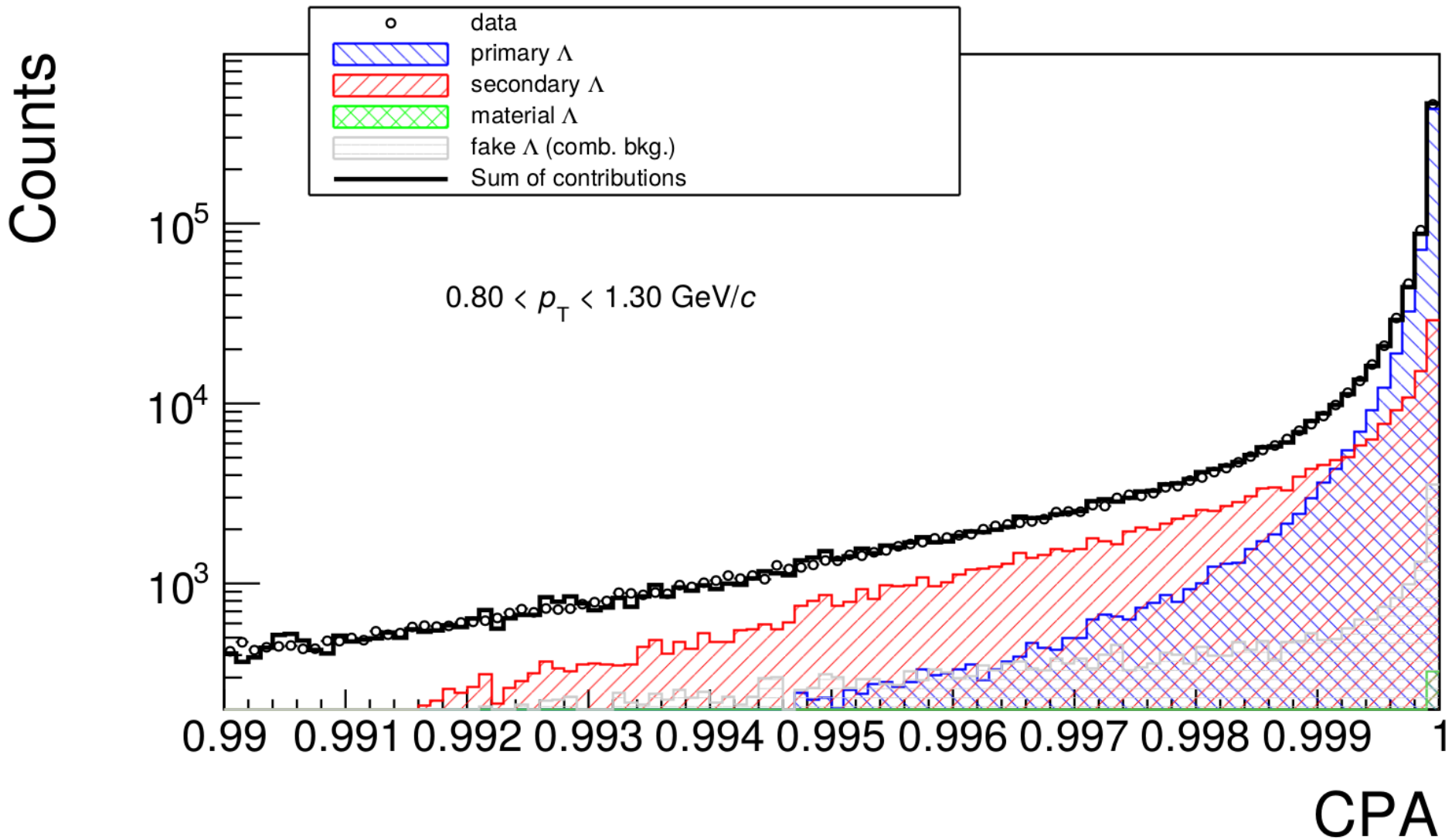
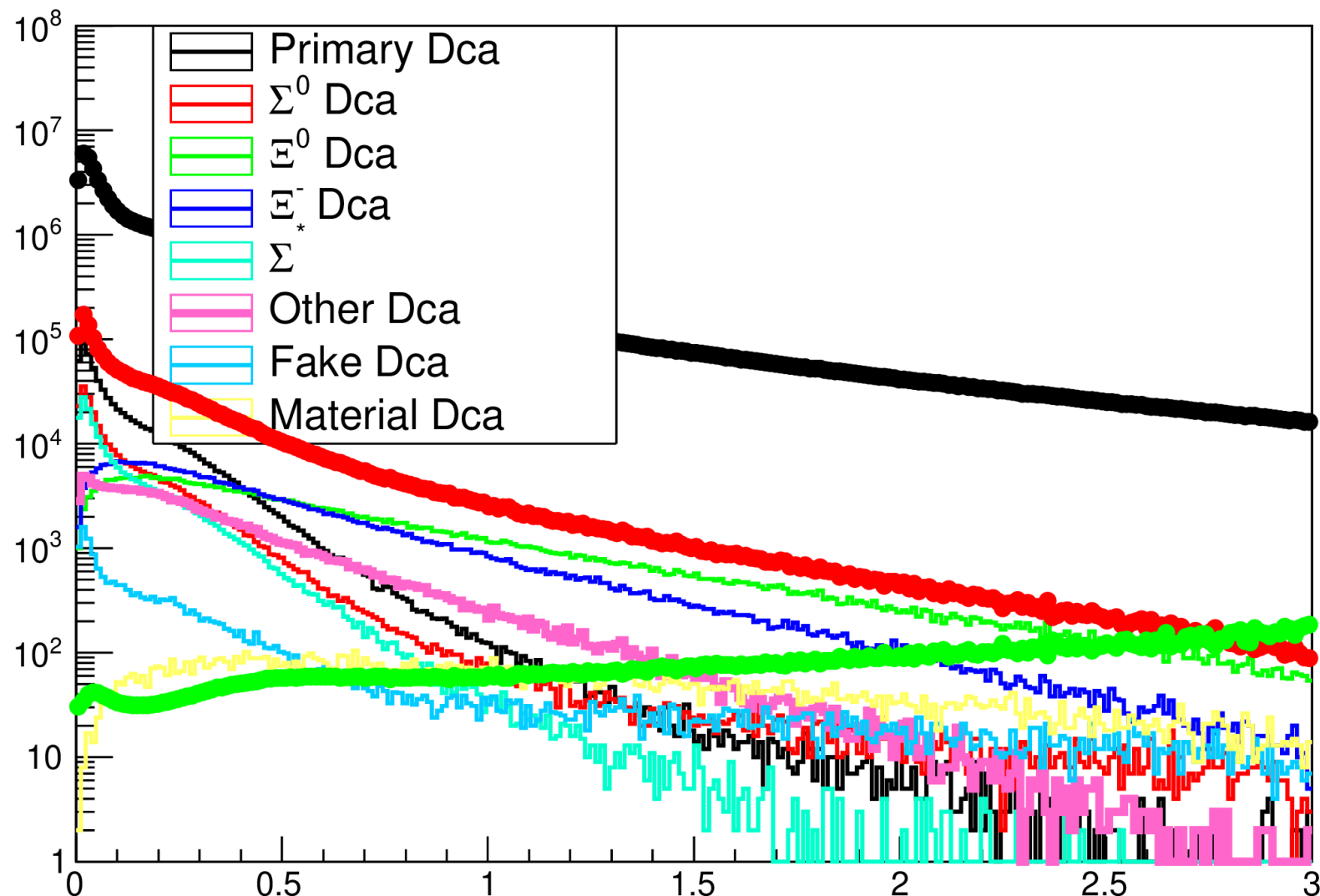


Fig. 30: Template fit to the cosine pointing angle in a p_T interval.

My DCA for Λ

DCA V0 to primary vertex



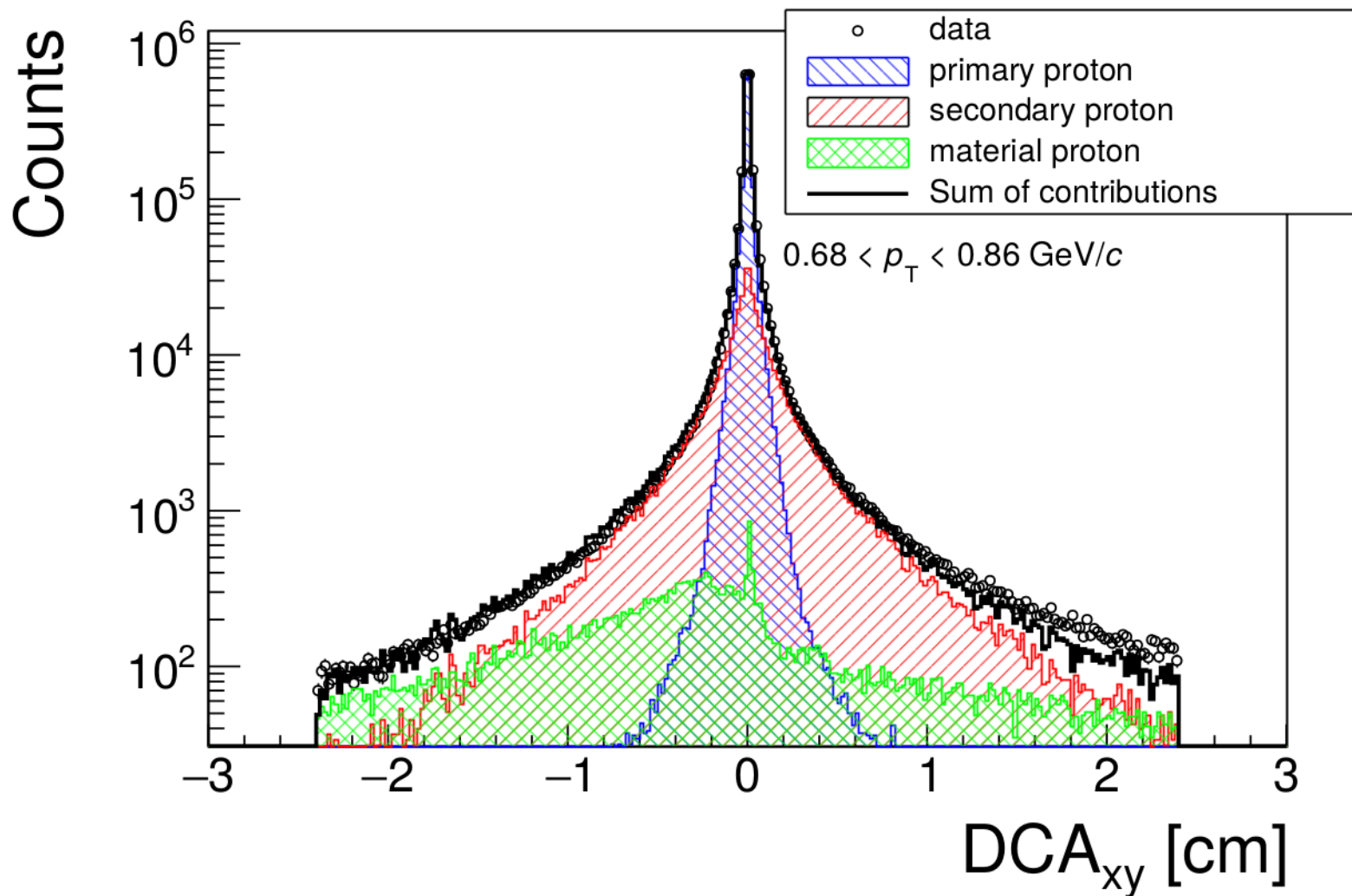
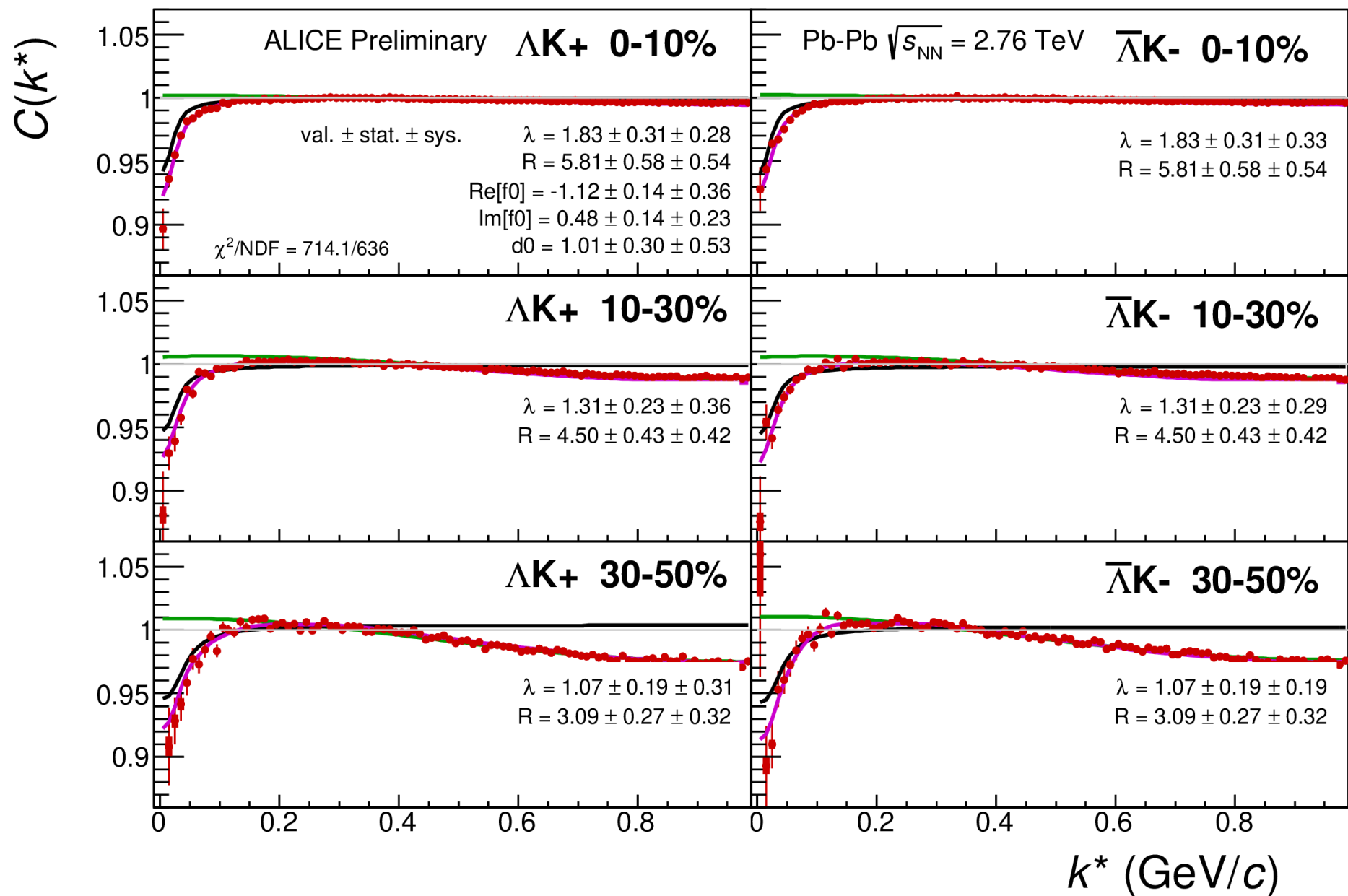


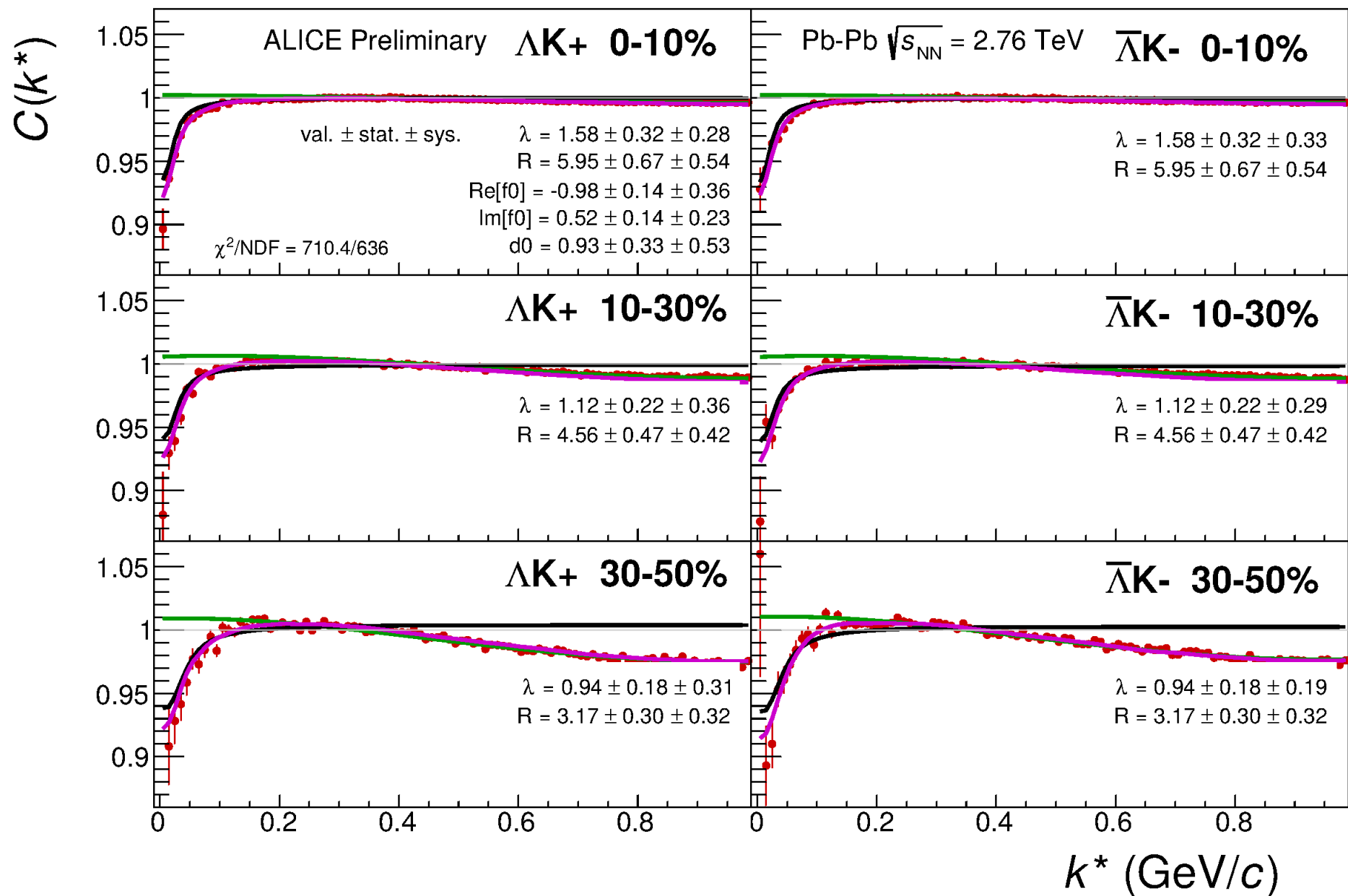
Fig. 26: Adjusted Monte Carlo Templates from Pythia to the experimental data. Due to the shape of the templates one has a good discrimination of the origin of the protons.

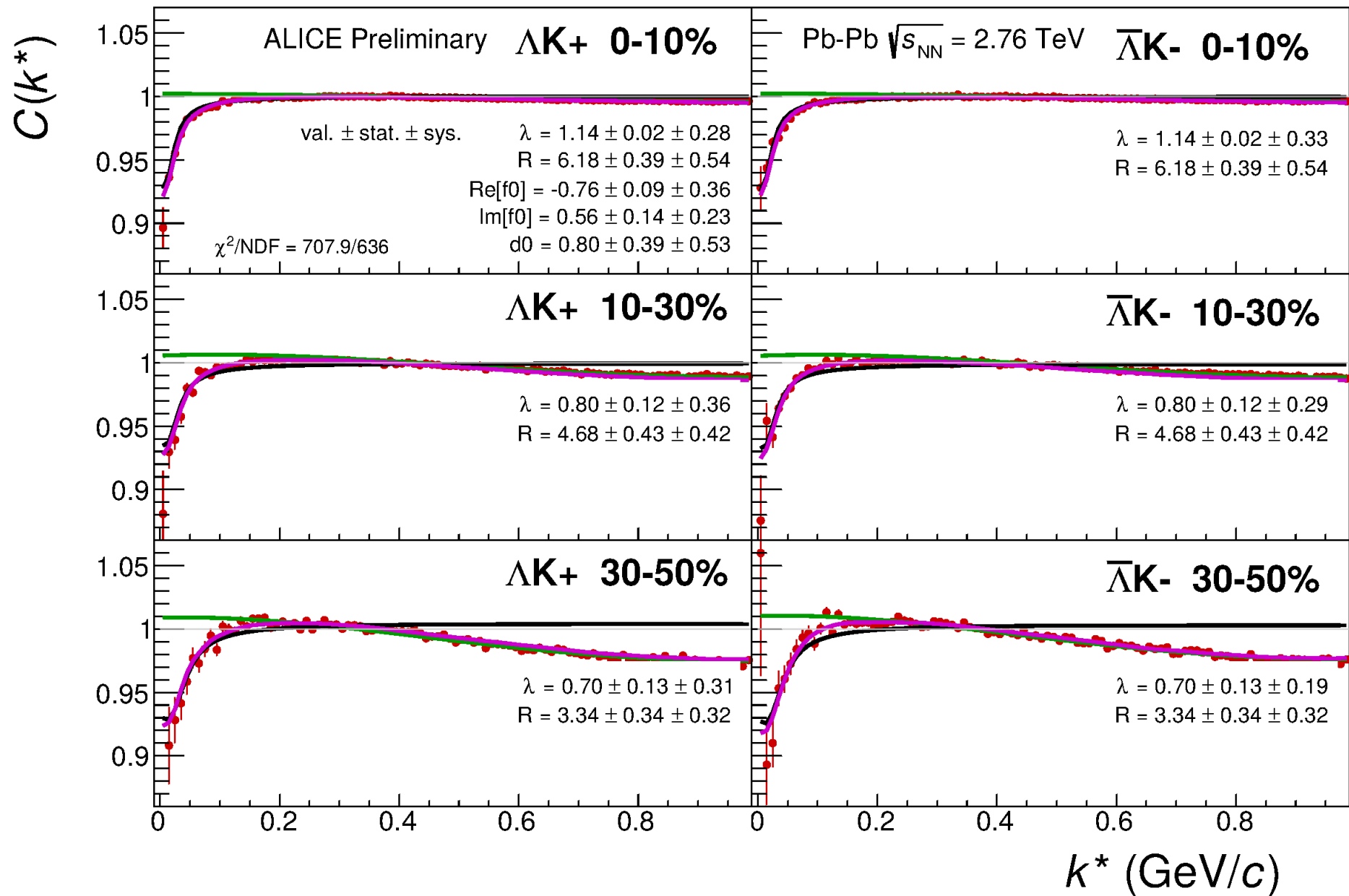
- Λ values for the components of ΛK^+ , assuming various maximum values of $c\tau$ for parent systems to be considered primary
- Initially, used $D.C._{max} = 5$ fm
 - Probably not best, as this splits $\Sigma^{*1385}(c\tau = 5.33 \text{ fm})$ and $K^{*892}(c\tau = 4.11 \text{ fm})$
- Suggested I use $D.C._{max} = 4$ fm
 - For better “apples-to-apples” comparison of 3 residuals vs 10 residuals
- Should probably use, at least $D.C._{max} = 6$ fm, so both Σ^* and K^* considered “Primary” when using only 3 residuals

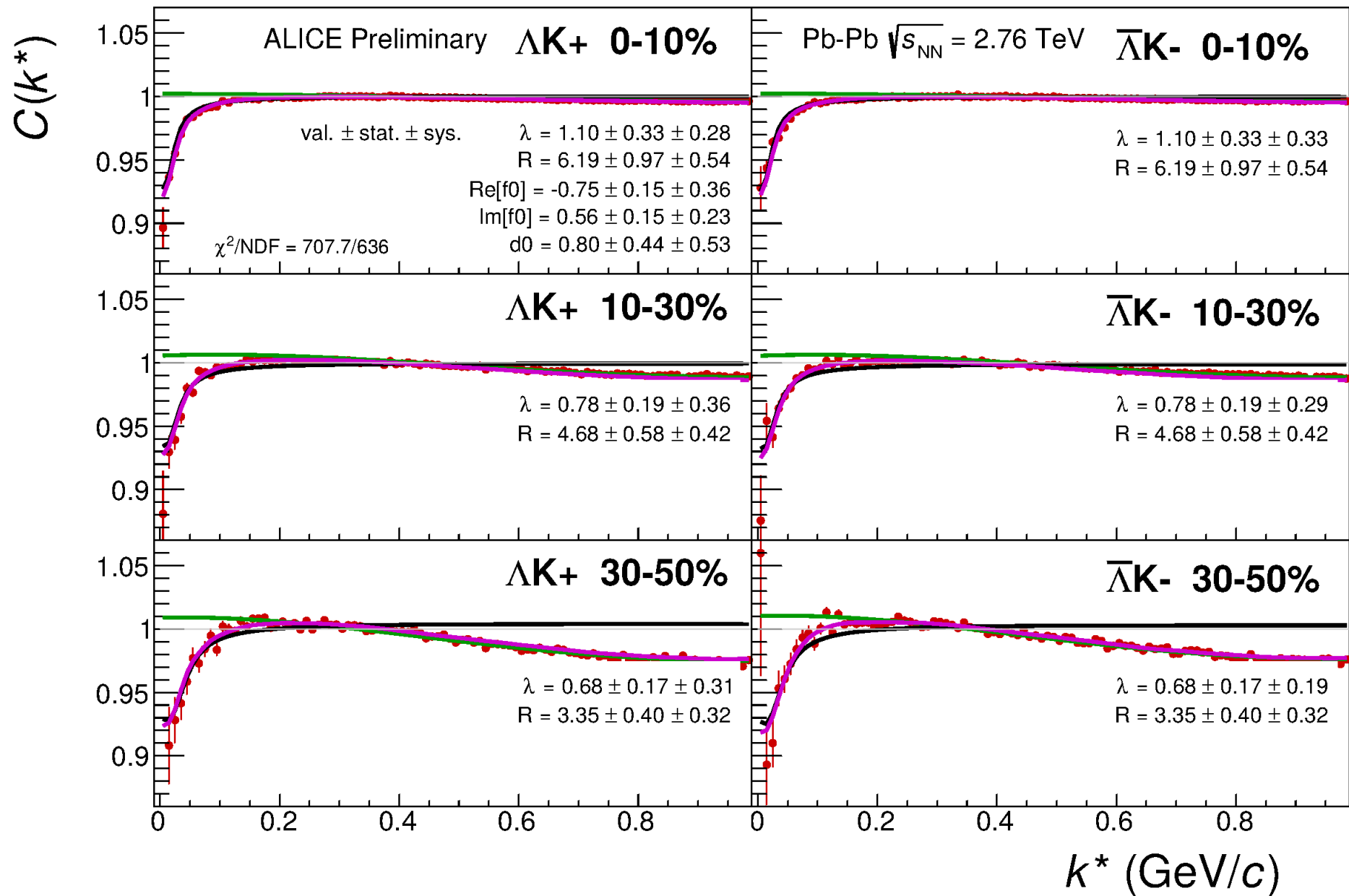
ΛK^+ Residuals						
Decay Length						
Pair System	0 fm	4 fm	5 fm	6 fm	10 fm	100 fm
3 Residuals						
ΛK^+	0.111	0.154	0.228	0.445	0.470	0.508
$\Sigma^0 K^+$	0.099					
$\Xi^0 K^+$	0.072					
$\Xi^- K^+$	0.069					
Other	0.601	0.558	0.484	0.267	0.242	0.204
Fakes	0.048					
10 Residuals						
ΛK^+	0.111	0.154	0.188	0.277	0.301	0.340
$\Sigma^0 K^+$	0.099					
$\Xi^0 K^+$	0.072					
$\Xi^- K^+$	0.069					
$\Sigma^{*+} K^+$	0.046					
$\Sigma^{*-} K^+$	0.042					
$\Sigma^{*0} K^+$	0.042					
ΛK^{*0}	0.039					
$\Sigma^0 K^{*0}$	0.035					
$\Xi^0 K^{*0}$	0.025					
$\Xi^- K^{*0}$	0.024					
Other	0.348	0.305	0.271	0.182	0.158	0.119
Fakes	0.048					

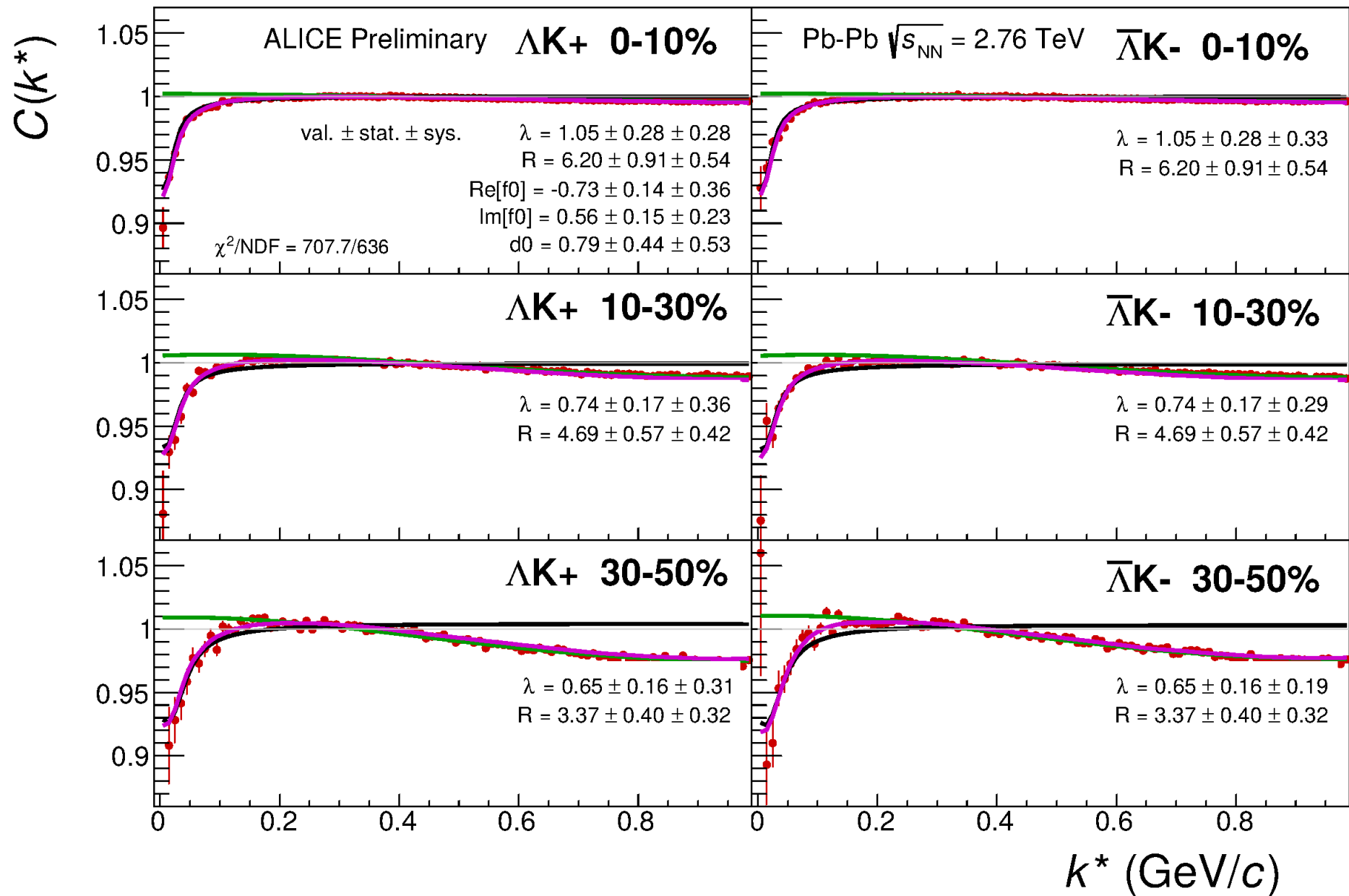
3 Residual











10 Residual

